

Problem 1

- (a) TCP is operating in slow start over transmission rounds 1–6 and 23–26.

These slow start intervals can be identified by their initial congestion windows, which have a size of one segment, as well as the window's exponential increase following the first transmission round of each interval.

- (b) TCP is operating in congestion avoidance over transmission rounds 6–22.

This congestion avoidance interval can be identified by the window's additive increases and multiplicative decreases over the interval.

- (c) After transmission round 16, segment loss is detected by a triple duplicate packet because the window size is reduced multiplicatively, not reset altogether, as is the case following a timeout.
- (d) After transmission round 22, segment loss is detected by a timeout because the window size is reset to 1 segment, as is the case following a timeout.
- (e) The initial value of **ssthresh** is 32: the apparent window size when TCP transitions from slow start to congestion avoidance.
- (f) The value of **ssthresh** at transmission round 18 is 21: half the window size at transmission round 16, in which segment loss occurs.
- (g) The value of **ssthresh** at transmission round 24 is 14: half (floored) the window size at transmission round 22, in which segment loss occurs.
- (h) The 70th segment is sent during transmission round 7.

The transmission round at which the N th segment is sent can be found by summing the window size at increasing transmission rounds until N is met or exceeded.

In this case, $\sum_{i=1}^6 TR_i = 63$ and $\sum_{i=1}^7 TR_i = 96$.

- (i) If a packet loss is detected after transmission round 26 by the receipt of a triple duplicate ACK, **ssthresh** will be set to 4: half the window size at transmission round 26. The window will then be set to 7: three segments greater than the threshold, to match the graph's previous segment loss results.

Problem 2

The maximum amount of data on the link is

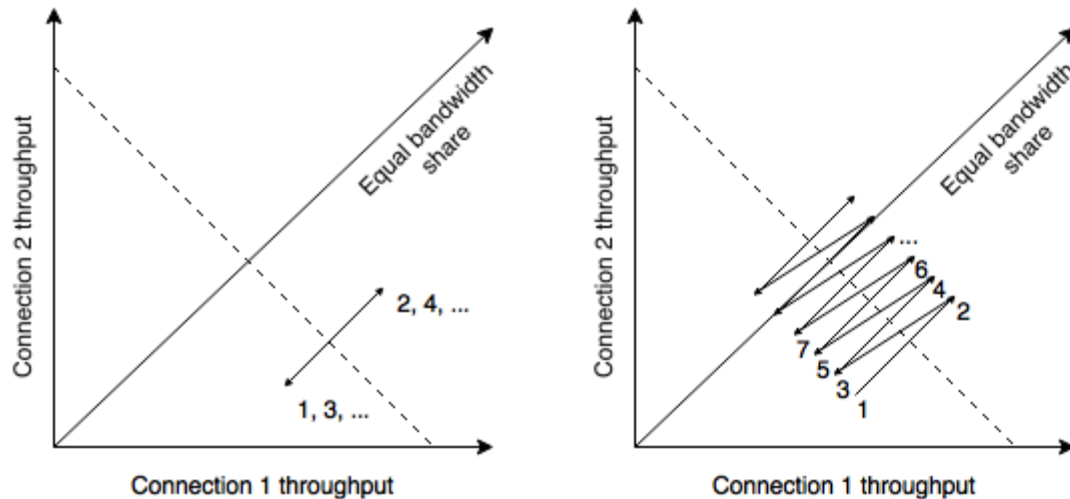
$$bandwidth \times RTT \Rightarrow 100 \text{ Mbps} \times 100 \text{ ms} = 10 \text{ Mb} = 1 \times 10^7 \text{ bits}$$

The minimum number of bits in the window required to represent 10,000,000 is 21. 20 is too few, as $2^{20} = 1,048,576$.

The number of bits in the sequence number field must be great enough to contain the entire segment. We are told that the maximum segment lifetime is 60 seconds. Therefore in the lifetime

$$100 \text{ Mbps} \times 60 \text{ s} = 6,000 \text{ Mb} = 6 \times 10^9 \text{ bits}$$

The minimum number of bits in the sequence number field required to represent 6×10^9 is 33. 32 is too few, as $2^{32} \approx 4.3 \times 10^9$.



Problem 3

Note: this answer is based on the diagram on Lecture 13, Slide 3.

A congestion control that uses additive increase and additive decrease in equal measure, as the problem describes, will be fair by virtue of having a 1 : 1 ratio of increases and decreases. In the left figure we observe that the increases and decreases maintain a line parallel to the line representing equal bandwidth share. In the right figure we observe that if the ratio is not fair to both connections, a kind of drift occurs.

Problem 4

We are told that TCP inherits ideas from both GBN and SR. Using SR, the number of distinct sequence numbers must be at least $2N$. TCP suffers a similar drawback as SR: when ACKs are not received by the sender, the receiver's window can shift while the sender's does not. Therefore, the minimum window size should match that of SR: $2N$.

Problem 5

This problem describes a scenario in which an attacker wants to attack a web server but does not want packets to be traced back to itself, which would allow the receiver to filter future malicious packets from the attacker.

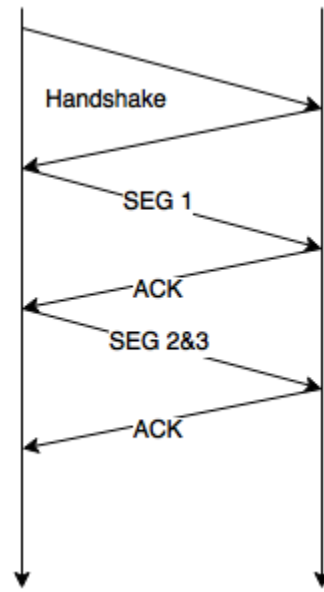
The attacker can modify its packets before departure so that before it sends SYN segments to the web server it replaces the sender's address with that of a "friendly" address, such as one within the web server's own IP range.

Problem 6

Throughput is given by

$$R = I/T$$

R is the rate of transmission, I is the amount transmitted, and T is the time taken to do so.



First, a handshake, which takes $2RTT$, occurs. Once that is complete, the sender has a $1MSS$ window, and thus the sender sends only one segment. The sender then waits to send following segments until it receives an ACK, which takes $1RTT$. Summing the above trips, we get $3RTT$ before all data is received.

$$T = 3RTT = 3 \times 40 \text{ ms}$$

$$I = 4K \text{ (given)}$$

$$R = I/T = \frac{4K}{120 \text{ ms}} = 330 \text{ Kbps}$$