## **kNN**

K Nearest Neighbours

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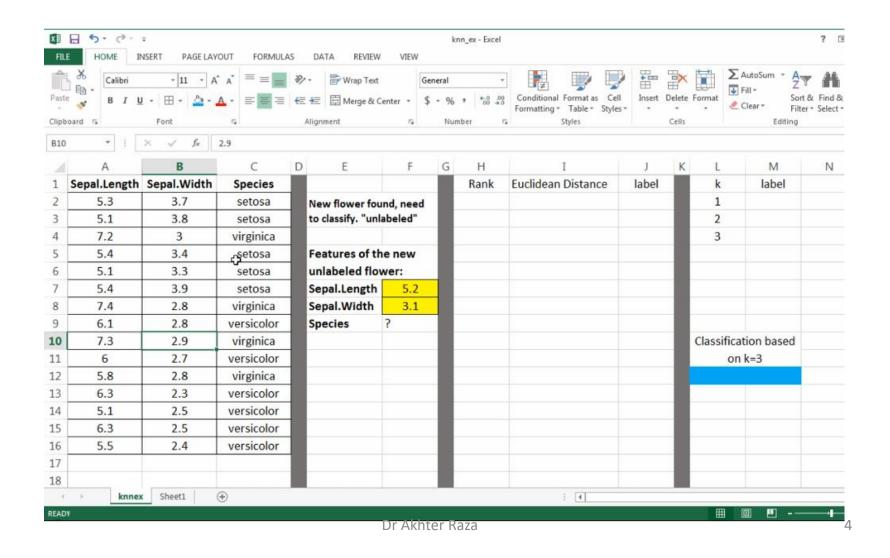
- Machine Learning Algorithm for classification and prediction
- Only three features are used from iris data set just for simplicity

- Sepal length, sepal width and species
- Which one out of three is a class variable?

# Training data set

1	 Sepal.Length	Sepal.Width	Species
3	5.1	3.8	setosa
4	7.2	3	virginica
5	5.4	3.4	setosa
6	5.1	3.3	setosa
7	5.4	3.9	setosa
8	7.4	2.8	virginica
9	6.1	2.8	versicolor
10	7.3	2.9	virginica
11	6	2.7	versicolor
12	5.8	2.8	virginica
13	6.3	2.3	versicolor
14	5.1	2.5	versicolor
15	6.3	2.5	versicolor
16	5.5	2.4	versicolor

## Setup your Excel screen



### What to find?

 A new flower is found and its sepal length and sepal width is found

 And we want to know the which type of species is this?

### Proceed

- As the data is already sorted on the bases of species therefore we have make it random
- Insert a new column and place 150 uniformaly distributed random numbers in it
- As these random # will be change each time when we change any of the cell in excel therefore copy these random numbers and place them as values in a new column

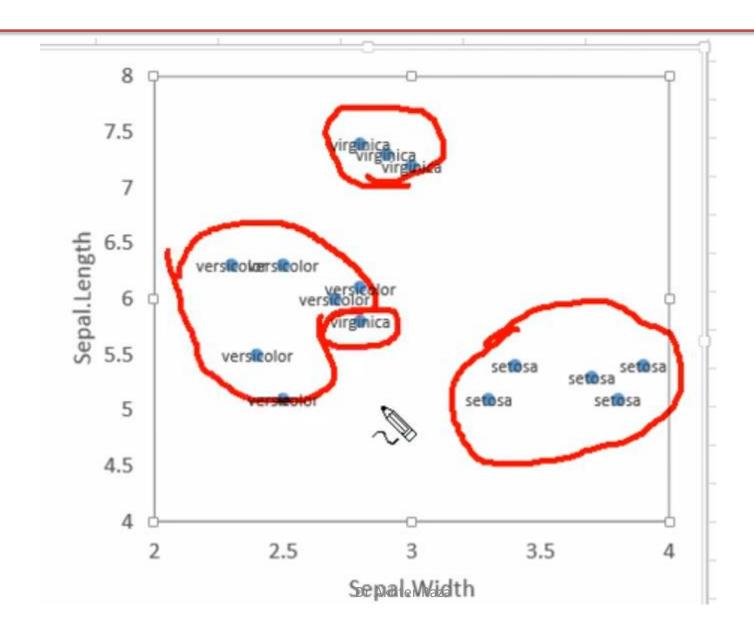
### Procedure

- Sort the data using key as random numbers
- This makes the data jumbled w.r.t. species
- This is required for predictions

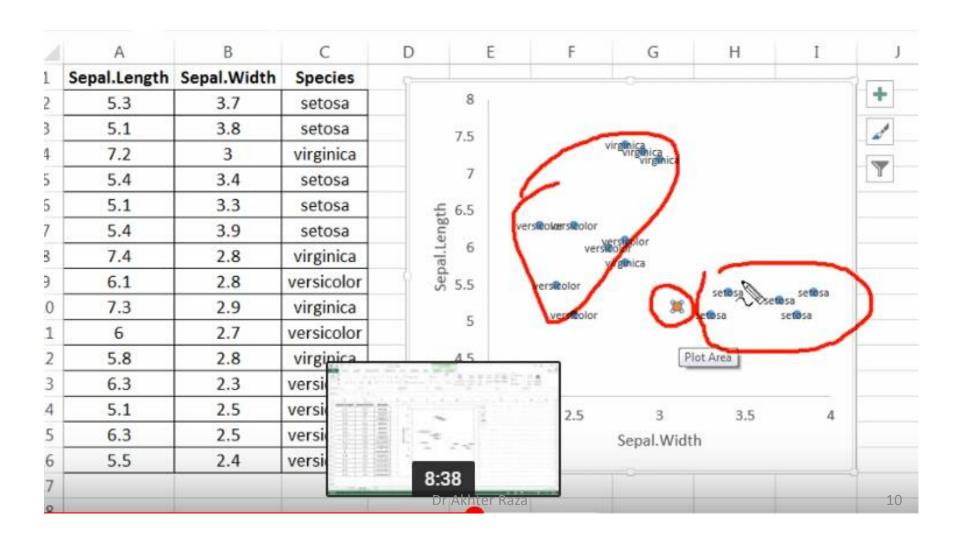
## Scatterplot

- Insert → Scatterplot
- Change axis titles
- Change axis min and max ranges
- Change data labels to species name

# Scatterplot of a sample of 15 obs



# New unknown data point



## Finding distances

- K should be square root of number of data points in the data set
- K=sqrt(15)=3 (approximately)
- Now computing Euclidian distance from the unknown data point to the most three nearest point

• 
$$D = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2}$$

## Finding distances

- Now computing all 15 distances from unknown point to each of data point given in sample
- If we have three features then euclidean distance formula will be

$$D = \sqrt{(x_2 - x_1)^2 + (y_2 - y_1)^2 + (z_2 - z_1)^2}$$

 Now rank these distances using the excel formula =rank(which, range, ascending=1)

# vlookup in Excel

 Use vlookup function of excel to find the labels of these three closeset data points

The unknown label will be filled with the majority vote

It is setosa as it has majority votes

### kNN in R

# KNN classification algorithm in R # Iris Data Set is used for processing

```
iris_test_target setosa versicolor virginica
data(iris)
                         versicolor
                        virginica
                   > data(iris)
                   > str(iris)
                                  150 obs. of 5 variables:
                   'data.frame':
                    $ Sepal.Length: num 5.1 4.9 4.7 4.6 5 5.4 4.6 5 4.4 4.9 ...
                    $ Sepal.width : num 3.5 3 3.2 3.1 3.6 3.9 3.4 3.4 2.9 3.1 ...
str(iris)
                    $ Petal.Length: num
                                        1.4 1.4 1.3 1.5 1.4 1.7 1.4 1.5 1.4 1.5 ...
                                        0.2 0.2 0.2 0.2 0.2 0.4 0.3 0.2 0.2 0.1 ...
                                  : Factor w/ 3 levels "setosa", "versicolor",...: 1 1 1 1 1 1 1 1 1 1 1 ...
                    $ Species
```

table(iris\$Species)

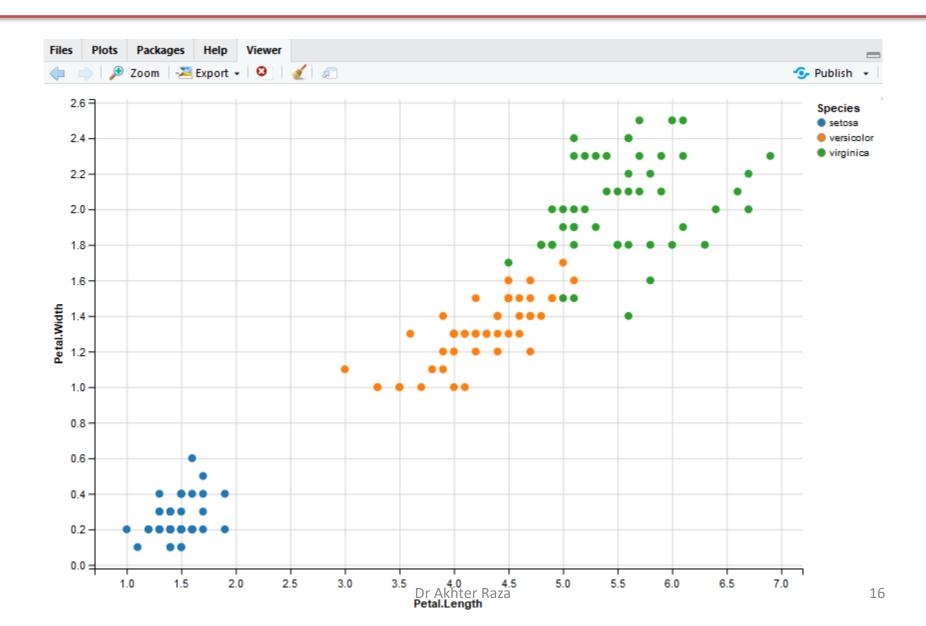
head(iris)

### kNN in R

#ploting scatterplot of iris data Load in `ggvis`
library(ggvis)

# Overall correlation `Petal.Length` and `Petal.Width` cor(iris\$Petal.Length, iris\$Petal.Width)

# Scatterplot



# Reshuffling the data set

#the data set is organized with respect to the species type we have to mix for better classification

```
seed(9850)
```

runif(5)

runif(nrow(iris))

gp<-runif(nrow(iris))</pre>

Dr Akhter Raza

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# Reshuffling the data set

#the data set is organized with respect to the species type we have to mix for better classification

iris2<- iris[order(gp),]</pre>

head(iris2)

#Rescaling numerical features

summary(iris2[,c(1,2,3,4)])

### Normalize the data set

#normalize (X-min value)/range convert the data rescaled from 0 to 1

```
normalize<-function(x){return((x-min(x))/(max(x)-
min(x)))}</pre>
```

normalize(c(1,2,3,4,5,6))

normalize(c(50,60,70,40,50))

### Normalize the data set

```
iris_n <-
as.data.frame(lapply(iris2[,c(1,2,3,4)],normalize))
summary(iris_n)</pre>
```

## Spliting in train and test set

# Splitting the train and test data sets

```
iris_train <- iris_n[1:129,]
iris_test<- iris_n[130:150,]</pre>
```

# Splitting the train and test set

```
iris_train_target <- iris2[1:129,5]
iris_test_target <- iris2[130:150,5]</pre>
```

# Library required for kNN

```
# KNN algorithm is found in class package
# K nearest neighbours
# k=sqrt(datasize)=13 in iris case
```

require(class)

# Learning and testing kNN

```
knn_model_1 <- knn(train=iris_train, test=iris_test, cl =
iris_train_target, k=13)
knn_model_1</pre>
```

```
#checking model accuracy
```

```
merge <- data.frame(knn_model_1, iris_test_target)</pre>
```

#confusion matrix of the model accuracy

```
table(iris_test_target,knn_model_1)
```

## Actual v/s predicted data

```
> merge <- data.frame(knn_model_1, iris_test_target)</pre>
> merge
   knn_model_1 iris_test_target
                      versicolor
     virginica
        setosa
                          setosa
3
    versicolor
                      versicolor
     virginica
                       virginica
5
    versicolor
                      versicolor
6
     virginica
                       virginica
     virginica
                       virginica
8
    versicolor
                      versicolor
9
        setosa
                          setosa
    virginica
10
                       virginica
     virginica
                      versicolor
11
12
     virginica
                       virginica
13
    versicolor
                      versicolor
14
    versicolor
                      versicolor
15
    versicolor
                      versicolor
16
        setosa
                          setosa
17
        setosa
                          setosa
    versicolor
                      versicolor
18
19
    versicolor
                      versicolor
20
        setosa
                          setosa
21
        setosa
                          setosa
```

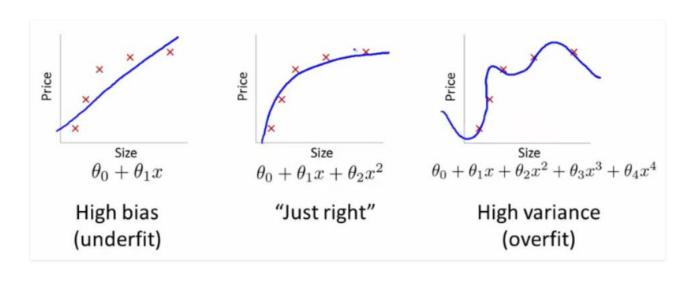
### Confusion matrix

```
knn_model_1
iris_test_target setosa versicolor virginica
setosa 6 0 0
versicolor 0 8 2
virginica 0 0 5
```

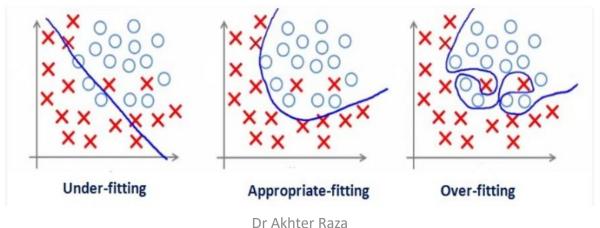
# Under fitting

A machine learning algorithm is said to have under fitting when it cannot capture the underlying trend of the data. Under fitting destroys the accuracy of our machine learning model. Its occurrence simply means that our model does not fit the data well enough. It usually happens when we have less data to build an accurate model and also when we try to build a linear model with a non-linear data.

### Under fitting, right fitting and over fitting



Image\_source: i.stack.imgur.com/t0zit.png



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# Over fitting

A model is said to be over fitted, when we train it with a lot of data. When a model gets trained with so much of data, it starts learning from the noise and inaccurate data entries in our data set. Then the model does not categorize the data correctly, because of too much of details and noise.