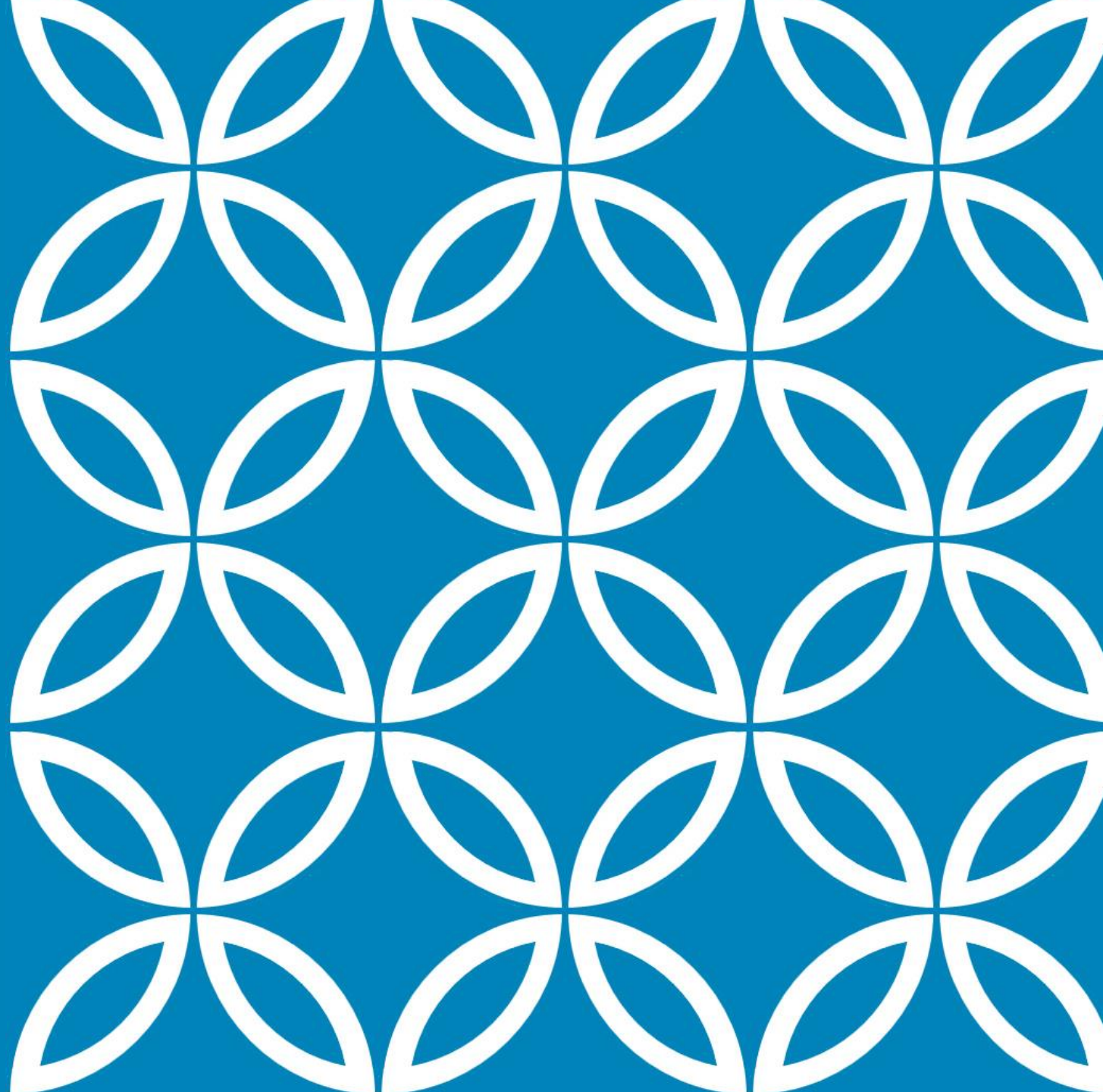


# TRAVELING SALESMAN PROBLEM

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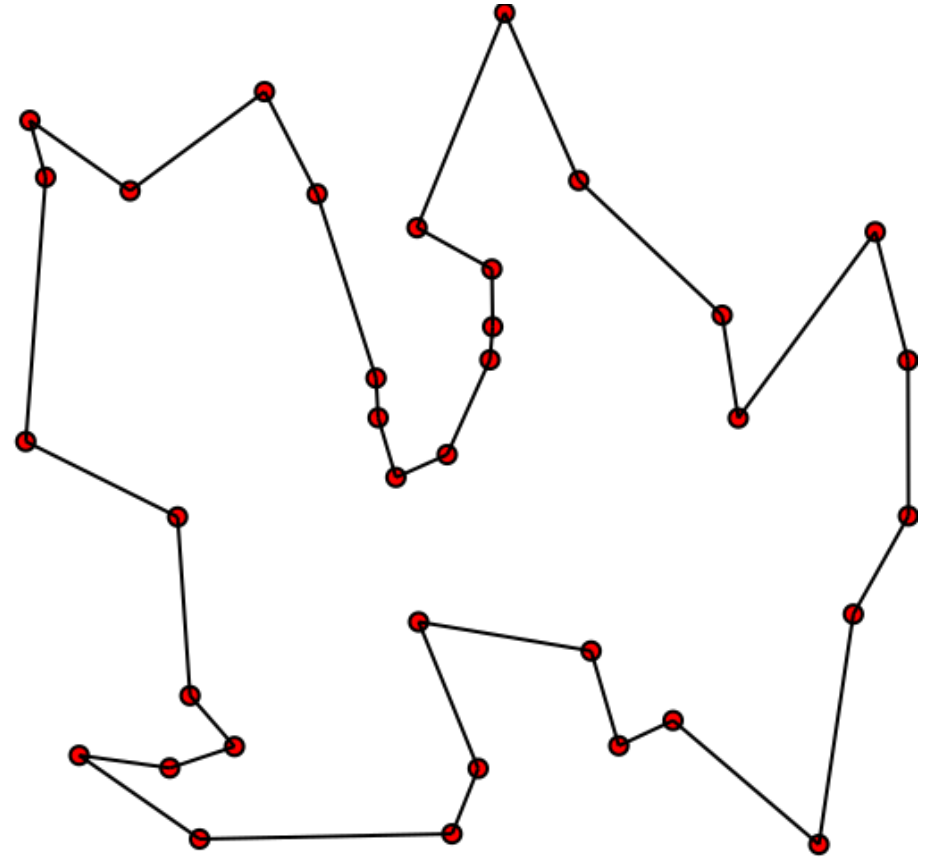
Team 17  
Ziyao Qiao  
Zhonghao Fan



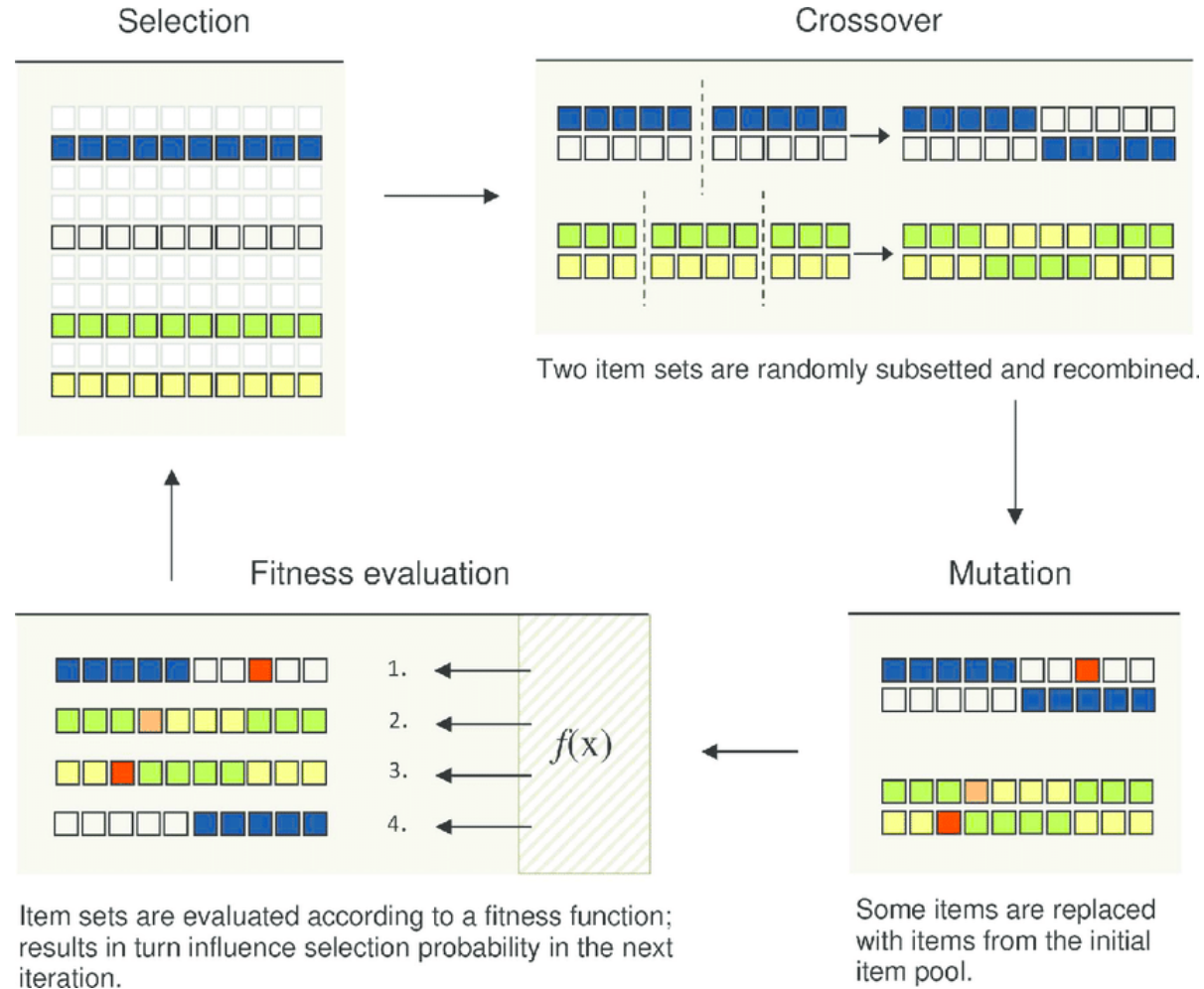
# PROBLEM DESCRIPTION

The **travelling salesman problem (TSP)** asks the following question: "Given a list of cities and the distances between each pair of cities, what is the shortest possible route that visits each city and returns to the origin city?" It is an NP-hard problem in combinatorial optimization, important in operations research and theoretical computer science.

(Source: [Wikipedia](#))



# APPROACH: GENETIC ALGORITHMS



Source

# IMPLEMENTATIONS

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We tried 2 different implementations



# CROSSOVER

## Ziyao's Crossover

Odd Index from Father

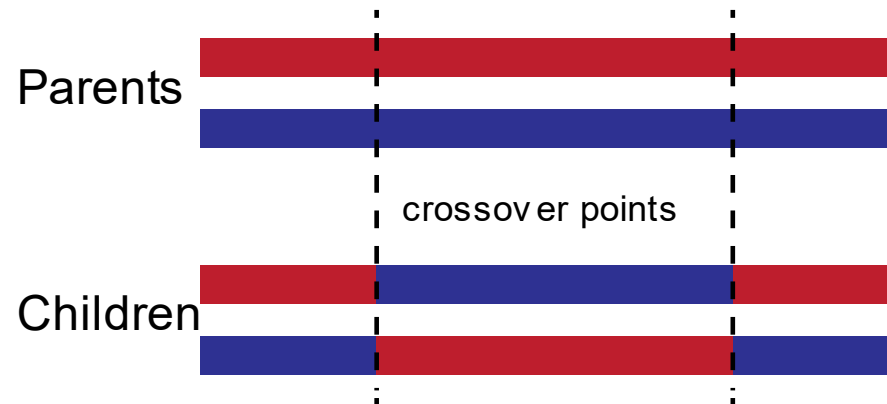
Even Index from Mother

## Zhonghao's Crossover

Get average weight from Mother & Father

If  $\text{weight}(m) == \text{weight}(f)$ :

Use  $\text{weight}(m)$



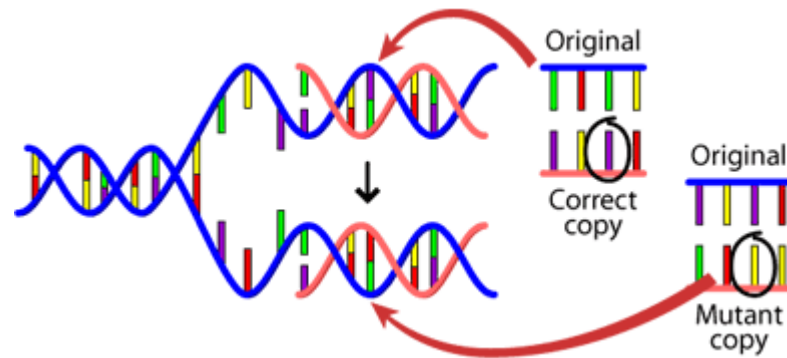
# MUTATION

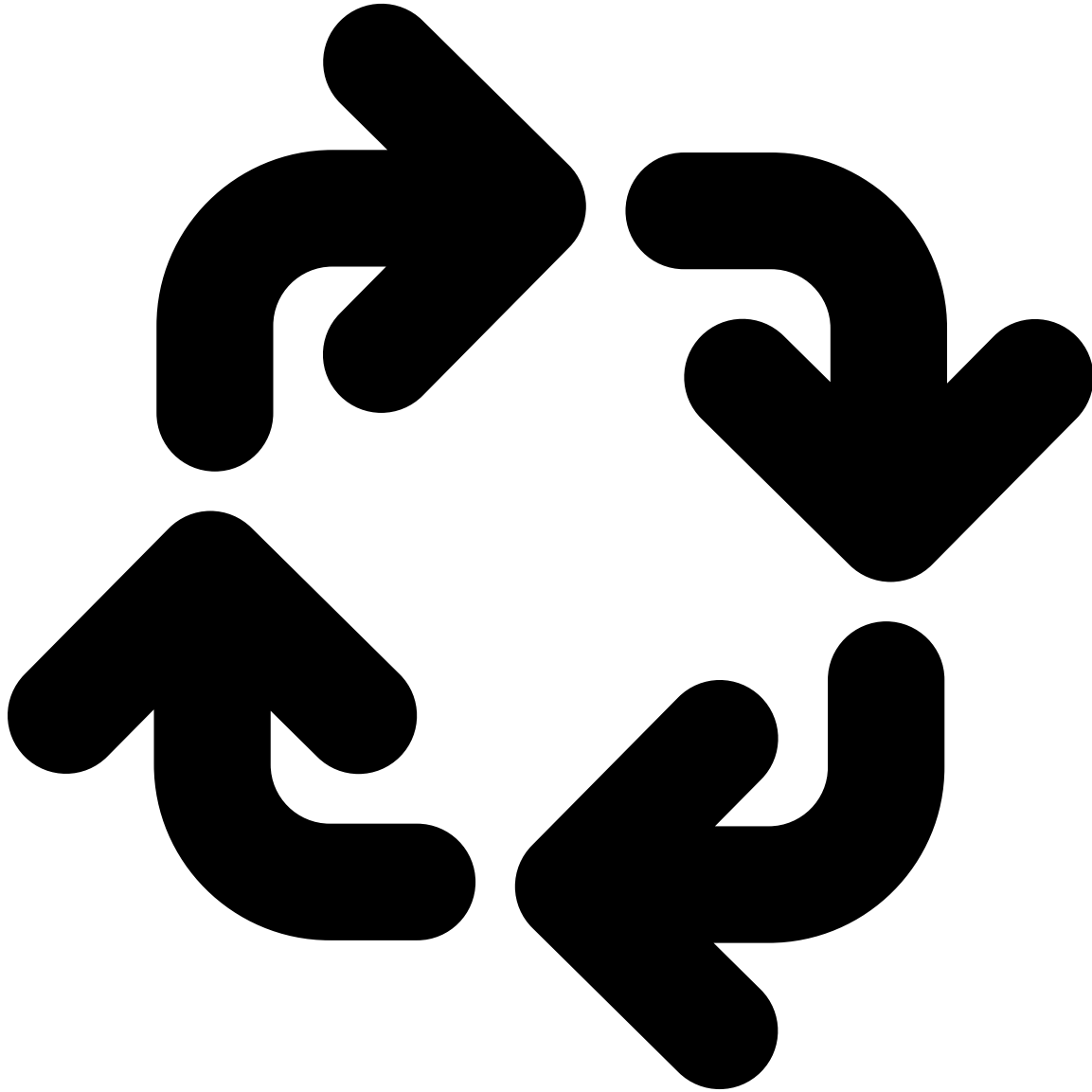
## Ziyao's Mutation

Swap 2 points

## Zhonghao's Mutation

Swap 2 weights





# FITNESS

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Same and intuitive: total distance of the path

# CULLING

## Ziyao's Mutation

Drop 40% of Population;

If  $\text{population} > \text{size} * 4$ :

Drop additional 50%

## Zhonghao's Mutation

Crossover gets  $(\text{size} + 1) * \text{size}$   
population

Leave  $\text{population} / (\text{size} + 1)$ :

Constant size of population



# RESULT

Both implementations work

But similar limitation applies:

1. When the mutation rate is high: the result is not stable
2. When the mutation rate is low: the result converges quickly at some good but not best point

