



MACHINE LEARNING **BOOTCAMP**

Hello there,



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Field of study : ARTIFICIAL INTELLIGENCE





What we will see ?

1

What is supervised Machine Learning

2

Some supervised Machine Learning
Examples

3

Some common supervised Machine
Learning Algorithms

4

Challenge



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Before we start what about a quick Recall?



Machine Learning?

Machine Learning is the field of study that gives computers the ability to learn without being explicitly programmed. —Arthur Samuel, 1959



**Let make it more
engineer oriented**

A computer program is said to learn from experience E with respect to some task T and some performance measure P , if its performance on T , as measured by P , improves with experience E .

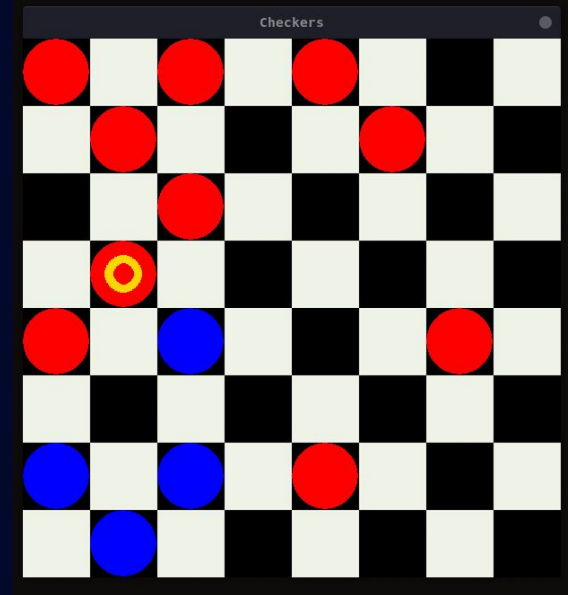
—Tom Mitchell, 1997



Let put it in a example

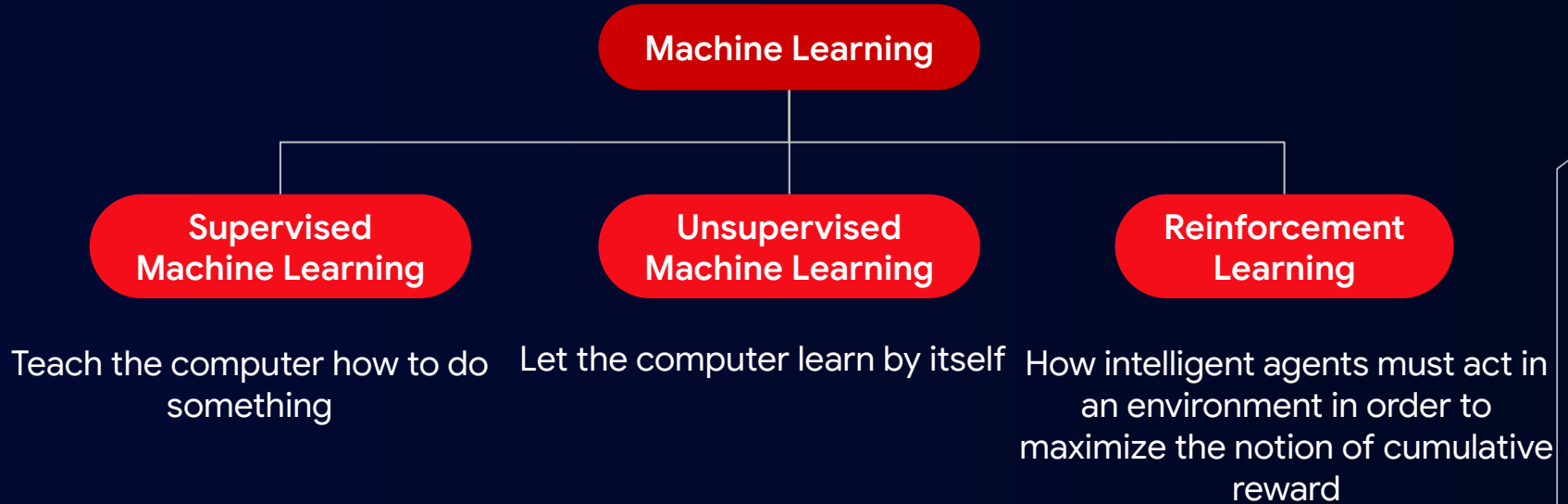
Let consider a checkers playing:

- The **experience E** : would be the experience of having the program play tens of thousands of games itself.
- The **task T** : would be the task of playing checkers,
- The **performance measure P** : will be the probability that wins the next game of checkers against some new opponent.



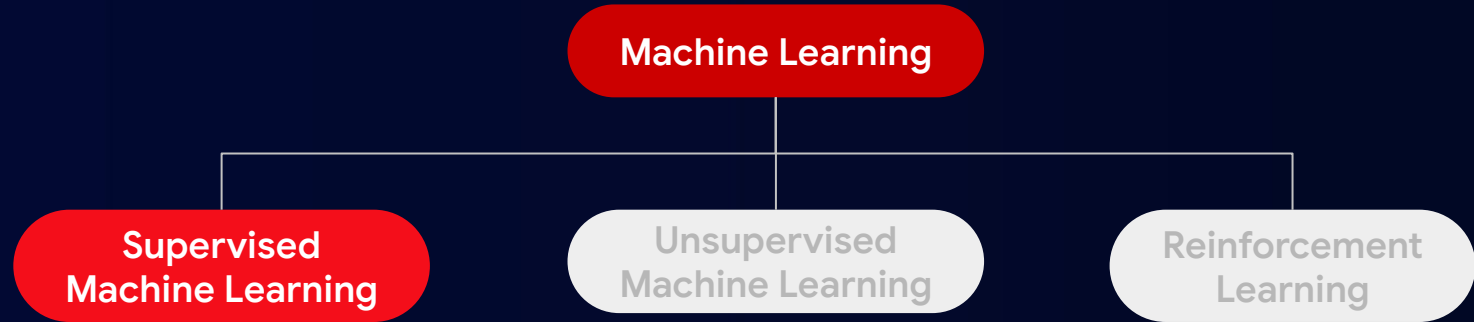


Machine Learning systems





Machine Learning systems



Our focus !!



Supervised Machine Learning



Let's define it

We provides the algorithm with
pairs of **inputs** and desired
outputs (target).

Serial	X1	X2	Y
1	96	1989	no
2	128	1986	yes
3	81	1996	no

That way when the algorithm is
facing a **new** input he will find the
way to produce the desired output



Supervised Machine Learning Types

Based on the type of our output (target) Supervised Machine Learning can be categorized into two.



Target values are **discrete** classes

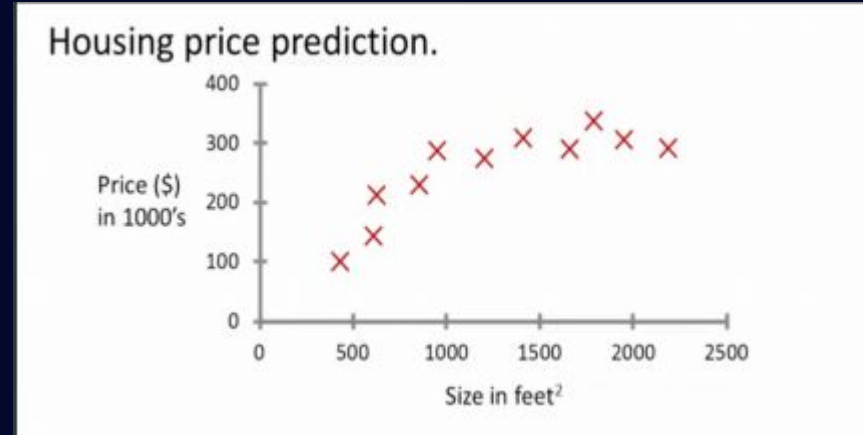
Target values are **continuous** values



Regression

Let us take an example:

- You are given a plotting data for some houses.
- Given this data, let's say you have a friend who owns a house that is say 750 square feet, and they are hoping to sell the house, and they want to know how much they can get for the house.

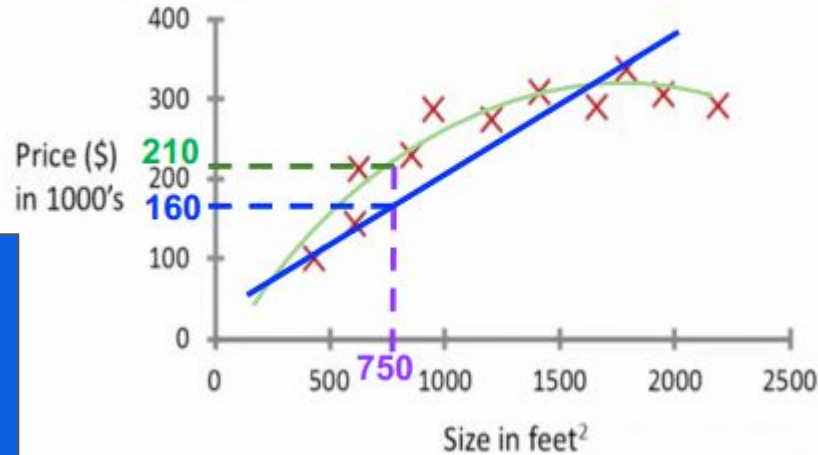


Notice that the learning algorithm is trying to predict a
“continuous valued output”



Regression

Housing price prediction.



One possible way is to fit a straight line through the data. This can predict the price at 160k\$

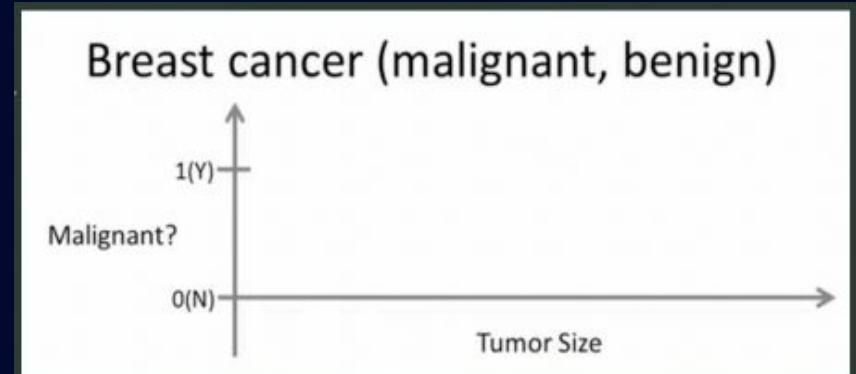
Another possible is to fit a quadratic function, or a second-order polynomial to this data. This can predict the price at 210k\$



Classification

Let see an example in this case:

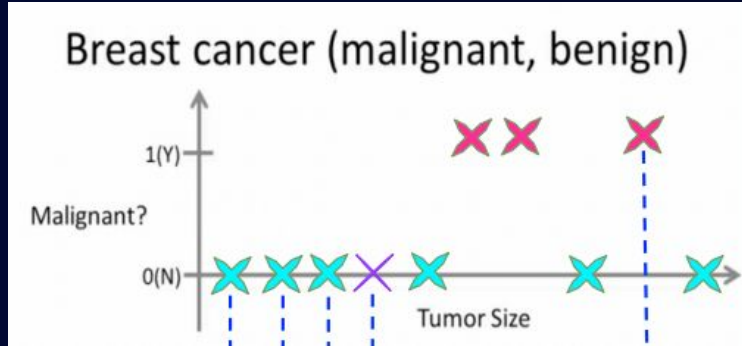
- Doctors look at medical records and try to predict of a breast cancer as malignant (harmful) or benign (harmless).
- Suppose that you have a set of data collected. The examples of tumors we are seeing are malignant, which is one, or benign , which is zero.



Notice that the learning algorithm is trying to predict a
“discrete valued output (0 or 1) ”

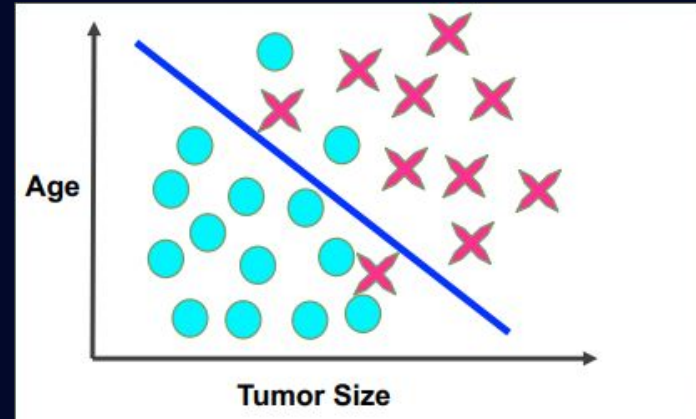


Classification



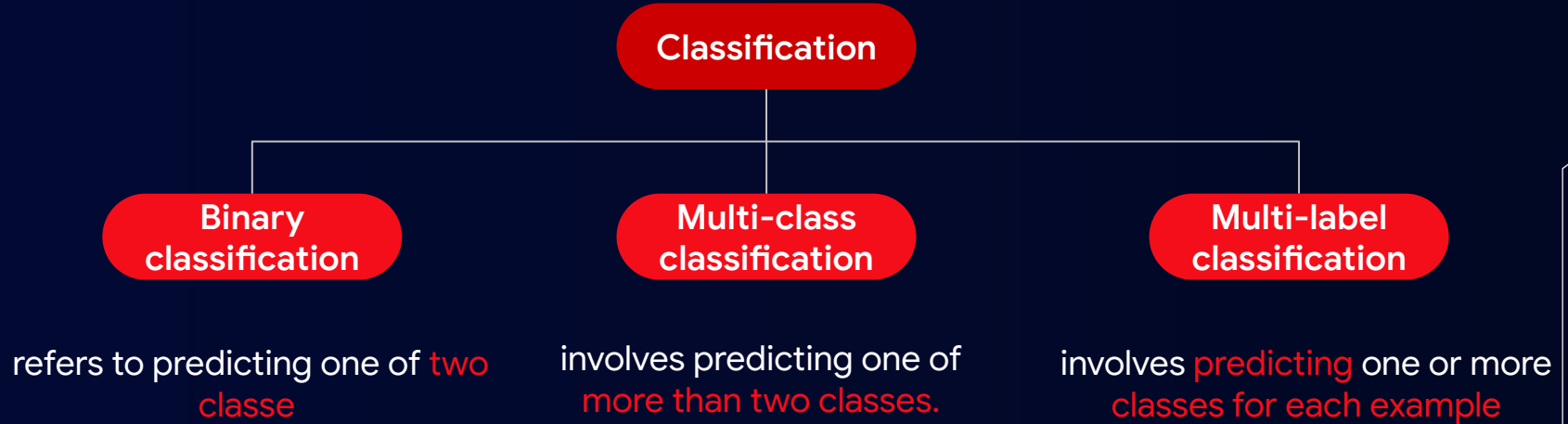
One feature (tumor size)

Two features (tumor size and age)





Classification Types





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	Classification	Regression	Output (target)
House pricing	✗	✓	<ul style="list-style-type: none">• The price (continuous value)
How is the weather forecasting?	✗	✓	<ul style="list-style-type: none">• The forecast (continuous value)
Is the Email a spam	✓	✗	<ul style="list-style-type: none">• Two classes : Spam or not a spam
Is it a cat or a dog?	✓	✗	<ul style="list-style-type: none">• Two classes : cat or dog
Salary of a person	✗	✓	<ul style="list-style-type: none">• The salary (continuous value)



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Data Split

($n > 1,000$ instances)

Train-Test Split

Training dataset: Used to train our model

Test dataset: Used to evaluate the trained model.

Common split percentages include:

Train: 50%, Test: 50%

Train: 70%, Test: 30% ($n < 10,000$)

Train: 80%, Test: 20%

Train-Validation-Test Split

Training dataset: Used to train a few candidate models

Validation dataset: Used to evaluate the candidate models

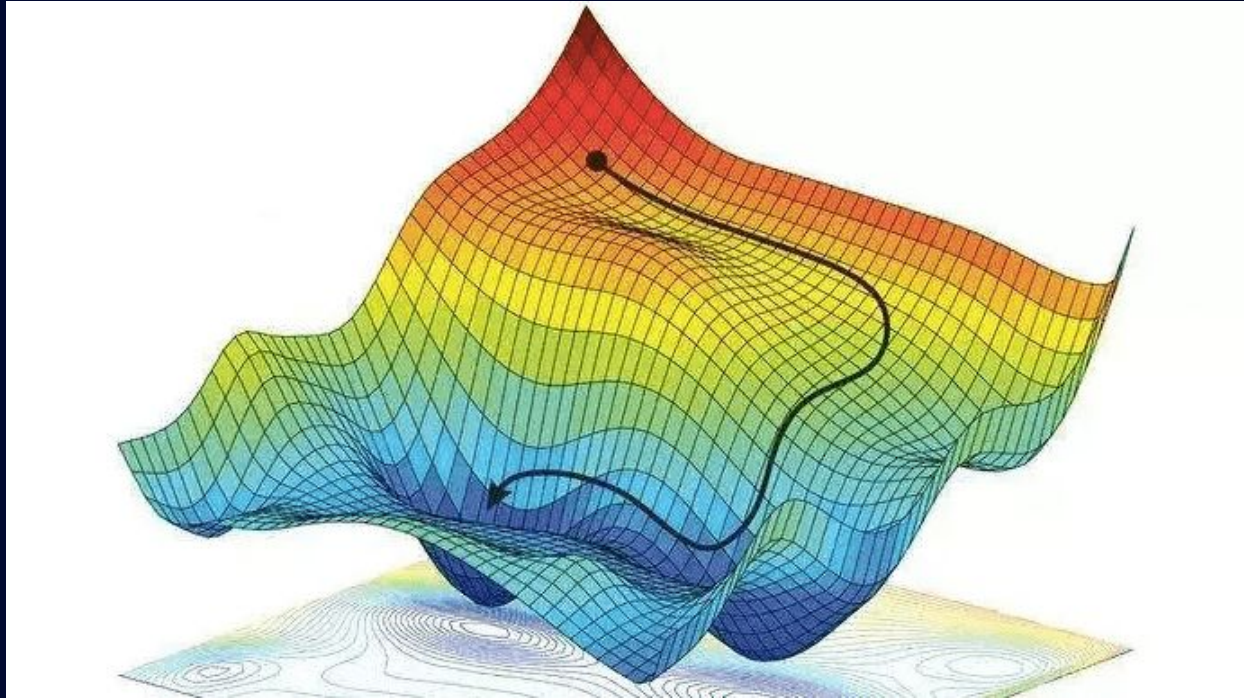
Test dataset: Used to evaluate the candidate model.

Confusion Matrix

		True Class	
		Positive	Negative
Predicted Class	Positive	TP	FP
	Negative	FN	TN

A Confusion Matrix is a tool to measure the performance of a Machine Learning model by checking how often its predictions are accurate in relation to reality in classification problems.

You should also know **Gradient Descent**





What is Gradient Descent ?

Gradient descent is a popular optimization algorithm that is used when training a machine learning model.

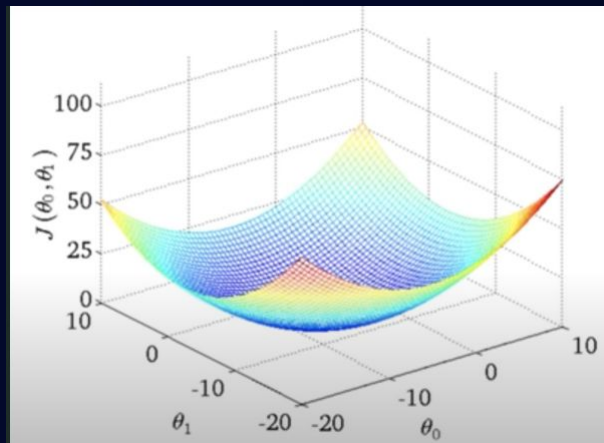
Based on a **convex function**, the algorithm tweaks its parameters iteratively to minimize a given function called cost function.



What is **Convex** function ?

Informally a convex function means a bowl shaped function.

This function doesn't have any local optima except for the one global optimum.





What is **Learning rate** ?

The learning rate (α) controls how big a step is taken downhill with creating descent.

- If α is very large, then that corresponds to a very aggressive gradient descent procedure where a huge steps are taken downhill
- If α is very small, then little baby steps are taken downhill.



Gradient Descent Types

Gradient Descent

Batch Gradient Descent

Batch gradient descent calculates the error for each example within the training dataset, but only after all training examples have been evaluated does the model get updated

Stochastic Gradient Descent

stochastic gradient descent (SGD) updates the parameters for each training example one by one.

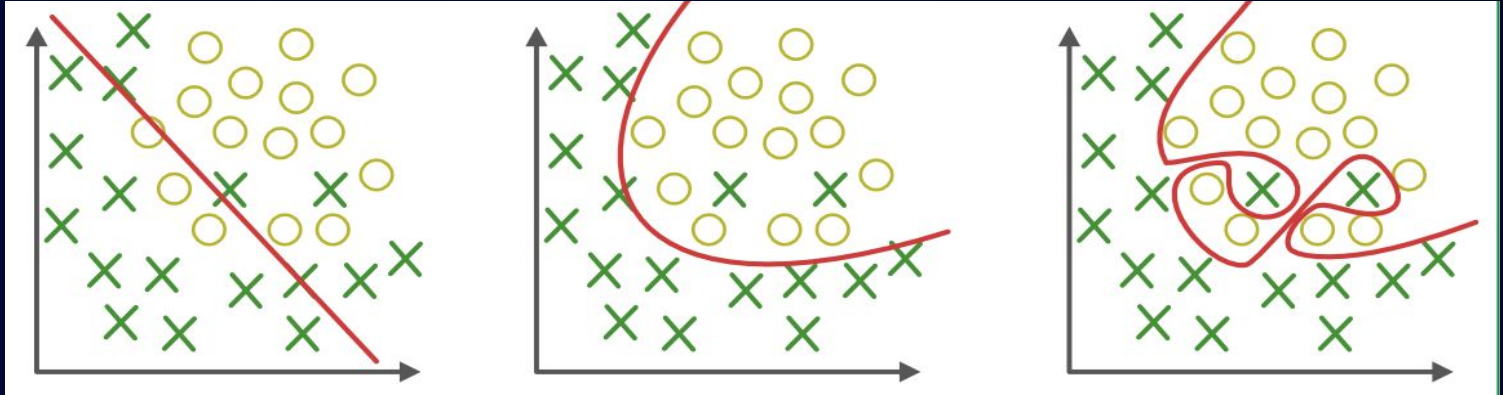
Mini-Batch Gradient Descent

Mini-batch gradient descent is a combination of the concepts of SGD and batch gradient descent. It simply splits the training dataset into small batches (best are 50 and 256) and performs an update for each of those batches.

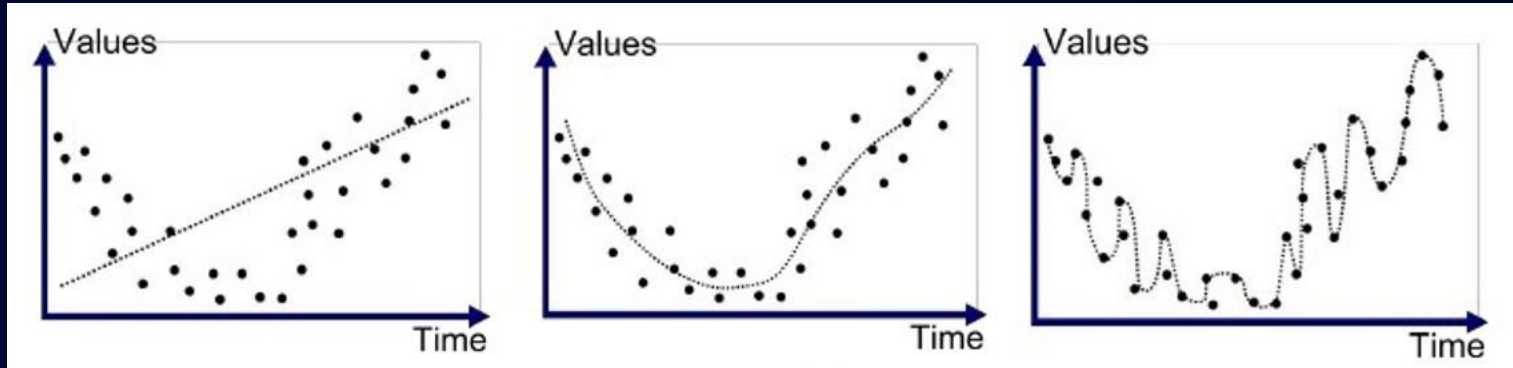
Some common supervised Machine Learning Algorithms

k-Nearest Neighbors
Linear Regression
Logistic Regression
Support Vector Machines (SVMs)
Decision Trees and Random Forests
Neural networks

**But before we start learning about Algorithms, Take
a look at this classification examples !!**

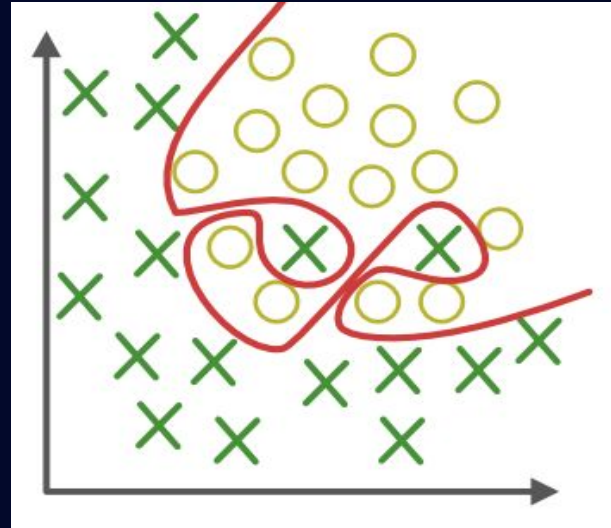
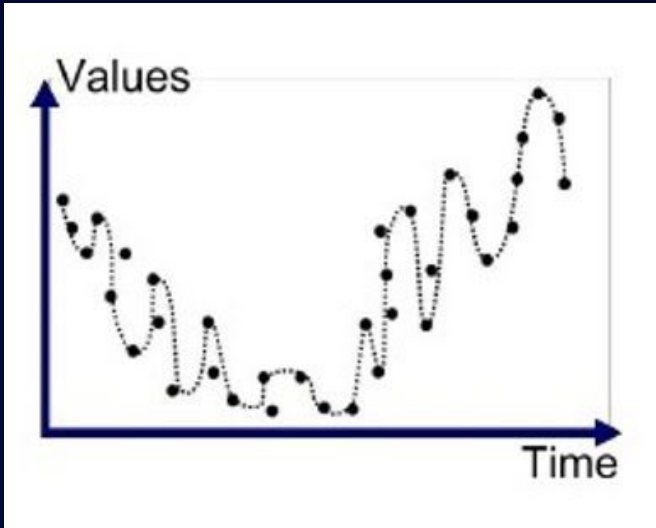


Now at this regression examples !!



Did you Notice something ?

Let's take a closer look



Over-fitting



What is Over-fitting ?

When a model performs very well for training data but has **poor performance with test data (new data)**, it is known as overfitting.



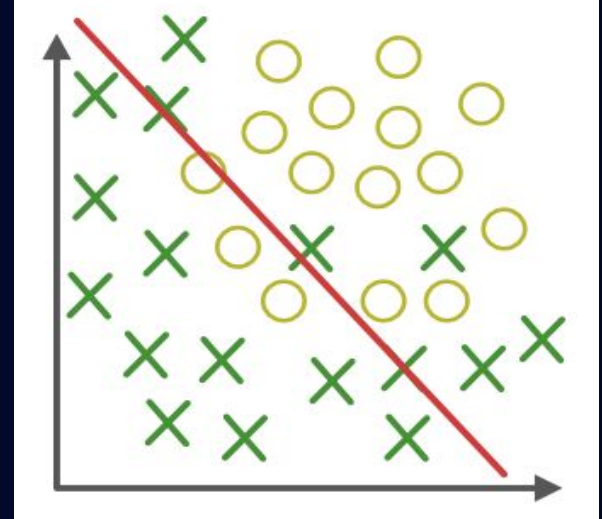
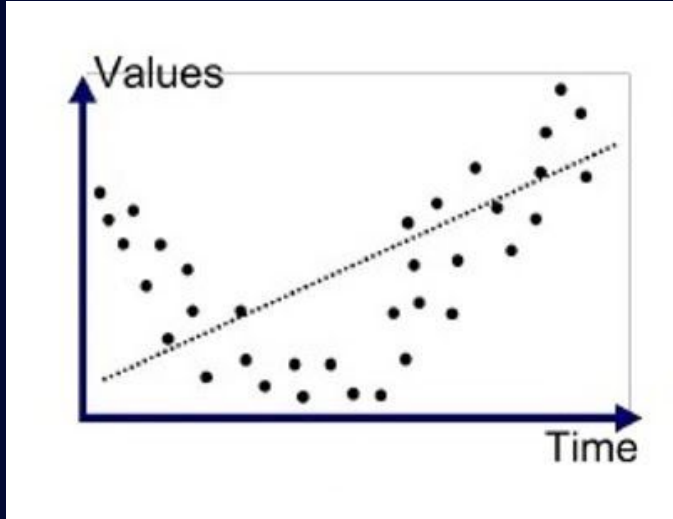
Reasons for Over-fitting ?

- Data used for training is not cleaned and contains noise in it.
- Due to low bias and high variance.
- The size of the training dataset used is not enough
- The model is too complex



Ways to deal with Over-fitting ?

- Using Regularization techniques
- Using K-fold cross-validation
- Training model with sufficient data



Under-fitting



What is Under-fitting ?

When a model has not learned the patterns in the training data well and is **unable to generalize** well on the new data.

An underfit model has **poor performance on the training data** and will result in unreliable predictions.



Reasons of Under-fitting ?

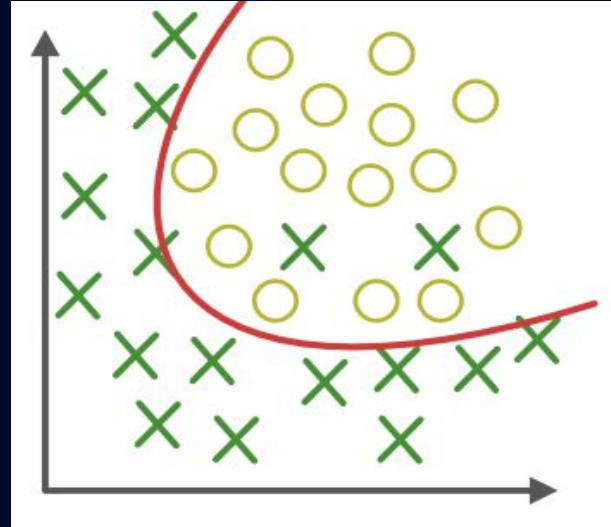
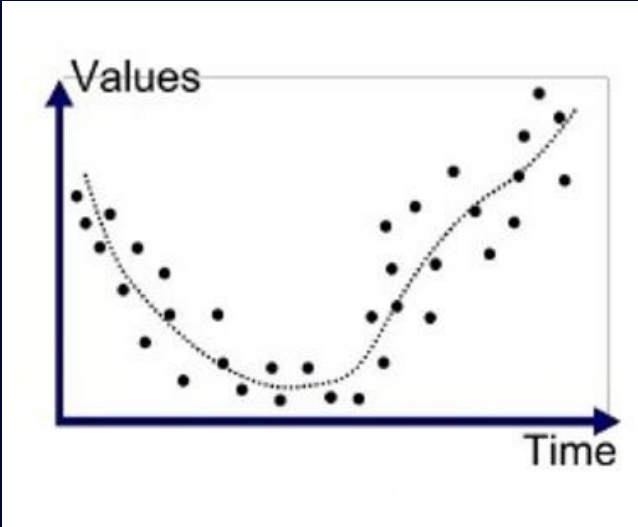
- Data used for training is not cleaned and contains noise in it
- The size of the training dataset used is not enough
- The model is too simple
- The model has a high bias and low variance.



Ways to deal with **Under-fitting** ?

- Increase the number of features in the dataset
- Increase model complexity
- Reduce noise in the data
- Increase the duration of training the data

Let's take a closer look



Good-fitting



How to achieve **Good-fitting** ?

In order to achieve a good fit, you need to stop training at a point where the error starts to increase.



What is **Bias** ?

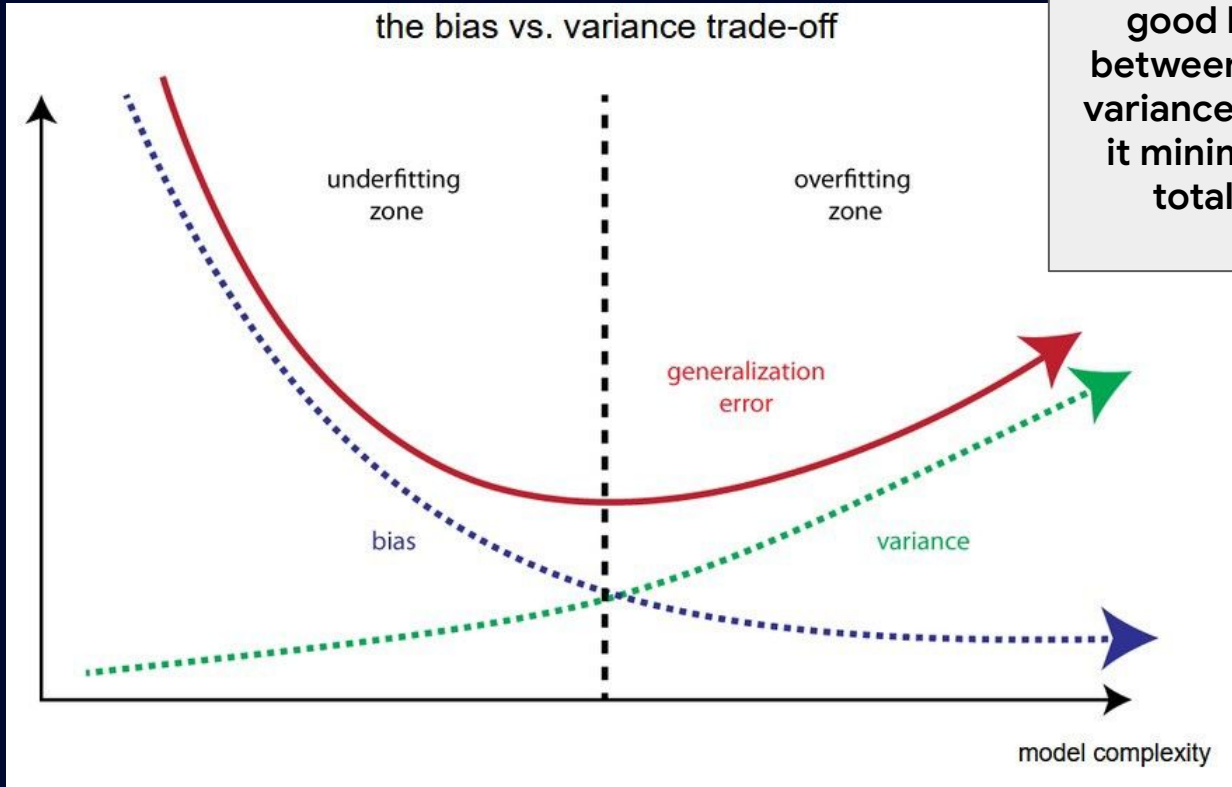
Bias is the difference between the average prediction of our model and the correct value which we are trying to predict.



What is **Variance**?

Variance is the variability of model prediction for a given data point or a value which tells us spread of our data.

Take a look!!



We need to find a good balance between bias and variance such that it minimizes the total error.

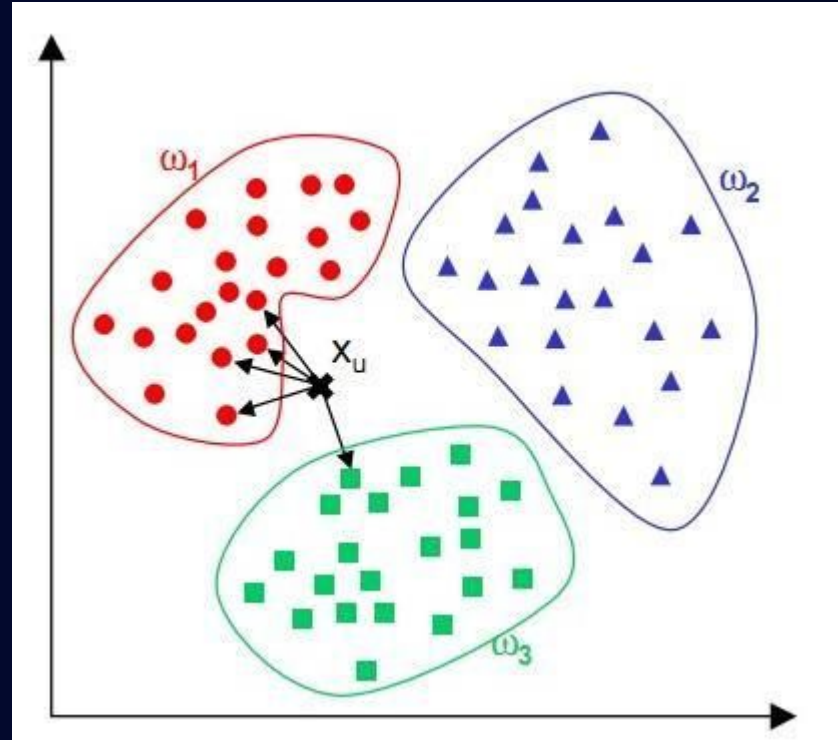


K-Nearest Neighbors (KNN)



How does it work?

- Also called a lazy learner algorithm
- Mostly it is used for the Classification problems.
- K-NN is a non-parametric algorithm





Example : is it a cat or dog?

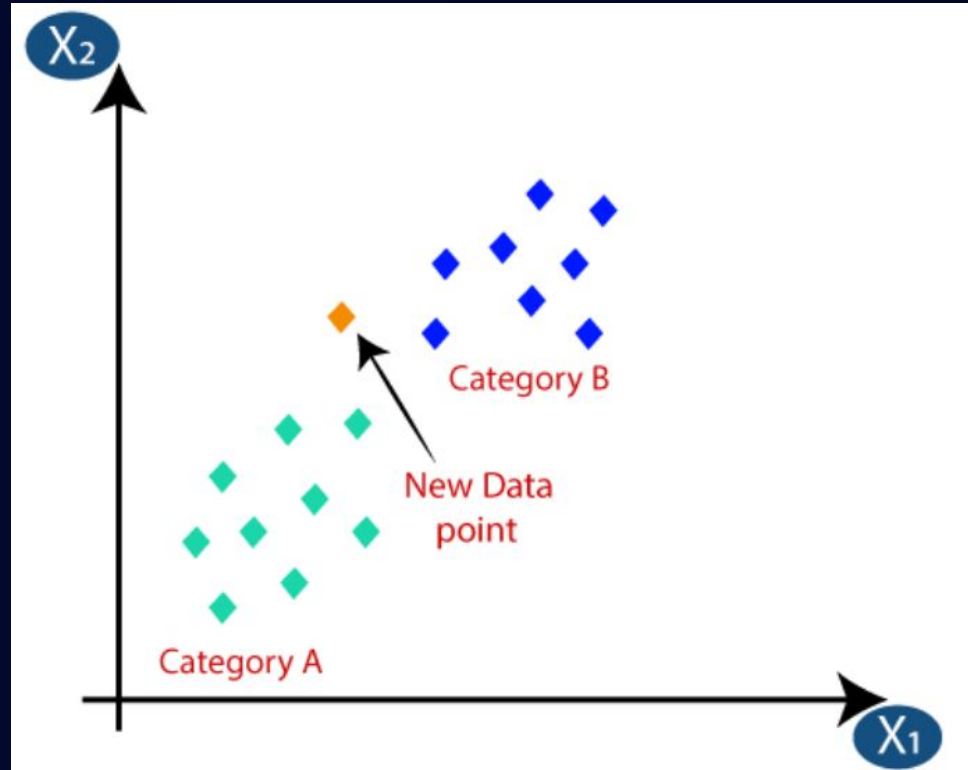


Our KNN model will find the similar features of the new data set to the cats and dogs images and based on the most similar features it will put it in either cat or dog category.



How does it work?

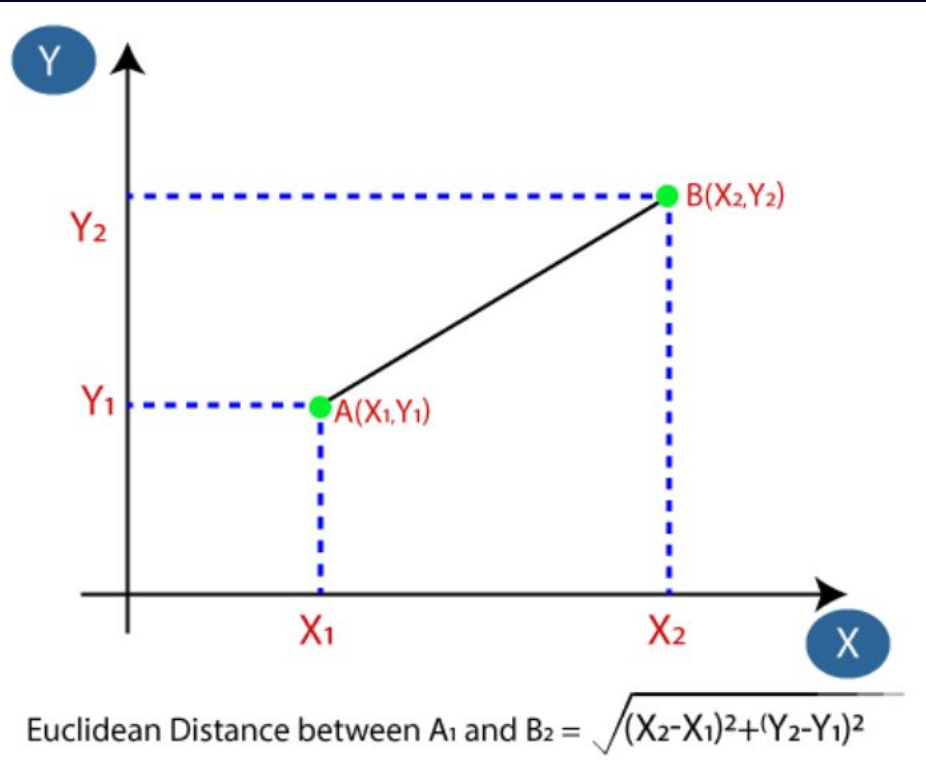
Step 1: Select the number K of the neighbors





How does it work?

Step 2: Calculate the Euclidean distance of K number of neighbors



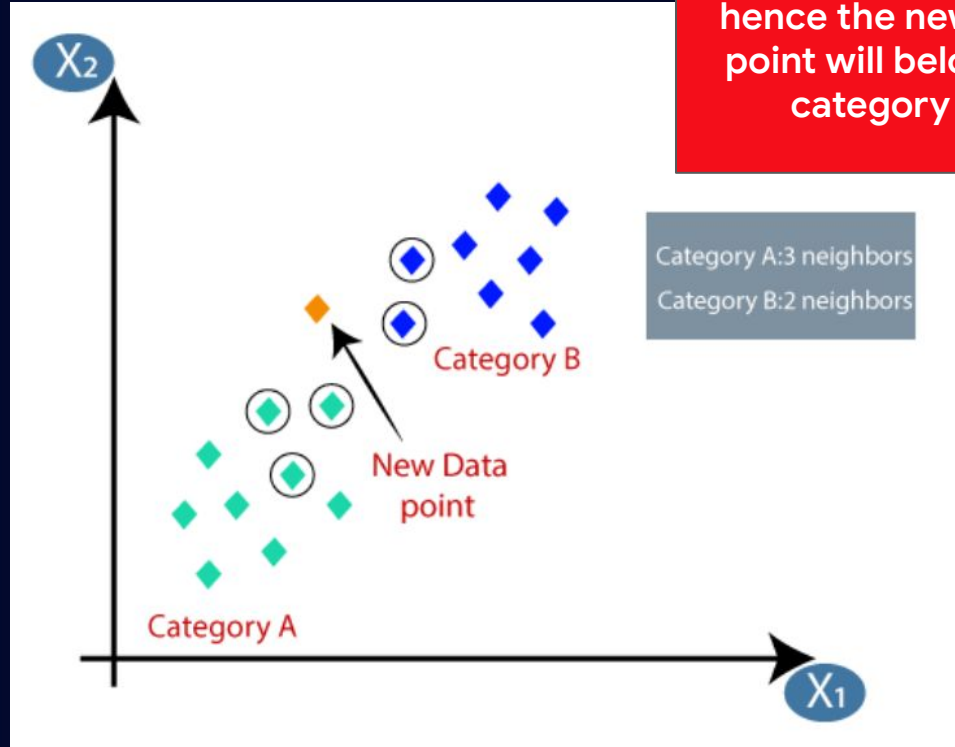


How does it work?

Step 3: Take the K nearest neighbors as per the calculated Euclidean distance.

Step 4: Among these k neighbors, count the number of the data points in each category.

Step 5: Assign the new data points to that category for which the number of the neighbor is maximum.



As we can see the 3 nearest neighbors are from category A, hence the new data point will belong to category A.



Testing is the key!!

There are no particular ways to determine the best value for "K", so we need to try some values to find the best out of them.

The most preferred value for K is 5.

A very low value for K such as $K=1$ or $K=2$, can be noisy and lead to the effects of outliers in the model.

Large values for K are good, but it may find some difficulties.



Advantages



It is simple to implement.



It is robust to the noisy training data



It can be more effective if the training data is large.



Disadvantages



Always needs to determine the value of K which may be complex some time.



The computation cost is high because of calculating the distance between the data points for all the training samples.



Let practice!!



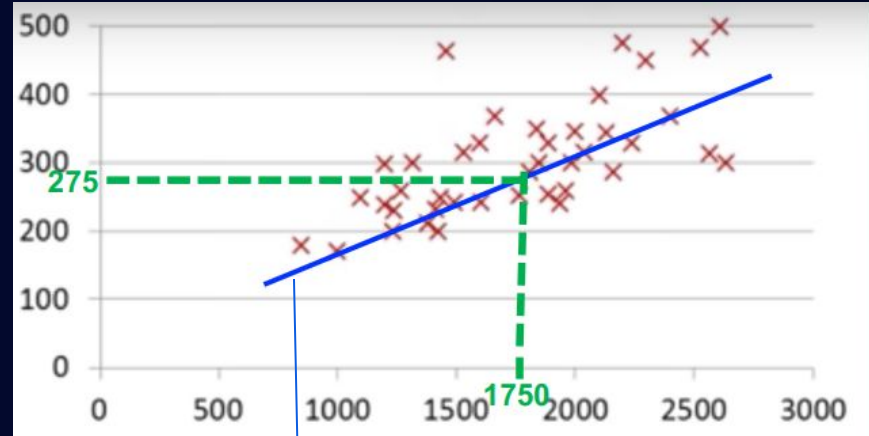


Linear Regression One Variable



Let us go back to our House Pricing example

Size in feet ² (x)	Price (\$) in 1000's (y)
2104	460
1416	232
1534	315
852	178
...	...



How do you proceed to draw this line?



Let us go back to our House Pricing example

How do you proceed to draw this line?

I am sure what came to your mind is a simple function:

$$Y = ax + b$$

Let me tell you are not wrong! We will just replace the a and b with theta one and theta two :

$$h = \theta_0 + \theta_1 x$$



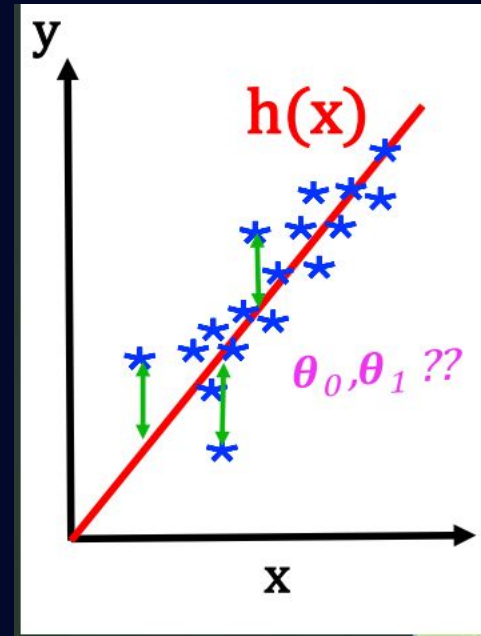
Hypothesis Function

$$\text{Hypothesis function} = \theta_0 + \theta_1 x$$

How to choose θ_0 (θ_0) and θ_1 (θ_1) ?

We choose them so that $h(x)$ is close to our output y (target).

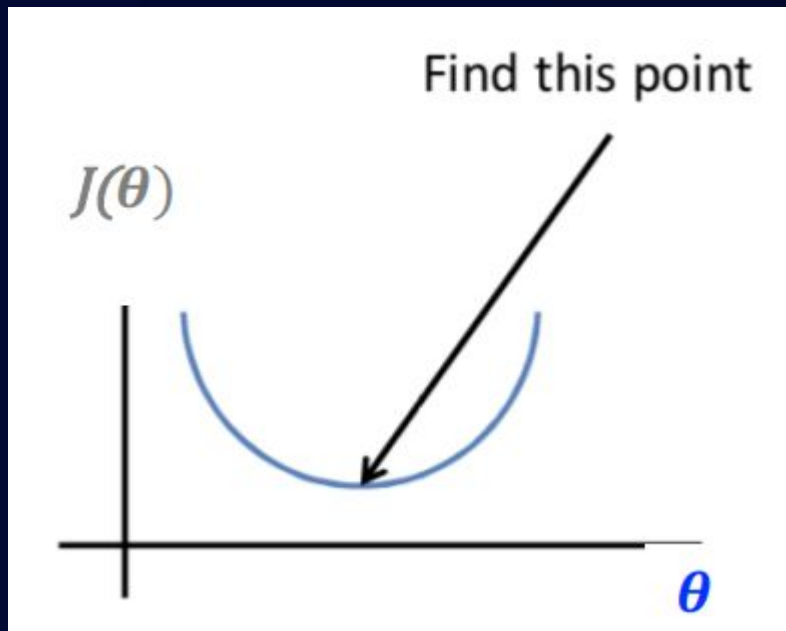
The Goal is to **minimize** a certain function called the Error Function (cost function)





Cost (Error) function

$$\text{Cost function} = \frac{1}{2m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)})^2$$



We are trying to
minimize the cost
function



Gradient Descent Algorithm

- **Input:** Data x , Labels y , Learning Rate alpha (α)
- θ_0, θ_1 = random values
- **Repeat:**
$$\theta_0 = \theta_0 - \alpha \frac{1}{m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)})$$
$$\theta_1 = \theta_1 - \alpha \frac{1}{m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)}) \cdot x^{(i)}$$
- **Until Convergence**
- **Output:** θ_0, θ_1



Linear Regression Multiple Variables



Let us go back to our House Pricing example

Size (feet ²)	Number of bedrooms	Number of floors	Age of home (years)	Price (\$1000)
X1	X2	X3	X4	Y
2104	5	1	45	460
1416	3	2	40	232
1534	3	2	30	315
852	2	1	36	178
...

m

n= 4 Variables



Let us go back to our House Pricing example

$$h = \theta_0 + \theta_1 x_1 + \theta_2 x_2 + \theta_3 x_3 + \theta_4 x_4$$

$$h = [\theta_0, \theta_1, \theta_2, \theta_3, \theta_4]$$

n+1 by 1 Matrix

$$\begin{bmatrix} x_0 \\ x_1 \\ x_2 \\ x_3 \\ x_4 \end{bmatrix}$$

1 by n+1
Matrix

Vectorisation





How does it work?

Hypothesis Function

$$\theta_0 + \theta_1 x_1 + \theta_2 x_2 + \dots + \theta_n x_n = \theta^T x$$

Cost Function

$$\frac{1}{2m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)})^2$$

Gradient Descent

Repeat {

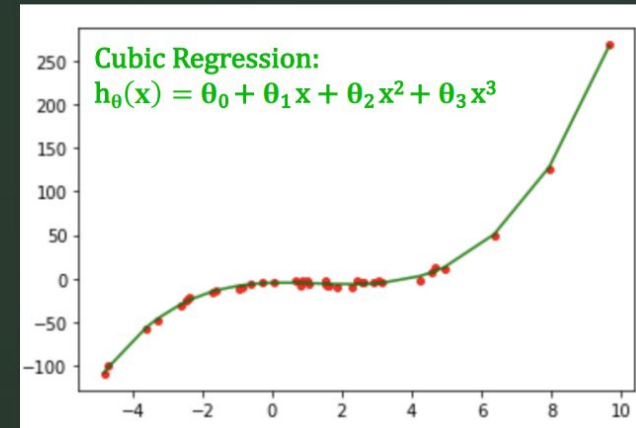
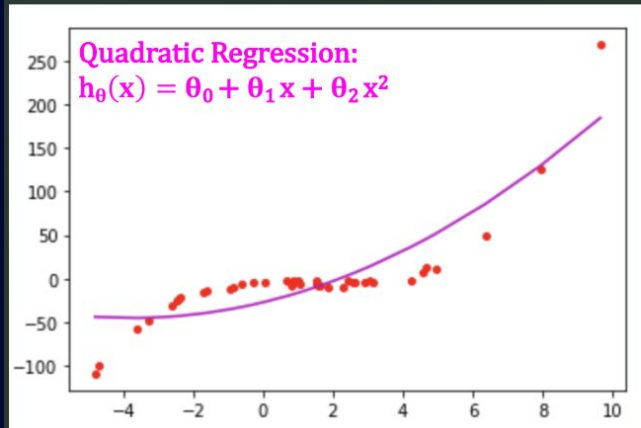
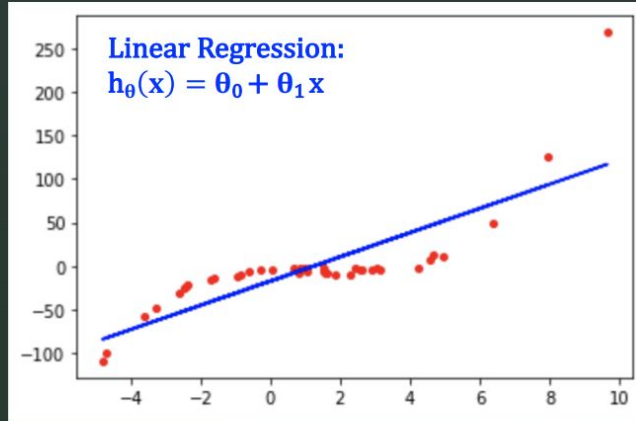
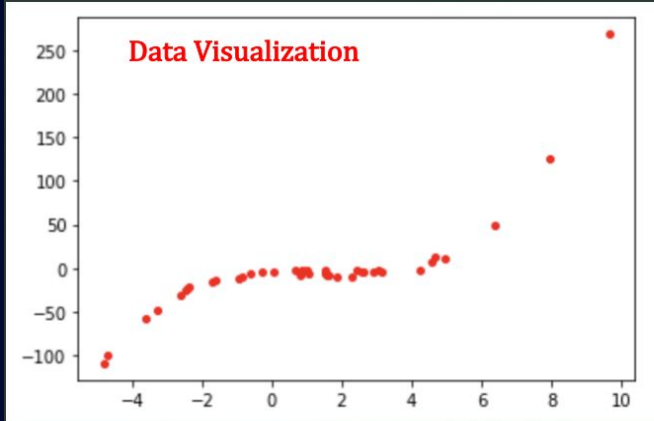
$$\theta_j := \theta_j - \alpha \frac{1}{m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)}) x_j^{(i)}$$

(simultaneously update θ_j for
 $j = 0, \dots, n$)

}



Wanna go deep!!





Let practice!!





Normal Equation



Normal Equation?

It is an analytical method to solve for the optimal value of the parameters θ .



Let us go back to our House Pricing example

Size (feet ²)	Number of bedrooms	Number of floors	Age of home (years)	Price (\$1000)
X1	X2	X3	X4	Y
2104	5	1	45	460
1416	3	2	40	232
1534	3	2	30	315
852	2	1	36	178
...

m

n= 4 Variables



Let us go back to our House Pricing example

$$X = \begin{pmatrix} 1, 2104, 5, 1, 45 \\ 1, 1416, 3, 2, 40 \\ 1, 1534, 3, 2, 30 \\ 1, 852, 2, 1, 36 \end{pmatrix} \quad \times 3$$

$$Y = \begin{pmatrix} 460 \\ 232 \\ 315 \\ 178 \end{pmatrix} \quad \times 4$$

Calculate Theta

$$\theta = (X^T X)^{-1} X^T y$$

Hypothesis function

$$\theta_0 + \theta_1 x_1 + \theta_2 x_2 + \dots + \theta_n x_n = \theta^T x$$



Gradient Descent VS Normal Equation?

Gradient Descent



- Need to choose α
- Iterative Algorithm
- Feature scaling can be used
- Works well when n is large $n \geq 10^6$

Normal Equation



- No Need to choose α
- Analytical approach
- No need for Feature scaling
- Works well when n is small
- Slow if n is very large

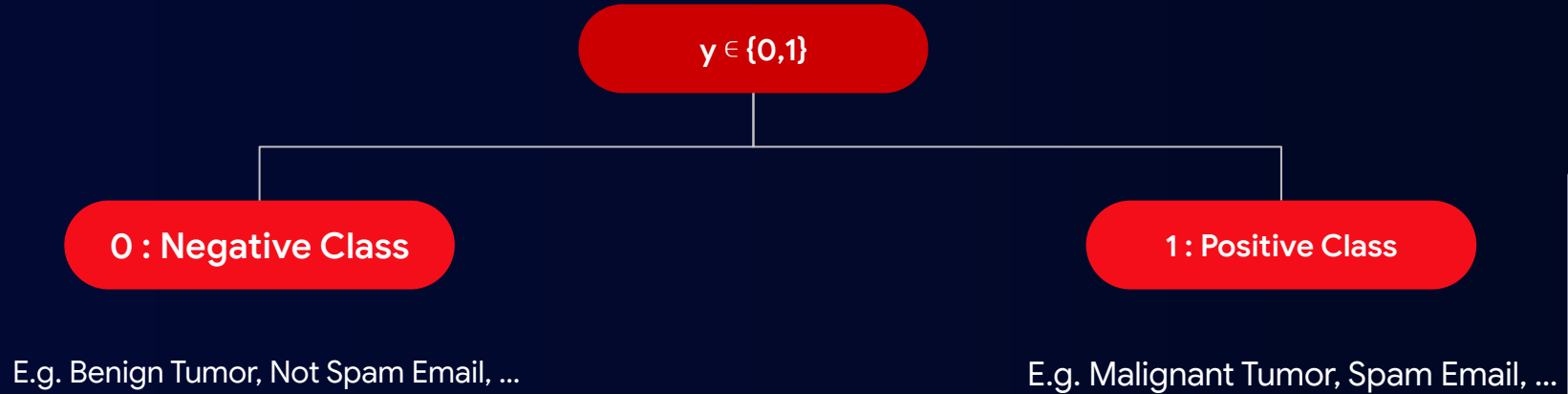


Logistic Regression Binary Classification



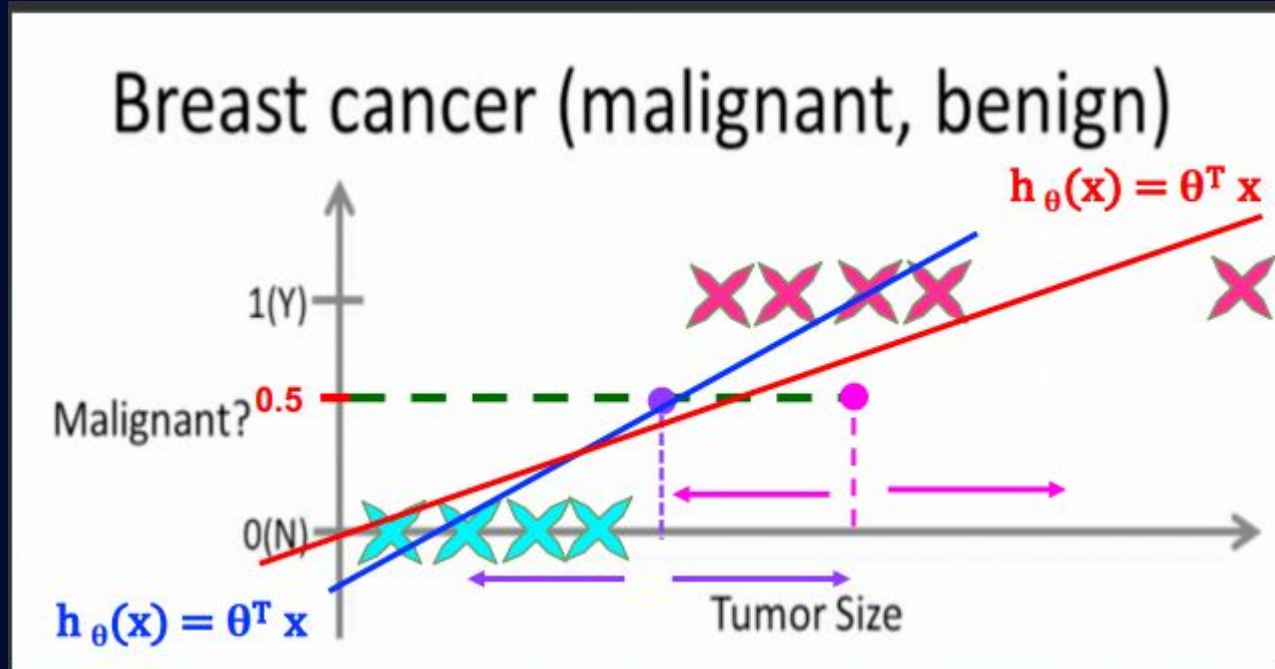
How does it work?

Take an input vector x and assign it to one of 2 classes y .





Let us go back to our Breast cancer example

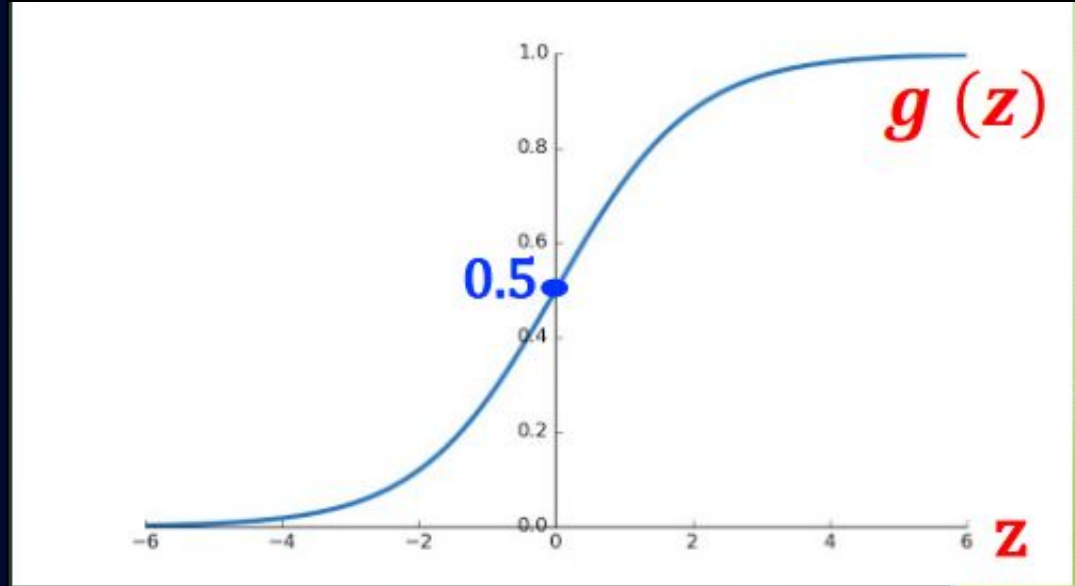




Segmoid (Logistic) function?

Is a function that aims to predict the class to which a particular sample belongs.

$$g(z) = \frac{1}{1 + e^{-z}}$$



Predict $y = 1$ if $h(x) \geq 0.5 \rightarrow z \geq 0$

Predict $y = 0$ if $h(x) < 0.5 \rightarrow z < 0$



How does it work?

Hypothesis Function

$$h_{\theta}(x) = g(\theta^T x) = \frac{1}{1 + e^{-\theta^T x}}$$

Cost Function

$$\frac{1}{m} \sum_{i=1}^m \text{cost}(h_{\theta}(x^{(i)}) - y^{(i)})$$

$$\text{cost}(h_{\theta}(x^{(i)}) - y^{(i)}) = \begin{cases} -\log(h_{\theta}(x)) & \text{if } y = 1 \\ -\log(1 - h_{\theta}(x)) & \text{if } y = 0 \end{cases}$$

$$-\frac{1}{m} \left[\sum_{i=1}^m y^{(i)} \log(h_{\theta}(x^{(i)})) + (1 - y^{(i)}) \log(1 - h_{\theta}(x^{(i)})) \right]$$



How does it work?

Gradient Descent

Repeat {

$$\theta_j := \theta_j - \alpha \frac{1}{m} \sum_{i=1}^m (h_{\theta}(x^{(i)}) - y^{(i)}) x_j^{(i)}$$

(simultaneously update θ_j for
 $j = 0, \dots, n$)

}



Decision Boundary?

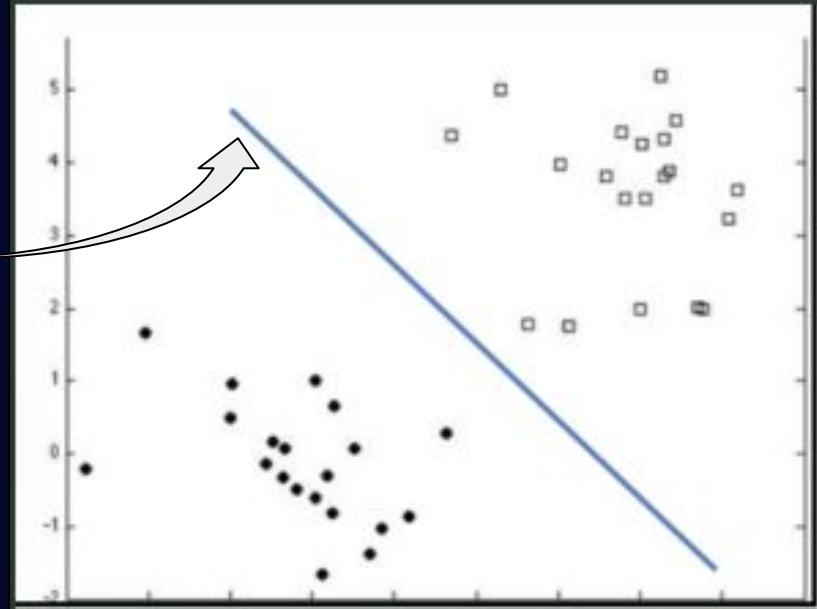
The Decision Boundary is the boundary between two classes,

where:

$$h_{\theta}(x) = \frac{1}{1 + e^{-\theta^T x}} = 0.5$$

$$1 + e^{-\theta^T x} = 2$$

$$\theta^T x = 0$$





Decision Boundary?

Example:

$$\theta = \begin{pmatrix} -3 \\ 1 \\ 1 \end{pmatrix}$$

$$h_{\theta}(x) = g(\theta^T x)$$

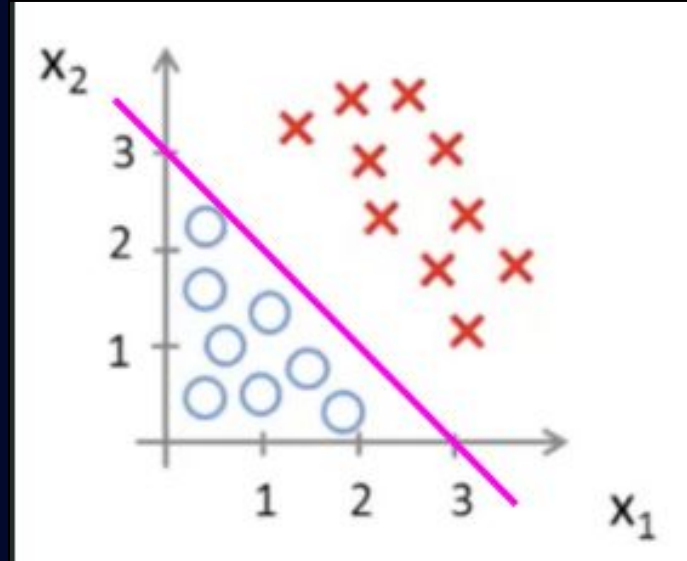
$$h_{\theta}(x) = g(\theta_0 x_0 + \theta_1 x_1 + \theta_2 x_2)$$

$$\theta^T x = -3 + x_1 + x_2$$

$$y = 1 \text{ if } \theta^T x \geq 0$$

$$y = 1 \text{ if } 3 + x_1 + x_2 \geq 0$$

$$y = 1 \text{ if } x_1 + x_2 \geq 3$$

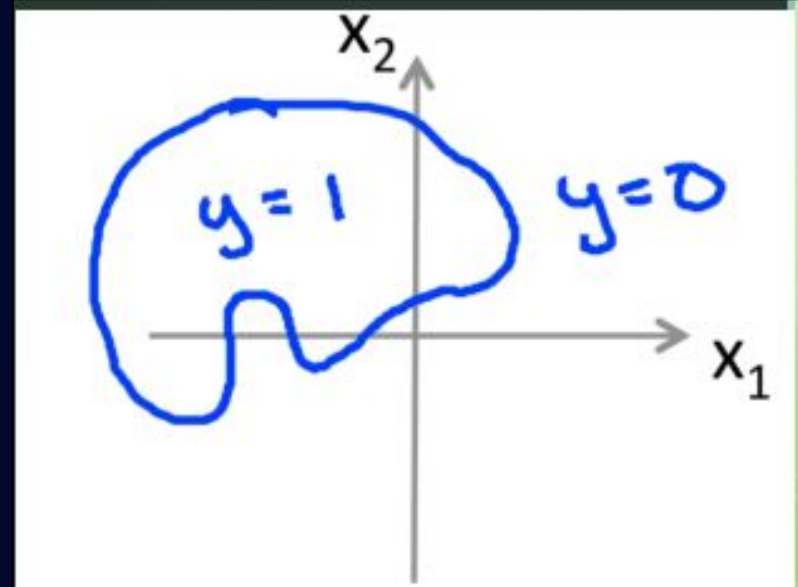
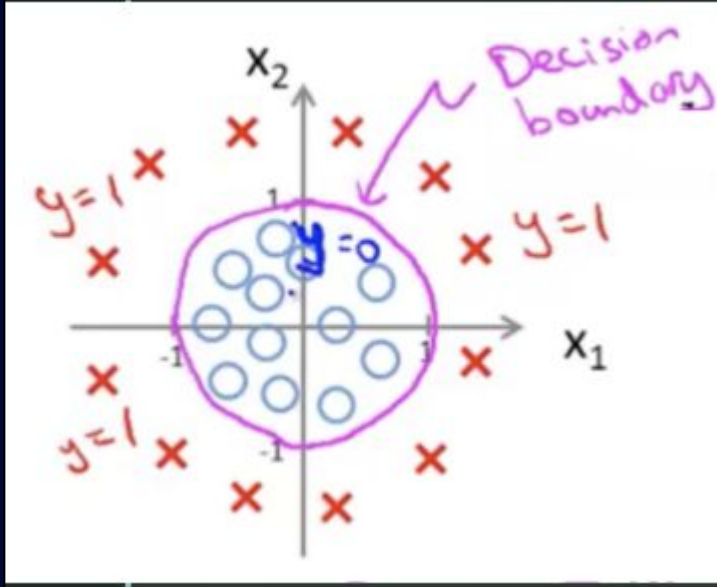


Decision Boundary: $x_1 + x_2 = 3$

$$h_{\theta}(x) = 0.5$$



Other Decision Boundary Type?



Non-Linear Decision
Boundary



Logistic Regression

Multi class Classification

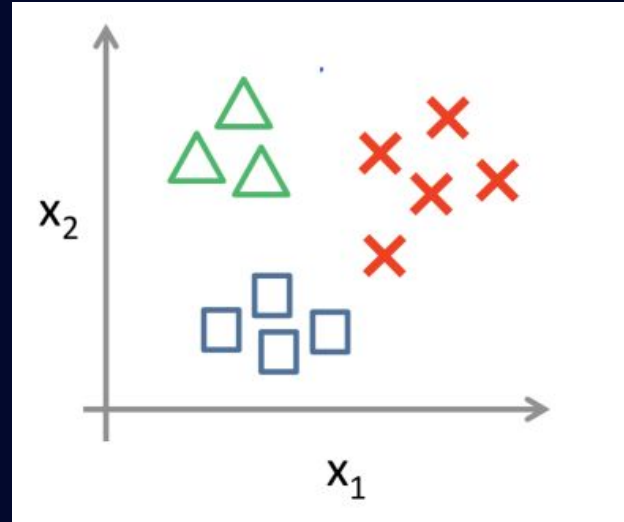


How does it work?

Multiclass classification involves predicting one of more than two classes, $y = \{1, 2, 3, \dots, K\}$ for K possible classes

Example : Emails Classification ($K = 3$)

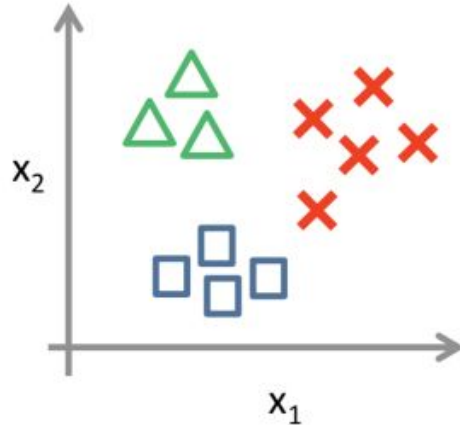
- Work $\rightarrow y = 1$
- Friends $\rightarrow y = 2$
- Family $\rightarrow y = 3$







From Binary to Multiclass

One-vs-all (one-vs-rest):

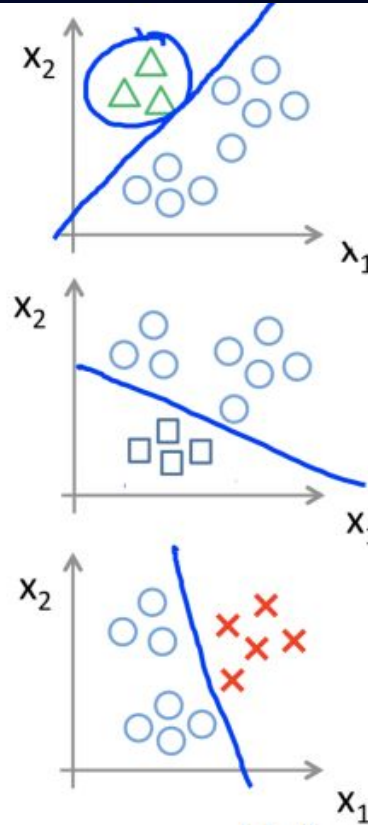


Class 1: 

Class 2: 

Class 3: 

$$h_{\theta}^{(i)}(x) = P(y = i|x; \theta) \quad (i = 1, 2, 3)$$





Let practice!!







Thank you



What we will see ?

1

What is supervised Machine Learning

2

Some supervised Machine Learning Examples

3

Some common supervised Machine Learning Algorithms

4

Challenge



In this challenge you will have to implement Linear Regression algorithm for one variable using what we've seen in the first session.

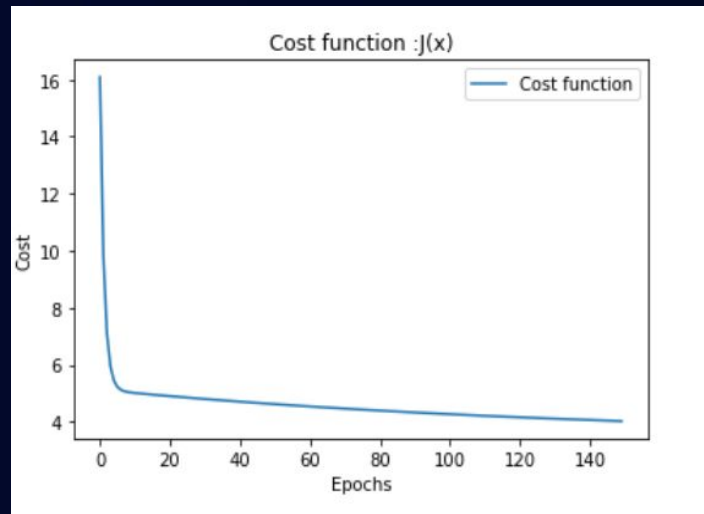
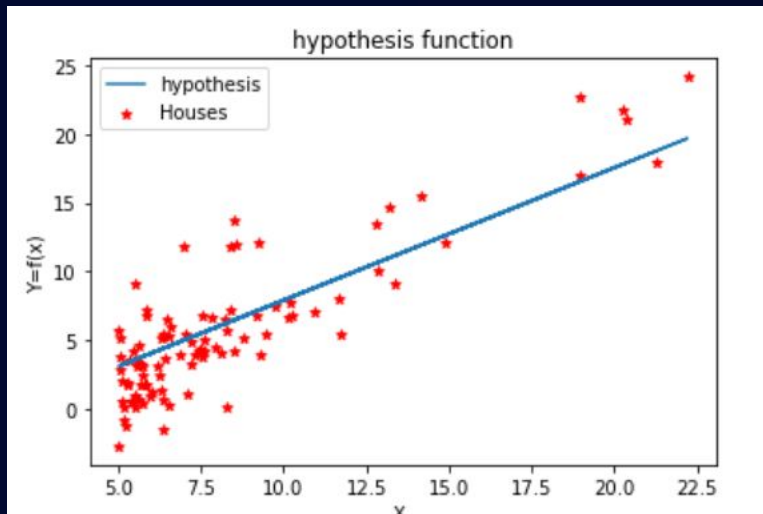
Database:

- https://drive.google.com/drive/folders/1POXWinRoZmj3KOymX_X87Bm9hvF_uzOK?usp=sharing

Script skeleton:

- https://colab.research.google.com/drive/1mG8aRXDYFGGo6K_3FkZfJ45PBKp2OfNI?usp=sharing

The desired Output:





Resources

- [Machine Learning | Andrew Ng]:
https://www.youtube.com/watch?v=PPLop4L2eGk&list=PLLssT5z_DsK-h9vYZkQkYNWcltqhlRJLN



Questions ?





Thank you