## sklearn.neural\_network.MLPRegressor

class sklearn.neural\_network.MLPRegressor(hidden\_layer\_sizes=(100,), activation='relu', \*, solver='adam', alpha=0.0001, batch\_size='auto', learning\_rate='constant', learning\_rate\_init=0.001, power\_t=0.5, max\_iter=200, shuffle=True, random\_state=None, tol=0.0001, verbose=False, warm\_start=False, momentum=0.9, nesterovs\_momentum=True, early\_stopping=False, validation\_fraction=0.1, beta\_1=0.9, beta\_2=0.999, epsilon=1e-08, n\_iter\_no\_change=10, max\_fun=15000) [source]

Multi-layer Perceptron regressor.

This model optimizes the squared error using LBFGS or stochastic gradient descent.

New in version 0.18.

#### **Parameters:**

## hidden\_layer\_sizes : tuple, length = n\_layers - 2, default=(100,)

The ith element represents the number of neurons in the ith hidden layer.

## activation: {'identity', 'logistic', 'tanh', 'relu'}, default='relu'

Activation function for the hidden layer.

- 'identity', no-op activation, useful to implement linear bottleneck, returns f(x) = x
- 'logistic', the logistic sigmoid function, returns  $f(x) = 1 / (1 + \exp(-x))$ .
- 'tanh', the hyperbolic tan function, returns  $f(x) = \tanh(x)$ .
- 'relu', the rectified linear unit function, returns f(x) = max(0, x)

## solver: {'lbfgs', 'sgd', 'adam'}, default='adam'

The solver for weight optimization.

- 'lbfgs' is an optimizer in the family of quasi-Newton methods.
- 'sgd' refers to stochastic gradient descent.
- 'adam' refers to a stochastic gradient-based optimizer proposed by Kingma, Diederik, and Jimmy Ba

Note: The default solver 'adam' works pretty well on relatively large datasets (with thousands of training samples or more) in terms of both training time and validation score. For small datasets, however, 'lbfgs' can converge faster and perform better.

#### alpha: float, default=0.0001

L2 penalty (regularization term) parameter.

## batch\_size : int, default='auto'

Size of minibatches for stochastic optimizers. If the solver is 'lbfgs', the classifier will not use minibatch. When set to "auto", batch\_size=min(200, n\_samples).

## learning\_rate : {'constant', 'invscaling', 'adaptive'}, default='constant'

Learning rate schedule for weight updates.

- 'constant' is a constant learning rate given by 'learning\_rate\_init'.
- 'invscaling' gradually decreases the learning rate learning\_rate\_ at each time step 't' using an inverse scaling exponent of 'power\_t'. effective\_learning\_rate = learning\_rate\_init / pow(t, power\_t)
- 'adaptive' keeps the learning rate constant to 'learning\_rate\_init' as long as training loss keeps decreasing. Each time two consecutive epochs fail to decrease training loss by at least tol, or fail to increase validation score by at least tol if 'early\_stopping' is on, the current learning rate is divided by 5.

Only used when solver='sgd'.

## learning\_rate\_init : float, default=0.001

The initial learning rate used. It controls the step-size in updating the weights. Only used when solver='sgd' or 'adam'.

## power\_t: float, default=0.5

The exponent for inverse scaling learning rate. It is used in updating effective learning rate when the learning\_rate is set to 'invscaling'. Only used when solver='sgd'.

#### max\_iter : int, default=200

Maximum number of iterations. The solver iterates until convergence (determined by 'tol') or this number of iterations. For stochastic solvers ('sgd', 'adam'), note that this determines the number of epochs (how many times each data point will be used), not the number of gradient steps.

## shuffle: bool, default=True

Whether to shuffle samples in each iteration. Only used when solver='sgd' or 'adam'.

#### random\_state : int, RandomState instance, default=None

Determines random number generation for weights and bias initialization, train-test split if early stopping is used, and batch sampling when solver='sgd' or 'adam'. Pass an int for reproducible results across multiple function calls. See <u>Glossary</u>.

## tol: float, default=1e-4

Tolerance for the optimization. When the loss or score is not improving by at least tol for n\_iter\_no\_change consecutive iterations, unless learning\_rate is set to 'adaptive', convergence is considered to be reached and training stops.

## verbose: bool, default=False

Whether to print progress messages to stdout.

## warm\_start: bool, default=False

When set to True, reuse the solution of the previous call to fit as initialization, otherwise, just erase the previous solution. See <u>the Glossary</u>.

## momentum: float, default=0.9

Momentum for gradient descent update. Should be between 0 and 1. Only used when solver='sgd'.

#### nesterovs\_momentum: bool, default=True

Whether to use Nesterov's momentum. Only used when solver='sgd' and momentum > 0.

#### early\_stopping : bool, default=False

Whether to use early stopping to terminate training when validation score is not improving. If set to true, it will automatically set aside 10% of training data as validation and terminate training when validation score is not improving by at least tol for n\_iter\_no\_change consecutive epochs. Only effective when solver='sgd' or 'adam'.

## validation\_fraction: float, default=0.1

The proportion of training data to set aside as validation set for early stopping. Must be between 0 and 1. Only used if early\_stopping is True.

## beta\_1: float, default=0.9

Exponential decay rate for estimates of first moment vector in adam, should be in [0, 1). Only used when solver='adam'.

## beta\_2: float, default=0.999

Exponential decay rate for estimates of second moment vector in adam, should be in [0, 1). Only used when solver='adam'.

## epsilon: float, default=1e-8

Value for numerical stability in adam. Only used when solver='adam'.

#### n\_iter\_no\_change : int, default=10

Maximum number of epochs to not meet tol improvement. Only effective when solver='sgd' or 'adam'.

#### max\_fun: int, default=15000

Only used when solver='lbfgs'. Maximum number of function calls. The solver iterates until convergence (determined by 'tol'), number of iterations reaches max\_iter, or this number of function calls. Note that number of function calls will be greater than or equal to the number of iterations for the MLPRegressor.

New in version 0.22.

#### **Attributes:**

#### loss : float

The current loss computed with the loss function.

## best\_loss\_: float

The minimum loss reached by the solver throughout fitting.

## loss\_curve\_: list of shape (n\_iter\_,)

Loss value evaluated at the end of each training step. The ith element in the list represents the loss at the ith iteration.

#### t:int

The number of training samples seen by the solver during fitting. Mathematically equals  $n_{iters} * X.shape[0]$ , it means time\_step and it is used by optimizer's learning rate scheduler.

## coefs\_: list of shape (n\_layers - 1,)

The ith element in the list represents the weight matrix corresponding to layer i.

#### intercepts\_: list of shape (n\_layers - 1,)

The ith element in the list represents the bias vector corresponding to layer i + 1.

#### n\_features\_in\_: int

Number of features seen during fit.

New in version 0.24.

## feature\_names\_in\_: ndarray of shape (n\_features\_in\_,)

Names of features seen during <u>fit</u>. Defined only when x has feature names that are all strings.

New in version 1.0.

## n\_iter\_: int

The number of iterations the solver has run.

## n\_layers\_: int

Number of layers.

#### n\_outputs\_: int

Number of outputs.

## out\_activation\_ : str

Name of the output activation function.

## See also:

## <u>BernoulliRBM</u>

Bernoulli Restricted Boltzmann Machine (RBM).

## **MLPClassifier**

Multi-layer Perceptron classifier.

## sklearn.linear\_model.SGDRegressor

el fitted by minimizing a regularized empirical loss with SGD.

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#### **Notes**

MLPRegressor trains iteratively since at each time step the partial derivatives of the loss function with respect to the model parameters are computed to update the parameters.

It can also have a regularization term added to the loss function that shrinks model parameters to prevent overfitting.

This implementation works with data represented as dense and sparse numpy arrays of floating point values.

#### References

#### Hinton, Geoffrey E.

"Connectionist learning procedures." Artificial intelligence 40.1 (1989): 185-234.

## Glorot, Xavier, and Yoshua Bengio. "Understanding the difficulty of

training deep feedforward neural networks." International Conference on Artificial Intelligence and Statistics. 2010.

## He, Kaiming, et al. "Delving deep into rectifiers: Surpassing human-level

performance on imagenet classification." arXiv preprint arXiv:1502.01852 (2015).

#### Kingma, Diederik, and Jimmy Ba. "Adam: A method for stochastic

optimization." arXiv preprint arXiv:1412.6980 (2014).

#### **Examples**

#### **Methods**

$\underline{\text{fit}}(X, y)$	Fit the model to data matrix X and target(s) y.	
<pre>get_params([deep])</pre>	Get parameters for this estimator.	
<pre>partial_fit(X, y)</pre>	Update the model with a single iteration over the given data.	
<pre>predict(X)</pre>	Predict using the multi-layer perceptron model.	
<pre>score(X, y[, sample_weight])</pre>	Return the coefficient of determination of the prediction.	
<pre>set_params(**params)</pre>	Set the parameters of this estimator.	
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fit(X, y) [source]

Fit the model to data matrix X and target(s) y.

#### **Parameters:**

#### X: ndarray or sparse matrix of shape (n\_samples, n\_features)

The input data.

## y: ndarray of shape (n\_samples,) or (n\_samples, n\_outputs)

The target values (class labels in classification, real numbers in regression).

# self : object Returns a trained MLP model. get\_params(deep=True) [source] Get parameters for this estimator. **Parameters:** deep: bool, default=True If True, will return the parameters for this estimator and contained subobjects that are estimators. **Returns:** params: dict Parameter names mapped to their values. partial\_fit(X, y) [source] Update the model with a single iteration over the given data. **Parameters:** X: {array-like, sparse matrix} of shape (n\_samples, n\_features) The input data. y: ndarray of shape (n\_samples,) The target values. **Returns:** self: object Trained MLP model. predict(X) [source] Predict using the multi-layer perceptron model. **Parameters:** X: {array-like, sparse matrix} of shape (n\_samples, n\_features) The input data. **Returns:** y: ndarray of shape (n\_samples, n\_outputs) The predicted values.

score(X, y, sample\_weight=None)

[source]

Return the coefficient of determination of the prediction.

The coefficient of determination  $R^2$  is defined as  $(1-\frac{u}{v})$ , where u is the residual sum of squares  $((y\_true - y\_pred)^{**} 2).sum()$  and u is the total sum of squares  $((y\_true - y\_true.mean())^{**} 2).sum()$ . The best possible score is 1.0 and it can be negative model can be arbitrarily worse). A constant model that always predicts the expected value of y, disregarding the input

features, would get a  $R^2$  score of 0.0.

#### **Parameters:**

## X: array-like of shape (n\_samples, n\_features)

Test samples. For some estimators this may be a precomputed kernel matrix or a list of generic objects instead with shape (n\_samples, n\_samples\_fitted), where n\_samples\_fitted is the number of samples used in the fitting for the estimator.

## y : array-like of shape (n\_samples,) or (n\_samples, n\_outputs)

True values for x.

## sample\_weight : array-like of shape (n\_samples,), default=None

Sample weights.

#### **Returns:**

#### score: float

 $R^2$  of self.predict(X) wrt. y.

#### **Notes**

The  $R^2$  score used when calling score on a regressor uses multioutput='uniform\_average' from version 0.23 to keep consistent with default value of  $\frac{r_2}{r_1}$  score. This influences the score method of all the multioutput regressors (except for MultiOutputRegressor).

set\_params(\*\*params)

[source]

Set the parameters of this estimator.

The method works on simple estimators as well as on nested objects (such as <u>Pipeline</u>). The latter have parameters of the form <component>\_\_\_\_\_parameter> so that it's possible to update each component of a nested object.

#### **Parameters:**

## \*\*params : dict

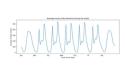
Estimator parameters.

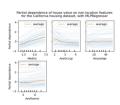
#### **Returns:**

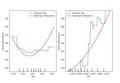
#### self: estimator instance

Estimator instance.

## Examples using sklearn.neural\_network.MLPRegressor







<u>Time-related feature</u> <u>engineering</u> Partial Dependence and Individual Conditional Expectation Plots Advanced Plotting
With Partial
Dependence