

Optics 2018, minimum x_0 measurement

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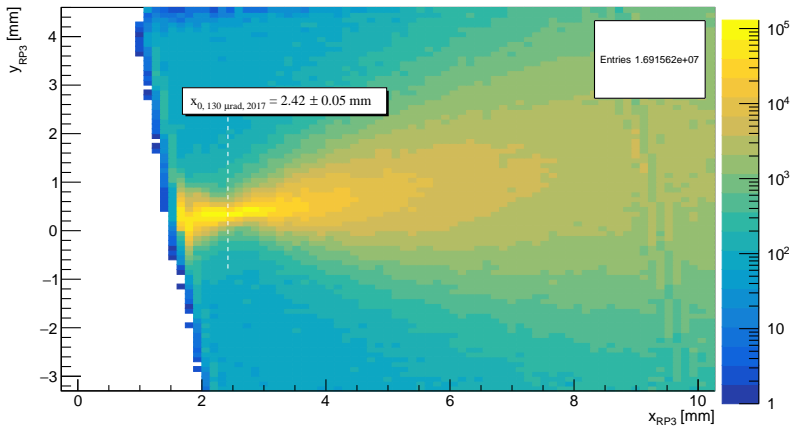
March 12, 2019

x -angle $130 \mu\text{rad}$, $\beta^* = 0.25 \text{ m}$

(Run 314276, 2018, April)

The "neck"

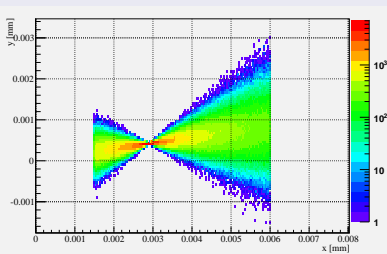
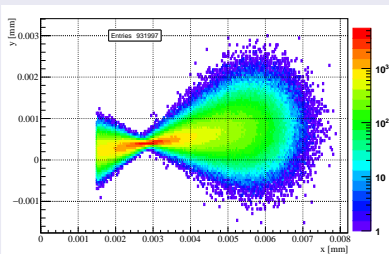
RP3, left arm, $s = 213$ m



Monte Carlo plots: hitmap with and without θ_x^*

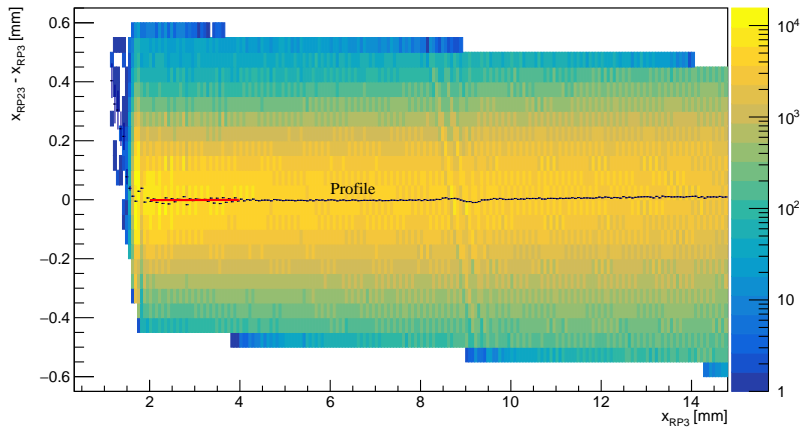
- The smearing due to scattering angle
- In the data we cannot switch of L_x or so
- However, one can make a cut on θ_x

$$x = v_x \cdot x^* + L_x \cdot \theta_x^* + D_x \cdot \xi \quad (1)$$



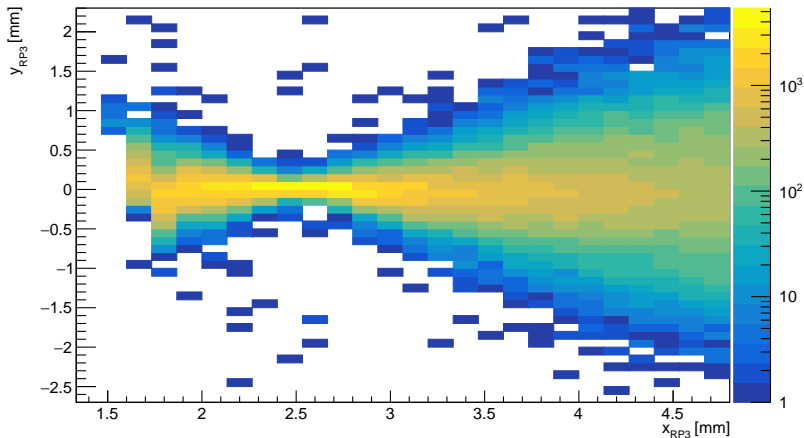
The x -coordinate difference between RP23 and RP3

- Red line shows the cut line (mean)
- The σ of the cut is 0.0125 mm



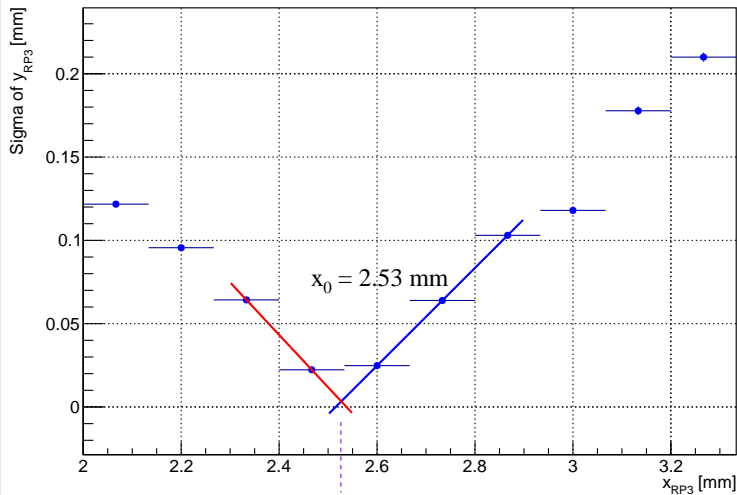
The x-y hitmap after the dx cut

- The angular smearing is close to 0
- Note: for these events $\xi_{\text{singleRP}} = \xi_{\text{multiRP}}$



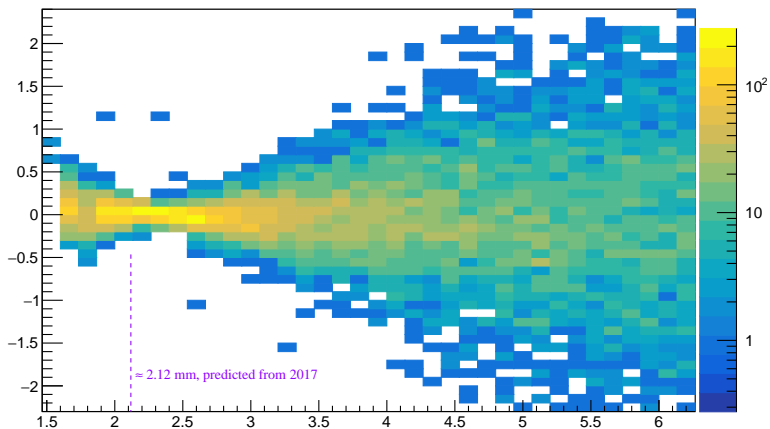
The RMS of the y -coordinate

- The minimum shows the quick L_y cross-over 0



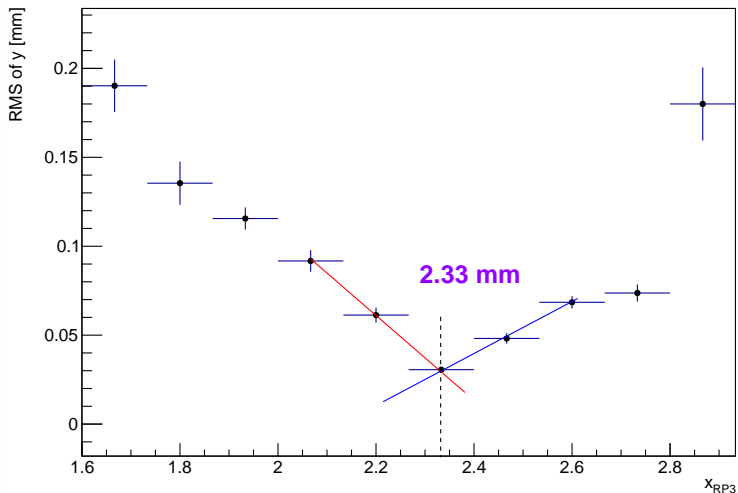
x -angle $160\ \mu\text{rad}$
(Run 314247, 2018, April)

The RP3 x-y hitmap after the dx cut

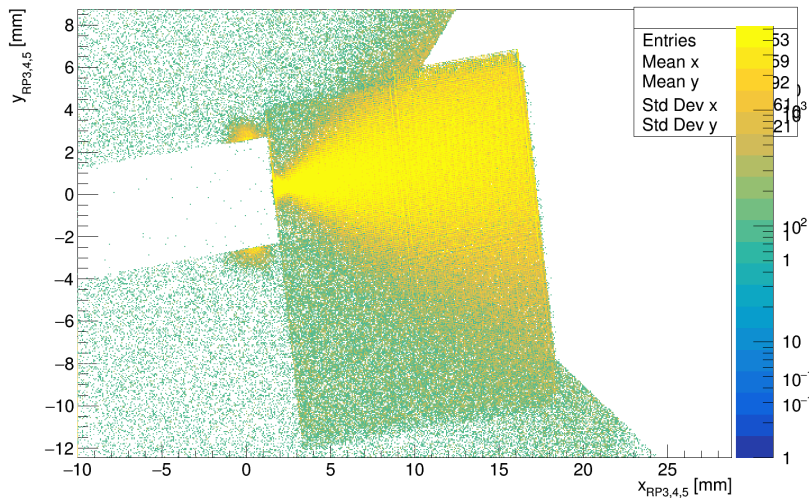


The RMS of the y -coordinate and x_0

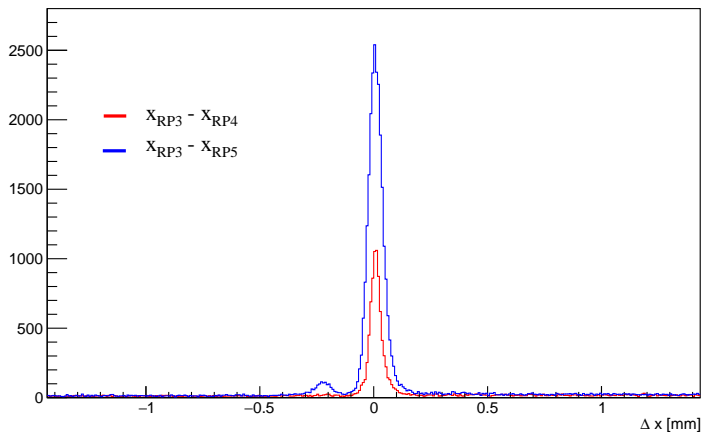
- A bit unexpected (see later with September 130 μrad data)
- Would break dispersion as function of x -angle from 2017



Overlap between RP3, 4 and 5

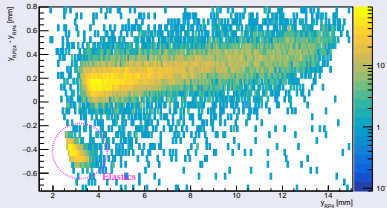
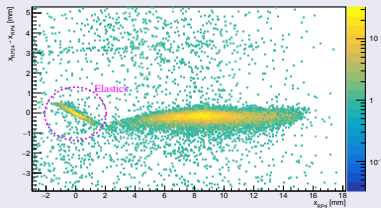


Horizontal alignment test between RP3, 4 and 5



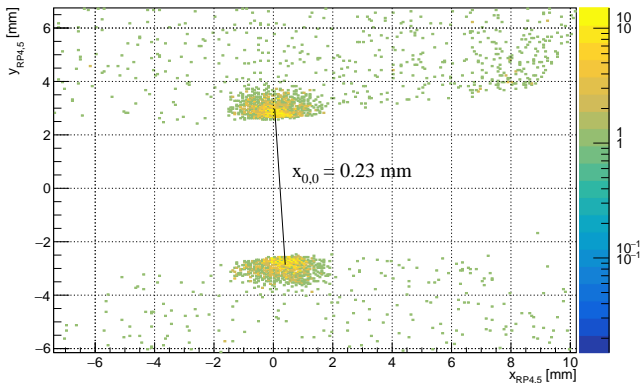
Elastics at 160 μ rad: single arm correlations

- RP4 and 24: top verticals
- TOTEM methods to identify elastics
- Note: focusing



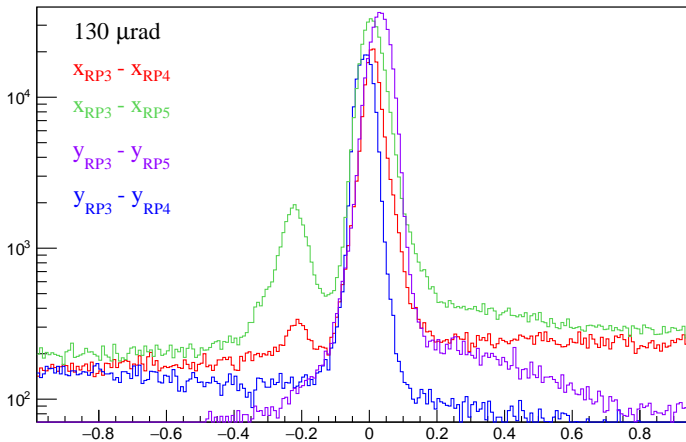
Elastics at 160 μrad : test of absolute horizontal alignment

- $x_0 \approx 2.33 - 0.23 = 2.1 \text{ mm}$

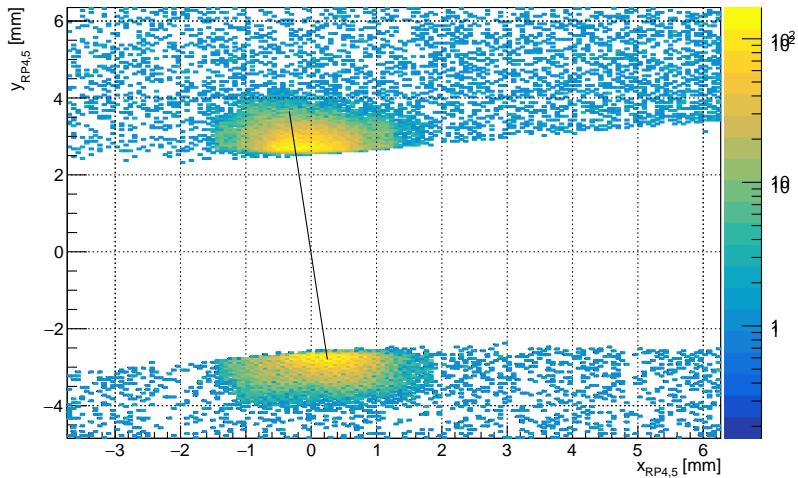


Remaining alignment tests for x -angle $130 \mu\text{rad}$
(2018, April)

Overlap between RP3, 4 and 5



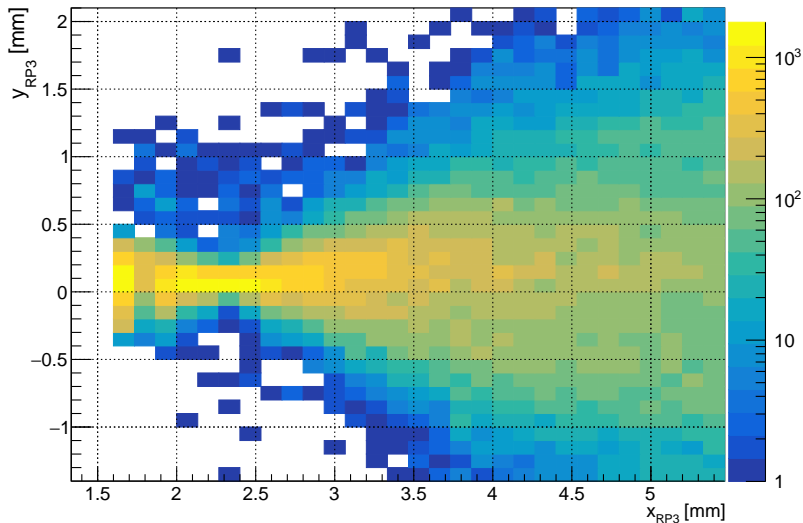
Test of "absolute" alignment with elastics



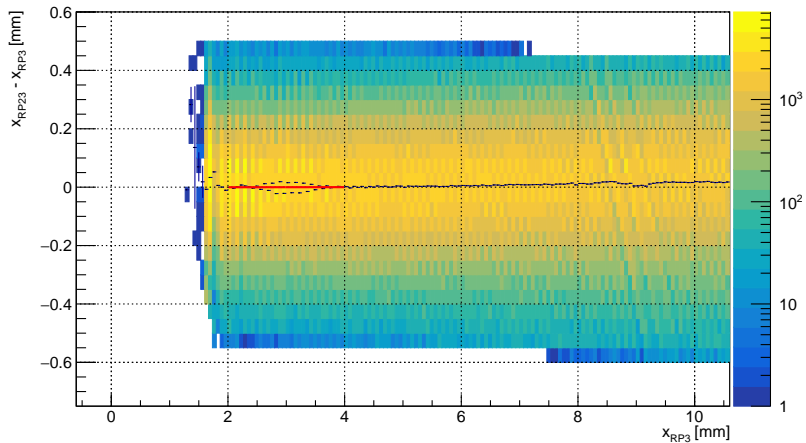
x -angle $130 \mu\text{rad}$, $\beta^* = 0.25 \text{ m}$
(Run 323316, 2018, September)

The "neck" after cut

- Remains a bit noisy even after cut in the important range
- x_0 clearly below 2.5 mm

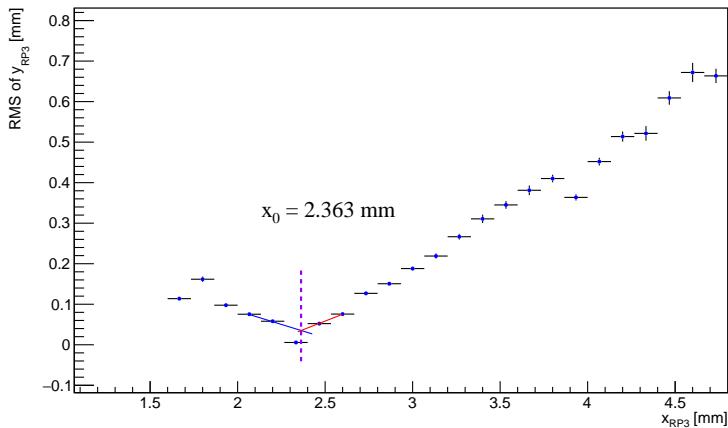


The dx cut



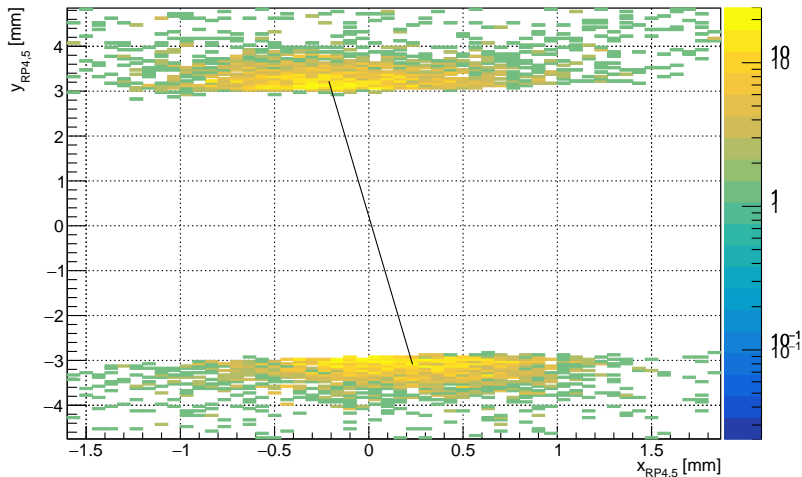
The x_0 point

- x_0 seems to be 7 % lower than in April
- Alignment, optics, resolution, x -angle ?



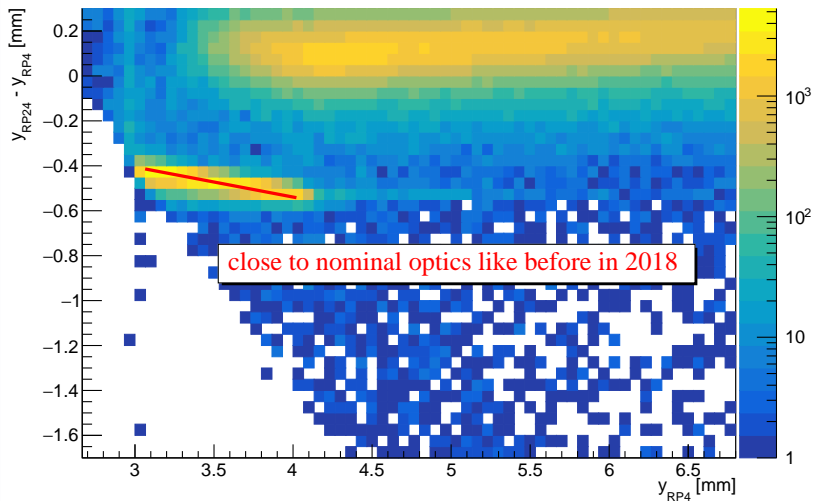
The absolute alignment

- Ok, even with TProfiles
- Common in events in RP 3, 4, 5 are also Ok



The vertical effective length L_y

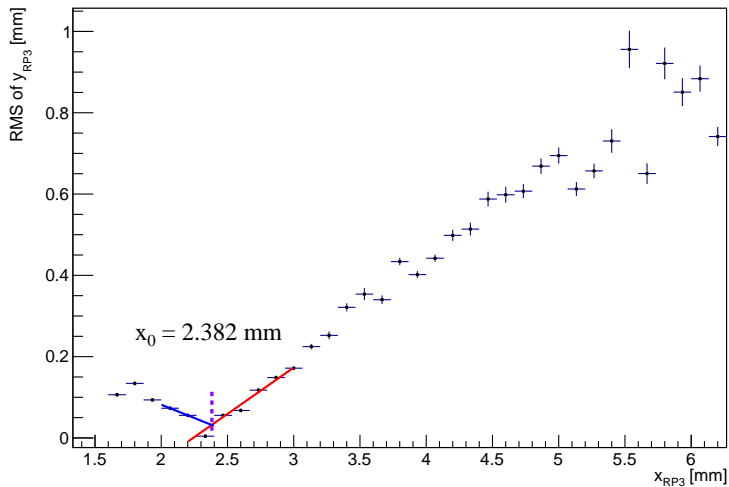
● Ok



x -angle $130 \mu\text{rad}$, $\beta^* = 0.27 \text{ m}$
(Run 323311, 2018, September)

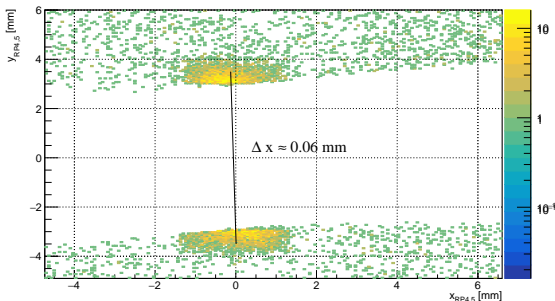
The x_0 point

● Ok



Absolute alignment and the x_0 point

- $x_0 \approx 2.382 \text{ mm} + 0.06 \text{ mm} = 2.442 \text{ mm}$



Summary of April and September

- 130 μrad : $x_0 \approx 2.445 \text{ mm} \pm 0.08$
- 160 μrad : $x_0 \approx 2.10 \text{ mm}$

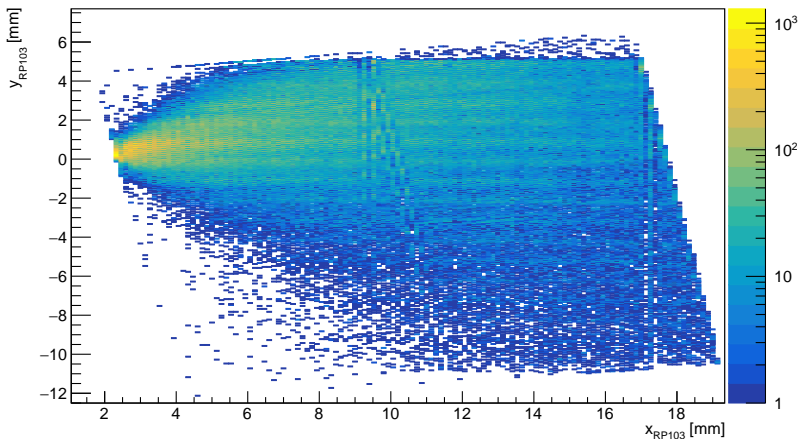
Right arm

x-angle $130\ \mu\text{rad}$, $\beta^* = 0.25\ \text{m}$

(Run 314276, 2018, April)

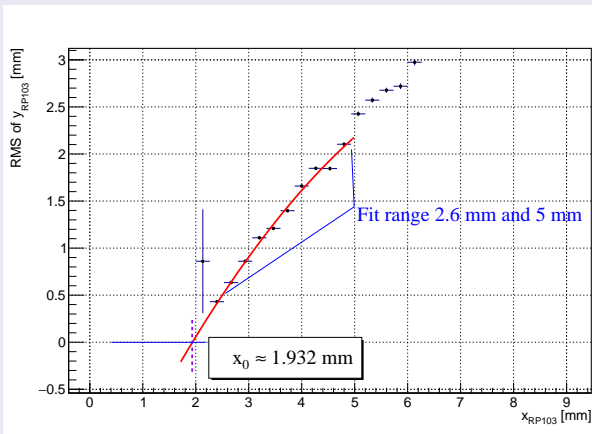
The x_0 point in RP103

- Calibration point is not visible
- 2017 data suggest a factor 1.298 between left and right arm
- x_0 "should" be around 1.883 ± 0.08



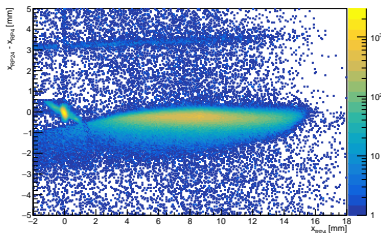
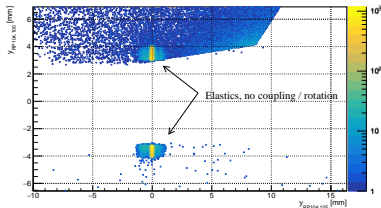
The x_0 point in RP103

- Parabolic fit
- First points not used, fit quality very low
- Extrapolation point is OK
- Dimuon data will help (also for left arm!)



A curiosity in the right arm from September

- Reason: $L_x = 0$ close to RP
- No coupling (MQSX off)
- Good for optics checks!

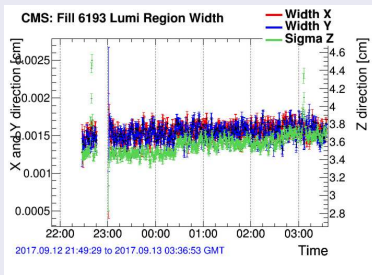


Notes on beam divergence

Based on emittance and beam spot

Beam divergence study from CT-PPS Physics meeting

- Lorentz $\gamma_{\text{proton}} = \frac{E_{\text{beam}}}{M_{\text{proton}}} = \frac{6500 \text{ GeV}}{0.93827 \text{ GeV}}$
- $\sigma_{x,y}^* = \sqrt{\frac{\beta_{x,y}^* \cdot \epsilon}{\gamma_{\text{proton}}}} = \sqrt{\frac{0.4 \cdot 3.5 \cdot 10^{-6}}{\gamma_{\text{proton}}}} = 14 \text{ } \mu\text{m}$ (ϵ stands for the emittance)
- The figure shows the physics run closest to the alignment run (from Jonathan)
- Excellent agreement between data and model
- Page 6: beam divergence $\sigma(x')^* = \sigma(x)^* / \beta^* = 14 \text{ } \mu\text{m} / 0.4\text{m} = 35 \text{ } \mu\text{rad}$

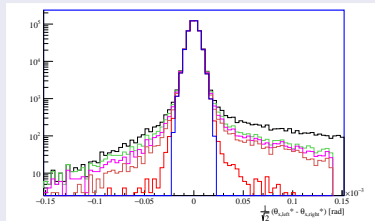


Why $\sigma(x')^* = \sigma(x)^* / \beta^*$?

$$x'' - k(s)x = 0, \quad k = \frac{1}{B \cdot \rho} \frac{dB_y}{dx}. \quad (2)$$

- Beam equation, harmonic oscillator with magnetic strength $k(s)$
- Ansatz: $x(s) = \sqrt{\beta_x(s)\epsilon} \cos[\phi_x(s) + \phi_0]$ and $\phi' = \frac{1}{\beta}$
- Its derivative $x(s)'$ is **the beam divergence** and $x(s)' \propto \sqrt{\frac{\epsilon}{\beta(s)}} \sin(\dots)$
- At points $\beta' = 0$, see Wilson's book, the thesis of Hubert or mine
- Phase space ellipse and area: $\pi\sigma(x)\sigma(x') = \pi\epsilon = \text{constant}$ (Liouville theorem)

The Gaussian shape of $\sigma(x')$ by TOTEM at 13 TeV from CERN preprint:



Summary

- New and reliable method for "neck" position measurement
- Applied for available x-angles: remains close to 2017
- Rigorous test of alignment / optics assumptions
- Beam divergence notes

Note: alignment data with more x-angle combination would be useful. Now we have almost only $130\ \mu\text{rad}$!