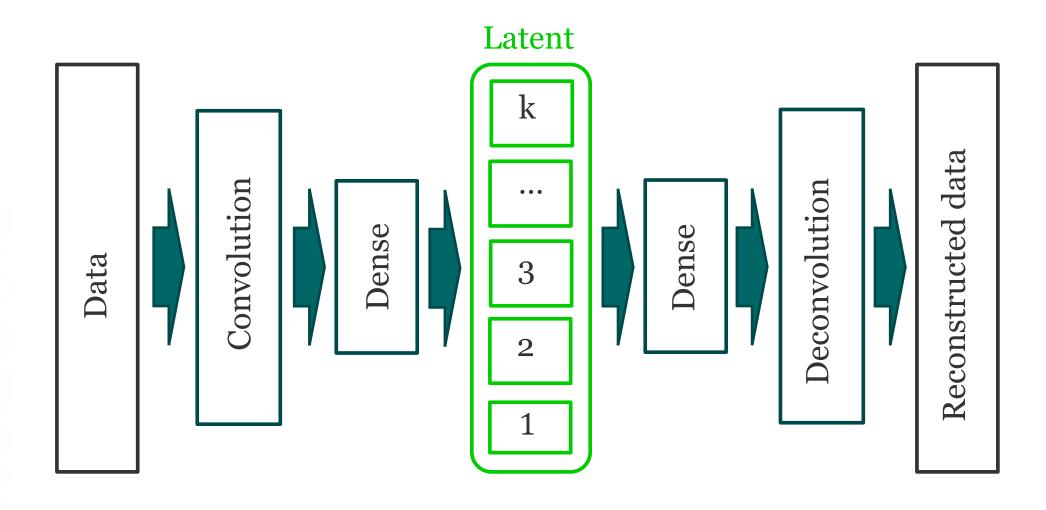
# Lecture 34: VAE Applications

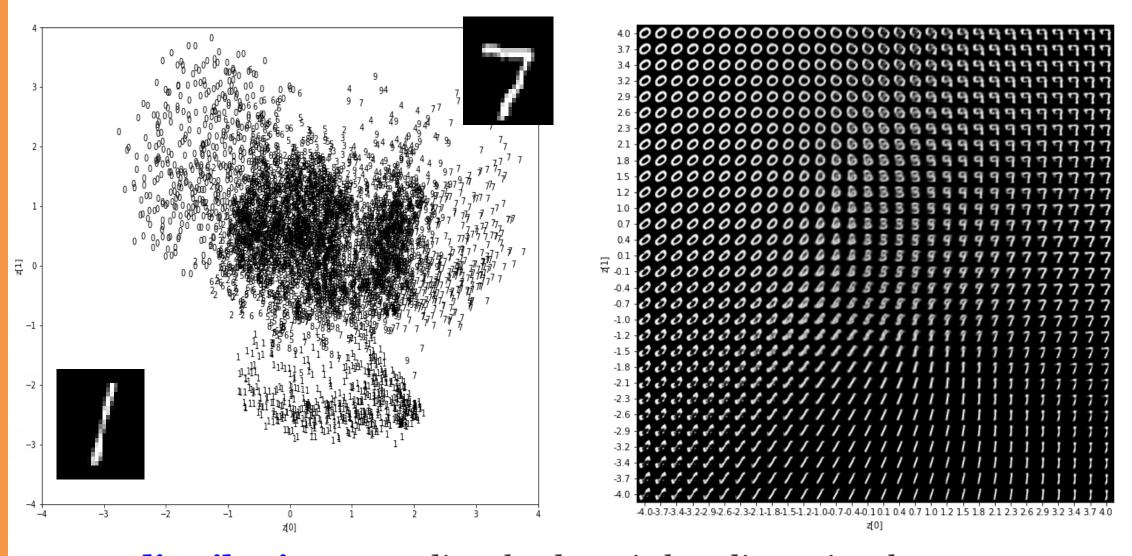
Instructor: Sergei V. Kalinin

## Autoencoders



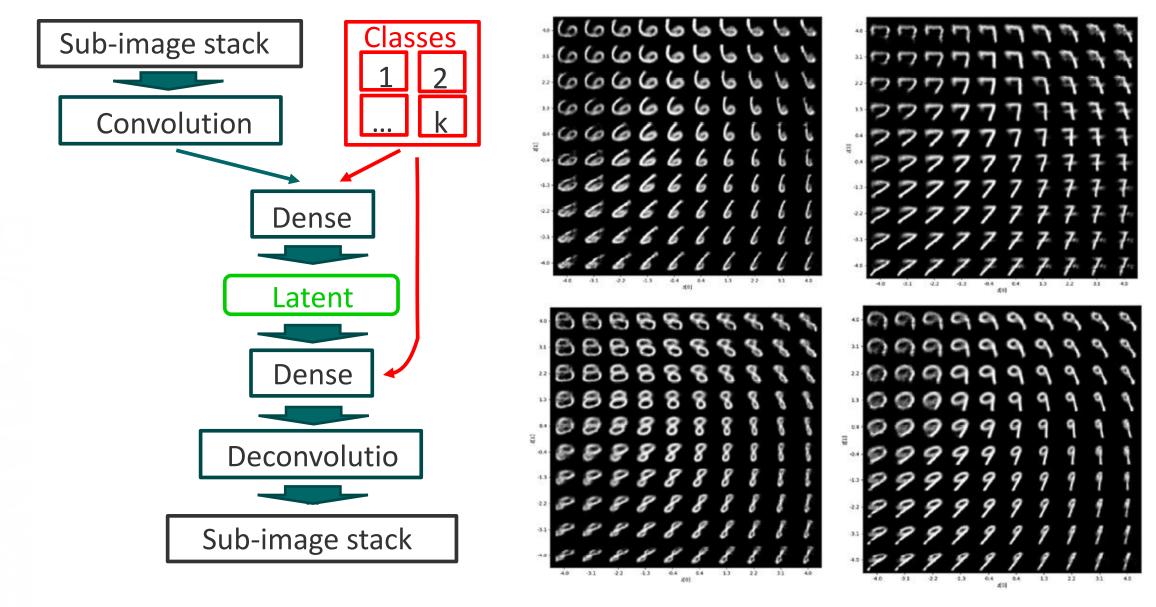
Loss: reconstruction loss

## Encoding, Decoding, and Latent Space



Latent distribution: Encoding the data via low dimensional vector Latent representation: Decoding images from uniform grid in latent space

## **Conditional VAE**



Note the trends in the latent representation for each digit: disentanglement of the representations

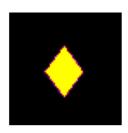
Introduce the **cards** data set:

- Classical 4 hands (diamonds, clubs, pikes, hearts)
- Interesting similarities (pikes and hearts)
- And invariances on affine transforms (e.g. diamonds)

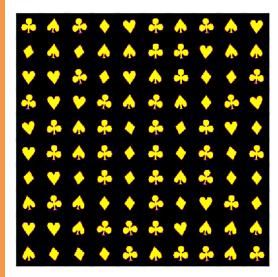




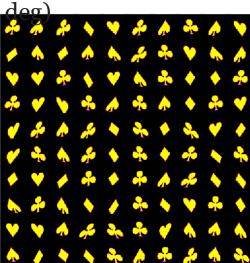




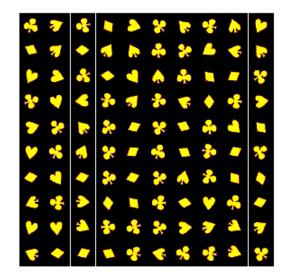
Cards 1: Low R (12 deg) and low S (1 deg)



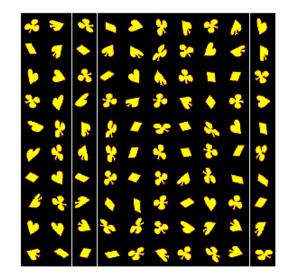
Cards 2: Low R (12 deg) and high S (20



Cards 3: High R (120 deg) and Low S (1 deg)

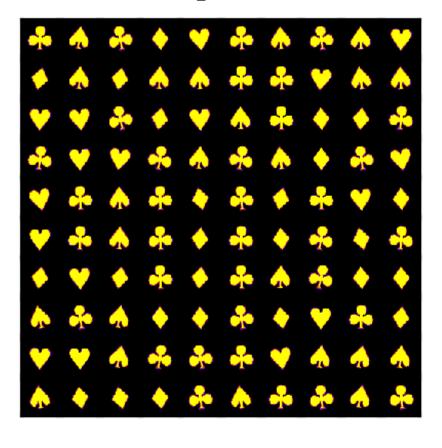


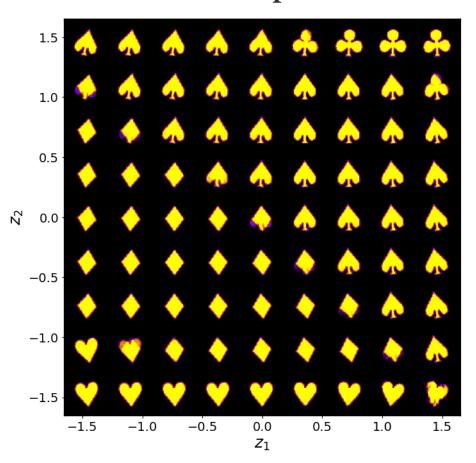
Cards 4: High R (120 deg) and high S (20 deg)



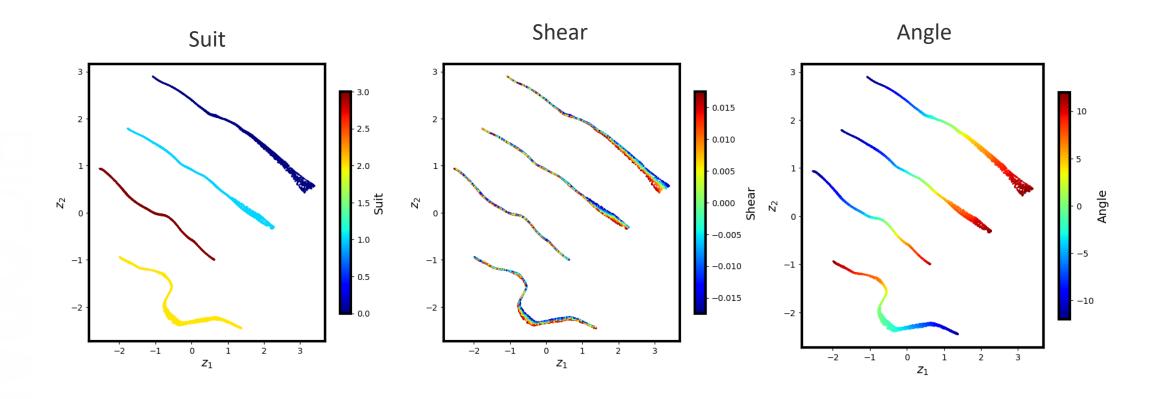
- Shear, rotations, and translations are **known** factors of variability (or traits) in data
- Can VAE disentangle representations and discover these factors of variability

#### **Example of data**



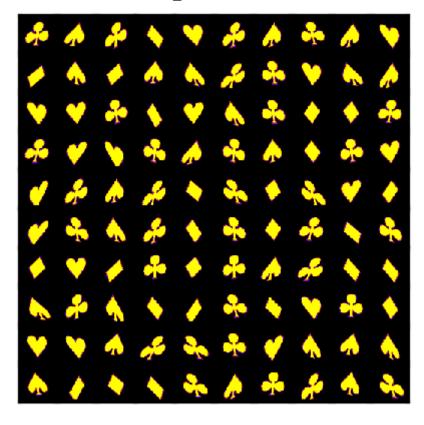


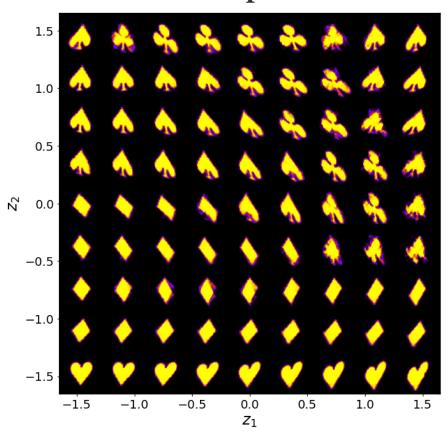
Cards 1: Low rotation (12 deg) and low shear (1 deg)



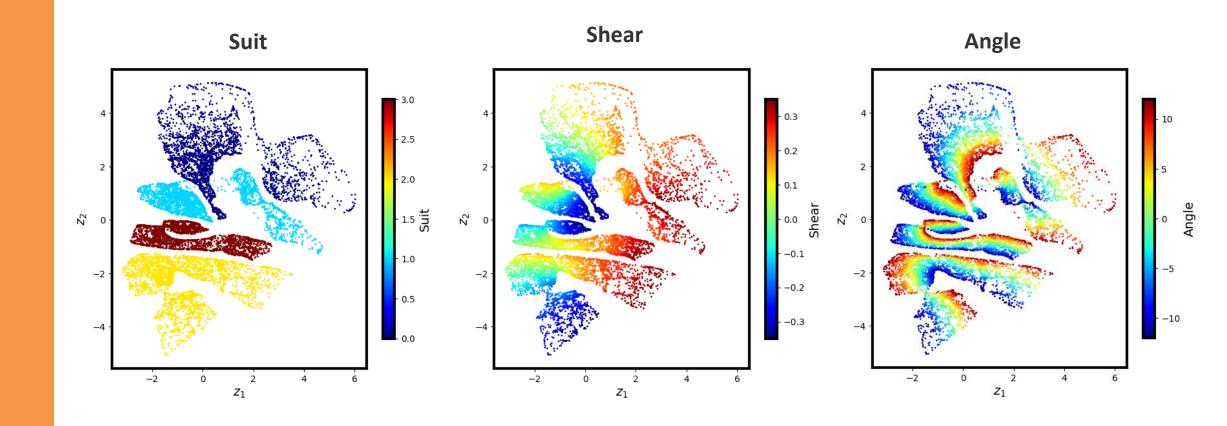
Cards 1: Low rotation (12 deg) and low shear (1 deg)

#### **Example of data**



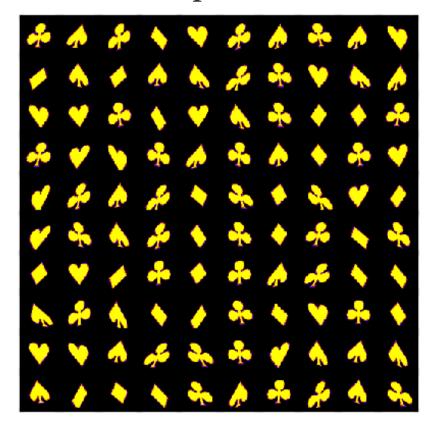


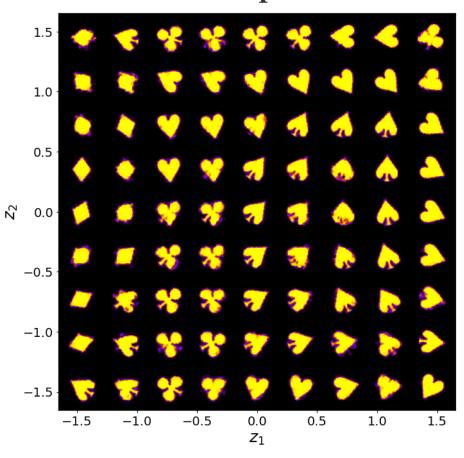
Cards 2: Low rotation (12 deg) and high shear (20 deg)



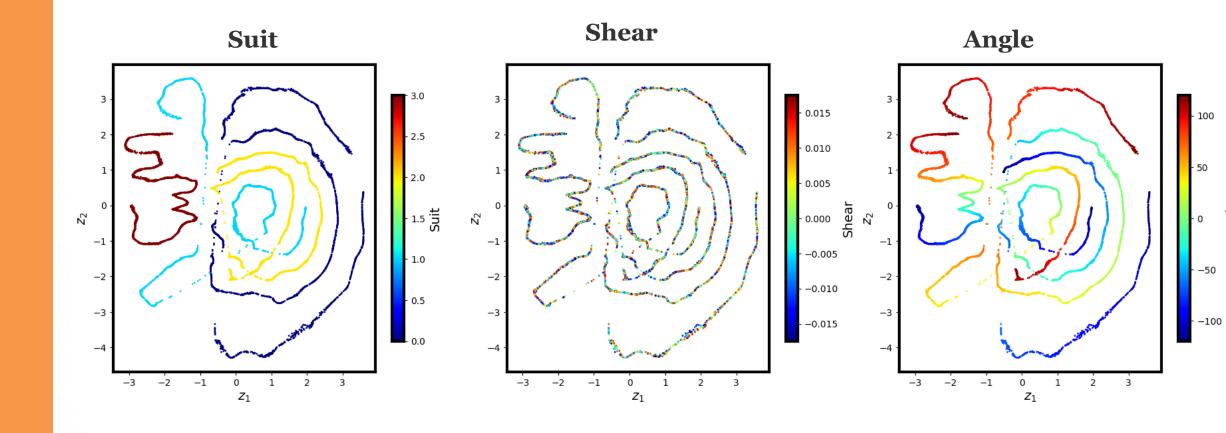
Cards 2: Low rotation (12 deg) and high shear (20 deg)

#### **Example of data**



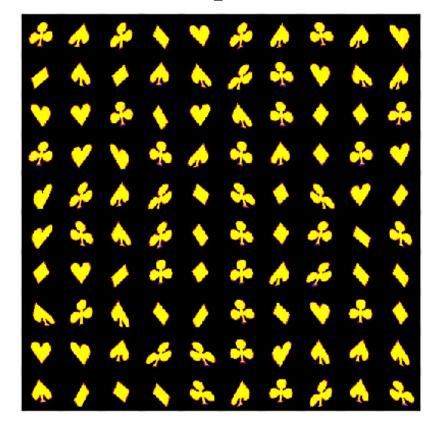


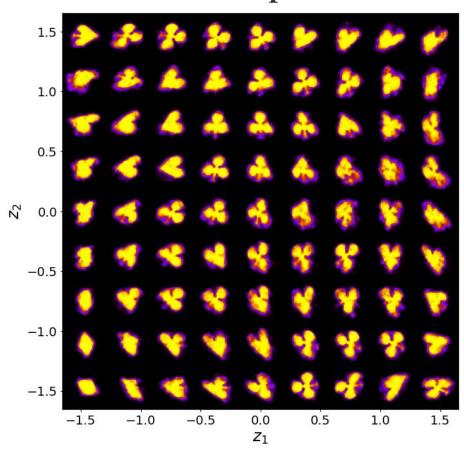
Cards 3: High rotation (120 deg) and low shear (1 deg)



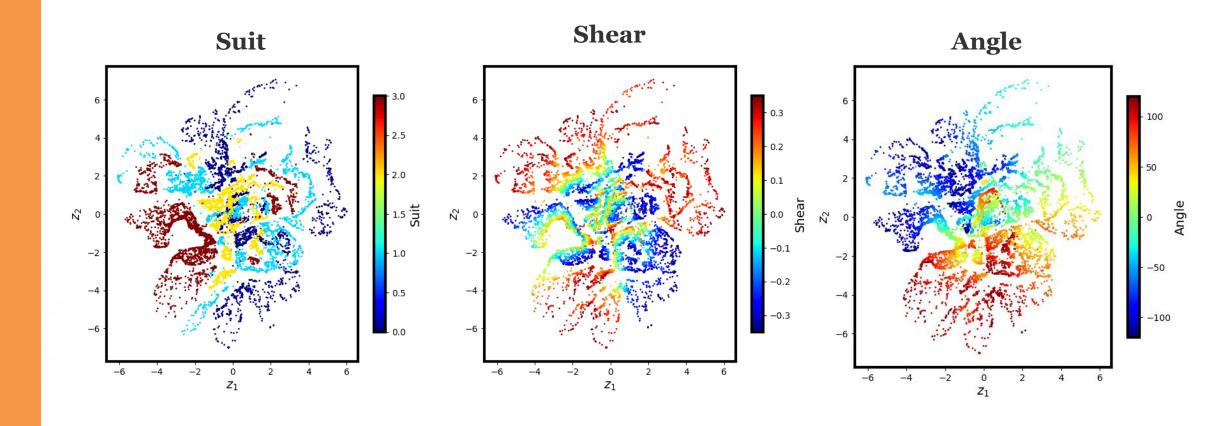
Cards 3: High rotation (120 deg) and low shear (1 deg)

#### **Example of data**



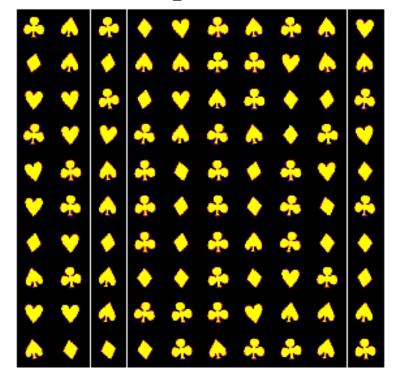


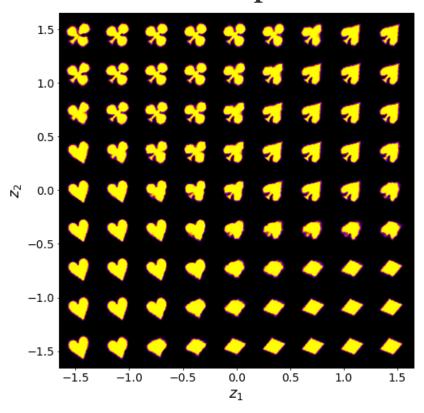
Cards 4: High rotation (120 deg) and high shear (20 deg)



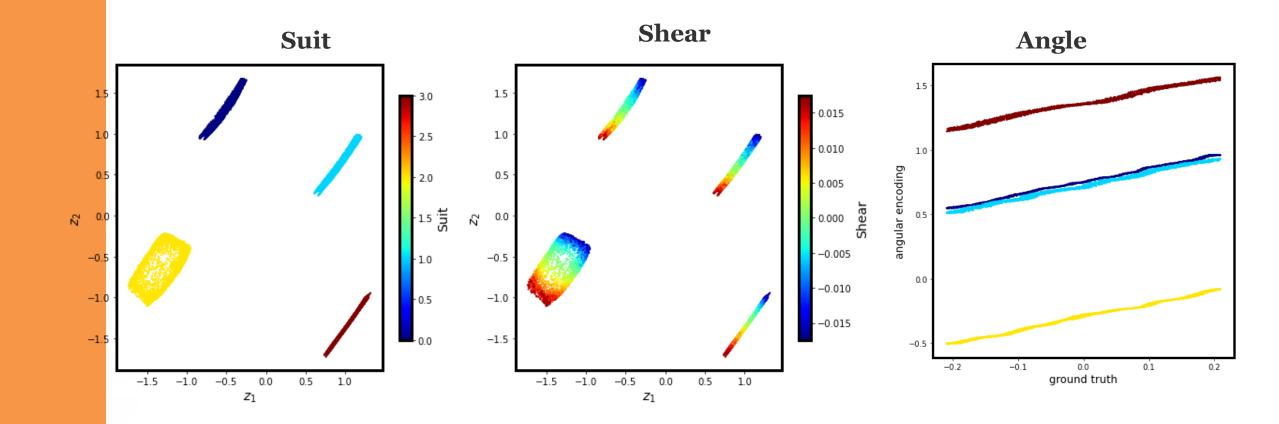
Cards 4: High rotation (120 deg) and high shear (20 deg)



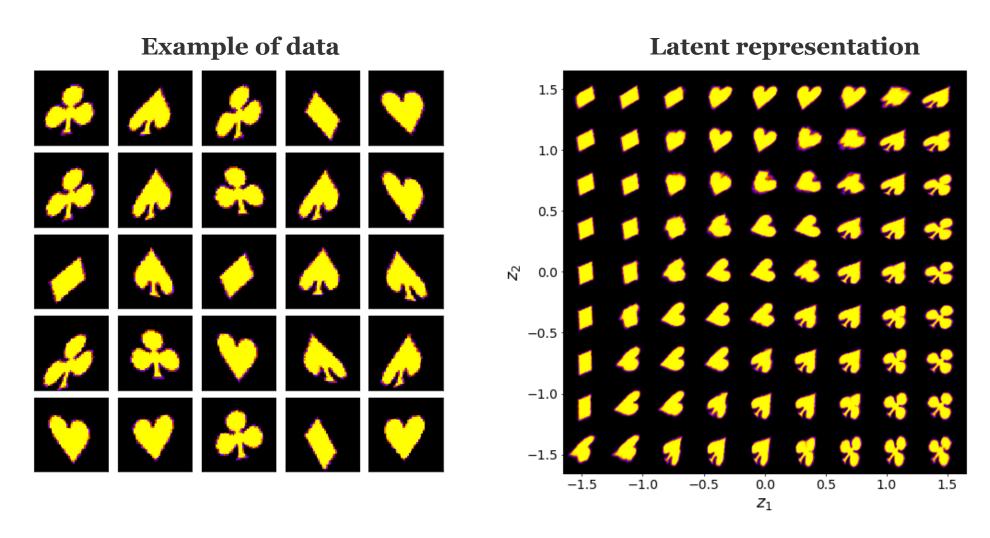




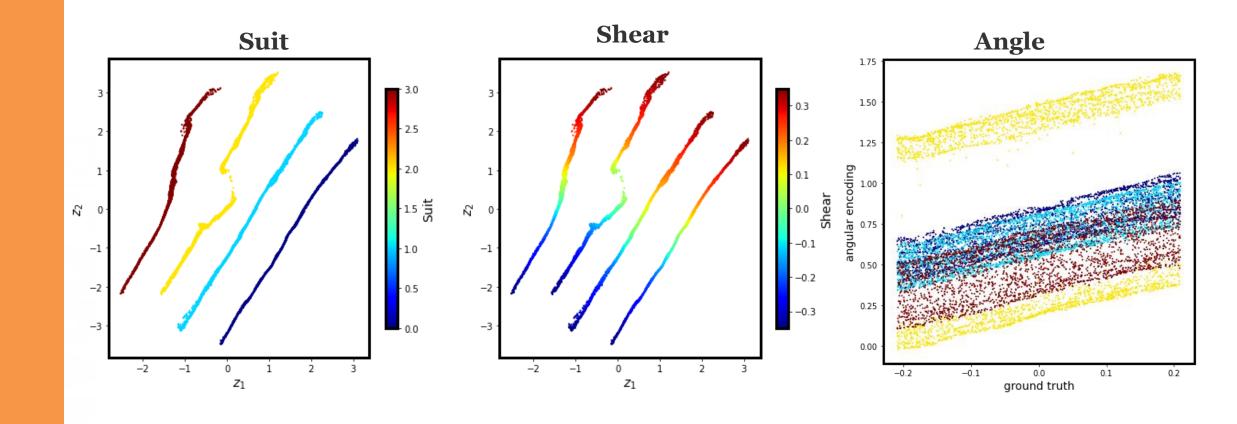
Cards 1: Low rotation (12 deg) and low shear (1 deg)



Cards 1: Low rotation (12 deg) and low shear (1 deg)

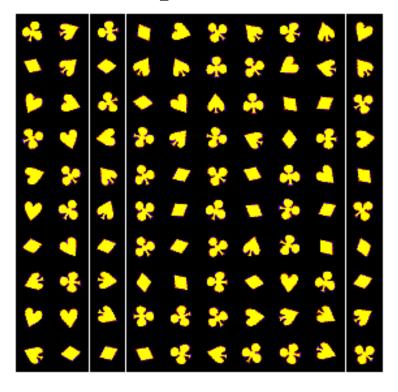


Cards 2: Low rotation (12 deg) and high shear (20 deg)

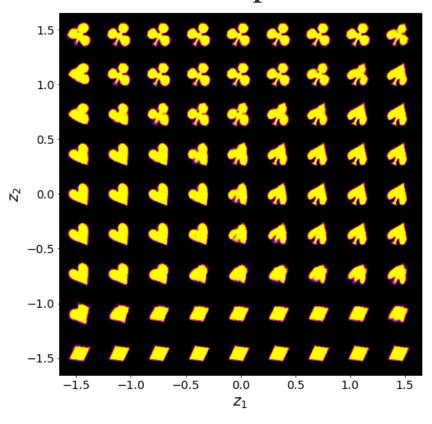


Cards 2: Low rotation (12 deg) and high shear (20 deg)

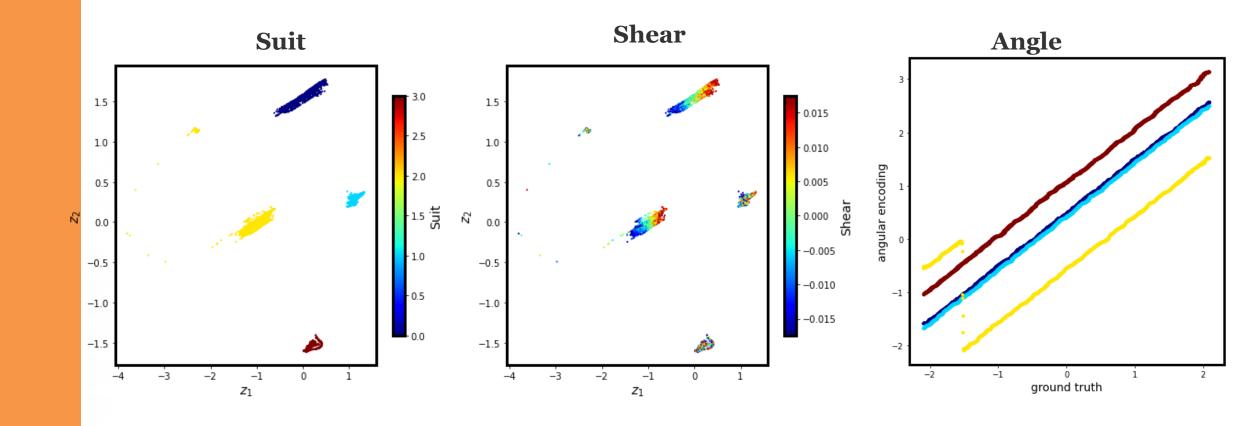
**Example of data** 



**Latent representation** 

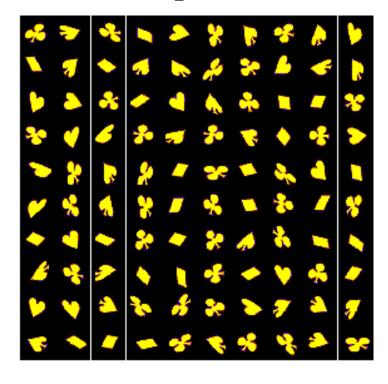


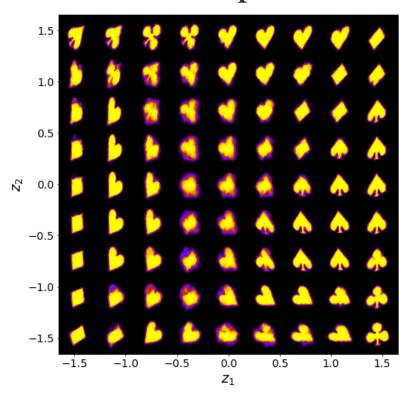
Cards 3: High rotation (120 deg) and low shear (1 deg)



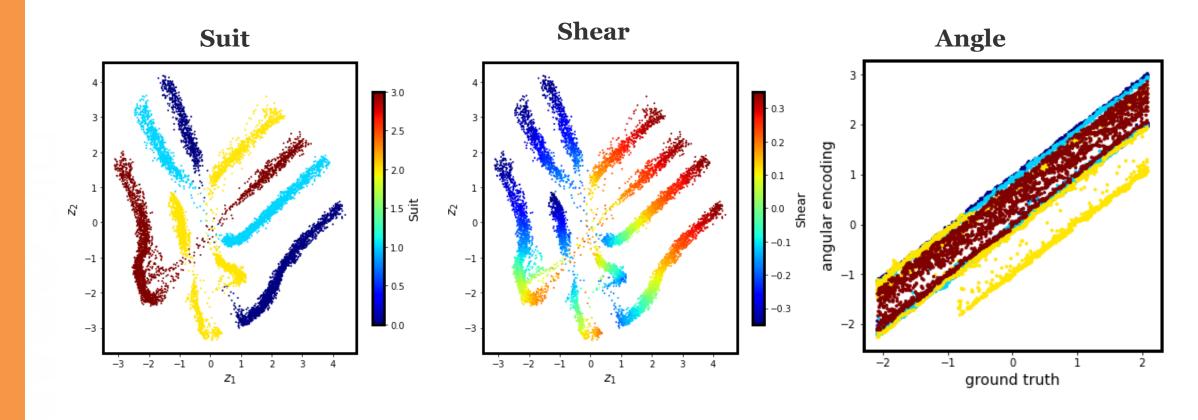
Cards 3: High rotation (120 deg) and low shear (1 deg)

#### **Example of data**





Cards 4: High rotation (120 deg) and high shear (20 deg)

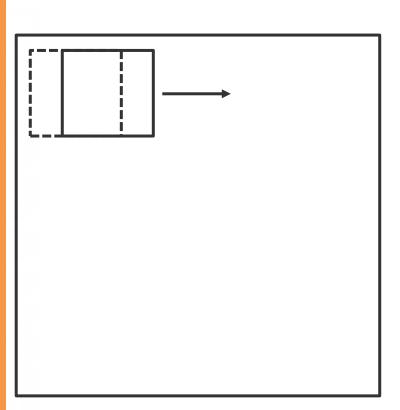


Cards 4: High rotation (120 deg) and high shear (20 deg)

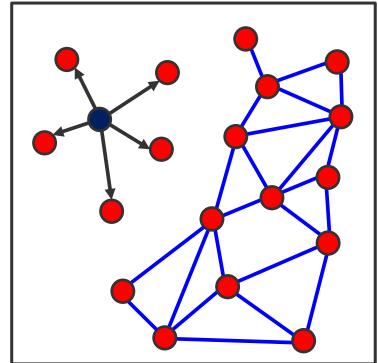
# Describing the building blocks

- The classical physical descriptions (symmetry, etc) can be defined locally only in Bayesian sens
- We can argue that local descriptors are simple, if not necessarily known
- And the rules that guide their emergence are also simple, if not known

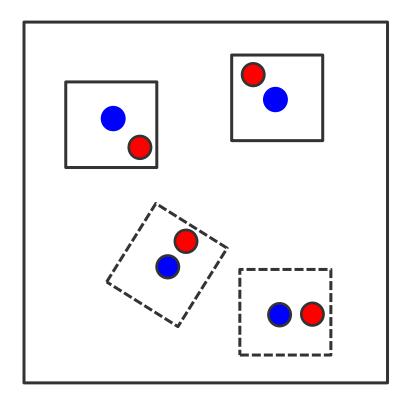
# Continuous translational symmetry



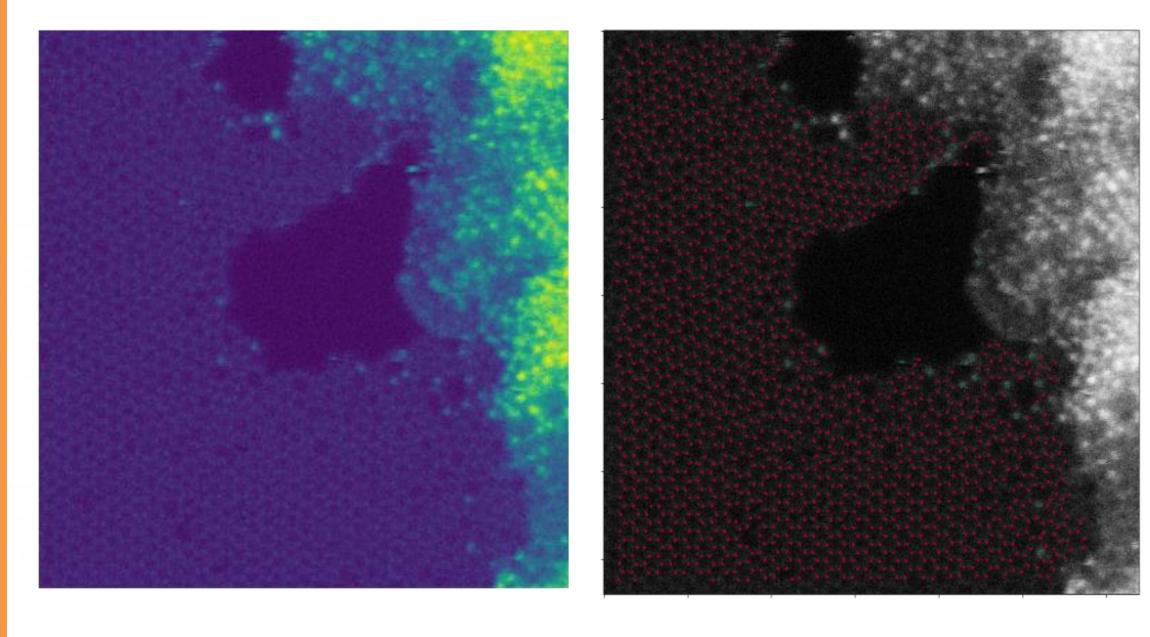
# Atom based descriptions



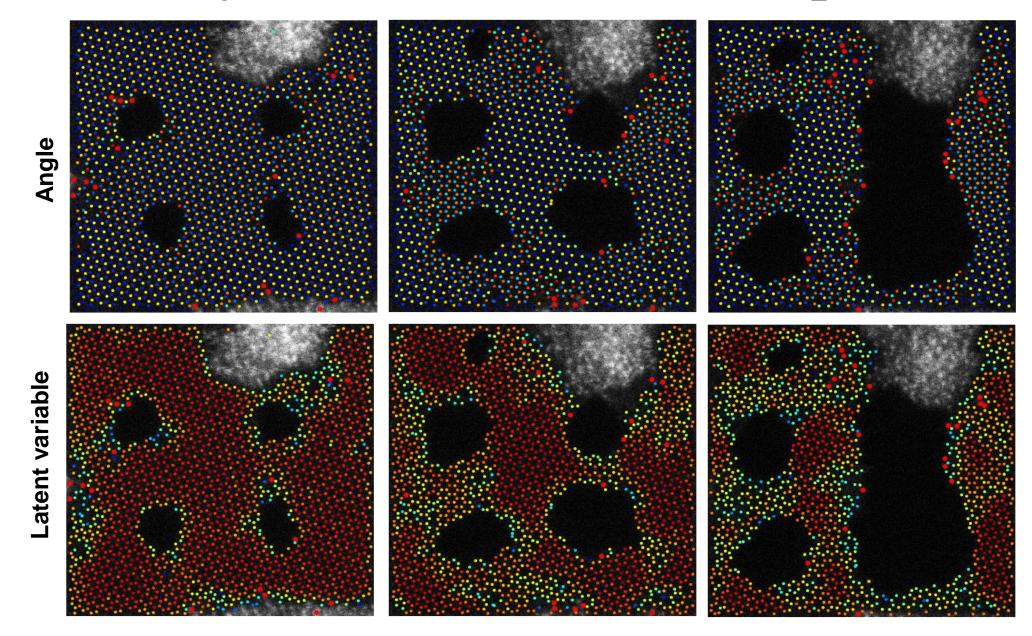
#### Localized subimages



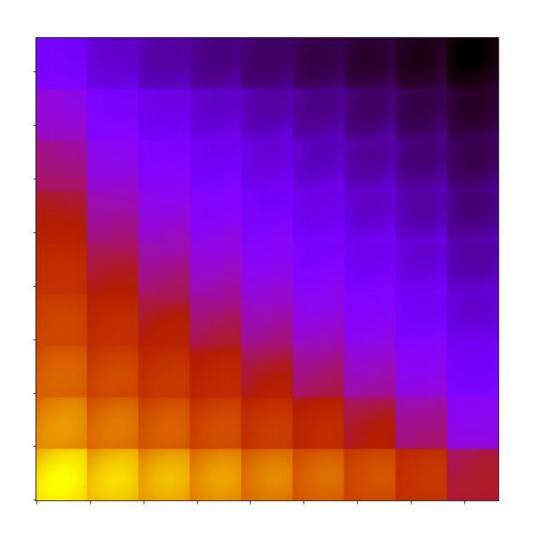
# Off to chemically-disordered systems

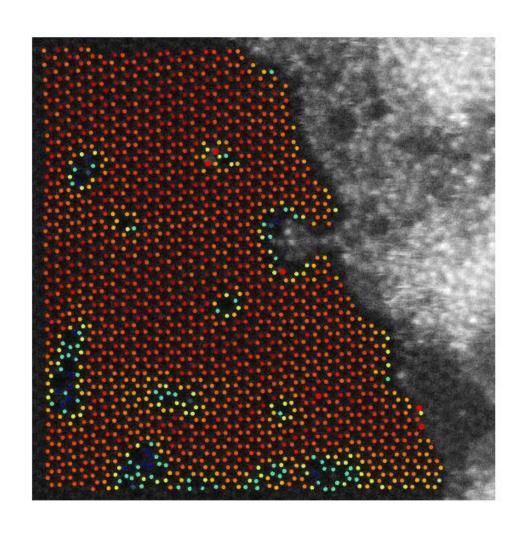


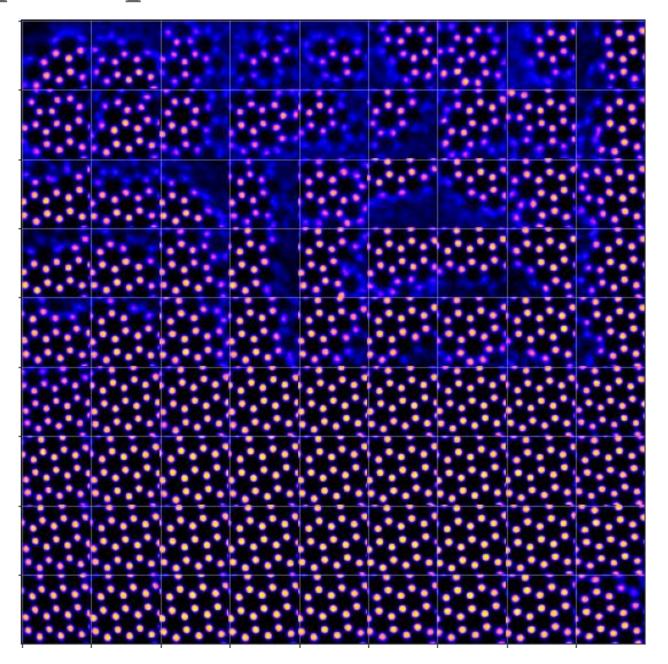
# rVAE analysis at different time steps



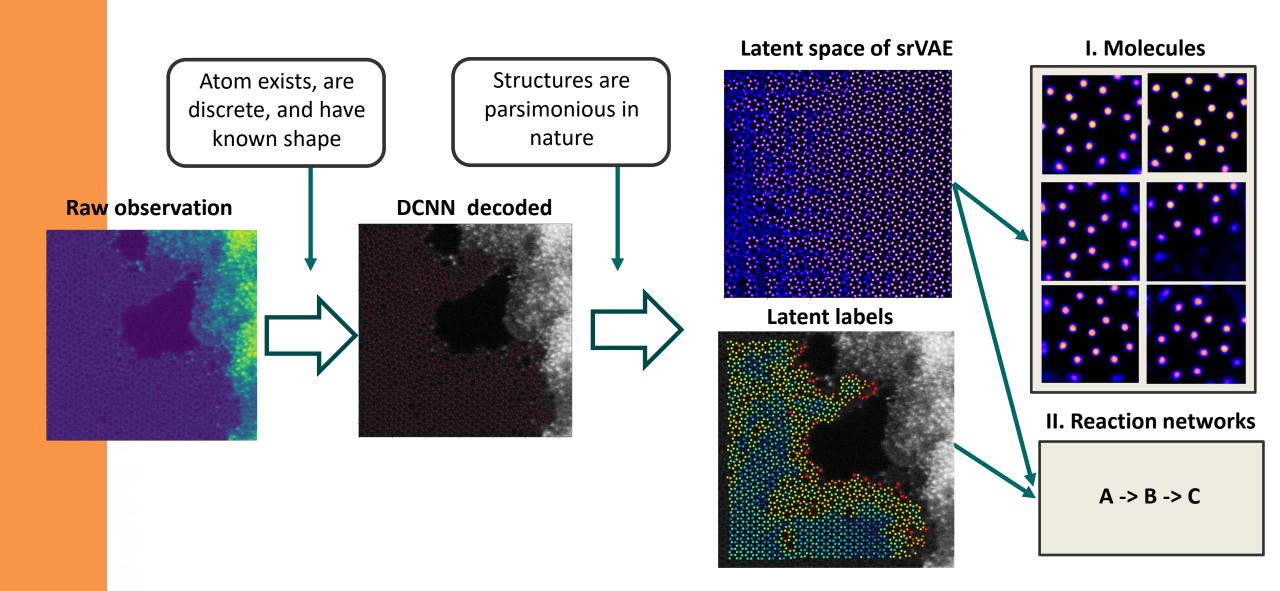
# There is nothing as beautiful as training VAE







# Unsupervised discovery of molecules



# Exploring the latent space structure

