$$log \ (ikelihood = log \ P(data | M_1 \cdot M_c))$$

$$= log \ P(x_1 \cdot x_n | M_1 \cdot M_c)$$

$$= log \ P(x_k | M_1 \cdot M_c)$$

$$= log \ P(x_k | M_1 \cdot M_c)$$

$$= \sum_{k=1}^{n} log \ P(x_k | M_1 \cdot M_c)$$

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$$= \sum_{k=1}^{n} log \ P(x_k | M_1 \cdot M_1 \cdot M_c)$$

$$= \sum_{k=1}^{n} log \ P(x_k | M_1 \cdot M_1 \cdot$$

E P (M: | XK, Wi.. Ws)

$$log \ likelihood = log \ P(data | M_1 \cdot M_c)$$

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> P(W: | Xx, W...W.)