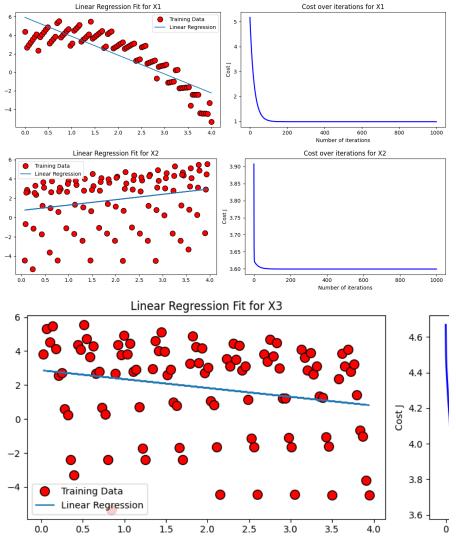
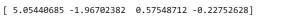
```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from google.colab import drive
drive.mount('/content/drive')
     Mounted at /content/drive
file_path = '/content/drive/My Drive/IntroML/content/D3.csv'
data = pd.DataFrame(pd.read_csv(file_path))
data.head()
                        X2
                                  Х3
                                                  \blacksquare
      0 0.000000 3.440000 0.440000 4.387545
      1 0.040404 0.134949 0.888485 2.679650
      2 0.080808 0.829899 1.336970 2.968490
      3 0.121212 1.524848 1.785455 3.254065
      4 0.161616 2.219798 2.233939 3.536375
import pandas as pd
data = pd.read_csv('/content/drive/My Drive/IntroML/content/D3.csv')
import numpy as np
import matplotlib.pyplot as plt
def compute_cost(X, y, theta):
    m = len(y)
    predictions = X.dot(theta)
    cost = (1/(2*m)) * np.sum(np.square(predictions-y))
def gradient_descent(X, y, theta, alpha, num_iters):
    m = len(y)
    J_history = []
    for _ in range(num_iters):
        prediction = np.dot(X, theta)
        error = prediction - y
        gradient = np.dot(X.T, error)
        theta -= (alpha/m) * gradient
        J_history.append(compute_cost(X, y, theta))
    return theta, J_history
alpha = 0.1
num_iters = 1000
y = data.iloc[:,3].values
models = \{\}
loss_histories = {}
for idx, column in enumerate(data.columns[:-1]):
    X = data.iloc[:, idx].values
    X = np.column_stack((np.ones(len(X)), X)) # add a bias term
    theta = np.zeros(2)
    theta, J_history = gradient_descent(X, y, theta, alpha, num_iters) models[column] = theta
    loss_histories[column] = J_history
    plt.figure(figsize=(12, 4))
    plt.subplot(1, 2, 1)
    plt.plot(X[:,1], y, 'ro', ms=10, mec='k', label='Training Data')
plt.plot(X[:,1], np.dot(X, theta), '-', label='Linear Regression')
    plt.legend()
    \verb|plt.title(f'Linear Regression Fit for {column}')|\\
    plt.subplot(1, 2, 2)
    plt.plot(range(num_iters), J_history, '-b', linewidth=2)
    plt.xlabel('Number of iterations')
    plt.ylabel('Cost J')
    plt.title(f'Cost over iterations for {column}')
    plt.tight layout()
    plt.show()
print(models) #these are the results for linear model that is found.
```

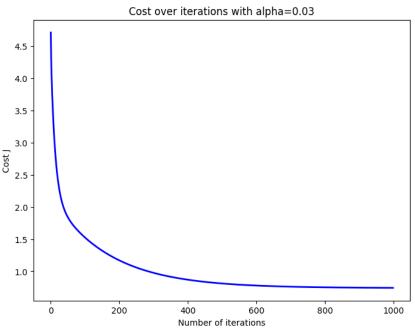


 $\{ \texttt{'X1': array}(\texttt{[5.92794892, -2.03833663]}), \texttt{'X2': array}(\texttt{[0.73606043, 0.55760761]}), \texttt{'X3': array}(\texttt{[5.92794892, -2.03833663]}), \texttt{'X2': array}(\texttt{[0.73606043, 0.55760761]}), \texttt{'X3': array}(\texttt{[0.736060643, 0.55760761]}), \texttt{'X3': array}(\texttt{[0.73606043, 0.55760761]}), \texttt{[0.7360606043, 0.55760761]}), \texttt{[0.7360606043, 0.55760761]})$

```
X = data.iloc[:, 0:3].values
X = np.column_stack((np.ones(len(X)), X))  # add a bias term
y = data.iloc[:, 3].values
theta = np.zeros(4)
alpha = 0.03  # Chosen value between 0.1 and 0.01, you can change this to experiment
num_iters = 1000

theta_final, J_history = gradient_descent(X, y, theta, alpha, num_iters)
print(theta_final)
plt.figure(figsize=(8, 6))
plt.plot(range(num_iters), J_history, '-b', linewidth=2)
plt.xlabel('Number of iterations')
plt.ylabel('Cost J')
plt.title(f'Cost over iterations with alpha={alpha}')
plt.show()
```





```
def predict(X, theta):
    return np.dot(X, theta)

# Values
data_points = np.array([
       [1, 1, 1],
       [2, 0, 4],
       [3, 2, 1]
])

# Add bias term
data_points = np.column_stack((np.ones(len(data_points)), data_points))
predictions = predict(data_points, theta_final)
print(predictions)

[3.43534387 0.21025408 0.07678334]
```

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