

# Rajshahi University of Engineering & Technology

CSE 2102: Sessional Based on CSE 2101

## Lab Report 03

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## Experiment No. 1

### Name of the Experiment: The Foundations: Logic and Proof

#### 1. EXPERIMENT [9]

The  $3x+1$  Conjecture: Let  $T$  be the transformation that sends an even integer  $x$  to  $x/2$  and an odd integer  $x$  to  $3x + 1$ . A famous conjecture, sometimes known as the  $3x + 1$  conjecture, states that for all positive integers  $x$ , when we repeatedly apply the transformation  $T$ , we will eventually reach the integer 1. For example, starting with  $x = 13$ , we find  $T(13)=3 \cdot 13 + 1 = 40$ ,  $T(40) = 40/2 = 20$ ,  $T(20) = 20/2 = 10$ ,  $T(10) = 10/2 = 5$ ,  $T(5) = 3 \cdot 5 + 1 = 16$ ,  $T(16) = 8$ ,  $T(8) = 4$ ,  $T(4) = 2$ , and  $T(2) = 1$ .

#### SOLUTION:

```
#include <iostream>

using namespace std;

void conjecture(unsigned long long value)
{
    if(value % 2 != 0){
        value = 3 * value + 1;
        cout << value << endl;
        if(value != 1)
        {
            conjecture(value);
        }
    }
    else{
        value /= 2;
        cout << value << endl;
        if(value != 1)
        {
            conjecture(value);
        }
    }
}

int main()
{
    unsigned long long value;

    cout << "Enter a value: ";
    cin >> value;
```

```
    conjecture(value);  
}
```

OUTPUT:

```
Enter a value: 35  
106  
53  
160  
80  
40  
20  
10  
5  
16  
8  
4  
2  
1
```

OUTPUT:

```
Enter a value: 10  
5  
16  
8  
4  
2  
1
```

**Discussion:** The  $3x + 1$  conjecture is also true for the values greater than  $5.6 \cdot 10^{13}$  as we used unsigned long long variable type here. The output is such extensive to attach with the report.

## Experiment No. 02

Name of the Experiment: Basic Structure: Sets, Functions, Sequences and Sum

### 2. EXPERIMENT [2]

Given two finite sets, list all elements in the Cartesian product of these two sets.

**SOLUTION:**

```
#include <iostream>

using namespace std;

int main()
{
    int ax[] = {1, 2, 3};
    int bx[] = {10, 20, 30};

    cout << "Cartesian Product of the two given sets:\n\n";

    for(int i = 0; i < (sizeof(ax)/4); i++)
    {
        for(int j = 0; j < (sizeof(bx)/4); j++)
        {
            cout << "{" << ax[i] << ", " << bx[j] << "}, ";
        }
        if(i < (sizeof(ax)/4) - 1)
            cout << endl;
    }
}
```

**OUTPUT:**

Cartesian Product of the two given sets:

```
{1, 10}, {1, 20}, {1, 30},
{2, 10}, {2, 20}, {2, 30},
{3, 10}, {3, 20}, {3, 30},
```

**Discussion:** All the cartesian product is printed out in pair. Here, as we used nested for loop, the program has the  $n^2$  complexity.

### 3. EXPERIMENT [6]

Check  $\text{floor}(2x) = \text{floor}(x) + \text{floor}(x + \frac{1}{2})$  is true for integer number  $x = [-100 \ 100]$ .

#### SOLUTION:

```
#include <iostream>
#include <cmath>

using namespace std;

int main()
{
    int flag = 1;
    for(int i = -100; i <= 100; i++)
    {
        if(2*i != (i + floor(i + .5)))
        {
            flag = 0;
        }
    }
    if(flag == 1)
        cout << "The equation is TRUE for all integers from -100
to 100." << endl;
    else
        cout << "The equation is FALSE for all integers from -
100 to 100." << endl;
}
```

#### OUTPUT:

```
The equation is TRUE for all integers from -100 to 100.
```

**Discussion:** For all the values from -100 to +100, the equation is true. Again, the equation is also true for wider range as -10000 to 10000 and others.