

# Cycle Sort

- ① Worst case  $\rightarrow O(n^2)$
- ② Does min memory writes than any other algo (sort).
- ③ In place and not stable.
- ④ Useful to solve questions, like, find min swaps needed to sort an array.

Algo.

- 1) Start with first ele, equal to temp.
- 2) Count = no. of elem smaller than temp.
- 3) place temp / swap temp with arr[count].
- 4) Now the ele that was on count will be temp repeat from 2).

Code

```
void cycleSort(int arr[], int n)
{
    for (int i = 0; i < n - 1; i++)
    {
        int item = arr[i];
        int pos = i;
        for (int j = i + 1; j < n; j++)
        {
            if (arr[j] < item) pos++;
        }
        swap(item, arr[pos]);
        while (pos != i)
        {
            pos = i;
            for (int j = i + 1; j < n; j++)
            {
                if (arr[j] < item) pos++;
            }
            swap(item, arr[pos]);
        }
    }
}
```

## Heap Sort

① Like in the case of Selection sort, here also we find max ele, place at last then see 2nd max ele, place at 2nd last.

② But in Selection sort, Linear search is used.

In heap sort, max heap data structure.

→ root = max ele, we swap with last ele

→ then heapify

→ repeat.

$O(n \log n)$

③

void heapSort (int arr[], int n)

{ buildHeap(arr, n);  $\longrightarrow$  To be discussed later.

for (int i = n-1; i >= 1; i--)

{ swap (arr[0], arr[i]);

heapify (arr, i, 0);

}

}

}



## Counting Sort

- ①  $K$  i.e. 0 to  $K$ , range of numbers must be given.  
→ Not a comparison based algo.
- ②  $O(n+k)$  → when useful.  $O(n+k)$  → space.  
If goes above  $n \log n$  then not useful to us.  
→ Stable.

### ③ Algo

void CountSort (arr, n, k)

$K$  should be really small.

{ int count[k];

for (int i = 0; i < k; i++)

{ count[i] = 0; }

for (int i = 0; i < n; i++)

{ count[arr[i]]++; }

→ building arr that counts occurrences.

int index = 0;

for (int i = 0; i < k; i++)

{ for (int j = 0; j < count[i]; j++)

{ arr[index] = i

index++;

}

}

# Radix Sort

- Linear time algorithm if data is in limited range.
- Stable algo.
- Uses counting sort as a subroutine.
- Not comparison based.

$$O((d+1) \log_{base} \log_{no. of digits})$$

$$O(n+5) \rightarrow \text{space.}$$

Q. { 319, 212, 6, 8, 100, 50 }

Step 1 :- Rewrite all digits with num of digits in each ele as the no. in largest ele.

{ 319, 212, 006, 008, 100, 050 }

Step 2 :- Sort acc to each digit going from least significant to most significant.

Stable sort

① →	100	050	212	006	008	319
② →	100	006	008	212	319	050
③ →	006	008	050	100	212	319

```
void radixSort(int arr[], int n)
```

```
{ int mx = arr[0];
```

```
  for (int i = 1; i < n; i++) { if (arr[i] > mx)
```

```
    { mx = arr[i]; }
```

```
}
```

```
  for (int exp = 1; mx/exp > 0; exp = exp * 10)
```

```
    { countingSort(arr, n, exp); }
```

```
}
```

\* Only diff in this counting sort will be  $\text{count}[(\text{arr}[i] / \text{exp}) \% 10]++$   
 Instead of  $\text{count}[\text{arr}[i]]++$ ;



# Bucket Sort

①  $\Rightarrow$  In this sort we form slots (or) buckets.

resulting in uniform distribution, to be used effectively.

$\approx O(n)$

$\approx$  Worst is  $O(n^2)$  when  
all elem in same  
buckets.

Eg:-

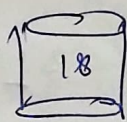
I/p: 20, 88, 70, 85, ~~75~~, 95, 18, 82, 60

$\therefore$  range  $\approx 0$  to 99.

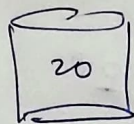
We take 5 buckets (\*Taking no. of buckets is a tradeoff  
b/w time and space).

Step 1,

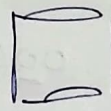
Scatter



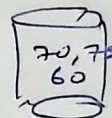
0-19



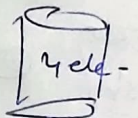
20-39



40-59



60-79



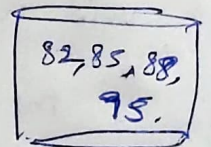
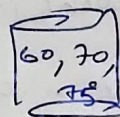
80-99

Step 2

Sort individual  
buckets.

(using any sorting algo)

No change in  
first three



Step 3

Join sorted  
buckets.

18, 20, 60, 70, 75, 82, 85, 88, 95.

2 pg implementation, refer pgg.