



Pyranometers and pyrgeometers to measure all four components of the radiation balance (Photo: A. Christen)

08 Net all-wave radiation

Learning objectives

- Be able to formulate the net-effect of all radiative exchange processes for surfaces.
- Describe which surface and geometric properties control radiative exchange.
- Be able to interpret graphs/figures of net-radiative exchange over diurnal and annual scales.

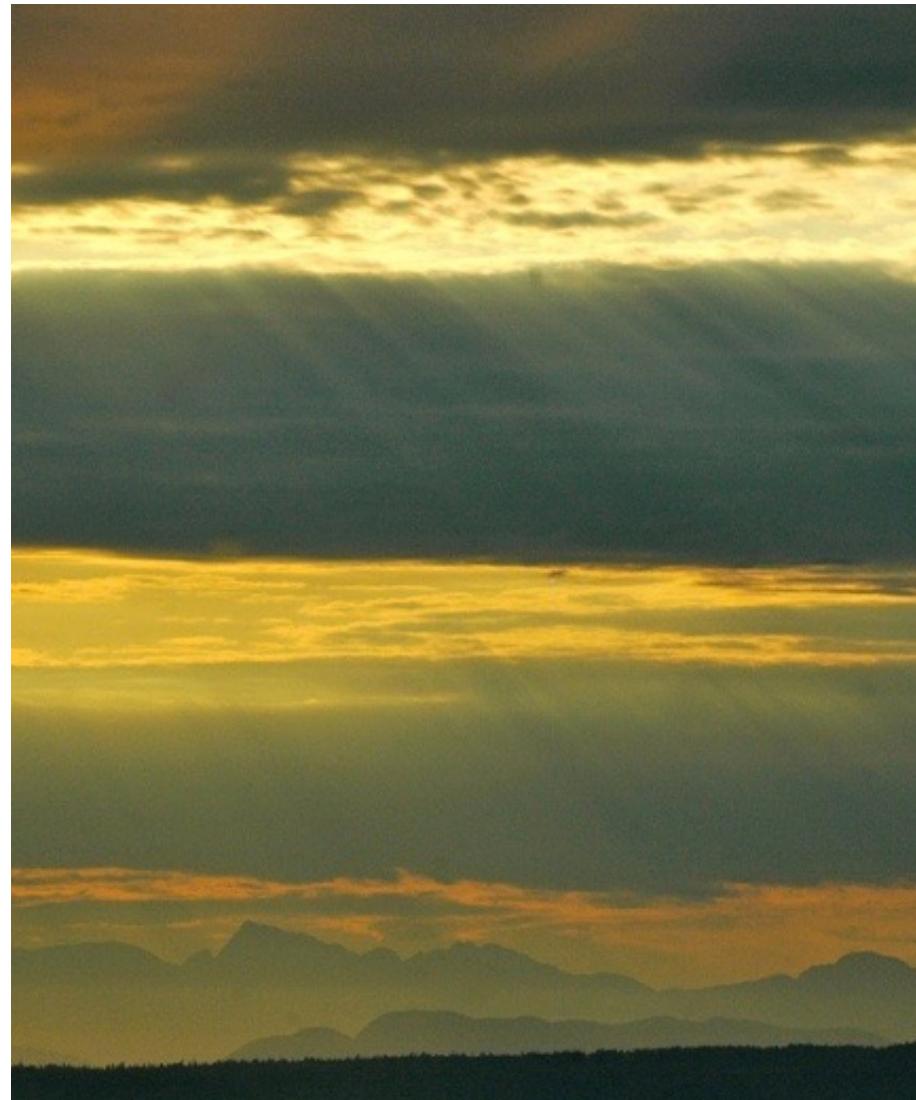
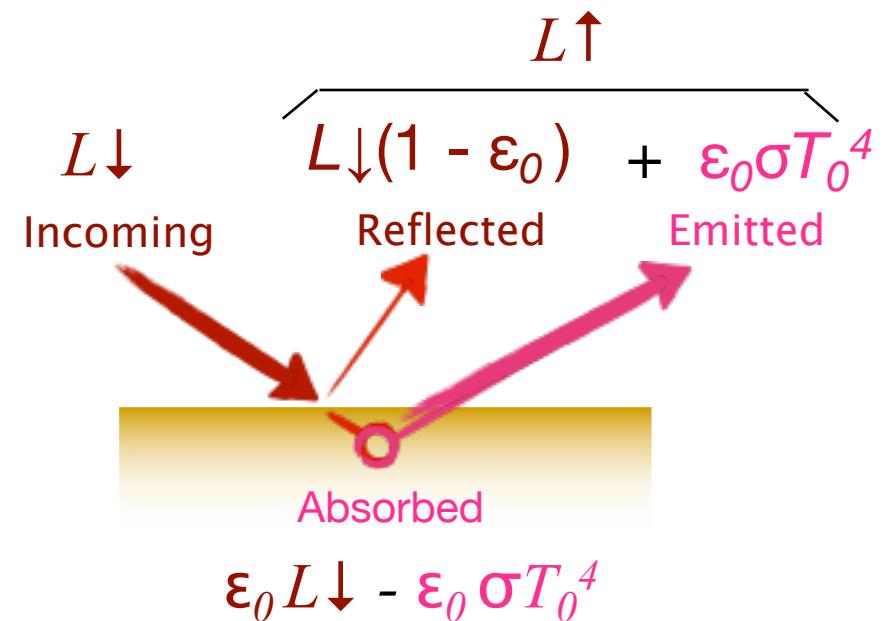
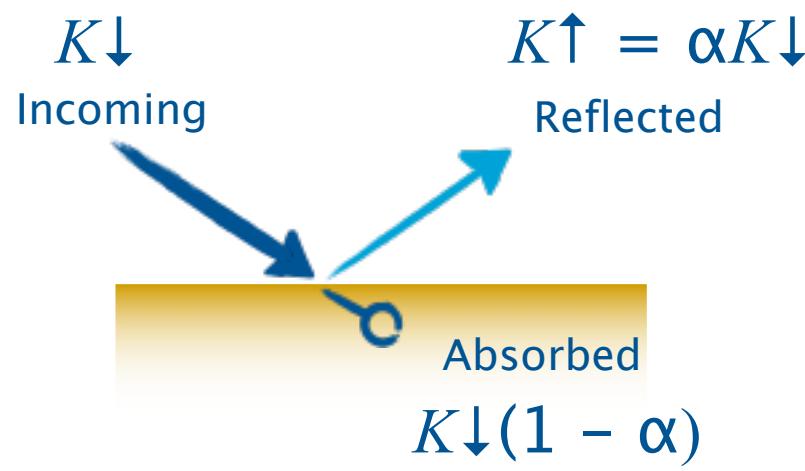


Photo: A. Christen

Net short-wave and net long-wave

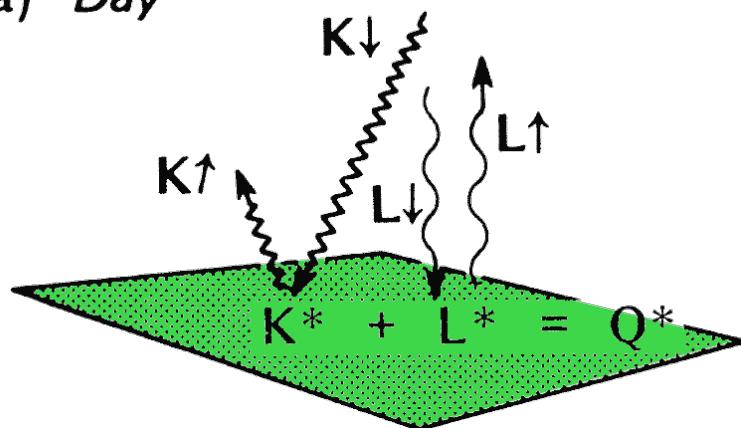
Net all-wave radiation (Q^*) of a surface is the sum of the **net short-wave radiation (K^*)** and **net long-wave radiation (L^*)**:



Absorbed : available energy for other processes

Net radiation for a flat surface

(a) Day



Net all-wave radiation (Q^*) is the sum of the **net short-wave radiation (K^*)** and **net long-wave radiation (L^*)**:

$$\begin{aligned} K^* &= K\downarrow - K\uparrow \\ &= K\downarrow(1 - \alpha) \end{aligned}$$

$$\begin{aligned} L^* &= L\downarrow - L\uparrow \\ &= L\downarrow - [\varepsilon_o \sigma T_o^4 + L\downarrow(1 - \varepsilon_o)] \end{aligned}$$

$$\begin{aligned} Q^* &= K^* + L^* \\ &= K\downarrow(1 - \alpha) + \varepsilon_o L\downarrow - \varepsilon_o \sigma T_o^4 \end{aligned}$$

absorbed

absorbed

emitted

T.R. Oke (1987): 'Boundary Layer Climates' 2nd Edition.

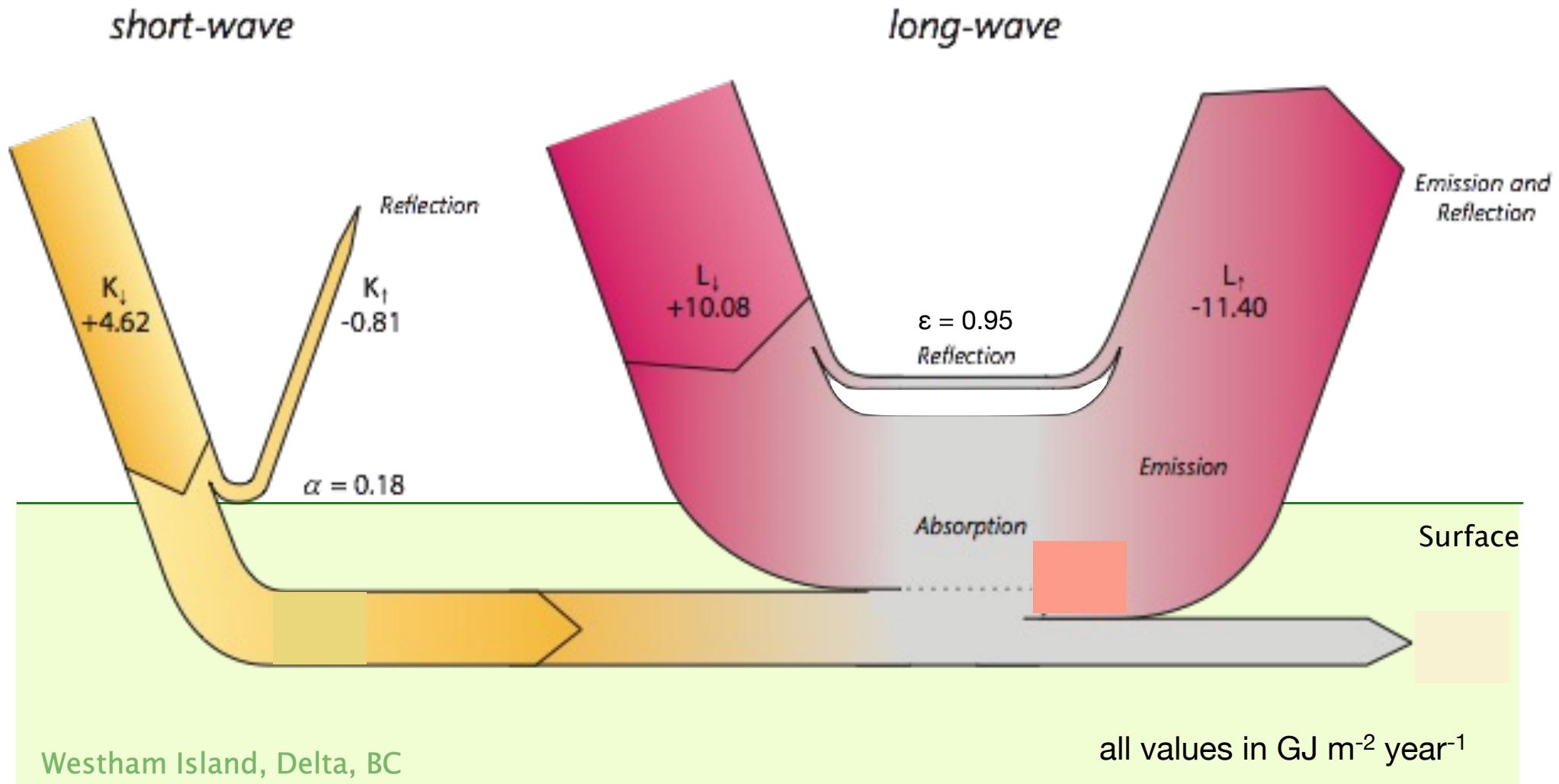
Handout activity

Topic 8 – Net all-wave radiation

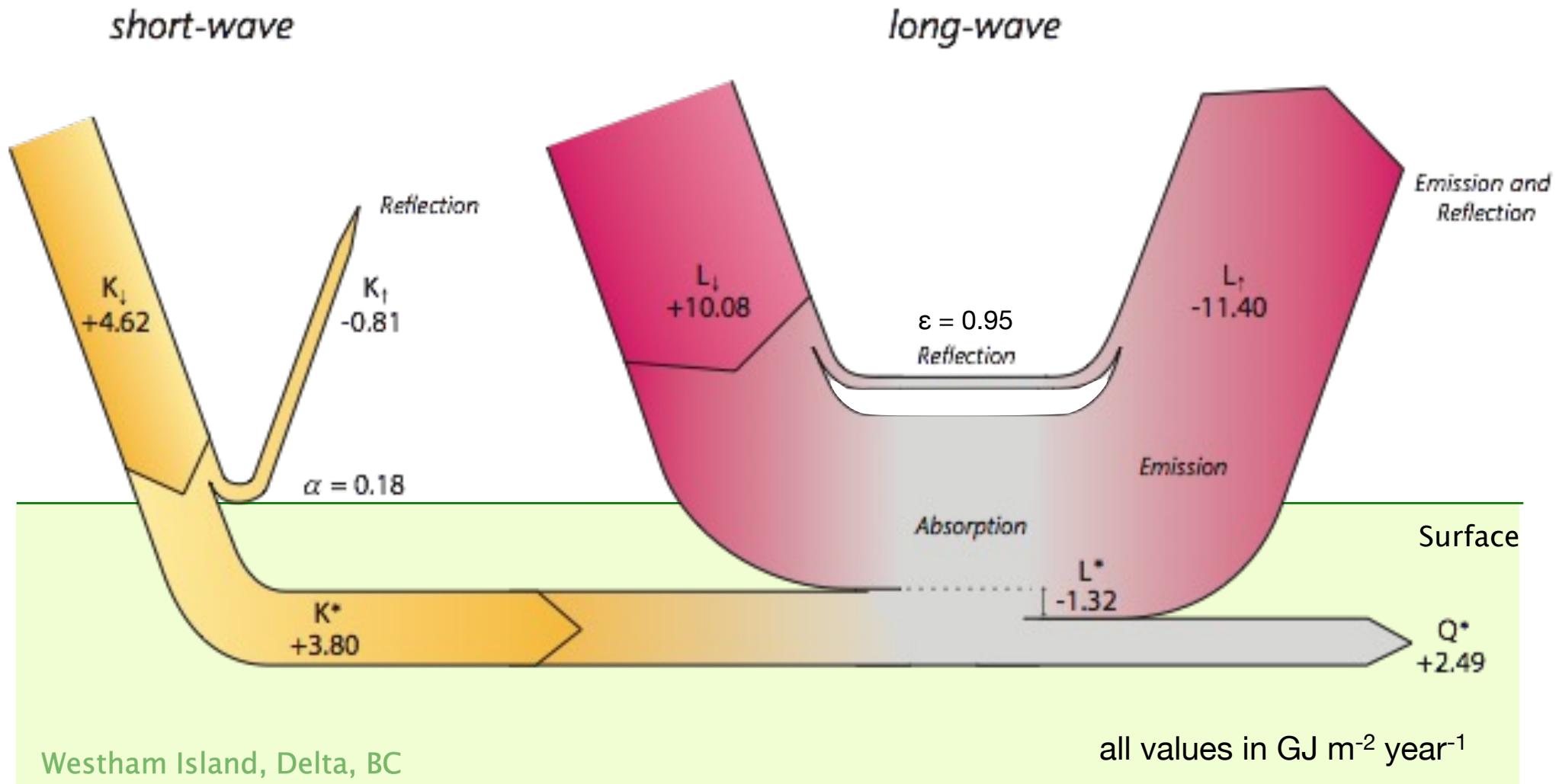
1. Match the variable with the symbol/equation:

Variable	Symbol/Equation
Incoming shortwave radiation	$K \downarrow$
Reflected shortwave radiation	$K \uparrow = \alpha K \downarrow$
Absorbed shortwave radiation	$K \downarrow (1 - \alpha)$
Incoming longwave radiation	$L \downarrow$
Outgoing longwave radiation	$L \uparrow = L \downarrow (1 - \varepsilon_0) + \varepsilon_0 \sigma T_0^4$

Surface radiation balance over grass in Vancouver



Surface radiation balance over grass in Vancouver



The importance of surface properties of land-surfaces (Slido)

$$K_{\downarrow}(1 - \alpha) + \varepsilon_o L_{\downarrow} - \varepsilon_o \sigma T_o^4$$

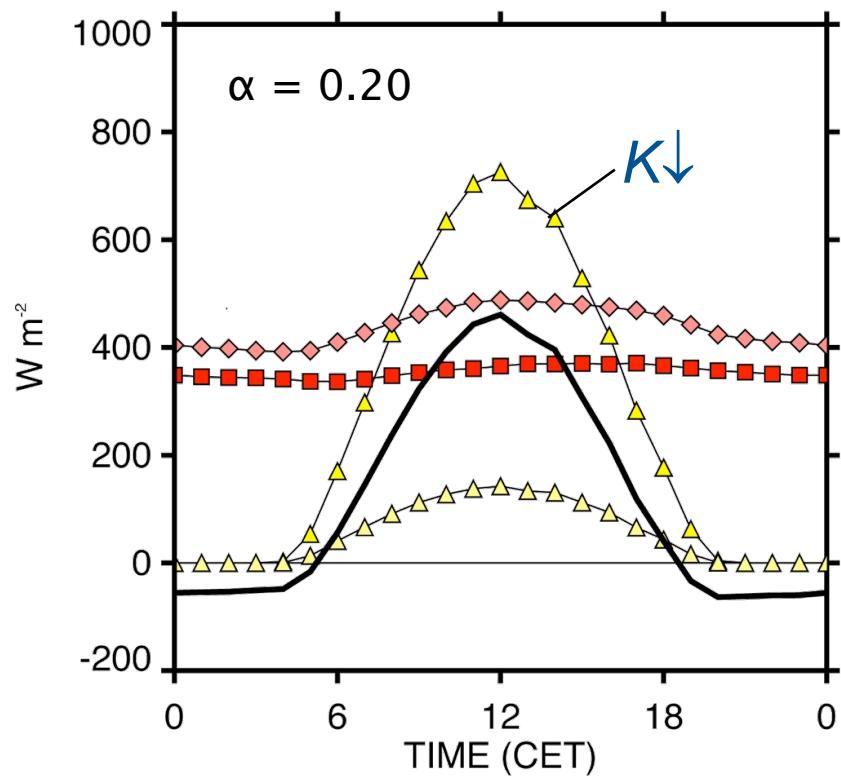
Which are the surface properties that impact Q^* ?
Which are the inputs of radiation?

The range of values is lessened by the fact that the effects of α and T_o tend to partially offset each other.

Clouds reduces extremes because they decreases K_{\downarrow} and increases L_{\downarrow} .

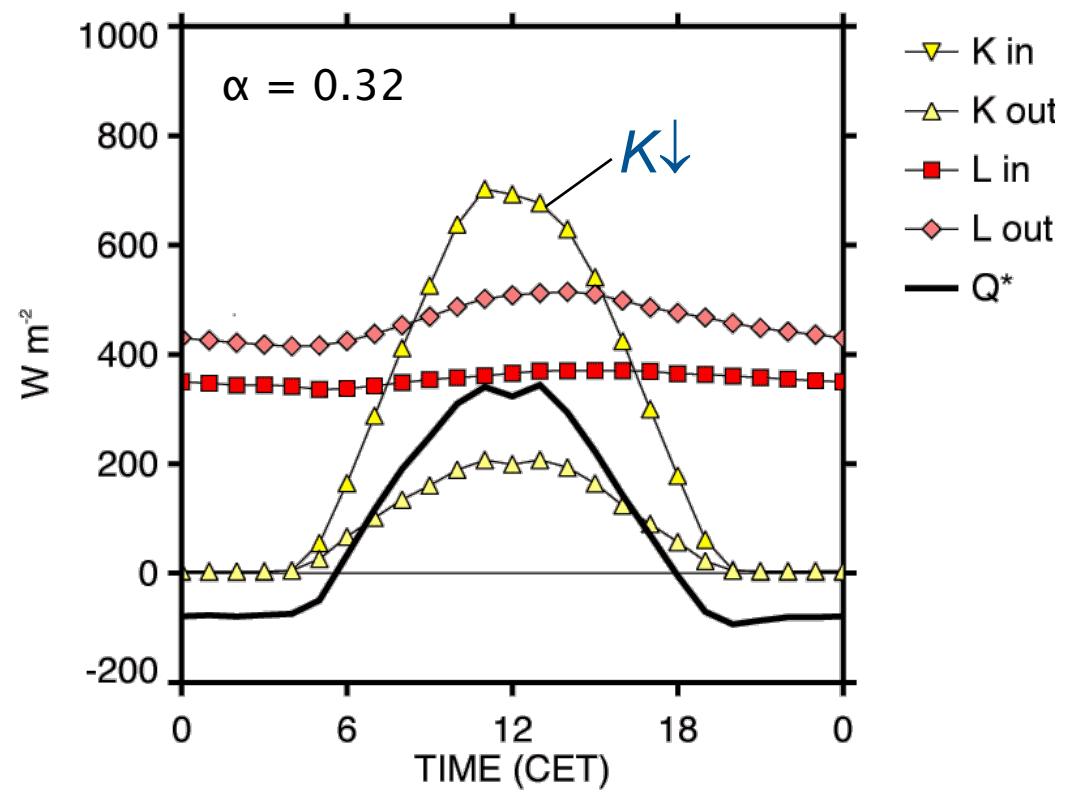
Simultaneously measured Q^* - different surface properties

Grass

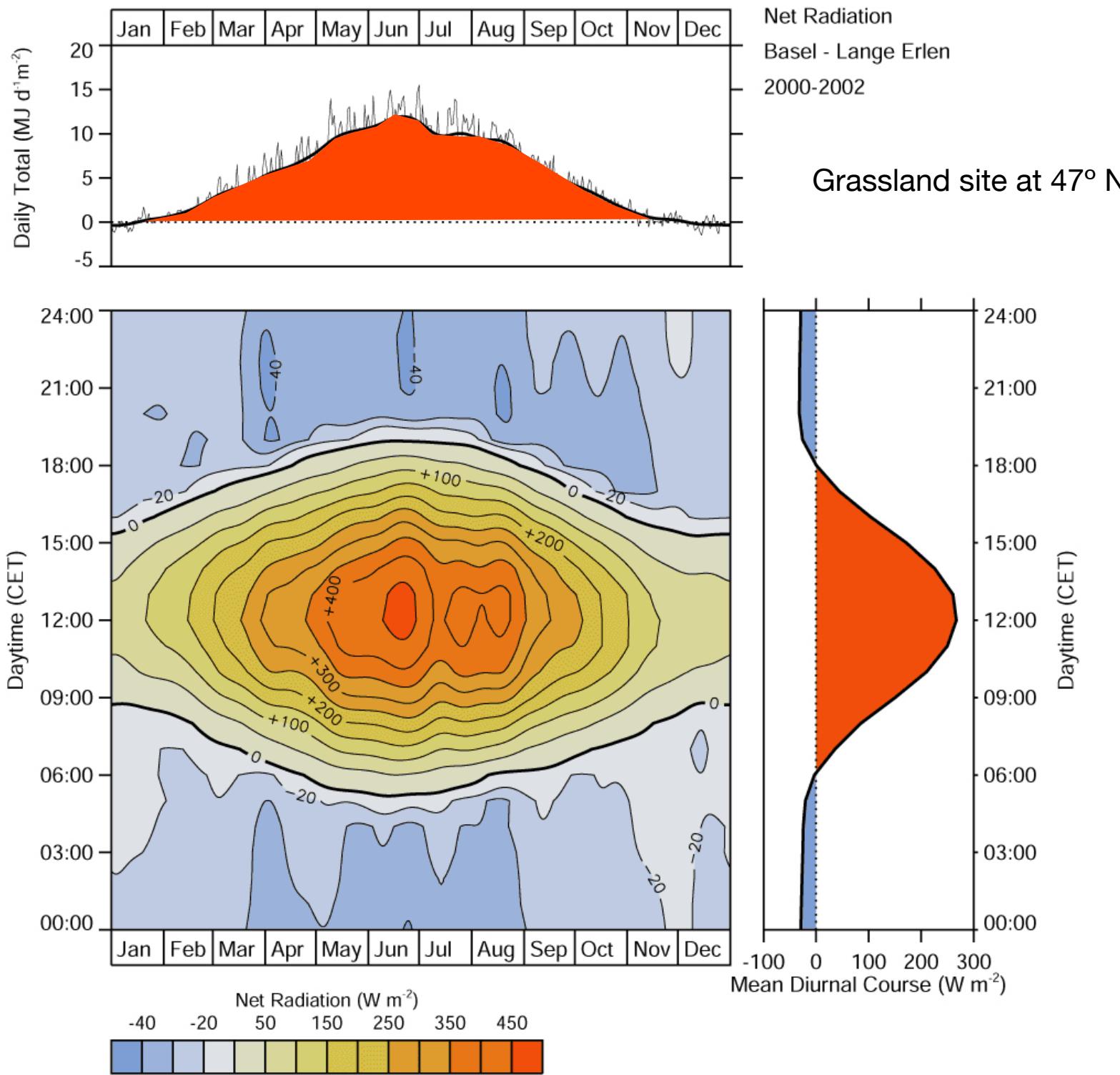


$$Q^* = 12.6 \text{ MJ m}^{-2} \text{ day}^{-1}$$

Parking lot



$$Q^* = 6.4 \text{ MJ m}^{-2} \text{ day}^{-1}$$



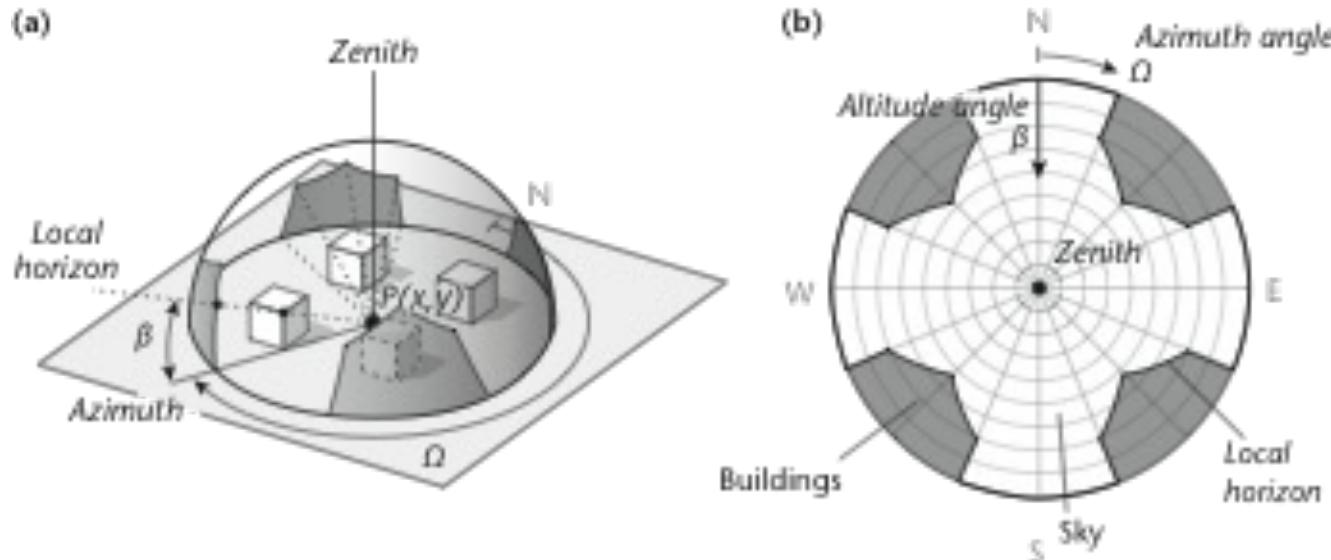
R example to make a similar figure (See Assignment 1)



View factors

A View factor refers to the fraction of radiation leaving one object that is intercepted by another object.

- Can be interpreted as fraction of one object's view (usually hemispherical) that is occupied by another object.
- The view of the sky from an object (**sky view factor**, ψ_{sky}) is significant in quantifying long-wave exchange in complex configurations:



Examples of sky view factors



Golden Gate Bridge
San Francisco (US)
(37,81008°, -122,47643°)
SVF = 0.87



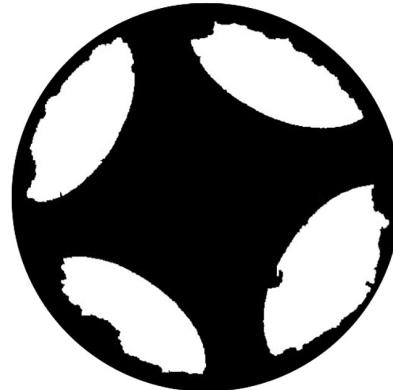
Eiffel Tower
Paris (FR)
(48,85283°, 2,34940°)
SVF = 0.42



Time Square
New York (US)
(40,75734°, -73,98831°)
SVF = 0.37



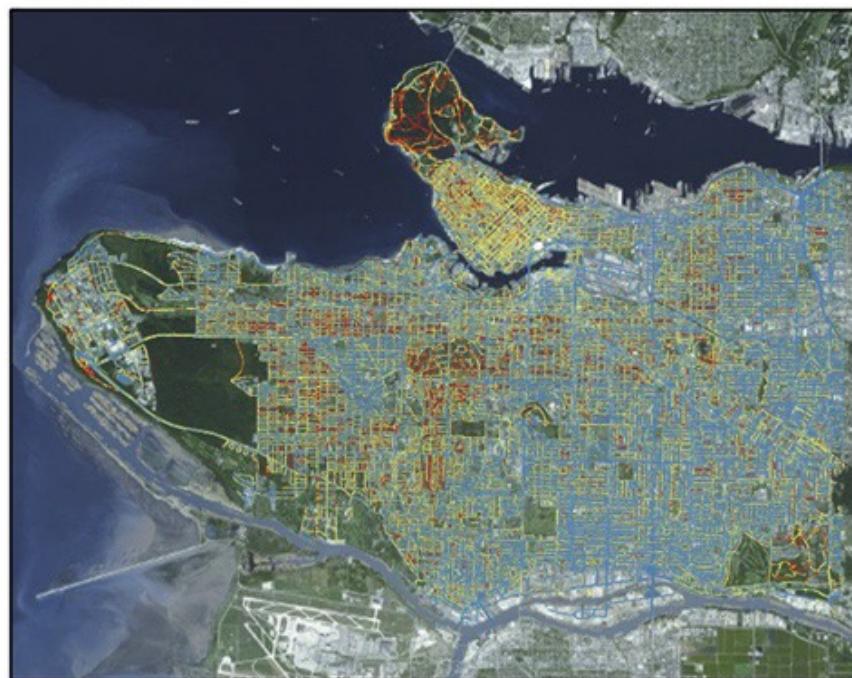
Singapore Zoo
Singapore (Asia)
(1,40290°, 103,79545°)
SVF = 0.19



Middel et al. (2018) Urban Climate

Differences across major cities

Vancouver



0 10 20 km



N

SVF 0.1 0.2 0.3 0.4 0.5 0.6 0.7 0.8 0.9 1.0

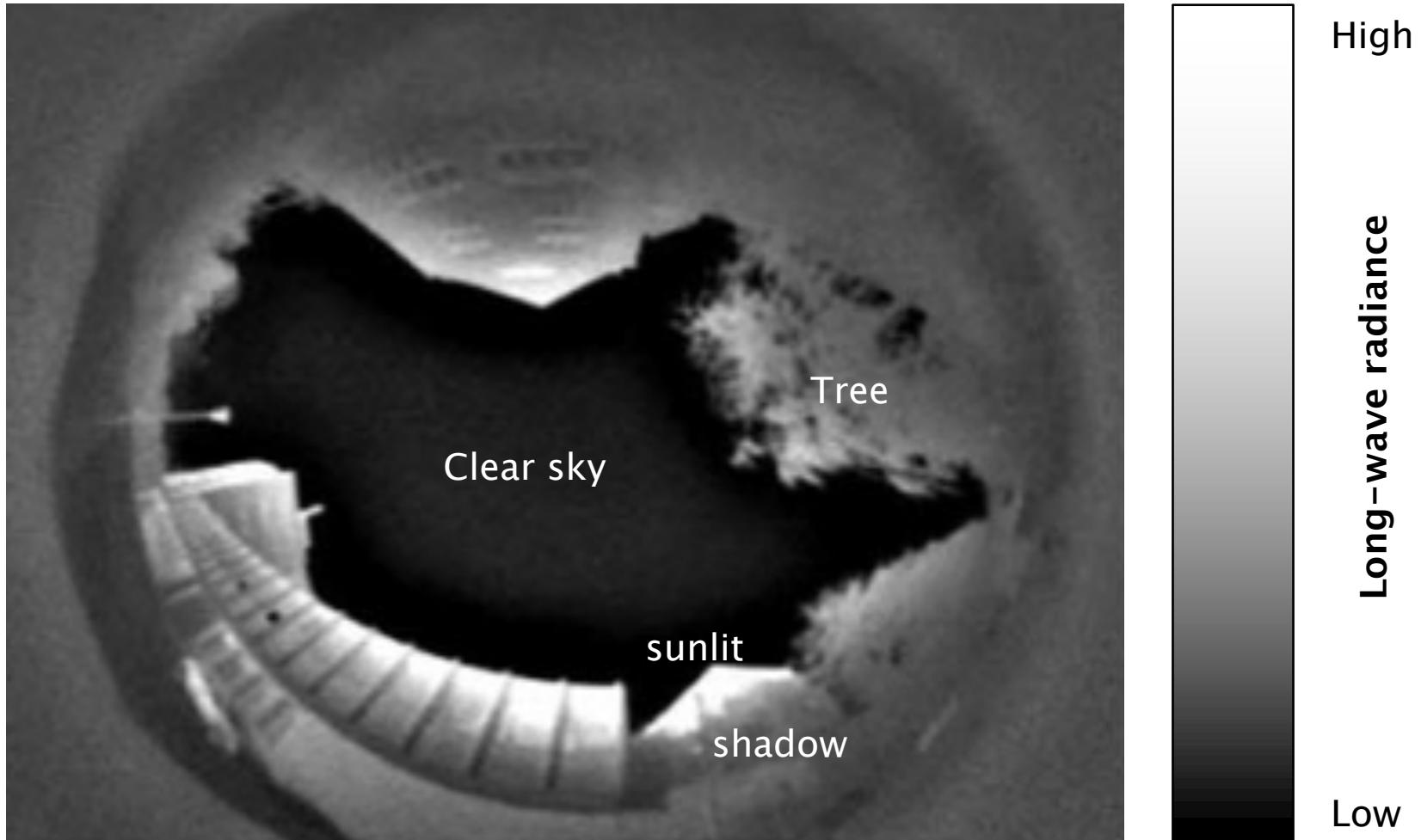
Manhattan



0 5 10 km

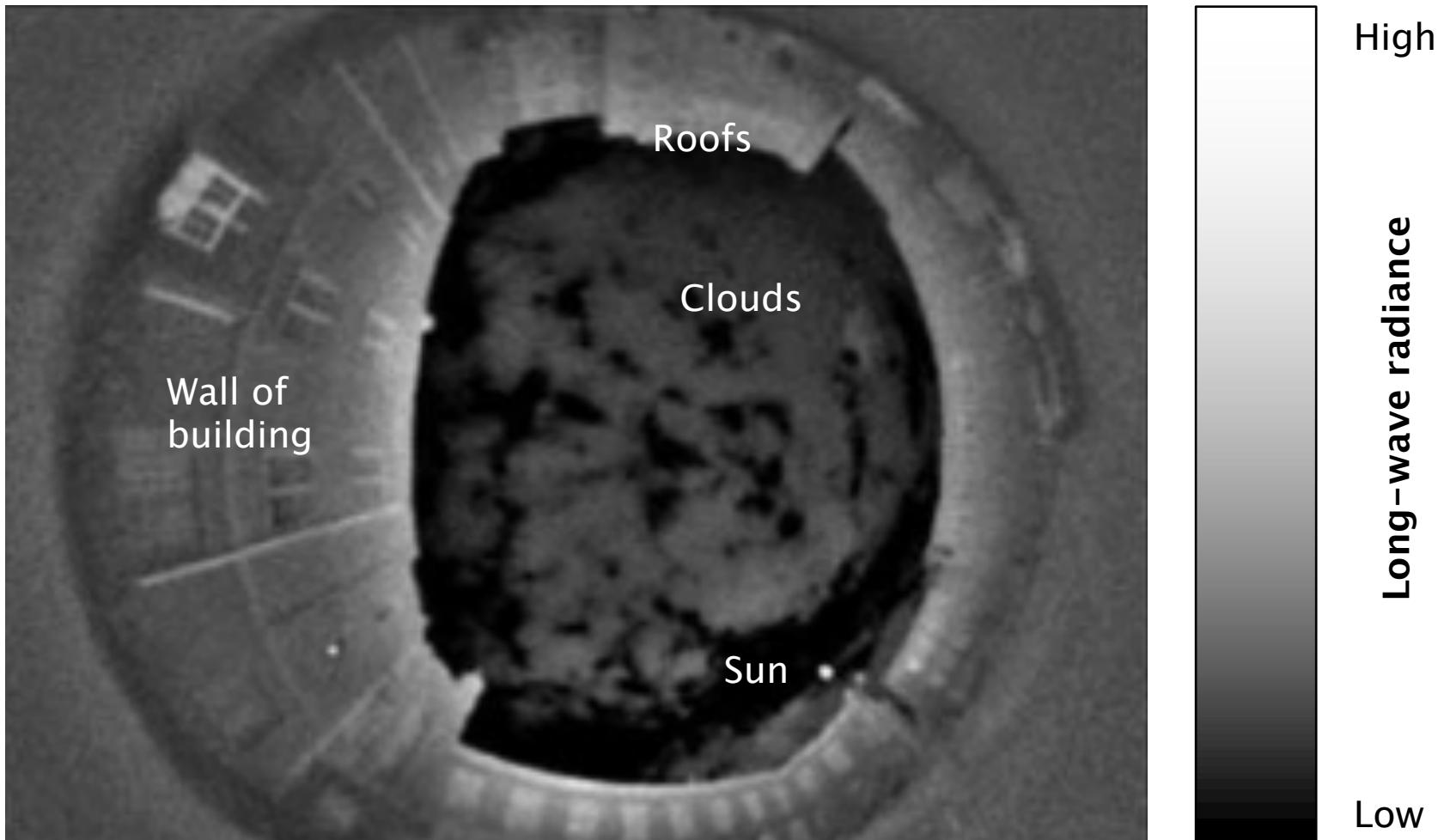
Middel et al. (2018) Urban Climate

Thermal infrared through a fish-eye lens



Chapman, L., Thornes, J.E., Muller, J.P. & McMuldroch, S. (2007) Potential applications of thermal fisheye imagery in urban environments. *Geoscience and Remote Sensing Letters* 4(1): 56-59

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Geometry control





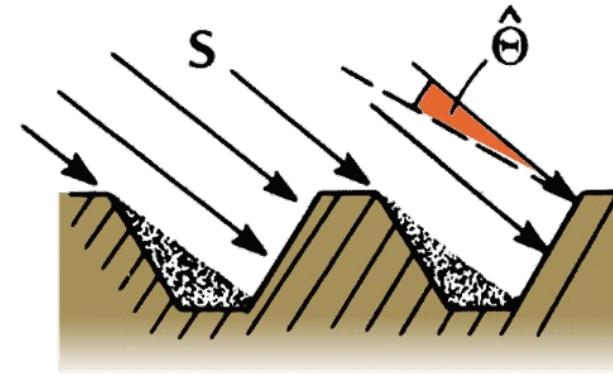
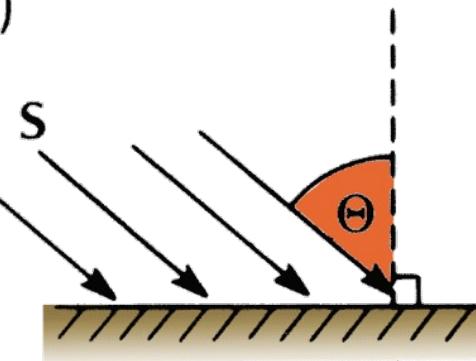
Photo: A. Christen



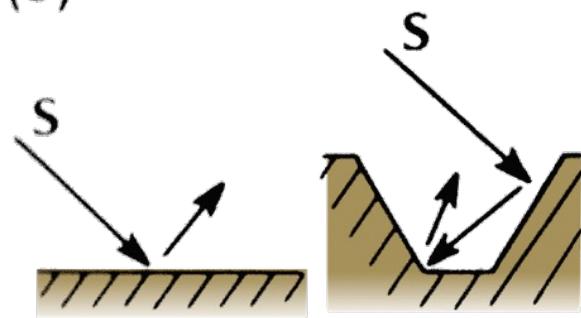
Photo: A. Christen

Geometry control of the net all-wave radiation

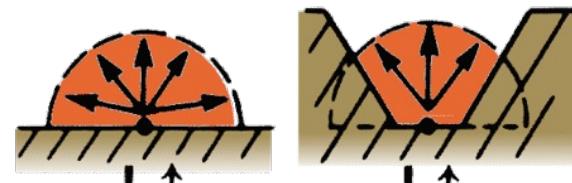
(a)



(b)



(c)



T.R. Oke (1987): 'Boundary Layer Climates' 2nd Edition.

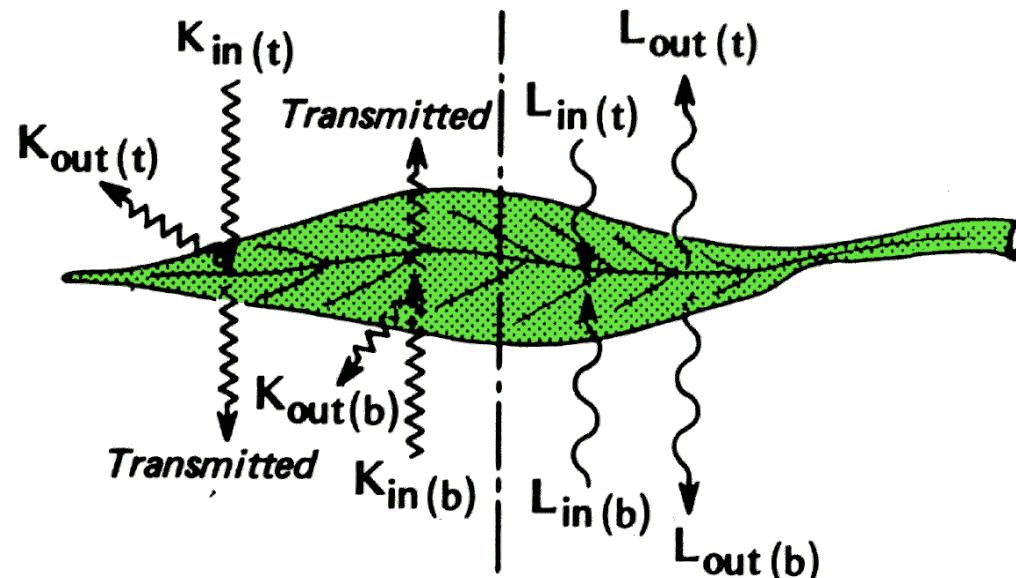


Photo: A. Christen

Net radiation of two-sided object

A leaf is a 2-sided object so the simple incoming (\downarrow) and outgoing (\uparrow) consideration for the ground is insufficient - this has to be done on both sides, top (t) and bottom (b), and transmission is relevant:

(a)



T.R. Oke (1987): 'Boundary Layer Climates' 2nd Edition, with permission by author

$$Q^* = K^* + L^*$$

$$\begin{aligned}K^* &= K_{in}(t) + K_{in}(b) \\&\quad - K_{out}(t) - K_{out}(b) \\&\quad - K_{trans}(t) - K_{trans}(b)\end{aligned}$$

$$\begin{aligned}L^* &= L_{in}(t) + L_{in}(b) \\&\quad - L_{out}(t) - L_{out}(b)\end{aligned}$$

Take home points

- Surface properties in the net all-wave budget tend to partially offset each other - in particular albedo and surface temperature.
- Temporal and spatial differences in net all-wave radiation are controlled by the distribution of **short-wave irradiance, atmospheric conditions** (clouds) and **surface properties**.
- Net all-wave radiative exchange of two-sided and 3D objects needs to consider distributions of radiative fluxes surrounding the object.