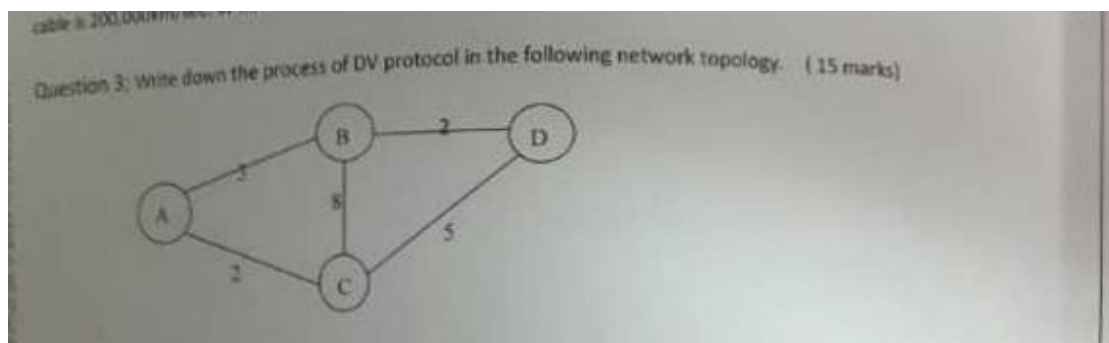


1. stop-and-wait protocol. frame size is 1250 bytes, 25 bytes overhead, ack frame is 25 bytes. Calculate the efficiency of channel, a bit error probability is 10^{-6} , 10^{-5} and 10^{-4} .

2. . Consider building a CSMA/CD network running at 100Mbps over a 1-km with no repeaters. The signal speed in the cable is 200,000km/sec. What's the minimum frame size?

3. dv algorithm. question 3 in picture exam.jpg.



4. four Ipaddress 56.6.96.0/21, 56.6.104.0/21, 56.6.112.0/21, 56.6.120.0/21? Are they can be aggregated? If yes, to what? If no, why?

5.

3. Consider a configuration in which packets are sent from computers on a LAN to systems on other networks. All of these packets must pass through a router that connects the LAN to a widearea network and hence to the outside world.

Let us look at the traffic from the LAN through the router. Packets arrive with a mean arrivalrate of 5 per second. The average packet length is 144 bytes, and it is assumed that packetlength is exponentially distributed. Line speed from the router to the wide-area network is 9600 bps. The following questions are asked:

- What is the utilization of the link of the router?
- What is the mean residence time in the router?
- How many packets are in the router, including those waiting for transmission and the one currently being transmitted (if any), on the average?

Solution:

- (a) Mean arrival rate (throughput): $X = 5$ packets/sec

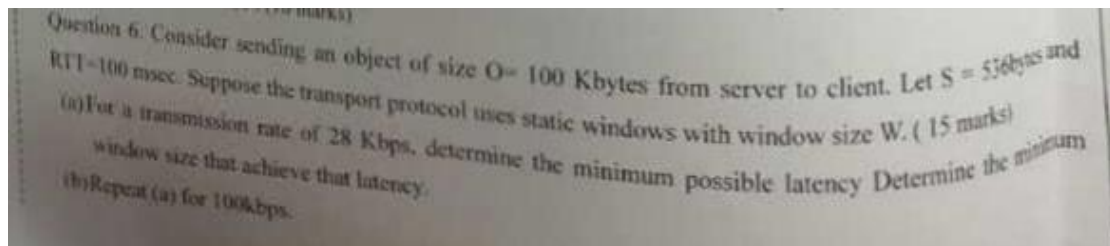
Average service time: $S = ((144 \text{ bytes/packet}) * (8 \text{ bits/byte})) / 9600 \text{ bps} = 0.12 \text{ sec/packet}$

Utilization (time the router is busy): $U = X * S = (5 \text{ packets/sec}) * (0.12 \text{ sec/packet}) = 0.6$

- (b) The mean residence time is $T = S / (1 - U) = (0.12 \text{ sec/packet}) / (1 - 0.6) = 0.3 \text{ sec/packet}$

- (c) Number of packets in the router is $E[n] = U / (1 - U) = 1.5$ packets

6. question 6 in picture exam.jpg.



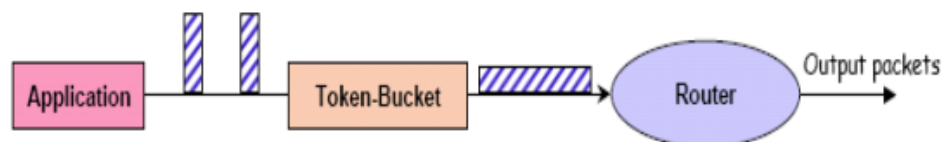
7. the sender sends a lot of data. then enter idle for a period of time, now time is t_1 . On the time t_2 , the sender begin trans data. What are the advantage and disadvantage of tcp Congwin and threshold value of t_2 . What alternative do you have? Why?

8. like this

Token Bucket Shaper Design Example

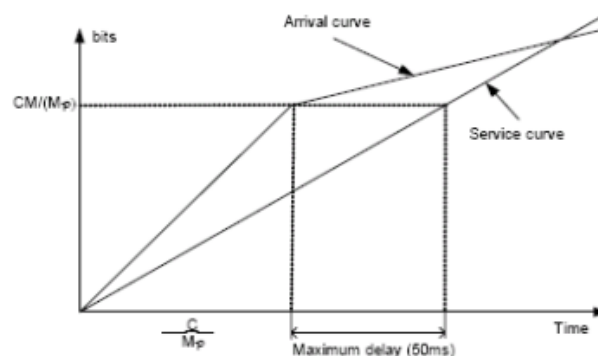
Question:

Consider the arrival traffic characterized by a token bucket with parameters ρ (average rate) = 1 Mbps, M (maximum rate) = 2 Mbps, and C (token depth) = 100Kb. What is the minimum rate r that needs to be allocated by a router in order to guarantee a delay no larger than 50 ms?



Token Bucket Shaper Design Example (cont'd)

- We consider the worst case where the maximum burst length is given by
- $S = C / (M - r)$
- Then the maximum accumulative amount of arrival traffic to the router is $MS = MC / (M - r)$
- We can draw the arrival and service curve as follows



The minimum rate needs to be allocated by the router in order to guarantee a delay no larger than 50 ms is just the slope of the service curve. From the above figure, we can see the slope is given by:

$$\begin{aligned}
 r &= \frac{CM / (M - \rho)}{C / (M - \rho) + 50} \\
 &= \frac{(100Kb * 2Mb / s) / (2Mb / s - 1Mb / s)}{100Kb / (2Mb / s - 1Mb / s) + 50ms} \\
 &= \frac{200Kb}{(200Kb / 2Mb / s) + 50ms} \\
 &= 200Kb / 150MS \\
 &= 1.3333Mb / s
 \end{aligned}$$

The minimum rate r that needs to be allocated by a router in order to guarantee a delay no larger than 50 ms = 1.333Mb/s

j	interval	Nj
1	[0]	57
2	[1,2]	56
3	[3,4,...]	43

Is the data pass the test by 90percent confidence level.

like this problem.

Example

- Observed 800 packets arrive over 100 seconds

Assume that the arrival process is Poisson

$$\text{Prob}\{n \text{ packets arrived in a sec}\} = P(n) = \frac{\lambda^n e^{-\lambda}}{n!}$$

where $n = 0, 1, 2, \dots$, and λ is the theoretical mean no.

of

packets arriving per sec.

- λ is estimated as $800/100=8$
- From the observation, 9 groups has been decided
- E_j is calculated as follow:
 - E.g. the interval for E_4 is $[7,8)$

$$E_4 = 100P(7) = \frac{100 \cdot 8^7 \cdot e^{-8}}{7!} = 13.96$$

The result is summarized as follow:

Group i	1	2	3	4	5	6	7	8	9
Interval i	[0,5)	[5,6)	[6,7)	[7,8)	[8,9)	[9,10)	[10,11)	[11,12)	[12,∞)
O_i	6	11	10	14	12	19	7	9	12
E_i	9.96	9.16	12.2	13.96	13.9	12.41	9.93	7.22	11.19
$\frac{(O_i - E_i)^2}{E_i}$			1		6				
	1.58	0.37	0.40	0.000	0.27	3.50	0.86	0.44	0.058
				1					

From the above, we have

$$\sum_{i=1}^9 \frac{(O_i - E_i)^2}{E_i} = 7.485$$

- The degree of freedom = $N - m - 1 = 9 - 1 - 1 = 7$
with $m=1$ as we have estimated one unknown parameter λ
- With $\alpha=0.05$, $\chi^2_{\alpha,7} = 14.1 > 7.485$, we cannot reject that the real-world process is Poisson
 - We conclude that input arrival process is Poisson