# CS 240 Programming in C

Constants and Variables

January 4, 2020

#### Schedule

Variables

2 Constants

Format printing – printf



#### Variable

- As we covered before, variables in C are just names to memory addresses.
- And for different data types of a certain variable, the memory allocated for it is different.
- Specifically, there is a void data type of a variable, which only contains an memory address, but not the amount of memory it owns.
- Void data type can be

# Void Data Type

- Specifically, there is a void data type of a variable, which only contains an memory address, but not the amount of memory it owns.
- Void data type can be type cast to other data types, for which the corresponding data structure will be applied to the variable.

# Basic Data types

Today, we are getting at character data type (char), and arithmetic data types (integers and floating-point numbers.)

#### Char

- Char type in C takes up only 1 byte of memory
- There are signed char and unsigned char, whose values are range from -128 to 127 or 0 to 255. For example,

```
char c1 = 65;
unsigned c2 = 65;
```



So, a char variable is essentially an one byte integer, why and how it is used to represent a letter?

#### **ASCII** Table

- Computers can only understand numbers, so an ASCII code is the numerical representation of a character such as 'a' or '@'.
- To utilize the letter meaning of a char variable, we have to treat it associated with ASCII table.
- In standard library stdio, there are function like putchar and printf which will print out the letter of a char onto screen. Lets see a demo.

#### Integer

Based on how large memory an integer variable can hold, there are 3 types of integer in C:

```
short 2 bytes int 4 bytes long 8 bytes
```

These are signed integer types, for each there are also unsigned:

```
unsigned short 2 bytes unsigned int 4 bytes unsigned long 8 bytes
```

#### Integer

- 1, Things are simple when integers are all positive.
- 2, Things become complex when there are negative integers.
- 3, Because CPU calculates the equivalent addition for a subtraction which results computer stores a negative as its 2's complement form.
- 4, Let's take an example



# 2's Complement

1, Assume we have an data type of int\_4 which contains 4 bits and the first bit is a signed bit, for which 0 stands for positive and 1 for negative. For example:

```
int_4 a = 3; // 0011
int_4 b = -2; // 1010 (without 2's complement form)
```

### 2's Complement

2, The process of 2's complement for negative integers,

```
-2 1010 (without 2's complement form)
1101 1's complement form
1110 2's complement form
```

3, 2's complement of a positive stays the same.

### 2's Complement Addition

4, let's do a + b with addition of their 2's complement form.

```
variable value 2's complement form
a -2 1110
b 3 + 0011
-----
10001
```

# 2's Complement

5, Since a and b are of int\_4 type which only contains 4 bits, the result 10001 will be cut to 0001 which is 1.

6, Thus 
$$a + b == 3 - 2 = 1$$

7, Let's do another example by letting a = -2, b = -1:



### 2's Complement Addition

1101 2's complement form

# Overflow of Integers'

- Arithmetic data types in C has fixed memory storage, which means if the value to be assigned is larger that a variable can hold, it will just discard those highest bits.
- Like in the above demo which 11101 being cut into 1101, we will see some demo in real C.
- The implementation overflow of unsigned integer is defined behavior, however the overflow of signed integer is not, or implementation-defined behaviour.

#### **Undefined Behaviour**

- In C, some expressions yield undefined behavior. The standard explicitly chooses to not define how a compiler should behave if it encounters such an expression.
- As a result, a compiler is free to do whatever it sees fit and may produce useful results, unexpected results, or even crash.
- Code that invokes UB may work as intended on a specific system with a specific compiler, but will likely not work on another system, or with a different compiler, compiler version or compiler settings.
- For portability, try avoid them

#### In memory -0

- In memory -0 means in memory bit level of 1000,0000 for char, and 1000,0000,0000,0000 for short.
- Not the same thing with -0 in your code.
- In memory -0 for a signed integer type, will be treated differently based on machine's architecture. Page 36 in text book.
- It is treated as the least negative number of its data type on a 2's complement machine, for example, -0 for a char type is -128.

### Demo of integer overflow

- Integer overflow and initialization are implementation-dependent behaviour.
- Turn to p257 on our text book.
- header <1imits.h> defines constants for the sizes of integral types.

# Demo of integer overflow

```
What will be printed out ?
int main(void)
{
 printf("%lu\n",sizeof(int));
 printf("This if for signed:\n");
 printf(" INT MAX : %11d\n", INT MAX);
 printf("1 + INT MAX : %11d\n", INT MAX + 1);
 printf(" INT MIN : %11d\n",INT MIN);
 printf("INT MIN - 1 : %11d\n", INT MIN - 1);
 printf("This if for unsigned:\n");
 printf(" INT_MAX : %11u\n", UINT_MAX);
 printf("1 + INT_MAX : %11u\n", UINT_MAX + 1);
 printf(" INT MIN : %11u\n",0);
 printf("INT MIN - 1 : %11u\n", - 1);
 return 0;
```

### A pitfall

- We have not talk about typecast yet, but it is a good reminder to make here.
- It is usually not a good idea to mix signed and unsigned integers in arithmetic operations.
- It is better practice to first cast unsigned to signed and then do operations.
- It is often wrong to cast negative to an unsigned integer.

```
What will be printed out ?
int main(void)
  unsigned int a = 1000;
  signed int b = -1;
  if (a > b)
      printf("a is more than b");
  else
      printf("a is less or equal than b");
  return 0;
```

# Fixed Width Integer Types

As different implementations may have different width for int or long etc., since c99 the header <stdint.h> provides several fixed-width signed integer type definitions.

The width is explicit with their data type names.

#### Floating-point Numbers

There are just signed floating point data type. For example,

```
Type Storage Value range Precision float 4 byte 1.2E-38 to 3.4E+38 6 decimal double 8 byte 2.3E-308 to 1.7E+308 15 decimal long double 10 byte 3.4E-4932 to 1.1E+4932 19 decimal
```

# Single-precision floating-point format

Now Let's take a look how C stores floating-point number with float type.

 radix is 2, 1 sign bit, 8 exponent bits and 24 for mantissa bits (one implicit bit and 23 fraction bits)

The real value assumed by a given 32-bit binary data is computed as:

$$(-1)^{b_{31}} \times 2^{(b_{30}b_{29}...b_{23})_2-127)} \times (1.b_{22}b_{21}...b_0)_2$$

which gives:

$$(-1)^{sign} \times 2^{(e-127)} \times (1 + \sum_{i=1}^{23} b_{23-i} 2^{-i})_2$$

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#### Constants of Floats

Turn to Page 257 in which you will see:

```
FLT RADIX 2
                   radix of exponent representation
FLT ROUNDS 1
                   floating-point rounding mode for addition
FLT_DIG
              6
                   decimal digits of precision
FLT EPSILON 1E-05
                   smallest number x such that 1.0 + x <> 1.0
FLT_MANT_DIG
               24
                   number of base FLT_RADIX digits in mantissa
FLT MAX 1E+37
                   maximum floating-point number
FLT_MAX_EXP 128
                   maximum n such that FLT_RADIX^n-1 is represent.
FLT MIN 1E-37
                   minimum normalized floating-point number
FLT_MIN_EXP -125
                    minimum n such that 10 n is a normalized number
```

#### Constants of Floats

The FLT\_ROUNDS is an integer which defines the rounding mode for floating point addition.

And these are the possible modes:

- 1 indeterminable
- O towards zero
- 1 to nearest
- 2 towards positive infinity
- 3 towards negative infinity

The other constants will be described along with introducing of the Single-precision Floating-Point Format.

# Single-precision floating-point format



- The true significand includes 23 fraction bits to the right of the binary point and an implicit leading bit (to the left of the binary point) with value 1, normal number unless the exponent is stored with all zeros subnormal number.
- Sometimes the largest exponent float number is saved for representing infinity, based on implementation.

Ok, now give the binary format of these float numbers within single-precision floating-point format:

- 1, 1.0 2, 2.0 3, 2.5 4. 0.1

- 5, smallest positive subnormal number
- 6: largest subnormal number
- 7, smallest positive normal number
- 8, largest normal number



# Single-precision floating-point format



Suppose the largest exponent float number is saved for representing infinity.

- 4, 0.1
- 5, smallest positive subnormal number
- 6: largest subnormal number
  - 0 00000000 111111111111111111111111
- 7, smallest positive normal number
  - 0 0000001 00000000000000000000000
- 8, largest normal number

#### **Pitfall**

Floating point types (float, double and long double) cannot precisely represent some numbers because they have finite precision and represent the values in a binary format.

For example:

```
printf("0.1 is not 0.1 in computer: %1.30f\n", 0.1f);
```

this will print out:

0.1 is not 0.1 in computer: 0.10000001490116119384765625000 This will cause problems that hard to notice. Let's take an example.

```
What will this print out?
    float n=0.1;
    double a = 0.1;
    if (n == 0.1)
        printf("it's all right\n");
    else
        printf("Wierd\n");
    if (a + a + a + a + a + a + a + a + a + a = 1.0)
        printf("10 * 0.1 is indeed 1.0. \n");
    else
        printf("Wierd, This is not guaranteed in the general of
```

#### Pitfall

- Therefore when compare floating number, we should use a epsilon value.
- Recall that FLT\_DIG is the decimal digits of precision which we can
  use to determine the epsilon value that we use.
- Let's see a demo.
- Also turn to page 251, there are two math function we need to use.
   They are pow() and fabs().

```
What will this print out?
    float epsilon f = 1.0/pow(10.0, (double) FLT DIG);
    double epsilon d = 1.0/pow(10.0, (double) DBL DIG);
    float n=0.1; double a = 0.1;
    if (fabs(n-0.1) < epsilon f)
            printf("it's all right\n");
    else
            printf("Wierd\n");
    if (fabs(a + a + a + a + a + a + a + a + a + a - 1.0)
            < epsilon d)</pre>
        printf("10 * 0.1 is indeed 1.0. \n");
    else
        printf("Wierd, This is not guaranteed in the general
                case.\n"):
```

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#### Constants

- Constants or literals are fixed value in a C program.
- There are four basic constant data types in C:
  - Integer constant/literal
  - Ploating number constant/literal
  - Oharacter constant/literal
  - String constant/literal

#### Integer Constant

- An integer literal can be a decimal, octal, or hexadecimal constant.
- A prefix specifies the base or radix: 0x or 0X for hexadecimal, 0 for octal, and nothing for decimal.
- ullet An integer literal can also have a suffix that is a combination of U/u and L/I, for unsigned and long, respectively.
- The suffix is not case sensitive.

### Integer Constant Example!

```
/* decimal/int */
10,
          -10
010,
                        /* octal */
          -010
                       /* hexadecimal */
0x1A,
         -0x1A,
1011
                        /* unsigned int */
101,
         -0101
                       /* long */
                        /* unsigned long */
10ul,
          101u
```

#### Note:

- 1, the relative position of 1 and u does not matter.
- 2, for an signed number the first left bit is the sign bit, if it is 1 means negative if it is 0 means positive.
- 3, for example,

```
signed char memory
1 0000,0001
-1 1000,0001
```

### Illegal Constant Number Expressions

For example: 078

What's wrong with this expression?

### Illegal Constant Number Expressions

For example: 078

```
Decimal: {0,1,2,...,9}
Octal : {0,1,2,...,7}
Hexadecimal : {0,1,2,...,9, A,...,F}
```

### Floating-point Constants

```
decimal formexponential form3.1415926,31425927E-5 or 31425927e-5 (denotes don3.1415926f,31425927E-5f or 31425927e-5f (denotes flow)
```

- 0, The e/E denoted radix of 10.
- Floating number literals without suffix "f" will be treated as double.
- 2, For the decimal floating number, we have to have the dot part with other parts.
- 3, For the exponential form, we must include the integer part, the e/E and the exponent part.

# Floating-point Constants

```
324, 314E are illegal floating numbers.
Try them, see what will happen.
    printf("%f\n", 314);
    printf("%f\n", 314e);
.1 and 1. are legall
```

#### Character Constants

- Character constants are enclosed in single quotes, e.g., 'x'.
- There are plain character like 'x', and also escape character '\n'
- 0 and '0' are different. '0' represents the ASCII integer value of '0'.
- Page 37. Character literal can also be specified by octal or hexadecimal digits within this form:

```
#define VTAB '\013'
#define BELL '\007'
#define VTAB '\xb'
#define BELL '\x7'
```

• '0' and "0" are also different things in C.

#### Character Constants

Here is a list of escape character:

```
//
             \ character
١,
             ' character
\"
              " character
\?
             ? character
\a
             Alert or bell
\b
             Backspace
\f
             Form feed
\n
             Newline
\r
             Carriage return
\t
             Horizontal tab
١v
             Vertical tab
\000
             Octal number of one to three digits
\xhh...
             Hexadecimal number of one or more digits
```

# String Constants

- String constants are enclosed in double quotes, like "hello world".
- And they are just a sequence of character constants
- String constants can be concatenated at compile time:

```
"hello," " world" is equivalent to "hello, world".
```

- The internal representation of a string has a null character '\0' at the end, so the physical storage required is one more than the number of characters written between the quotes
- We will cover string more later.

# printf

• On page 154.

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