

E15 Deep Learning (C++/Python)

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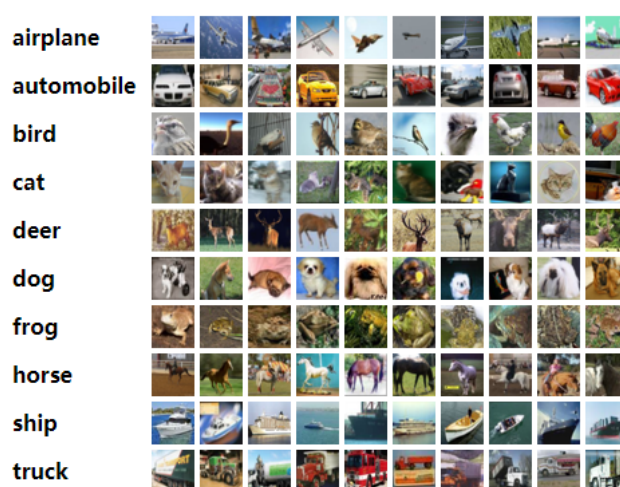
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1 The CIFAR-10 dataset

The CIFAR-10 dataset (<http://www.cs.toronto.edu/~kriz/cifar.html>) consists of 60000 32×32 colour images in 10 classes, with 6000 images per class. There are 50000 training images and 10000 test images.

The dataset is divided into five training batches and one test batch, each with 10000 images. The test batch contains exactly 1000 randomly-selected images from each class. The training batches contain the remaining images in random order, but some training batches may contain more images from one class than another. Between them, the training batches contain exactly 5000 images from each class. Here are the classes in the dataset, as well as 10 random images from each:



The classes are completely mutually exclusive. There is no overlap between automobiles and trucks. "Automobile" includes sedans, SUVs, things of that sort. "Truck" includes only big trucks. Neither includes pickup trucks.

2 Convolutional Neural Networks (CNNs / ConvNets)

Chinese version: <https://www.zybuluo.com/hanbingtao/note/485480>

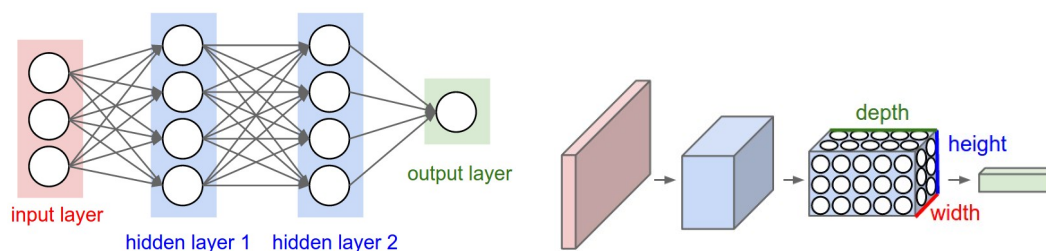
English version: <http://cs231n.github.io/convolutional-networks/#layers>

2.1 Architecture Overview

Regular Neural Nets don't scale well to full images. In CIFAR-10, images are only of size $32 \times 32 \times 3$ (32 wide, 32 high, 3 color channels), so a single fully-connected neuron in a first hidden layer of a regular Neural Network would have $32 * 32 * 3 = 3072$ weights. This amount still seems manageable, but clearly this fully-connected structure does not scale to larger images. For example, an image

of more respectable size, e.g. $200 \times 200 \times 3$, would lead to neurons that have $200 \times 200 \times 3 = 120,000$ weights. Moreover, we would almost certainly want to have several such neurons, so the parameters would add up quickly! Clearly, this full connectivity is wasteful and the huge number of parameters would quickly lead to overfitting.

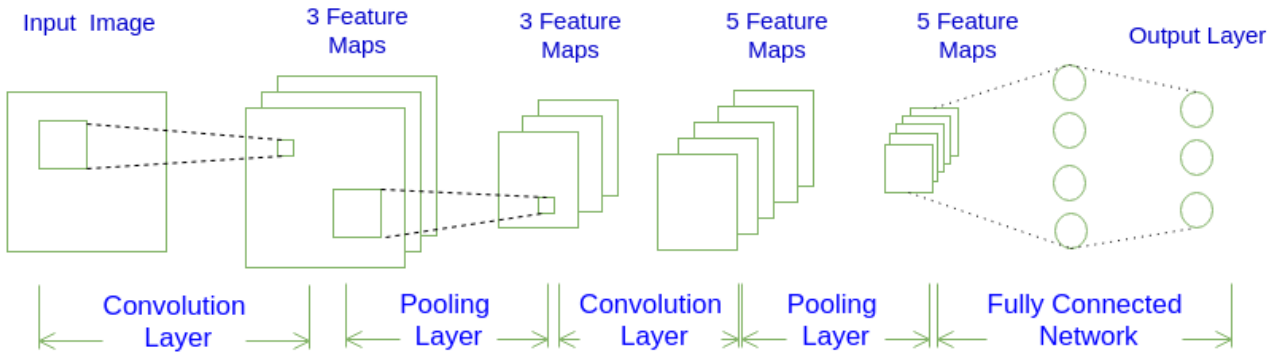
Convolutional Neural Networks take advantage of the fact that the input consists of images and they constrain the architecture in a more sensible way. In particular, unlike a regular Neural Network, the layers of a ConvNet have neurons arranged in 3 dimensions: width, height, depth. (Note that the word depth here refers to the third dimension of an activation volume, not to the depth of a full Neural Network, which can refer to the total number of layers in a network.) For example, the input images in CIFAR-10 are an input volume of activations, and the volume has dimensions $32 \times 32 \times 3$ (width, height, depth respectively). As we will soon see, the neurons in a layer will only be connected to a small region of the layer before it, instead of all of the neurons in a fully-connected manner. Moreover, the final output layer would for CIFAR-10 have dimensions $1 \times 1 \times 10$, because by the end of the ConvNet architecture we will reduce the full image into a single vector of class scores, arranged along the depth dimension. Here is a visualization:



Left: A regular 3-layer Neural Network. Right: A ConvNet arranges its neurons in three dimensions (width, height, depth), as visualized in one of the layers. Every layer of a ConvNet transforms the 3D input volume to a 3D output volume of neuron activations. In this example, the red input layer holds the image, so its width and height would be the dimensions of the image, and the depth would be 3 (Red, Green, Blue channels).

2.2 Layers used to build ConvNets

a simple ConvNet is a sequence of layers, and every layer of a ConvNet transforms one volume of activations to another through a differentiable function. We use three main types of layers to build ConvNet architectures: **Convolutional Layer**, **Pooling Layer**, and **Fully-Connected Layer** (exactly as seen in regular Neural Networks). We will stack these layers to form a full ConvNet architecture.



Example Architecture: Overview. We will go into more details below, but a simple ConvNet for CIFAR-10 classification could have the architecture **[INPUT - CONV - RELU - POOL - FC]**. In more detail:

- INPUT $[32 \times 32 \times 3]$ will hold the raw pixel values of the image, in this case an image of width 32, height 32, and with three color channels R,G,B.
- CONV layer will compute the output of neurons that are connected to local regions in the input, each computing a dot product between their weights and a small region they are connected to in the input volume. This may result in volume such as $[32 \times 32 \times 12]$ if we decided to use 12 filters.
- RELU layer will apply an elementwise activation function, such as the $\max(0, x)$ thresholding at zero. This leaves the size of the volume unchanged ($[32 \times 32 \times 12]$).
- POOL layer will perform a downsampling operation along the spatial dimensions (width, height), resulting in volume such as $[16 \times 16 \times 12]$.
- FC (i.e. fully-connected) layer will compute the class scores, resulting in volume of size $[1 \times 1 \times 10]$, where each of the 10 numbers correspond to a class score, such as among the 10 categories of CIFAR-10. As with ordinary Neural Networks and as the name implies, each neuron in this layer will be connected to all the numbers in the previous volume.

2.2.1 Convolutional Layer

To summarize, the Conv Layer:

- Accepts a volume of size $W_1 \times H_1 \times D_1$
- Requires four hyperparameters:
 - Number of filters K ,
 - their spatial extent F ,
 - the stride S ,

- the amount of zero padding P .
- Produces a volume of size $W_2 \times H_2 \times D_2$ where:
 - $W_2 = (W_1 F + 2P)/S + 1$
 - $H_2 = (H_1 F + 2P)/S + 1$ (i.e. width and height are computed equally by symmetry)
 - $D_2 = K$
- With parameter sharing, it introduces $F \cdot F \cdot D_1$ weights per filter, for a total of $(F \cdot F \cdot D_1) \cdot K$ weights and K biases.
- In the output volume, the d -th depth slice (of size $W_2 \times H_2$) is the result of performing a valid convolution of the d -th filter over the input volume with a stride of S , and then offset by d -th bias.

A common setting of the hyperparameters is $F = 3, S = 1, P = 1$. However, there are common conventions and rules of thumb that motivate these hyperparameters.

1	1	1	0	0
0	1	1	1	0
0	0	1	1	1
0	0	1	1	0
0	1	1	0	0

image 5*5

1	0	1
0	1	0
1	0	1

bias=0

filter 3*3

4	

feature map 2*2

1	1	1	0	0
0	1	1	1	0
0	0	1	1	1
0	0	1	1	0
0	1	1	0	0

image 5*5

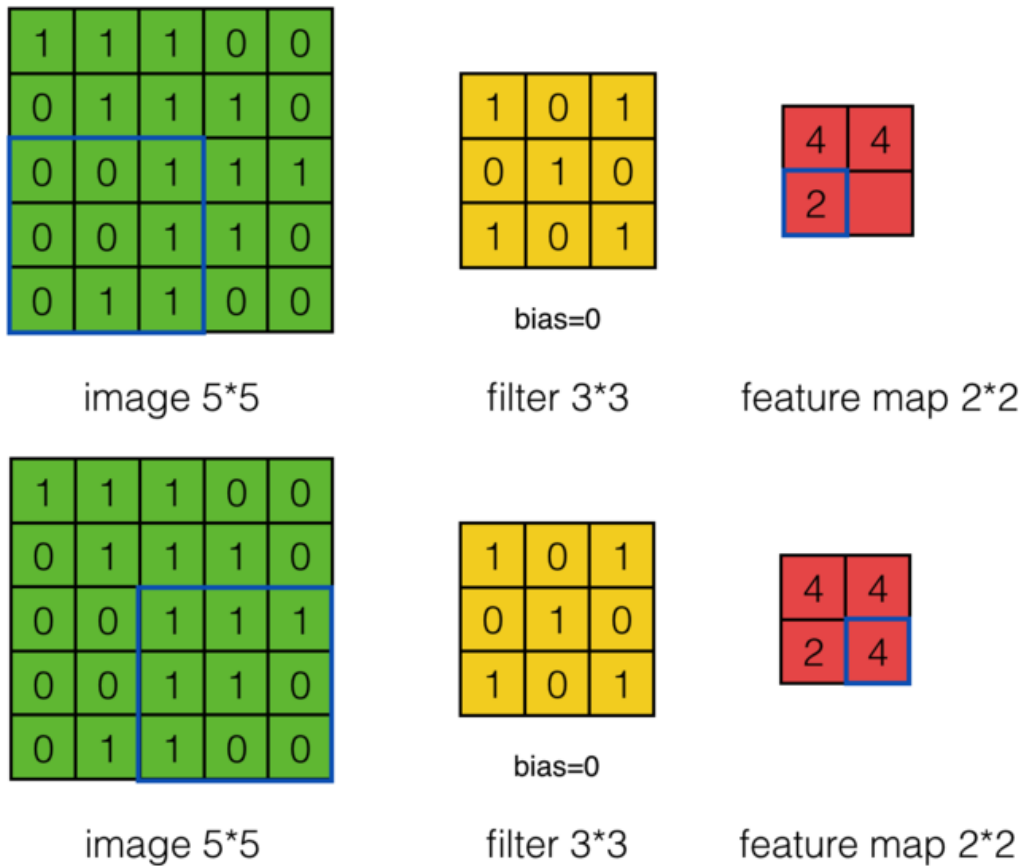
1	0	1
0	1	0
1	0	1

bias=0

filter 3*3

4	4

feature map 2*2



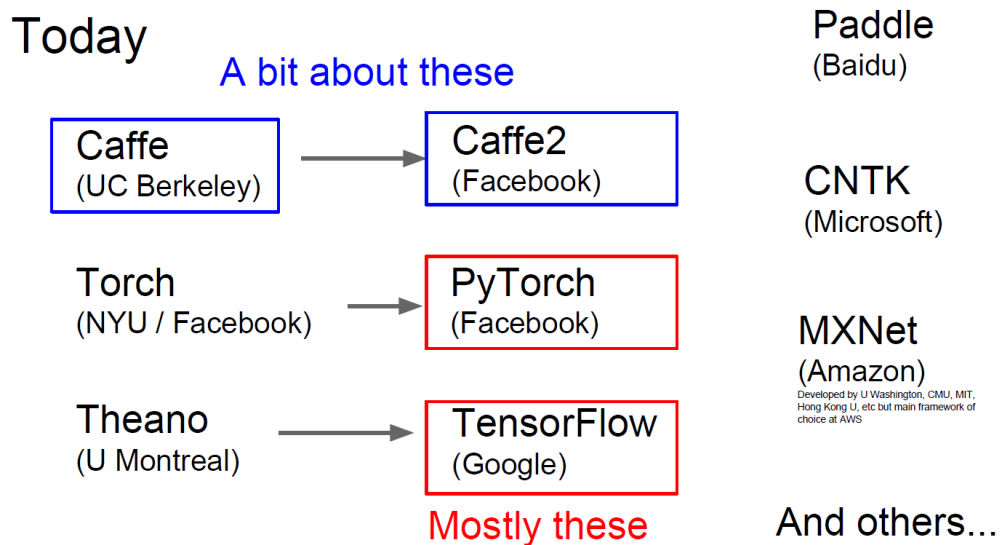
2.2.2 Pooling Layer

It is common to periodically insert a Pooling layer in-between successive Conv layers in a ConvNet architecture. Its function is to progressively reduce the spatial size of the representation to reduce the amount of parameters and computation in the network, and hence to also control overfitting. The Pooling Layer operates independently on every depth slice of the input and resizes it spatially, using the **MAX** operation. The most common form is a pooling layer with filters of size 2×2 applied with a stride of 2 downsamples every depth slice in the input by 2 along both width and height, discarding 75% of the activations. Every MAX operation would in this case be taking a max over 4 numbers (little 2×2 region in some depth slice). The depth dimension remains unchanged. More generally, the pooling layer:

- Accepts a volume of size $W_1 \times H_1 \times D_1$
- Requires two hyperparameters:
 - their spatial extent F ,
 - the stride S ,
- Produces a volume of size $W_2 \times H_2 \times D_2$ where:

- $W_2 = (W_1 F) / S + 1$
- $H_2 = (H_1 F) / S + 1$
- $D_2 = D_1$
- Introduces zero parameters since it computes a fixed function of the input
- For Pooling layers, it is not common to pad the input using zero-padding.

3 Deep Learning Softwares



4 Tasks

1. Given the data set in the first section, please implement a convolutional neural network to calculate the accuracy rate. The major steps involved are as follows:
 - (a) Reading the input image.
 - (b) Preparing filters.
 - (c) Conv layer: Convoluting each filter with the input image.
 - (d) ReLU layer: Applying ReLU activation function on the feature maps (output of conv layer).
 - (e) Max Pooling layer: Applying the pooling operation on the output of ReLU layer.
 - (f) Stacking conv, ReLU, and max pooling layers

2. You can refer to the codes in `cs231n`. Don't use Keras, TensorFlow, PyTorch, Theano, Caffe, and other deep learning softwares.
3. Please submit a file named `E15_YourNumber.rar`, which should includes the code files and the result pictures, and send it to `ai.2018@foxmail.com`

5 Codes and Results

- You'd better see the README.pdf before run the code.
- You can see the detailed result in log.txt
- You can see the all .py for details

```
PS C:\Users\abc810343087\Desktop\学习\人工智能\E15\cs231n> python main.py
Read Training Data ...
Done ...
Read Testing Data ...
Done ...
Train Epoch 1 iter 1 Loss: 2.3377, Accuracy: 0.1200
Train Epoch 1 iter 2 Loss: 38.3081, Accuracy: 0.1600
Train Epoch 1 iter 3 Loss: 38.7540, Accuracy: 0.0400
Train Epoch 1 iter 4 Loss: 27.7146, Accuracy: 0.2000
Train Epoch 1 iter 5 Loss: 26.3621, Accuracy: 0.1600
Train Epoch 1 iter 6 Loss: 25.6135, Accuracy: 0.0600
Train Epoch 1 iter 7 Loss: 23.4149, Accuracy: 0.1000
Train Epoch 1 iter 8 Loss: 20.5890, Accuracy: 0.0600
Train Epoch 1 iter 9 Loss: 18.0037, Accuracy: 0.1400
Train Epoch 1 iter 10 Loss: 17.2981, Accuracy: 0.0400
Train Epoch 1 iter 11 Loss: 14.8746, Accuracy: 0.1000
Train Epoch 1 iter 12 Loss: 8.8773, Accuracy: 0.1400
Train Epoch 1 iter 13 Loss: 10.6240, Accuracy: 0.1200
Train Epoch 1 iter 14 Loss: 9.4438, Accuracy: 0.0600
Train Epoch 1 iter 15 Loss: 8.6048, Accuracy: 0.1800
Train Epoch 1 iter 16 Loss: 6.5921, Accuracy: 0.1600
Train Epoch 1 iter 17 Loss: 6.8169, Accuracy: 0.0800
Train Epoch 1 iter 18 Loss: 5.5399, Accuracy: 0.1000
Train Epoch 1 iter 19 Loss: 4.3770, Accuracy: 0.0800
Train Epoch 1 iter 20 Loss: 4.2559, Accuracy: 0.1600
Train Epoch 1 iter 21 Loss: 3.6347, Accuracy: 0.1400
Train Epoch 1 iter 22 Loss: 2.8371, Accuracy: 0.2400
Train Epoch 1 iter 23 Loss: 3.3971, Accuracy: 0.0600
Train Epoch 1 iter 24 Loss: 2.7628, Accuracy: 0.1800
Train Epoch 1 iter 25 Loss: 2.7454, Accuracy: 0.1000
Train Epoch 1 iter 26 Loss: 2.3527, Accuracy: 0.1200
```

Figure 1: Run the program

```
Train Epoch 10 iter 981 Loss: 0.1716, Accuracy: 0.9400
Train Epoch 10 iter 982 Loss: 0.2941, Accuracy: 0.9200
Train Epoch 10 iter 983 Loss: 0.4196, Accuracy: 0.9000
Train Epoch 10 iter 984 Loss: 0.3068, Accuracy: 0.9200
Train Epoch 10 iter 985 Loss: 0.5002, Accuracy: 0.8200
Train Epoch 10 iter 986 Loss: 0.4387, Accuracy: 0.8600
Train Epoch 10 iter 987 Loss: 0.4519, Accuracy: 0.8800
Train Epoch 10 iter 988 Loss: 0.4757, Accuracy: 0.8600
Train Epoch 10 iter 989 Loss: 0.2121, Accuracy: 0.9200
Train Epoch 10 iter 990 Loss: 0.5939, Accuracy: 0.7800
Train Epoch 10 iter 991 Loss: 0.2838, Accuracy: 0.9000
Train Epoch 10 iter 992 Loss: 0.3130, Accuracy: 0.8800
Train Epoch 10 iter 993 Loss: 0.1714, Accuracy: 0.9200
Train Epoch 10 iter 994 Loss: 0.3336, Accuracy: 0.8400
Train Epoch 10 iter 995 Loss: 0.2281, Accuracy: 0.8600
Train Epoch 10 iter 996 Loss: 0.1935, Accuracy: 0.9000
Train Epoch 10 iter 997 Loss: 0.2632, Accuracy: 0.9000
Train Epoch 10 iter 998 Loss: 0.2896, Accuracy: 0.9400
Train Epoch 10 iter 999 Loss: 0.3512, Accuracy: 0.8800
Train Epoch 10 iter 1000 Loss: 0.1105, Accuracy: 0.9600
Train Epoch 10 Loss: 0.2993, Accuracy: 0.9082, Time: 2452.8125
Test Loss: 23.7299, Accuracy: 0.5414
Best Accuracy: 0.5486
```

Figure 2: One run result of the program