

1. A message from Bit Project
 - a. Bit Project is a student-run educational initiative at UC Davis that is dedicated to promoting STEM education for underprivileged communities.
 - b. Bit partners with companies like Microsoft, Postman, Mozilla, and much more to develop innovative STEM education solutions for K-12 students.
 - c. They also work closely with LGBT, veteran, and Native American charities to code web apps that bring their communities together.
 - d. Regardless of your major or experience level, they have opportunities for everyone in development, teaching kids, marketing, outreach, technical writing and much more. They'd love for you to join them.
 - e. To find out more about what they do, please join them at our info session on January 15th at 6:30 PM in the Student Community Center Multi-Purpose Room. Pizza will be served!
 - f. Quick summary: free pizza, good cause. January 15, 6:30 PM, SCC MPR.
2. Basic definitions
 - a. Computer architecture
 - b. Computer organization/microarchitecture
 - c. Tasks of a computer (according to Stallings)
 - d. Parts of a computer

3. Analog vs. digital
a. Analog

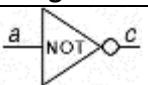
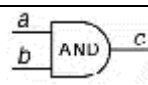
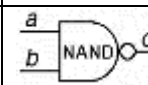
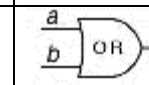
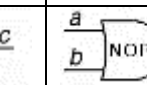
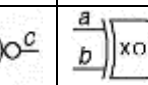
b. Digital

4. Boolean algebra

a. Duality principle

b. Operator precedence

c. Logic types

Truth Tables for Digital Design Gates								
Operation:		Negation		AND	NAND	OR	NOR	XOR
Gates:								
A	B	$\sim A$	$\sim B$	$A * B$	$\sim(A * B)$	$A + B$	$\sim(A + B)$	$A \oplus B$
0	0							
0	1							
1	0							
1	1							

5. Logical equivalence

Laws of Logical Equivalence		
Name	OR version	AND version
<i>Commutative</i>	$A + B = B + A$	$A * B = B * A$
<i>Associative</i>	$(A + B) + C = A + (B + C)$	$(A * B) * C = A * (B * C)$
<i>Distributive</i>	$A + (B * C) = (A + B) * (A + C)$	$A * (B + C) = (A * B) + (A * C)$
<i>Idempotent</i>	$A + A = A$	$A * A = A$
<i>Identity</i>	$A + 0 = A$	$A * 1 = A$
	$A + 1 = 1$	$A * 0 = 0$
<i>Complement</i>	$A + \sim A = 1$	$A * \sim A = 0$
	$\sim 1 = 0$	$\sim 0 = 1$
<i>Double Negative</i>	$\sim(\sim A) = A$	
<i>De Morgan's</i>	$\sim(A + B) = \sim A * \sim B$	$\sim(A * B) = \sim A + \sim B$
<i>Absorption</i>	$A + (A * B) = A$	$A * (A + B) = A$

6. Examples

a. $A + \sim A * B = A + B$. Why?

b. Prove the OR version of the Absorption Law, $A + A * B = A$.

c. Simplify the following digital logic circuit using propositional algebra.

