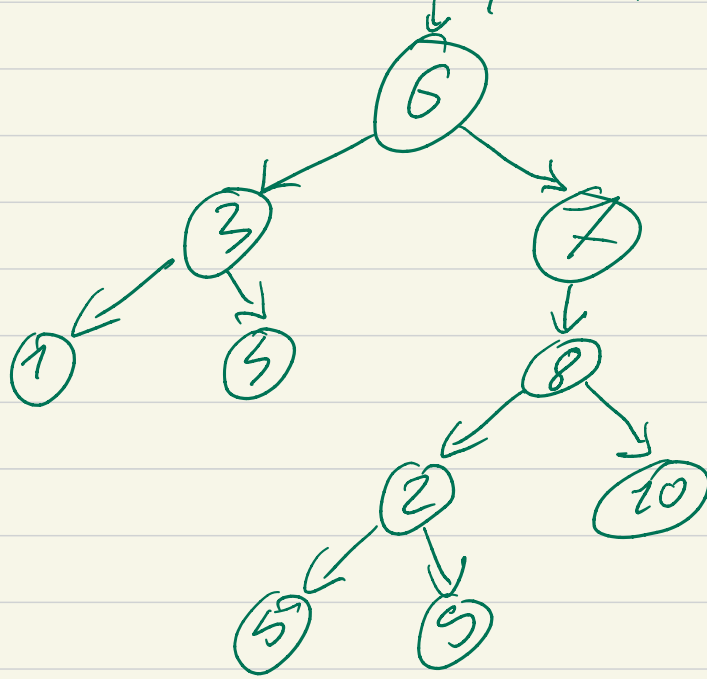


The breadth-first tree:



Surely, this tree is part of the graph, but it cannot be recreated from these data.

Queue-based Bellman-Ford ($A: \mathbb{R}_{\infty}[n, n]$; $s: 1..n$;
 $d: \mathbb{R}_{\infty}[n]$; $\pi: 1..N[n]: N$)

$inQ: 1..B[n]$; $Q: \text{Queue}$; $e: 1..N[n]$;

$i := 1$ to n

$d[i] := \infty$; $\pi[i] := 0$; $inQ[i] := \text{false}$

$Q.add(s)$; $d[s] := 0$; $e[s] := 0$

$\neg Q.empty()$

$u := Q.remove()$; $inQ[u] := \text{false}$

$v := 1$ to n

$v \neq u \wedge A[u, v] < \infty \wedge d[v] > d[u] + A[u, v]$

$d[v] := d[u] + A[u, v]$; $\pi[v] := u$; $e[v] := e[u] + 1$

$e[v] < n$

$\neg inQ[v]$

$Q.add(v)$; $inQ[v] := \text{true}$ / X

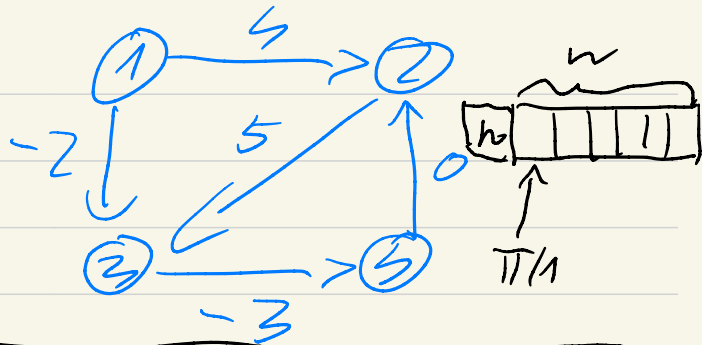
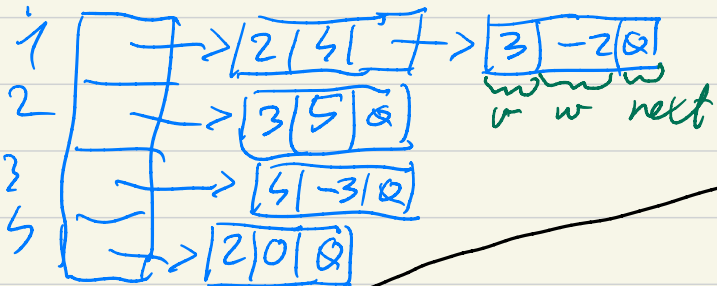
return

findNegLoop(v, π)

return 0

Adj. list $[MT(n) \in O(n^3)] \rightarrow$

A $MT(n, m) \in O(n * m)$


$$\text{findNegLoop}(v: N; \Pi/1: N[n]: N)$$
$$B[1: B[n]]$$
$$i = 1 \text{ to } n$$

BCI: = false

$$\beta[v] := \text{true}; u := \pi[v]$$
$$\neg B(u)$$
$$\underline{B[w] := \text{true} \quad ; \quad u := \pi[w]}$$

летна и

Adj. mfx

$$A \begin{array}{ccccc} & 1 & 2 & 3 & 4 \\ \begin{array}{c} 1 \\ 2 \\ 3 \\ 4 \end{array} & \begin{array}{|c|c|c|c|c|} \hline 0 & 4 & -2 & \infty \\ \hline \infty & 0 & 5 & \infty \\ \hline \infty & \infty & 0 & -3 \\ \hline \infty & 0 & \infty & 0 \\ \hline \end{array} \end{array}$$