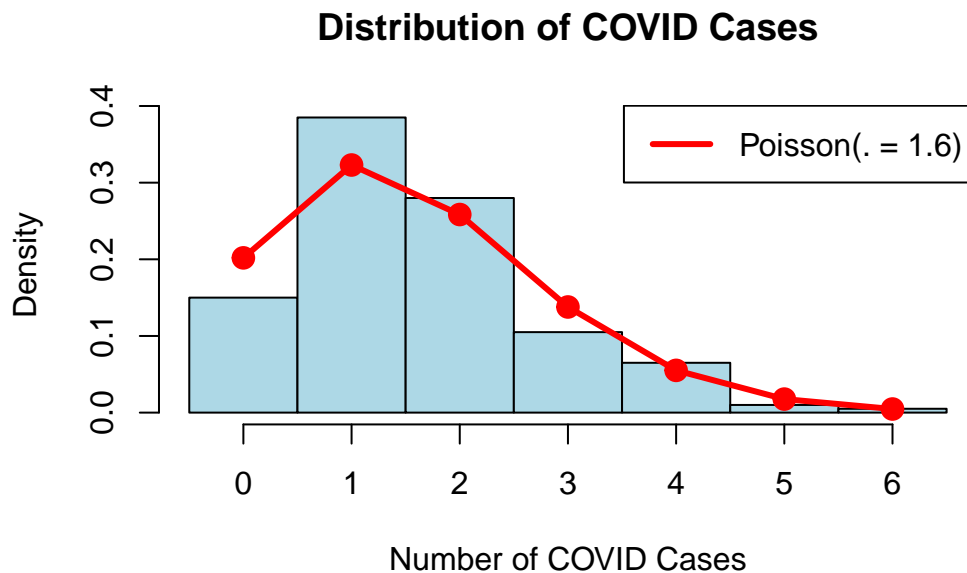


# Lab 3

Christopher Munoz

```
load("StudentData.dat")
hist(covid, prob=TRUE, breaks=seq(-0.5, max(covid)+0.5, 1), main="Distribution of COVID Cases")
lambda_covid <- mean(covid)
x_vals <- 0:max(covid)
y_vals <- dpois(x_vals, lambda=lambda_covid)
points(x_vals, y_vals, col='red', pch=19, cex=1.5)
lines(x_vals, y_vals, col='red', lwd=3)
legend("topright", legend=paste0("Poisson( = ", round(lambda_covid, 2), ")"), col="red", lwd=3)
```

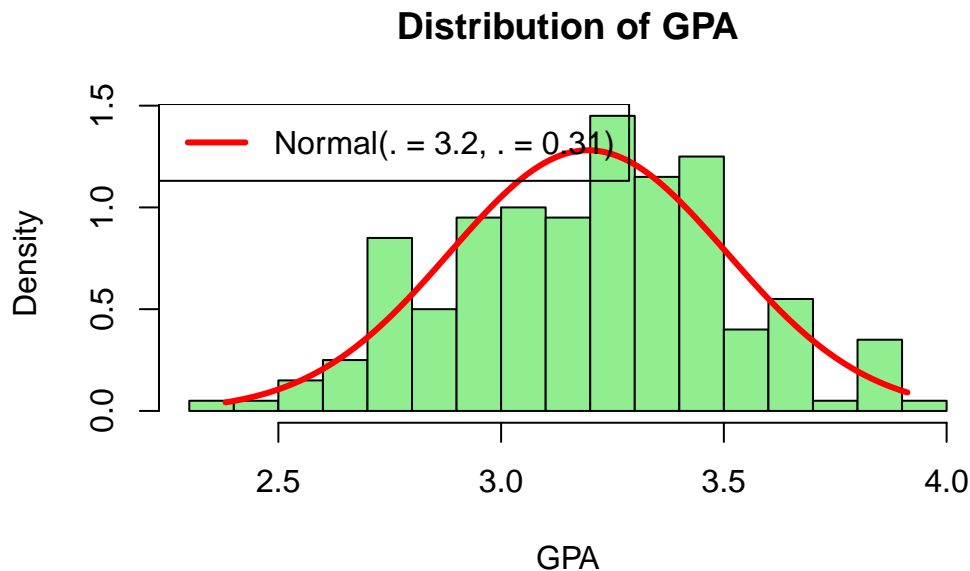


```
cat("COVID: Poisson( =", round(lambda_covid, 2), ")\n")
```

COVID: Poisson( = 1.6 )

The variable covid is best modeled by a is best modeled by a random variable **Poisson** because our data is discrete, non-negative and represents the count of independent rare events. Poisson is also a natural choice for biological phenomenon, as my colleague says, its the “fish” distribution.

```
load("StudentData.dat")
hist(GPA, prob=TRUE, breaks=20, main="Distribution of GPA", xlab="GPA", col="lightgreen", border="black")
mean_gpa <- mean(GPA)
sd_gpa <- sd(GPA)
x_vals <- seq(min(GPA), max(GPA), length=200)
y_vals <- dnorm(x_vals, mean=mean_gpa, sd=sd_gpa)
lines(x_vals, y_vals, col='red', lwd=3)
legend("topleft", legend=paste0("Normal( = ", round(mean_gpa, 2), ", = ", round(sd_gpa, 2), ")")
```

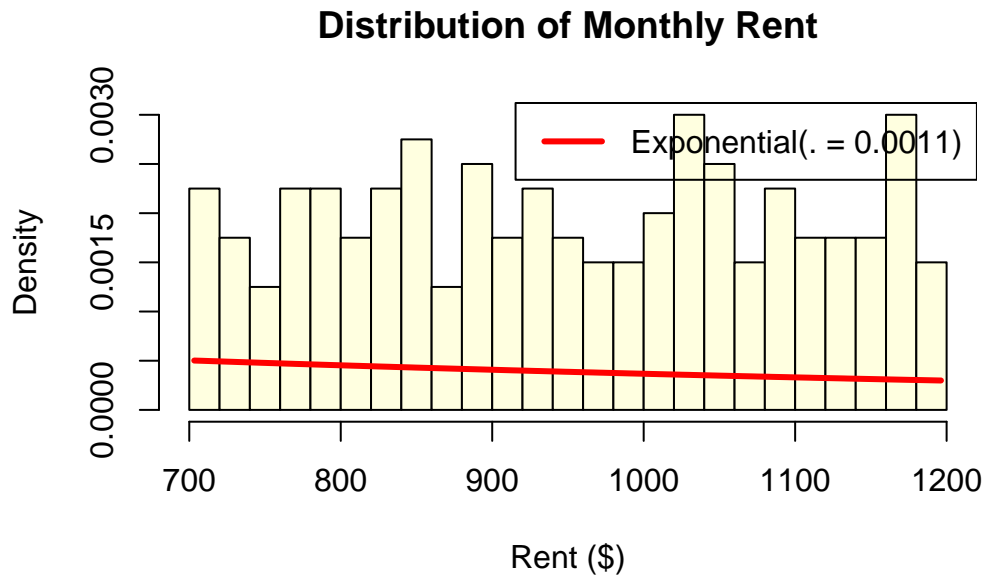


```
cat("GPA: N( =", round(mean_gpa, 2), ", =", round(sd_gpa, 2), ")\n")
```

GPA: N( = 3.2 , = 0.31 )

The variable GPA is best modeled by a **Normal** random variable because **GPA** is a continuous metric that results from averaging many independent events(assignments, tests, homework). From the Central Limit Theorem we know when many independent factors combine we get a Normal distribution.

```
load("StudentData.dat")
hist(rent, prob=TRUE, breaks=20, main="Distribution of Monthly Rent", xlab="Rent ($)", col="yellow")
rate_rent <- 1 / mean(rent)
x_vals <- seq(min(rent), max(rent), length=200)
y_vals <- dexp(x_vals, rate=rate_rent)
lines(x_vals, y_vals, col='red', lwd=3)
legend("topright", legend=paste0("Exponential( = ", round(rate_rent, 4), ")"), col="red", lw
```



```
cat("Rent: Exp( =", round(rate_rent, 4), ")\n")
```

Rent: Exp( = 0.0011 )

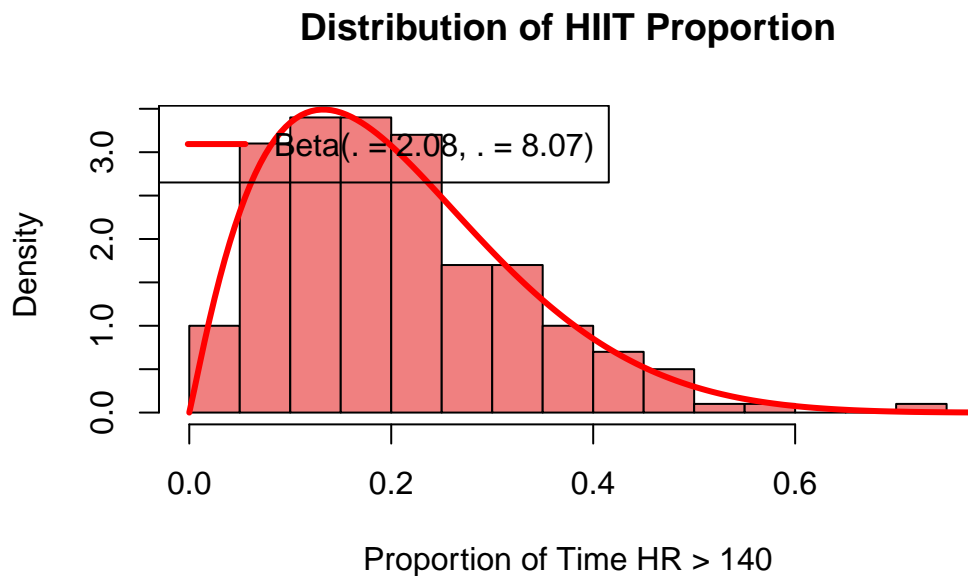
The variable rent is best modeled by a **Exponential** random variable because **Monthly rent is continuous and strictly positive with a right skew, its commonly for monetary values and costs associated data.**

```
load("StudentData.dat")
hist(HIIT, prob=TRUE, breaks=20, main="Distribution of HIIT Proportion", xlab="Proportion of")
m <- mean(HIIT)
v <- var(HIIT)
alpha_hiit <- m * (m * (1 - m) / v - 1)
```

```

beta_hiit <- (1 - m) * (m * (1 - m) / v - 1)
x_vals <- seq(0, 1, length=200)
y_vals <- dbeta(x_vals, shape1=alpha_hiit, shape2=beta_hiit)
lines(x_vals, y_vals, col='red', lwd=3)
legend("topleft", legend=paste0("Beta( = ", round(alpha_hiit, 2), ", = ", round(beta_hiit,

```



```

cat("HIIT: Beta( =", round(alpha_hiit, 2), ", =", round(beta_hiit, 2), ")\n")

```

HIIT: Beta( = 2.08 , = 8.07 )

The variable HIIT is best modeled by a **Beta** random variable because **H**igh **I**ntensity interval training represents a proportion, in this case the fraction of workouts with heart rates above 140 bmp. Since proportions are bounded between 0 and 1, the Beta distribution is the the best fit.

## Summary Statistics for each distribution and dataset:

=== SUMMARY STATISTICS ===

### COVID:

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
0.0	1.0	1.0	1.6	2.0	6.0

Mean: 1.6

Variance: 1.366834

SD: 1.169117

### GPA:

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
2.381	2.967	3.208	3.195	3.413	3.912

Mean: 3.195423

Variance: 0.09702458

SD: 0.3114877

### RENT:

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
703.3	828.3	948.5	951.1	1069.2	1196.3

Mean: 951.103

Variance: 20668.04

SD: 143.7638

### HIIT:

Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
0.01157	0.10490	0.18417	0.20504	0.27874	0.70344

Mean: 0.205038

Variance: 0.01461413

SD: 0.1208889