



Developing a parsing algorithm for OpenCMISS to setup a generic simulation based on input file

Waleed Mirza





Road Map Of Presentation

- ☐State of the art.
- ☐ Motivation / Advantages.
- □Syntax and functionalities of the input file.
- □Different aspects of parsing algorithm.
- □Case studies
- ☐Future Work



State of the art

- □Different binary for every case study.
- ☐ For each set of simulation parameters, one has to recompile the source code.

LaplaceBinary.out

UniaxialDisplacemen tBinary.out

FluidFlowBinary.out

GenericBinary.out





Motivation/Advantages

The developed algorithm will allow user to,

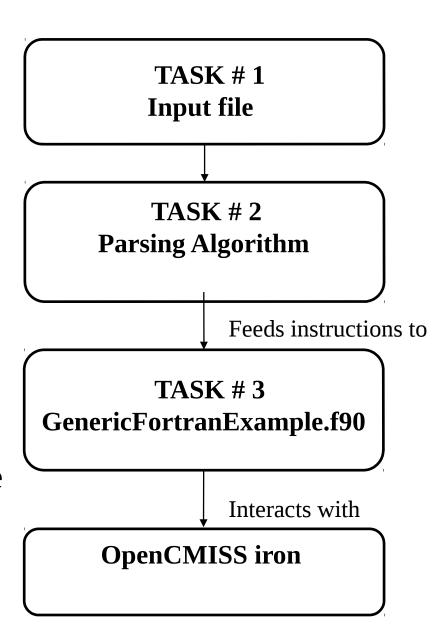
- ^a Set up a generic simulation in OpenCMISS by providing instructions in an input file (*just like .inp file in Abaqus or .ans file in Ansys*).
- ^a To change the simulation parameters (for instance in parametric analysis) without recompiling the code.
- ^a Given a binary file (for instance *GenericCaseStudy.out*) and the input file (*for instance input.iron*), a simulation can be executed by,
- \$ < Absolute path to the binary file >/ GenericCaseStudy < Absolute path to the input file file >/ input.iron





Project overview

- 1 1- Develop layout/structure for the input file.
- 2- Develop a
 GenericFortranExample.f90 file
 capable of setting up a generic
 simulation.
- ☐ 3- Develop a parsing algorithm that can pick input instructions from the input file and feeds them in the *GenericFortranExample.f90* file







1- Preliminary Concepts

Structure of OpenCMISS involves objects of different derived types. Each derived type object contains different simulation parameters. For instance:

Objects of *CMFE_GeneratedMesh* Type contain information of mesh parameters such as mesh size , topology etc.

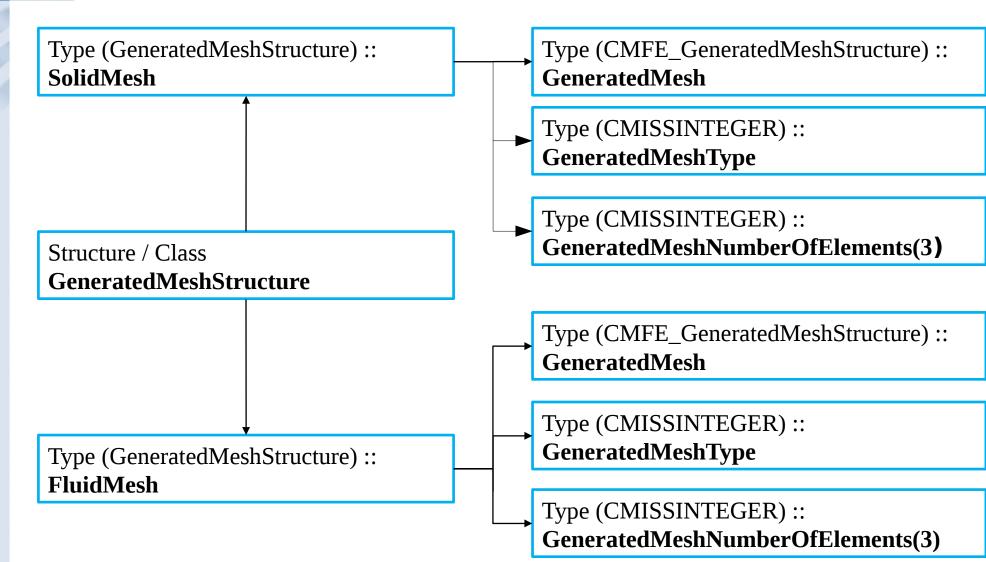
- □ Objects of *CMFE_BoundaryConditions* Type contains information of the boundary conditions such as location of BCs, prescribed values etc.
- □With instructions provided in the input file, these derived types objects are created and appropriate information is stored in them.







1- Preliminary Concepts (continued)







2- Syntax of the input file

☐ The input file is divided in 18 blocks and each block generates a derived type object and contains information which is later stored in different members of the object.

- BASIS block
- GENERATED_MESH Block
- BOUNDARY_CONDITION Block
- CONTROL_LOOP block
- MATERIAL_FIELD block
- DEPENDENT_FIELD block etc.

Note that each block corresponds to block of routines in FotranExample.f90 file







2 - Syntax of Input file (Continued)

- ☐ Each block starts and ends with the keywords START_<BLOCK NAME > and END_<BLOCK NAME> respectively.
- ☐ Each block encapsulate set of input arguments.

```
START_BASIS

BASIS_ID
FLUID

NumberOfGaussXi ! For numerical integration 3 , 3

BASIS_INTERPOLATION_TYPE
LINEAR_LAGRANGE_INTERPOLATION

END BASIS
```







2 - Syntax of Input file (Continued)

way to deal with typos.







2 - Syntax of Input file (Continued) Example of an input file

Governing equation to be solved for domain with volume $1mx1m \times 1m$.

$$abla^2arphi=0$$

 \Box Case a

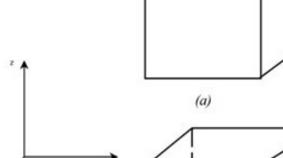
$$\varphi(x, y, 1) = 1$$

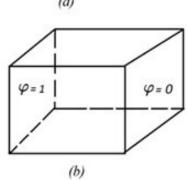
 \Box Case b

$$\varphi(0,y,z)=1 \quad \varphi(1,y,z)=0$$

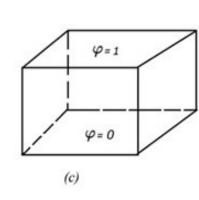
 \Box Case c

$$\varphi(x, y, 1) = 1 \qquad \varphi(x, y, 0) = 0$$





φ=1







3- Parsing Algorithm 3.1- Nomenclature of data structures

- The nomenclature of the data structures have been established with an aim to make them **self descriptive** and **clear in terms of readability.**
- □ For instance in *all_Basis(:)%BasisInterpolationType all_Basis(:)* is an array of objects of generated mesh.
- ➤ Size of the array = number of times the *Basis* block defined in the input file.
- For example for an FSI study there will be three GENERATED_MESH blocks i.e. for SOLID, FLUID and INTERFACE."





3.1- Nomenclature Of Data Structures (Conti.)

```
□ BasisInterpolationType is a string type member of object
 all_Basis(:).
☐ For instance, in an FSI study each domain (Solid, Fluid and Interface)
 can have a different Interpolation type
all_Basis(1)%BasisInterpolationType =
"QUADRATIC_LAGRANGE_INTERPOLATION"
all_Basis(2)%BasisInterpolationType =
"QUADRATIC_LAGRANGE_INTERPOLATION"
all_Basis(3)%BasisInterpolationType =
"LINEAR_LAGRANGE_INTERPOLATION"
```







3.1- Nomenclature Of Data Structures (Conti.)

□Question: In a multidomain problem how will the algorithm recognize which interpolation type belongs to which domain?

□**Answer:** Block Ids will help algorithm with that.

all_Basis(1)%BasisId = "SOLID"

all_Basis(2)%BasisId = "FLUID"

all_Basis(3)%BasisId = "INTERFACE"

☐ Section 4 will explain this feature of the algorithm more in detail.

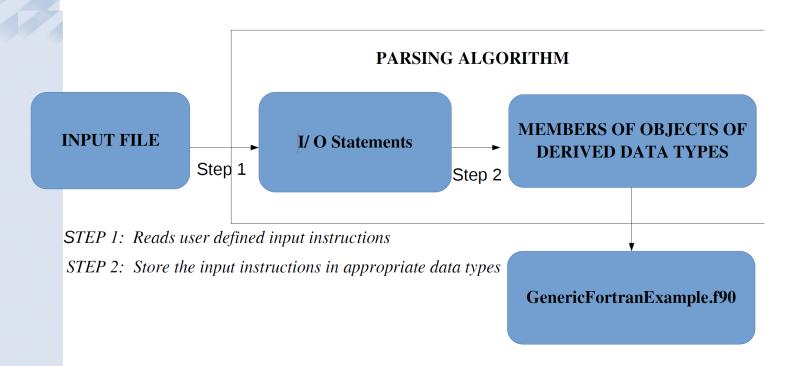






3.1- Nomenclature Of Data Structures (Conti.)

In a Nutshell







4- GenericFortranExampleFile.f90

- □ This is the file where simulation is setup using the parameters define in the input file.
- □ As of now, the *GenericFortranExampleFile.f*90 is evolved enough to setup laplace, fluid and solid mechanics problems.
- □ Nevertheless, *GenericFortranExampleFile.f90* is quite amenable and modifiable for simulations of other classes.







4- GenericFortranExampleFile.f90 (Continued)

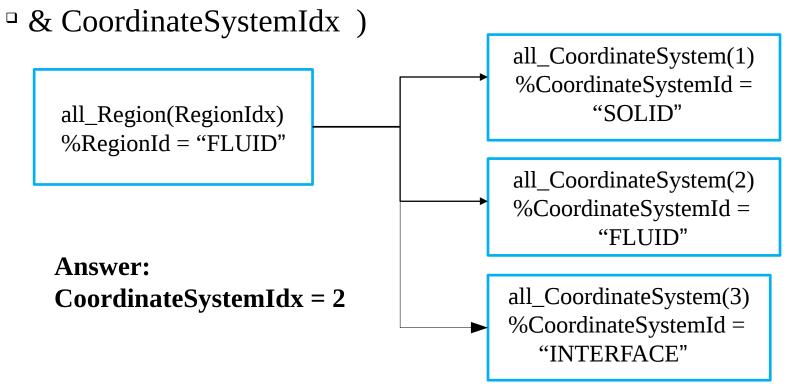
- Objects of different data type are linked here. For instance
- Objects of all_Region(:)%Region and all_CoordinateSystem(:)
 %CoordinateSystem with similar data types are linked together i.e.
 CALL cmfe_Region_CoordinateSystemSet(all_Region(RegionIdx)%Region,
 & all_CoordinateSystem(CoordinateSystemIdx)%CoordinateSystem,Err)
- The Algorithm has to make sure in the subroutine above,
 CoordinateSystemIdx and RegionIdx are such that,
 all_CoordinateSystem(CoordinateSystemIdx)&
 "CordinateSystemId = "SOLID"
 all_Region(RegionIdx)%RegionId = "SOLID"





4- GenericFortranExampleFile.f90

- □ Thats where the *MATCH_ID(*) subroutine kicks in
- call subroutine MATCH_ID(all_Region(RegionIdx)%RegionId, &
- " & all_CoordinateSystem(:)%CoordinateSystemId,









4- Case Studies4.1 Laplace Problem

Governing equation to be solved for domain with volume $1mx1m \times 1m$.

$$abla^2arphi=0$$

 \Box Case a

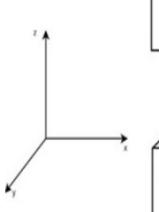
$$\varphi(x, y, 1) = 1$$

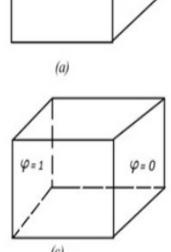
 \Box Case b

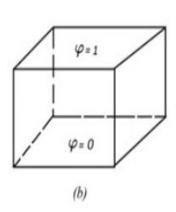
$$\varphi(x, y, 1) = 1 \qquad \varphi(x, y, 0) = 0$$

 \Box Case c

$$\varphi(0,y,z)=1 \quad \varphi(1,y,z)=0$$







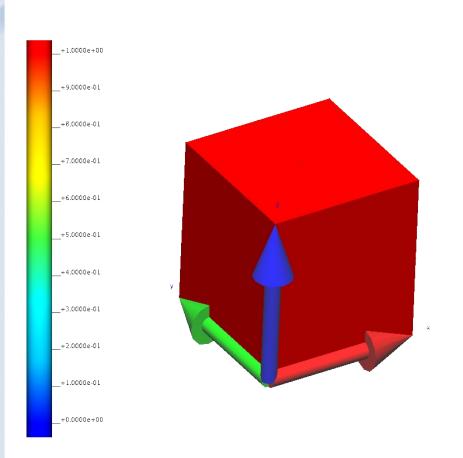


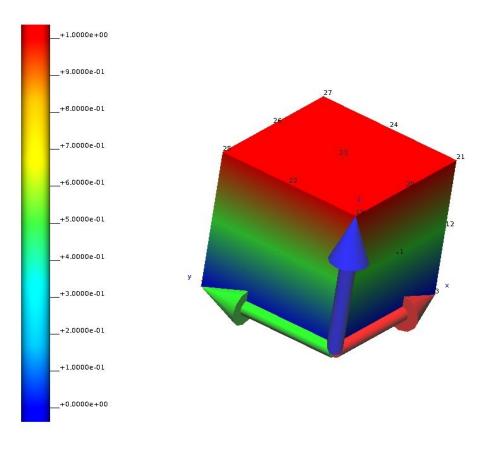




4.1- Laplace Problem (continued)

Case (a): $\varphi(x, y, 1) = 1$ Case (b): $\varphi(x, y, 1) = 1$ $\varphi(x, y, 0) = 0$





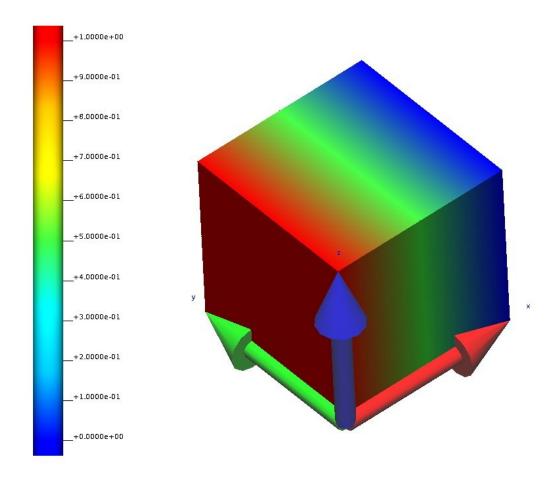






4.1- Laplace Problem (continued)

Case (c): $\varphi(0, y, z) = 1$ $\varphi(1, y, z) = 0$









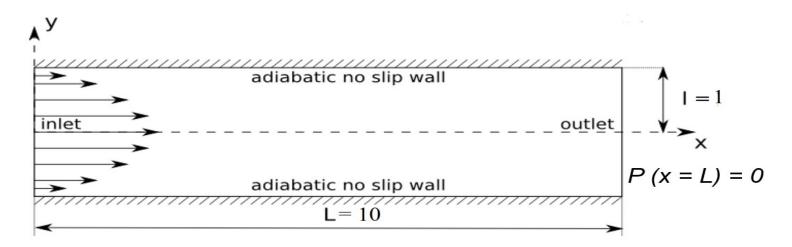
4.2 Case Study # 2 2D Fluid Flow Problem

Governing equation to be solved

$$\rho \underbrace{\left(\frac{\partial \overrightarrow{u}}{\partial t} + \overrightarrow{u} \cdot \nabla \overrightarrow{u}\right)}_{\text{Acceleration}} = \underbrace{-\nabla p}_{\text{Pressure}} + \underbrace{\nu \triangle \overrightarrow{u}}_{\text{Viscosity}}$$

$$Case(a): V_x(0, y) = 4$$

$$Case(b): V_x(0,y) = 4V_{max}\frac{y}{h}(\frac{y}{h}-1)$$







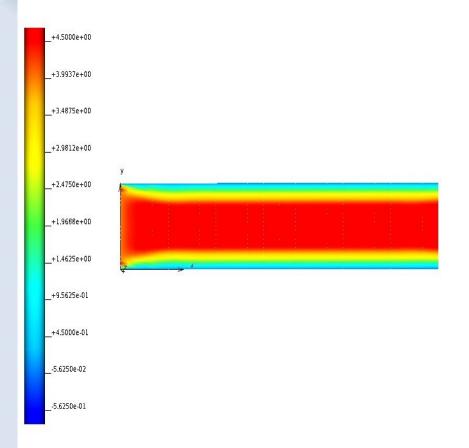


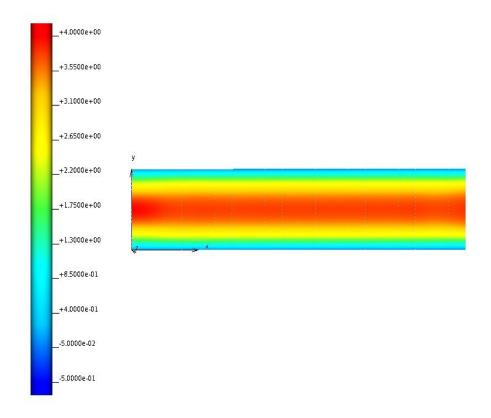


2d Fluid Flow Problem (Conti.)

$$Case(a): V_x(0,y) = 4$$

Case(b):
$$V_x(0,y) = 4V_{max} \frac{y}{h} (\frac{y}{h} - 1)$$









University of Stuttgart Germany

4.3 - Case study # 3 Cube subjected to uniaxial displacement

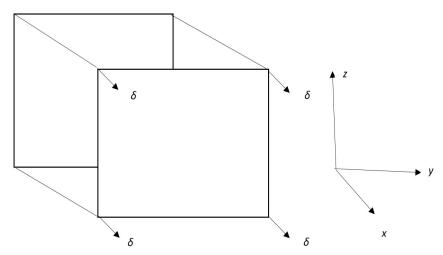
Governing equation to be solved

$$0 = \frac{1}{\rho} \Delta \cdot \sigma + g$$

Boundary conditions

$$u(0, y, z) = 0$$

 $u(1, y, z) = 1$
 $u(x, y, 0) = 0$



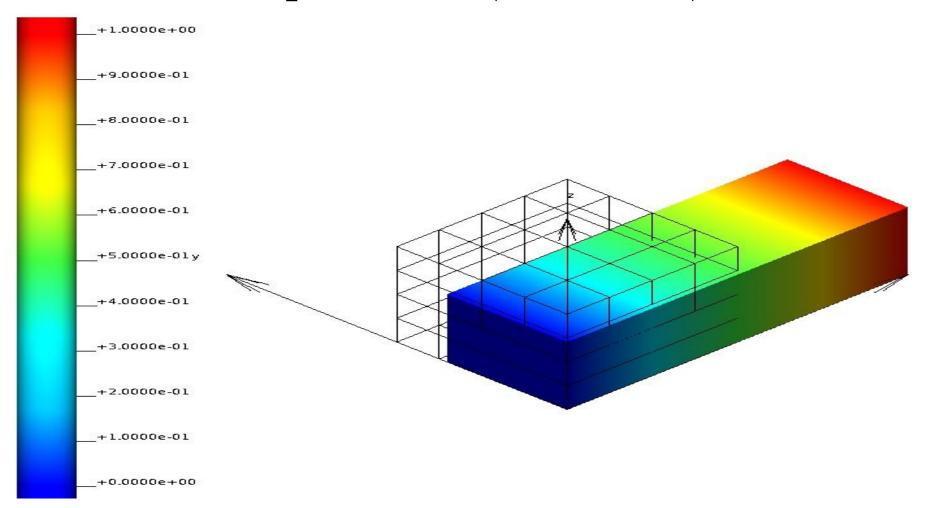
Material model

Transverse Isotropic Material model





4.3 Cube subjected to uniaxial displacement (Continued)







5- Conclusion and Future Research

- The developed parsing algorithm can ideally solve Fluid Mechanics , Solid Mechanics and Laplace problems.
- Over the course of following months, the algorithm will be further developed and tested to solve a **fluid solid interaction study**.
- Please talk to me if you want me to add any feature in my algorithm of your interest.