Tópicos especiais em Inteligência Computacional

Aprendizado por Reforço Exercício 4: Actor-Critic

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In all previous exercises, the action space was discrete (North, South, East, West; or -3V, 0V, 3V). However, for many applications in robotics this leads to high-frequency chattering. To deal with continuous action spaces, the policy has to be represented explicitly, instead of being derived from the value function. One class of methods that do this are the Actor-Critic methods. In this exercise, you will implement two of these and compare them.

The prerequisites are the same as for the previous exercise, so should already be installed. If not, open the Anaconda Prompt and run

```
(base) C:\Users\You> conda install swig
(base) C:\Users\You> pip install tensorflow gym[box2d]
```

1 Understanding the code

The Python code for this exercise (ex4.py) contains one function and three classes, see Table 1.

Table 1: Main functions and classes	
ex4.rbfprojector	Gaussian Radial Basis Function projector.
ex4.DDPG	Deep Deterministic Policy Gradient network.
ex4.Memory	Replay memory.
ex4.Pendulum	Pendulum swing-up environment.
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Exercise 1.1 Whereas to evaluate the DQN network, a state and action were required, the DDPG network's critic function allows us to evaluate a state by itself. What is the return value in that case?

2 Linear state-value actor-critic

In linear approximations, a function f(x) is approximated as $\hat{f}(x;\theta) = \theta^T \phi(x)^1$, where θ is the parameter vector and ϕ is a function that projects the state x onto a feature vector. In this exercise, ϕ projects onto Gaussian radial basis functions, and is implemented in rbfprojector.

Exercise 2.1 Create an RBF projector feature that projects onto 5 basis functions per dimension, with width 0.1. Create a feature vector theta of all ones with the same size as the parameter vector (use len(feature([0, 0, 0])) and plot the resulting approximation using env.plotlinear(theta, feature), where env is a Pendulum object. It should look something like Figure 1.

Exercise 2.2 Count the number of basis functions in the figure and compare it to the feature vector size. Explain the result. How does this relate to the sine-cosine representation used by the Pendulum environment?

Exercise 2.3 Alter the main simulation loop from Exercise 3 to solve the Pendulum problem using linear state-value actor-critic with Gaussian radial basis functions. Use 21 functions per dimension with width 0.25. Start with an initial exploration rate of $\sigma=1$ and decay it by 0.99 every episode. Set the critic learning rate $\alpha=0.2$, actor learning rate $\beta=0.01$, and discount rate $\gamma=0.99$.

After training, plot the learning curve and approximators. For the latter, use env.plotlinear(w, theta, feature). The results should be similar to Figure 2.

Exercise 2.4 Measure the performance in three ways:

¹in Python: np.dot(theta, feature(x)).

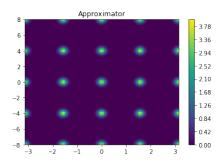


Figure 1: Gaussian radial basis functions

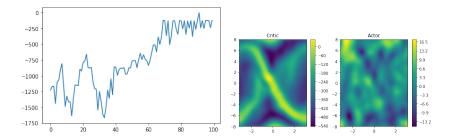


Figure 2: Results of training linear state-value actor-critic on the Pendulum problem.

- rise time: how many episodes does it take for the learning to converge? Use the point at which the episode reward is consistently above -500.
- end performance: the reward obtained after training. Use a separate run of 100 episodes where exploration and learning is disabled, and average the episode rewards.
- computation time: how long it took to train 100 episodes. Use time.time().

Run the training a few times and average the results to get statistically meaninful information.

3 Deep Deterministic Policy Gradient

Now we move to a nonlinear representation, with the required stabilization mechanisms (replay memory, target network). The Deep Deterministic Policy Gradient algorithm estimates the value function (critic) in the same way as Deep Q learning you implemented in Exercise 3, but additionally trains a policy (actor) using the gradient

$$\nabla_{\theta} J_{\mathbf{r}}(\theta) = E_{\pi_{\theta}} \left\{ \nabla_{\theta} Q^{\pi_{\theta}}(s, \pi(s; \theta)) \right\}, \tag{1}$$

that is, moving the policy parameters such that they maximize the Q function.

Exercise 3.1 Implement DDPG. Use DDPG.critic to read the value function and DDPG.actor to read the policy. Note that the DDPG.train function already handles the training of the actor using the gradient in Equation 1. Make sure to multiply the actor's value by 2, as the network output is limited to [-1,1] while the Pendulum's actions are in the range [-2,2]. Update the target network every 200 steps.

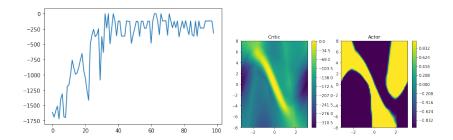


Figure 3: Results of training DDPG on the Pendulum problem.

After training, plot the learning curve and approximators. For the latter, use env.plotnetwork(ddpg). The results should be similar to Figure 3.

Exercise 3.2 Measure the same statistics as for linear state-value actor-critic, and compare the results. Explain.

Exercise 3.3 Run both algorithms with $\sigma=2$ during the entire training (so without the exploration schedule). Compare their median end performances and explain the results in terms of the stochasticity of the policy being optimized.

Send your report in pre-executed ipynb format to wouter@ele.puc-rio.br.