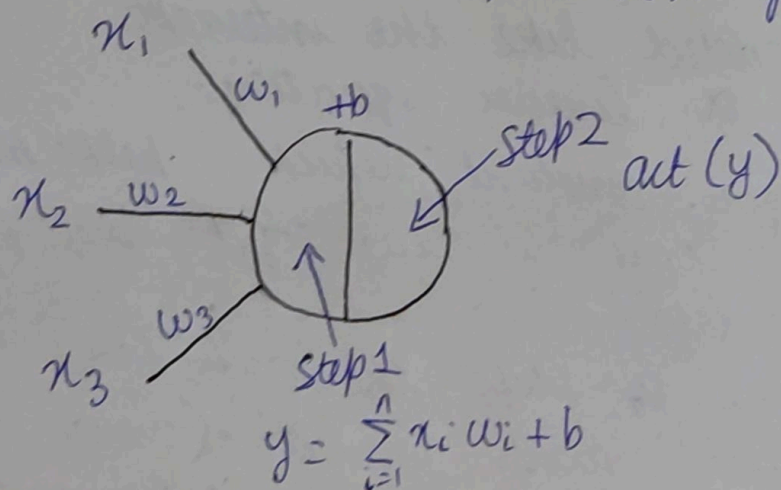


# Forward propagation

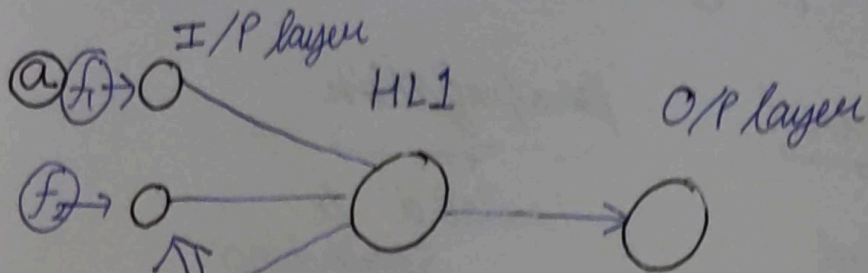
- ① What? →
- ① forward → move ahead
  - ② propagation → related to spreading anything
- ② forward propagation means we are moving in only 1 direction, from input to output in a NN.

- ② USE → concept used in generally all the NNs.

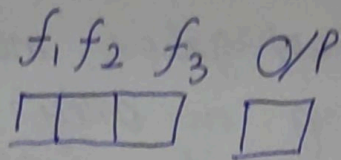
- ③ Working → Steps
- ① Pre-activation  
It is weighted sum of inputs i.e. the linear transformation of weights w.r.t. inputs available.
  - ② Activation  
Calculated weighted sum of inputs is passed to the Activation function.
- At each hidden neuron or output layer the processing happens in 2 stages



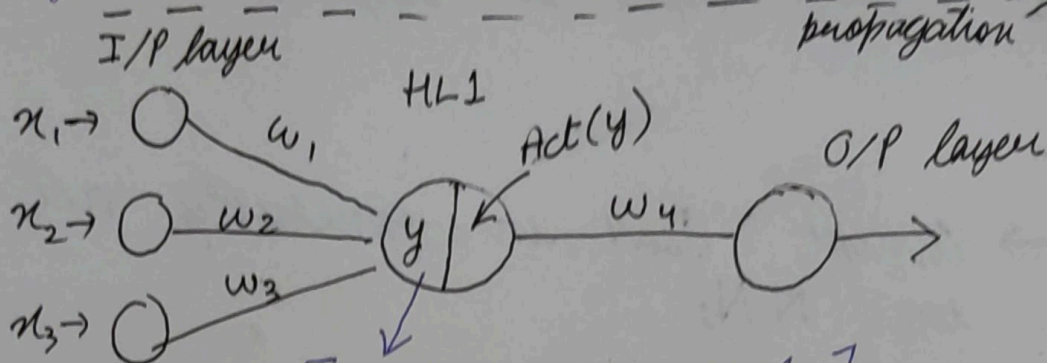
# ★ Concept



like sensory organ



forward propagation →



$$a) [w_1 x_1 + w_2 x_2 + w_3 x_3]$$

$$\Rightarrow \sum_{i=1}^N w_i x_i + b_i$$

$$\Rightarrow w^T x + b \Rightarrow \text{Linear Regression}$$

b) activation function

Q) why bias added?

Ans  $\because$  if weights are 0  
 $\Rightarrow y = 0$

$\therefore$  Bias is added like the intercept added in a linear equation.

It acts as a constant which helps the model in a way it can fit best for the given data.

Also it allows to shift the activation function to either right or left. (changes in weights simply change gradient / steepness of output)



Q) Dataset : 

$x_1$	$x_2$	$x_3$	O/P
4	5	6	1

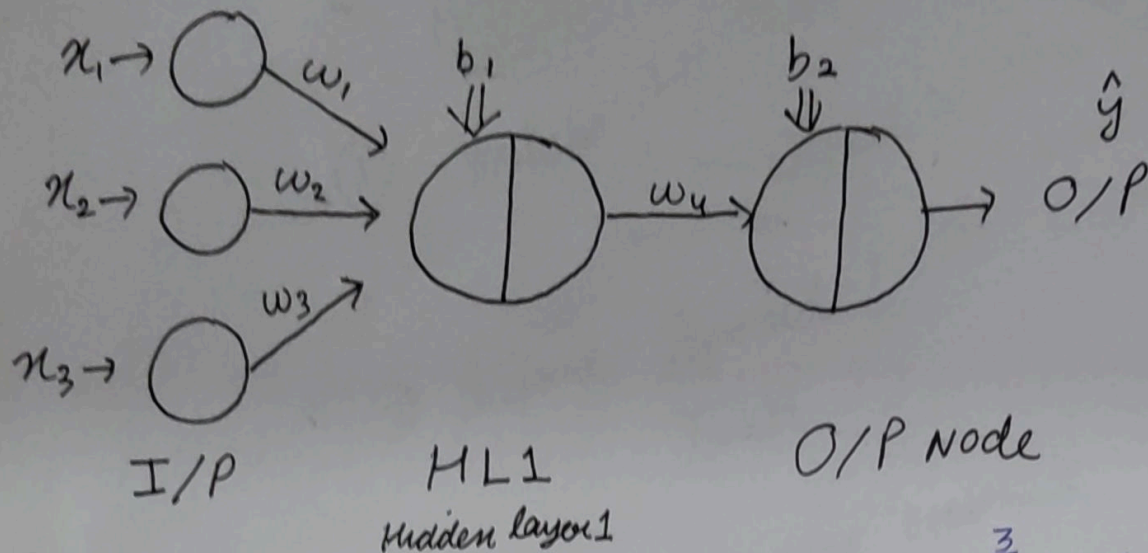
 Target  $y^T$

Weights : 

$w_1$	$w_2$	$w_3$	$w_4$
0.1	0.2	0.3	0.4

Bias : 

$b_1 = 0.1$
$b_2 = 0.2$



Ans 1 In Hidden layer node : (a)  $y = \sum_{i=1}^3 w_i x_i + b_1$   
(b)  $Z = \sigma(y)$

$\Rightarrow$  a)  $y = 4 \times 0.1 + 5 \times 0.2 + 6 \times 0.3 + 0.1$   
 $= 0.4 + 1 + 1.8 + 0.1 = 3.3$

b) Sigmoid func<sup>n</sup> :  $Z = \sigma(y) = \frac{1}{1 + e^{-y}} = 0.96 = Z$

In output layer node (a)  $Z \times w_4 + b_2 = y'$   
(b)  $\hat{y} = \sigma(Z \times w_4 + b_2)$

$\Rightarrow$  a)  $Z \times w_4 + b_2 = y'$   
 $\Rightarrow y' = 0.96 + 0.4 + 0.2 = 0.584$

b) Sigmoid :  $\hat{y} = \sigma(y') = \sigma(Z \times w_4 + b_2 = y')$   
 $\Rightarrow \hat{y} = 0.64199$

Loss calcula<sup>n</sup>

loss func<sup>n</sup>  $\Rightarrow \frac{1}{2} (y^T - \hat{y})^2$  (MSE)  $\Rightarrow \frac{1}{2} (1 - 0.64)^2 = 0.0648$

→ Aim is to reduce this loss

→ No use Backpropaga<sup>n</sup> till  $\hat{y} \approx \text{Target } y \left[ \overset{\Downarrow}{y^T} \right]$