CS7641 A3: Unsupervised Learning and Dimensionality Reduction

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I. INTRODUCTION

Each of KMeans Clustering (KM), Gaussian Mixture Model (GMM), Principal Component Analysis (PCA), Independent Component Analysis (ICA), Sparse Randomized Projection (SRP) and Hessian Locally Linear Embedding (HLLE) plays a crucial role in uncovering patterns, reducing dimensions, and extracting meaningful information from complex datasets. In this paper, I delve into the applications and comparative analyses of these key methods over two different sets of data. I begin with KMeans clustering and Gaussian Mixture Model before exploring PCA, ICA and SRP, and HLLE. Finally, I combine clustering and dimensionality reduction with neural networks to evaluate the differences in performance of these techniques. I aim to provide insight into their respective strengths, weaknesses, and applications. For the first dataset, I use cardiovascular disease (CVD) factors to predict if a person has CVD. For the second dataset, I use nutrition facts of food groups.

II. STEP 1

My hypothesis regarding clustering algorithms is that they will effectively partition the data into distinct groups.

GMM assigns each data point to each cluster with a certain probability, using the EM algorithm to maximize the likelihood of the data. KMeans partitions the data into K clusters by iteratively updating the positions of K centroids to minimize the sum of squared distances within the cluster.

The Calinski-Harabasz score which calculates the proportion of dispersion between clusters to dispersion within clusters. BIC which assesses the complexity of a model by imposing penalties on models with increased parameters. Inertia which quantifies the total squared distances from each sample to its designated centroid within the cluster. AMIS and ARS which measure the agreement between the clustering labels and the ground-truth labels. Finally, the cluster center scatter plots show the centroids of each cluster in the feature space.

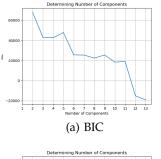
Cardiovascular Disease

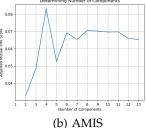
A. Expectation Maximization

In figure 1(a) BIC is analyzed, values decrease as the number of clusters increases, indicating that the model fit improves with more clusters. The slight zigzags observed suggest fluctuations in the model complexity or overfitting at different numbers of clusters. The significant decrease in BIC from 2 to 12 clusters suggests that adding more clusters improves the fit of the model substantially. Hence, 12 clusters indicates the best balance between model complexity and fit. The selection of 12 clusters implies that the data exhibits a complex structure that requires a relatively large number of clusters to capture effectively.

In figure 1(b), AMIS was analyzed to help compare the 12 clusters to the ground truth labels, of which there are two. The AMIS increases from 0.03 to 0.08 as the number of clusters increases from 2 to 4, suggesting improved agreement between clustering and results. The increase in AMIS indicates that additional clusters capture more nuances or variations in the data, leading to better clustering performance. The AMIS dropping to 0.05 at 5 clusters suggests that adding another cluster beyond 4 does not significantly improve the agreement with the ground truth labels. It indicates that the KMeans may be overfitting. The zigzags around 0.65 from 5 to 20 clusters suggests instability in the clustering performance.

In figure 1(c), I plot the component centers. With 12 clusters, GMM can most likely be seen to overfit, capturing noise or minor variations as separate clusters. To help reduce these issues and better represent my data I should explore a significant reduction in the number of clusters or explore different preprocessing steps.





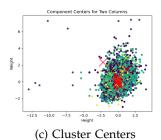


Fig. 1: CVD Gaussian Mixture Method

GMM has struggled to produce well-defined and meaningful clusters. It would be beneficial to explore alternative clustering algorithms, other preprocessing techniques, perform better tuning to address these issues and obtain more robust clustering results. A value of 12 clusters was chosen as optimal for this model, as explained above.

B. KMeans Algorithm

In figure 2(a), the Calinski score is analyzed. The decrease in the Calinski score as the number of clusters increases suggests that the clusters become less well defined or separated as more clusters are added. This decrease in score indicates that the clustering algorithm is overfitting the data or capturing noise as separate clusters, leading to less cohesive clusters.

In figure 2(b), the Adjusted Rand score is analyzed. The decrease in the Adjusted Rand Score as the number of clusters increases suggests that the clustering results become less consistent with the true labels, which are two. This decrease in score indicates that the clusters identified by KMeans may not align well with the underlying structure or patterns in the data as the number of clusters increases.

In figure 2(c), I plot the cluster centers. The overlap in cluster centers observed when plotting two clusters suggests that these clusters are not well-separated in the feature space. This overlap indicates that the centroids of these clusters are close together, making it difficult to distinguish them based solely on their centroids. It suggests that the clusters may be similar in terms of their feature distributions or that KMeans may not have effectively partitioned the data into distinct groups.

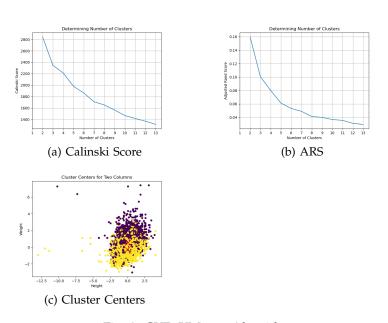


Fig. 2: CVD KMeans Algorithm

It clear to see that KMeans struggles to produce well-defined and meaningful clusters beyond two clusters. The overlap observed in the cluster centers suggests that the clusters identified by KMeans may not accurately capture the underlying structure of the data. It would be beneficial to explore alternative clustering algorithms, other preprocessing techniques, own better tuning to address these issues and obtain more robust clustering results. A value of 2 clusters was chosen as optimal for this model, as explained above.

Nutrition Facts

C. Expectation Maximization

In figure 3(a) BIC was analyzed. The significant decrease from 2 to 8 clusters suggests that adding more clusters significantly improves the fit of the model. The decrease that starts to plateau after 8 clusters, indicates diminishing returns in model improvement beyond this point.

In figure 3(b) AMIS was analyzed. The increase from 2 to 7 clusters suggests that adding more clusters initially improves the agreement with true labels; despite there only being five true labels. The drop in AMIS after 7 clusters suggests that

adding more clusters beyond this point leads to a decrease in agreement with true labels, indicating overfitting or capturing noise as separate clusters.

In figure 3(c) cluster centers is plotted. The analysis of cluster centers at 8 clusters reveals some separation between clusters but also some overlap, indicating that the clusters are not perfectly distinct. The overlap suggests that some clusters may have similar centroids or that the data points within these clusters have overlapping feature distributions.

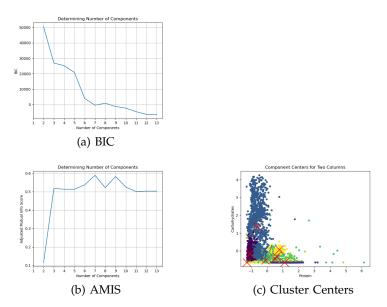


Fig. 3: NF Gaussian Mixture Method

These results suggest that GMM would benefit from further exploration of clustering parameters, or alternative clustering algorithms may be more beneficial to improve performance. A value of 8 clusters was chosen as optimal for this model, as explained above.

D. KMeans Algorithm

In figure 4(a), Inertia was analyzed. The significant decrease in inertia from 2 to 8 clusters suggests that adding more clusters improves the compactness of the clusters and reduces the variance within the cluster. Beyond 8 clusters, the decrease in inertia slows down, indicating diminishing returns in cluster compactness.

In figure 4(b), ARS was analyzed. The increase in ARS from 2 to 3 clusters suggests that adding more clusters initially improves the agreement with true labels. However, the drop in ARS after 5 clusters suggests that adding more clusters beyond this point leads to a decrease in agreement with true labels, indicating overfitting or capturing noise as separate clusters.

In figure 4(c), I plotted the cluster centers. The analysis of cluster centers at 8 clusters shows some separation between clusters but also some overlap. The overlap suggests that some clusters may have similar centroids or that the data points within these clusters have overlapping feature distributions.

These results suggest that KMeans would benefit from further exploration of clustering parameters or alternative clustering algorithms may be more beneficial to improve performance. A value of 8 clusters was chosen as optimal for this model, as explained above.

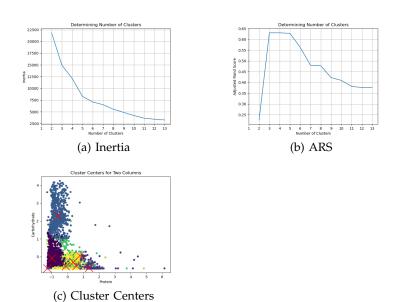


Fig. 4: NF KMeans Algorithm

III. STEP 2

My hypothesis with regard to dimensionality reduction techniques is that these techniques will efficiently extract and preserve the most informative features from the datasets while discarding redundant or noisy attributes.

PCA performs eigenvalue decomposition on the data and projects it to a lower dimension preserving maximum variance. ICA is a technique that aims to separate a multivariate signal into additive, statistically independent components by assuming that the observed data are independent and non-Gaussian. SRP is a technique that uses random projection matrices to project data to a lower dimensional space. Hessian LLE is a nonlinear-dimensionality reduction technique that embeds data into a lower-dimensional space by approximating the local geometry by fitting a quadratic surface.

The explained variance ratio indicates the proportion of variance in the original data explained by each principal component. Kurtosis is a measure of the "tailedness" of the probability distribution of a dataset, where high kurtosis indicates non-Gaussianity in the projected data. The reconstruction error measures the difference between the original data and the data reconstructed. A pair plot of two components visualizes the data in the reduced space which helps in understanding the relationships between data points in the reduced space.

Cardiovascular Disease

A. Principal Component Analysis

In figure 5(a), explained variance ratio was analyzed. The rise in explained variance ratio from 0.4 to 0.82 at 3 components and from 0.82 to 0.94 at 4 components indicates that adding more components captures a larger portion of the variance in the data. This suggests that the first few principal components explain a significant amount of the variance in the dataset, with additional components capturing smaller amounts of variance.

In figure 5(b), a pair plot of the first two components was used to evaluate components. The pair plot of components shows that both components are Gaussian distributed, indicating that they capture similar patterns or structures in the data. However, the pair plot also shows that, when plotted together,

the data points form a horizontal blob, suggesting that the two components are not correlated.

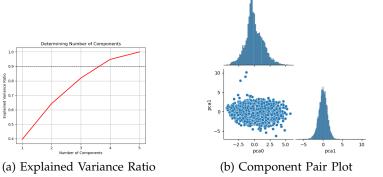


Fig. 5: CVD PCA Algorithm

A value of 3 components was chosen as optimal for this model, as explained above.

B. Independent Component Analysis

In figure 6(a), kurtosis was analyzed. The steady value in kurtosis from 1 to 2 components suggest some Gaussian structure in the data. A rise from 2 to 4 components, suggest a non-Gaussian structure, while a drop at 5 components, suggests a slight change in the non-Gaussian structure captured by the independent components. The initial rise in kurtosis indicates an increase in non-Gaussianity as more components are added, while the subsequent drop suggests a decrease in non-Gaussian structure beyond four components.

In figure 6(b), a pair plot of the first two components was used to evaluate components. The pair plot of two components shows that one component is Gaussian, while the other has a bit of a right tail, indicating some non-Gaussian structure. However, when plotted together, the data points form a vertical blob, suggesting no correlation and some independence.

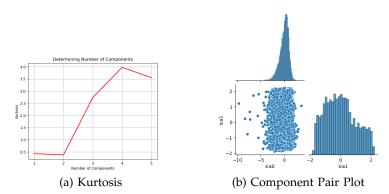


Fig. 6: CVD ICA Algorithm

A value of 4 components was chosen as optimal for this model, as explained above.

1) Sparse Random Projections: In figure 7(a), reconstruction error was analyzed. The decrease in reconstruction error from 0.9 to 0.6 from 1 to 3 components, from 0.6 to 0.2 at 4 components, and from 0.2 to 0 at 5 components indicates that adding more components improves the quality of the dimensionality reduction. Lower reconstruction errors suggest that the lower-dimensional representation effectively captures the essential information from the original data.

In figure 7(b), a pair plot was used to analyze the results. The pair plot of two components shows that both components are Gaussian distributed, indicating that they capture similar patterns or structures in the data. However, when plotted together, the data points form a horizontal blob, suggesting that the two components are not correlated.

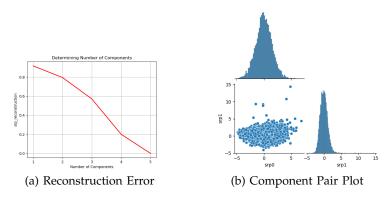


Fig. 7: CVD SRP Algorithm

A value of 4 components was chosen as optimal for this model, as explained above.

2) Hessian Locally Linear Embedding: In figure 8(a), reconstruction error was analyzed. The decrease in reconstruction error from -0.25 to -2.5 from 2 to 4 components and from -2.5 to -4.25 from 4 to 5 components indicates that adding more components improves the quality of the reduction of dimensionality. Lower reconstruction errors suggest that the lower-dimensional representation better preserves the local relationships in the original data.

In figure 8(b), a pair plot was used to evaluate the components. The pair plot of two components shows that both components appear as straight vertical bars at 0.0, suggesting that they do not capture meaningful variation in the data at this scale, but that zooming in on the axis might show more information. When plotted together, the data points show no discernible structure, indicating there is no correlation between components.

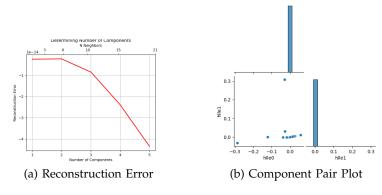


Fig. 8: CVD HLLE Algorithm

A value of 4 components was chosen as optimal for this model, as explained above.

Nutrition Facts

C. Principal Component Analysis

In figure 9(a), explained variance ratio was analyzed. The rise in explained variance ratio from 0.3 to 0.82 at 3 components

and from 0.82 to 0.98 at 4 components indicates that adding more components captures a larger portion of the variance in the data. This suggests that the first few principal components explain a significant amount of the variance in the dataset, with additional components capturing smaller amounts of variance.

In figure 9(b), a pair plot of the first two components was used to evaluate components. The pair plot of components one and two shows that both components have a distribution that is non-Gaussian, indicating that they don't capture similar patterns or structures in the data. However, the pair plot also shows that, when plotted together, the data points seem to have a negative correlation to zero, and then positive correlation to 15. This suggests some nonlinear relationship between the two components.

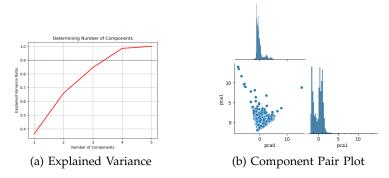


Fig. 9: NF PCA Algorithm

A value of 3 components was chosen as optimal for this model, as explained above.

D. Independent Component Analysis

In figure 10(a), kurtosis was analyzed. The steady value in kurtosis from 1 to 3 components suggests some Gaussian structure in the data. A rise from 3 to 4 components, suggests a non-Gaussian structure, while steadiness from 4 to 5 components, suggests no change in the non-Gaussian structure captured by the independent components.

In figure 10(b), a pair plot of the first two components was used to evaluate components. The pair plot of two components shows that both components might have a Gaussian distribution. However, when plotted together, the data points form a "cornered" shape, suggesting no correlation and some independence.

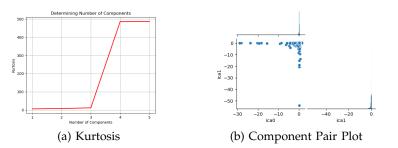


Fig. 10: NF ICA Algorithm

A value of 4 components was chosen as optimal for this model, as explained above.

1) Sparse Random Projections: In figure 11(a), reconstruction error was analyzed. The decrease in reconstruction error from 0.8 to 0.55 from 1 to 3 components, from 0.55 to 0.2 at 4 components, and from 0.2 to 0 at 5 components indicates that adding more components improves the quality of the dimensionality reduction. Lower reconstruction errors suggest that the lower-dimensional representation effectively captures the essential information from the original data.

In figure 11(b), a pair plot was used to analyze the results. The pair plot of two components shows that both components have a Gaussian-like distribution, but with two humps. This indicates that they capture somewhat similar patterns or structures in the data. However, when plotted together, the data points show a negative correlation, suggesting some more investigation is required.

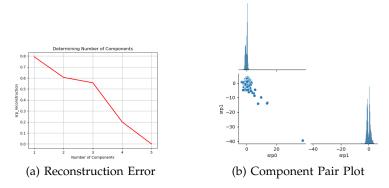


Fig. 11: NF SRP Algorithm

A value of 4 components was chosen as optimal for this model, as explained above.

2) Hessian Locally Linear Embedding: In figure 12(a), reconstruction error was analyzed. The decrease in reconstruction error from -0.25 to -0.55 from 1 to 2 components and from -0.25 to -1.5 from 3 to 5 components indicates that adding more components improves the quality of the reduction of dimensionality. The increase in error from 2 - 3 components is concern and should be investigated.

In figure 12(b), a pair plot was used to evaluate the components. The pair plot of two components shows that both components appear as straight vertical bars at 0.0, suggesting that they do not capture meaningful variation in the data at this scale, but that zooming in on the axis might show more information. When plotted together, the data points show no discernible structure, indicating there is no correlation between components.

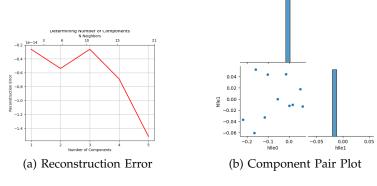


Fig. 12: NF HLLE Algorithm

A value of 4 components was chosen as optimal for this model, as explained above.

IV. STEP 3

My hypothesis is that by reducing the dimensionality of the data, the clustering algorithms will operate in a more condensed feature space forcing clearer boundaries.

Cardiovascular Disease

A. Sparse Random Projection and KMeans

In figure 13(a), the Calinski score is analyzed. The decrease in the Calinski score as the number of clusters increases suggests that the clusters become less well defined or separated as more clusters are added. This decrease in score indicates that the clustering algorithm is overfitting the data or capturing noise as separate clusters, leading to less cohesive clusters. This lead me to choosing two clusters.

In figure 13(b), AMIS was analyzed to help compare the 2 clusters to the ground truth labels, of which there are two. The AMIS continue to decrease as the number of clusters increase, suggesting reduced agreement between clustering and results. While the max score here is two, the value is still much lower than 1, suggesting that even though two clusters were optimal from Calinski, the clusters did not agree much with the ground truth.

In figure 13(c), I plot the cluster centers. After dimensiona reduction and finding two clusters, this scatter plot looks remarkable. The model appears to have found a good split between the data with only minor overlap at the center.

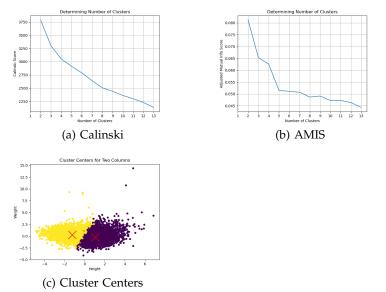


Fig. 13: CVD KMeans and SRP

While the clusters look well-defined, it's worth more investigation to determine in what ways these clusters differ from the ground truth.

B. Hessian Locally Linear Embedding and KMeans

In figure 14(a), Inertia was analyzed. The significant decrease in inertia from 2 to 4 clusters suggests that adding more clusters improves the compactness of the clusters and reduces the variance within the cluster. Beyond 4 clusters, the decrease in

inertia slows down, indicating diminishing returns in cluster compactness. This lead me to choosing four clusters.

In figure 14(b), ARS was analyzed. The zigzag and decreasing pattern suggest that with more clusters there model grows farther away from the ground truth. The peaks are at 2 and 4, with 4 appearing to be slightly higher. After 4, there is marked drop in agreement.

In figure 14(c), I plot the cluster centers. These clusters are far apart and don't appear to be well-defined. Using HLLE doesn't appear to be the best model as it's not capturing meaningful variation in the data.

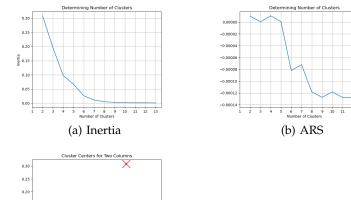


Fig. 14: CVD KMeans and HLLE

While four clusters came out of this analysis, it's worth exploring HLLE some more to address some issues seen in the scatter plot. It could also be the case that there are no nonlinear relationships in the data.

Nutrition Facts

C. Sparse Random Projection and KMeans

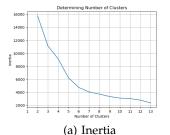
(c) Cluster Centers

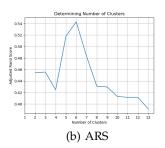
In figure 15(a), Inertia was analyzed. The significant decrease in inertia from 2 to 8 clusters suggests that adding more clusters improves the compactness of the clusters and reduces the variance within the cluster. Beyond 8 clusters, the decrease in inertia slows down, indicating diminishing returns in cluster compactness. This lead me to choose 8 clusters as optimal.

In figure 15(b), ARS was analyzed. The increase in ARS from 4 to 6 clusters suggests that adding more clusters here improves the agreement with true labels. However, the drop in ARS after 6 clusters suggests that adding more clusters beyond this point leads to a decrease in agreement with true labels, indicating overfitting or capturing noise as separate clusters. The max value here is 0.55, which while better than the CVD dataset still shows room for improvement as a score of 1 is the best agreement.

In figure 15(c), I plot the cluster centers. The overlap in cluster centers observed when plotting 8 clusters suggests that these clusters are not well-separated in the feature space. This overlap indicates that the centroids of these clusters are close together, making it difficult to distinguish them.

While 8 clusters came out of this analysis, further investigation into the affects of SRP and KMeans should be explored.





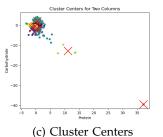


Fig. 15: NF KMeans and SRP

D. Hessian Locally Linear Embedding and KMeans

In figure 16(a), Inertia was analyzed. The significant decrease in inertia from 2 to 6 clusters suggests that adding more clusters improves the compactness of the clusters and reduces the variance within the cluster. Beyond 6 clusters, the decrease in inertia slows down, indicating diminishing returns in cluster compactness. While I initially choose 8 as the optimal number of clusters, analyzing again, I believe 6 would have been a better optimal number. If given more time, 6 clusters would be explored.

In figure 16(b), ARS was analyzed. The increase in ARS from 12 to 13 clusters with a score ranging from 0.001 to 0.007 suggests that 13 more clusters here improves the agreement with true labels. However, the score here is quite poor as a score of 1.0 is the best agreement. This indicates that Rand score, while the best of scores between those that measure agreeness to ground truth, is not a good measure at face value. This does, however, suggest that there is a lot of room to explore the affects of HLLE and KMeans.

In figure 16(c), I plot the cluster centers. These clusters are far apart and don't appear to be well-defined. Using HLLE doesn't appear to be the best model as it's not capturing meaningful variation in the data.

While eight clusters came out of this analysis, it's worth exploring HLLE some more to address some issues seen in the scatter plot. It could also be the case that there are no nonlinear relationships in the data.

V. Step 4

My hypothesis is that using dimension reduction, neural networks will to exhibit improved generalization, robustness, and interpretability. The dataset used for this step is only the CVD dataset.

A. Independent Component Analysis and Neural Network

The tuned recall for the neural network with ICA performed and $beta_1$, $beta_2$, and the max iter as default is 72%.

In figure 17(a), the increase in recall with a training size of 4600 to 4900 suggests that larger training sizes may lead to better model performance, possibly due to increased data

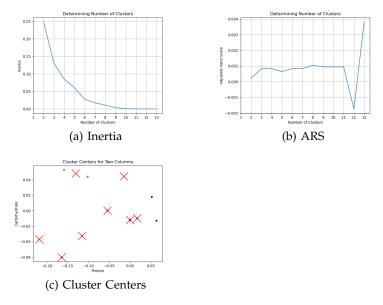


Fig. 16: NF KMeans and HLLE

availability for training. The subsequent drop in recall with a training size from 4900 to 5800 indicates that further increase in training size may not lead to further improvements and may even degrade performance.

In figure 17(b), the recall remains relatively flat with $beta_1$ between 0.2 and 0.5, suggesting that these values have little impact on the model performance. The drop after 0.5 indicates that higher $beta_1$ values may adversely affect the model's ability to capture the independent components effectively.

In figure 17(c), the drop in recall with $beta_2$ between 0.2 and 0.45 suggests that lower values may lead to worse model performance in capturing independent components. The subsequent increase suggests that increasing $beta_2$ beyond 0.45 may improve the model's ability to capture the independent components effectively.

In figure 17(d), the constant log loss between 100 and 200 iterations suggests that increasing the maximum number of iterations does not lead to significant improvements in the model's performance. This could be due to the model not yet converging or the model has already converged with fewer iterations.

B. Hessian Locally Linear Embedding and Neural Network

The tuned recall for the neural network with HLLE performed and $beta_1$, $beta_2$, and max iter as default is 75%.

In figure 18(a), the recall stays flat with a training size between 4600 and 4900 samples, suggesting that this range of training sizes does not significantly impact the model's performance. The increase in recall with a training size from 4900 to 5000 indicates that larger training sizes may lead to better model performance, possibly due to increased data availability for training. However, after 5000 there is no increase in recall.

In figure 18(b), the recall initially drops with $beta_1$ between 0.2 and 0.5, suggesting that these values may not effectively capture the local structure of the data. However, the recall increases with $beta_1$ values from 0.5 to 0.8, indicating that the $beta_1$ values within this range better preserve the local structure. The drop at 0.75 suggests that higher values of $beta_1$ may lead to a decrease in performance.

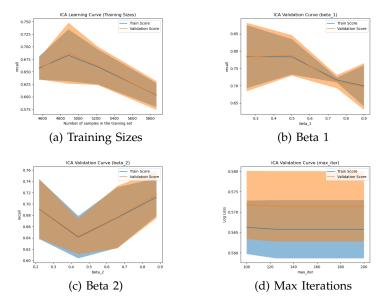


Fig. 17: ICA and NN

In figure 18(c), the recall stays flat with a $beta_2$ 2 from 0.2 to 0.4, indicating that these values have little impact on the model's performance. The drop from 0.4 to 0.65 suggests that higher $beta_2$ values may adversely affect the model's ability to capture the local structure. The flat region greater than 0.65 indicates that further increase $beta_2$ does not significantly affect recall.

In figure 18(d), the constant log loss between 100 and 200 iterations suggests that increasing the maximum number of iterations does not lead to significant improvements in the model's performance.

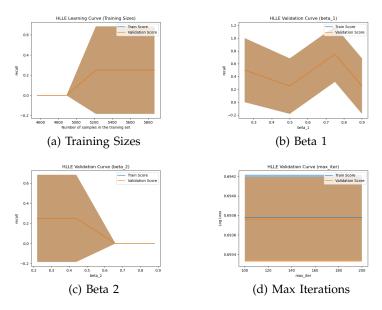


Fig. 18: HLLE and NN

VI. STEP 5

My hypothesis is that incorporating clustering results into the neural network's feature space will augment its ability to capture and leverage the inherent structure of the data. The dataset used for this step is only the CVD dataset.

A. Gaussian Mixture Method and Neural Network

The tune recall for the neural network with GMM performed and $beta_1$, $beta_2$, and max iter as default is 72%.

In figure 19(a), the increase in recall with a training size of 4600 to 4900 suggests that larger training sizes may lead to better model performance, possibly due to increased data availability for training. The subsequent drop from 4900 to 5800 indicates that further increase in training size may not lead to further improvements and may even degrade performance.

In figure 19(b), the recall remains relatively flat with $beta_1$ between 0.2 and 0.5, suggesting that these values have little impact on the model performance. The sharp increase in recall with $beta_2$ between 0.5 and 0.75 indicates that higher values of $beta_1$ may positively affect the model's ability to capture the data structure effectively. The sharp drop in recall after a $beta_1$ of 0.75 indicates that values here actually hurt the model.

In figure 19(c), the increase in recall with beta2 from 0.2 to 0.45 suggests that lower beta2 values may lead to better model performance. The subsequent decrease suggests that increasing beta2 beyond 0.45 may reduce the model's performance.

In figure 19(d), the constant log loss between 100 and 200 iterations suggests that increasing the maximum number of iterations does not lead to significant improvements in the model's performance. This could be due to the model not yet converging or the model has already converged with fewer iterations.

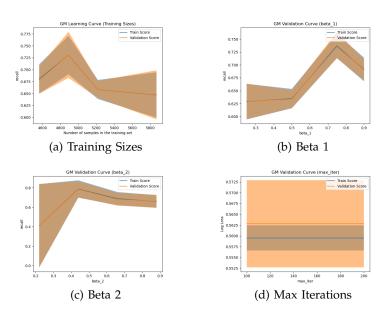


Fig. 19: GMM and NN

B. KMeans Clustering and Neural Network

The tuned recall for the neural network with KMeans performed and *beta*₁, *beta*₂, and max iter as default is 73%.

In figure 20(a), the decrease in recall with a training size of 4600 to 5200 suggests that smaller training sizes may lead to worse but not unexpected drops in model performance, due to the lack of data available for training. The subsequent increase in recall with a training size from 5200 to 5800 indicates that further increase in training size helps to improve performance.

In figure 20(b), the recall drops with $beta_1$ between 0.3 and 0.5, suggesting that these small values have a negative impact on the model performance. When $beta_1$ is between 0.5 and 0.75, there is an increase in recall of about 8%, suggesting that these

values do a good job at capturing the data structure. However, the decrease from 0.75 to 0.9 suggest the model has started to performance worse.

In figure 20(c), the increase in recall from 0.2 to 0.4 suggests that lower $beta_2$ values may lead to better model performance. The subsequent decrease suggests that increasing $beta_2$ beyond 0.45 hurts the models performance.

In figure 20(d), the constant log loss between 100 and 200 iterations suggests that increasing the maximum number of iterations does not lead to significant improvements in the model's performance. This could be due to the model not yet converging or the model has already converged with fewer iterations.

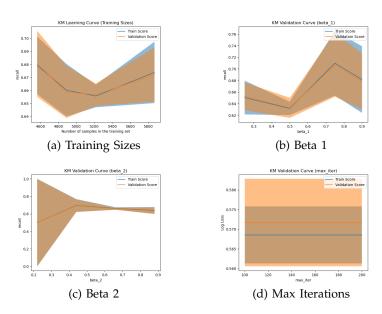


Fig. 20: KM and NN

VII. CONCLUSION

In conclusion, the methods seen in this paper stand as indispensable tools in any machine learning toolkit. From organizing unlabeled data points into meaningful clusters to uncovering the latent structure of high-dimensional datasets, each technique offers unique capabilities and insights into the underlying patterns within data. As I navigated the complexities of my two datasets the importance of these methods cannot be overstated. Whether it be for exploratory data analysis, feature extraction, or dimensionality reduction, understanding these methods empowers machine learning practitioners to extract insights and drive decision-making.

VIII. RESOURCES

- [1] Nakamura, K. (2023). ML LaTeX Template.
- [2] Data Source Nutrition Facts Database Tools and Spreadsheet. https://tools.myfooddata.com/nutrition-facts-database-spreadsheet.php.
- [3] *Data Source* Cardiovascular Disease. https://www.kaggle.com/datasets/colewelkins/cardiovascular-disease.