

Artificial Intelligence (AI)

Assignment - 1

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Qo1 Explain Iterative Deepening Depth First Search with example.

Ans DFID (Depth-First Iterative Deepening) is a graph traversal algorithm that combines the advantage of both Depth-First Search (DFS) and Breadth-First Search (BFS) algorithms. It is an uninformed search algorithm, which means that it doesn't use any heuristic information to guide its search.

Algorithm:-

Input : START and GOAL states

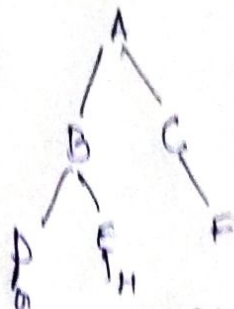
Local variables : found;

Output : yes or no

Method :

- Initialize $d = 1$ /* depth of the search tree */
found = false;
- while (FOUND = false)
do,
 • perform a depth first search from start to depth d .
 • If goal state is obtained then found = true else discard the nodes generated in the search at depth d
 • $d = d + 1$
}
- If found = true then return yes otherwise return no
- stop.

for example :-



- Starting from the root node A, DFS performs DFS with a depth limit of 1, then with depth limit 2 and so on, until all nodes in the tree have been visited.
- In the first iteration, DFS starts with A with a depth limit of 1. It visits B and C, but doesn't visit their children because they are beyond the depth limit. The algorithm then backtracks to A.
- In the second iteration DFS starts again from A, but with a depth of limit 2. This time it visits B, C, D, E, F. But doesn't visit H, because it's out of the depth. Then algorithm backtracks.
- In the third iteration DFS starts from A with a depth limit of 3. It visits all the nodes in the graph and the algorithm terminates.

Q.2 What is constraint satisfaction? solve following cryptographic puzzle using constraint satisfaction procedure:

Four
+ NICE

FOUND

SEND
+ MORE

MONEY

Any constraint satisfaction refers to the process of finding a solution to a problem where certain constraints must be satisfied. It is the task of finding a combination of values for a set of variables that meets all the requirements of a constraint problem.

Q.2

$$\begin{array}{r} \text{D) SEND} \\ \text{MORE} \\ \hline \text{MONEY} \end{array}$$

$$\Rightarrow \begin{array}{r} \begin{array}{cccccc} C_4 & C_3 & C_2 & C_1 & D & \\ & S & E & N & & \\ + & M & O & R & E & \\ \hline M & O & N & E & Y & \end{array} \end{array}$$

$$M=1, C_4=1.$$

$$\text{then, } S+1+C_3 > 9$$

$$S+C_3 > 8.$$

$$S=9$$

$$\text{then } C_3=1$$

$$O=0.$$

$$E+0+C_2=N$$

$$E+C_2=N \quad \because (E \neq N)$$

$$\text{therefore } C_2=10$$

$$\text{assume } E=5$$

$$\text{then } N=6.$$

$$C_1+N+R=E$$

$$C_1+6+R=15$$

$$\text{let } C=1, \text{ then}$$

$$7+R=15$$

$$R=8.$$

$$D+5 > 9. \text{ remained numbers are } \{2, 3, 4, 7\}$$

$$\text{so, } D=7.$$

$$Y=2.$$

$$\begin{array}{r} \text{so, } \begin{array}{r} 9567 \\ \text{SEND} \\ 1085 \\ + \text{MORE} \\ \hline \text{MONEY} \\ 10682 \end{array} \end{array}$$

$$\begin{array}{r} \text{FOUR} \\ + \text{NICE} \\ \hline \text{FOUND} \end{array} \Rightarrow$$

$$\begin{array}{cccc} C_4 & C_3 & C_2 & C_1 \\ & F & O & U & R \\ & M & I & C & E \\ \hline & F & O & U & N & D \end{array}$$

$$F = C_4$$

$$F = 1.$$

$$C_3 + F + M = 0$$

$$\text{let } C_3 = 0$$

$$\text{then } 1 + M = 0$$

$$M = 9$$

$$\text{so, } 0 = 0.$$

$$C_2 + O + I = 4$$

$$\text{let } C_2 = 1,$$

then

$$1 + I = 4$$

$$\text{assume } I = 6$$

$$\text{then } U = 7.$$

$$C_1 + 7 + C = N$$

$$\text{let } C_1 = 1$$

then

$$8 + C = N$$

$$\text{let } C = 4,$$

$$\text{then } N = 2.$$

After that

$$R + E > D.$$

$$R = 8, E = 5$$

$$D = 3.$$

$$0 - 0$$

$$1 - F$$

$$2 - N$$

$$3 - D$$

$$4 - C$$

$$5 - E$$

$$6 - I$$

$$7 - U$$

$$8 - R$$

$$9 - M$$

equation:-

$$\begin{array}{r} 1078 \\ \text{FOUR} \\ + 9645 \\ \hline \text{+ NICE} \\ \hline \text{FOUND} \\ 10723 \end{array}$$

Q.3 What is Uniform cost search? Explain with example.

Ans In Uniform cost search method, cost function is designed that assign cumulative expense to the path from start node to the current node x by applying the sequence of operators.

While generating a search space, a least cost path obtained so far is expanded at each iterations till we reach to goal state.

for example:- in travelling salesman problem, $g(x)$ may be the actual distance travelled from start to current node x . During search process, there are many incomplete paths contending for further consideration. The shortest one is always expanded one level further, then new paths along with old ones are shortest path is always chosen for extension, with the value of cost function ' g ', the path which reaching to the goal is certain to be optimal; but it is not guaranteed to find the solution quickly.

Algorithm:-

Input: start and goal states

Local variable: open, closed, Node, Success, found;

Output: yes or no

Method:

- Initially store the root node with $g(\text{root}) = 0$ in a open list;
closed = ϕ ; found = false;
- While (open $\neq \phi$ and found = false) do
{ Remove the top element from open list and call it Node;
if Node is the goal Node, then found = true else


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    }
    put Node in closed list;
    • find success of Node, if any, and compute their g'
      values and store them in open list;
    • store all the nodes in the open list based on their
      cost-function value;
  }
} /* end while */

```

- If found = true then return Yes otherwise return No.
- Stop.

Q.4 What is water Jug problem? Explain with an production rules to find a possible solution for water Jug problem.

Problem Statement:-

We have two jugs, a 5-gallon (5-g) and the other 3-gallon (3-g) with no measuring markers on them.

There is endless supply of water through tap. Our task is to get 4 gallons of water in the 5-g jug.

Solution:-

State space for this problem can be described as the set of ordered pairs of integers (x, y) such that x represents the number of gallons of water in 5-g jug and y for 3-g jug.

production sum for water jug problem.

Rule No.	Left of rule	Right of rule	Description
1	$(x, y \mid x < 5)$	$(5, y)$	fill 5-g jug
2	$(x, y \mid x > 0)$	$(0, y)$	empty 5-g jug
3	$(x, y \mid y < 3)$	$(x, 3)$	fill 3-g jug
4	$(x, y \mid y > 0)$	$(x, 0)$	empty 3-g jug
5	$(x, y \mid x + y \leq 5 \wedge y > 0)$	$(x + y, 0)$	empty 3-g into 5-g jug
6	$(x, y \mid x + y \leq 3 \wedge x > 0)$	$(0, x + y)$	empty 5-g into 3-g jug
7	$(x, y \mid x + y \geq 5 \wedge y > 0)$	$(5, y - (5 - x))$	pour water from 3-g jug into 5-g jug
8	$(x, y \mid x + y \geq 3 \wedge x > 0)$	$(x - (3 - y), 3)$	pour water from 5-g jug until 3-g jug is full.

Solution:-

Rule applied	5-g jug	3-g jug	Step No
Start state	0	0	
1	5	0	1
2	2	3	2
3	2	0	3
4	0	2	4
6	5	2	5
1	4	3	6
8	4	-	
Goal state			