

# GIE-Soliton Monitor: An Algorithmic Framework for Detecting Pricing Singularities

*Engineering Implementation for the 5061.19 Physical Benchmark*

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## Abstract

**Abstract:** Following the theoretical establishment of the 5061.19 pricing singularity [Ma, 2026], this technical report operationalizes the GIE dynamics into a deployable quantitative system. We introduce a complete 8-equation framework combining  **$H_\infty$  filtering** and **Lévy Flights** for signal extraction, **Symplectic Integrators** for soliton capture, and **Landau-Ginzburg potentials** for phase transition detection. This document serves as the SOP for identifying "Dimensional Transitions".

## 1 Introduction

While our previous work established the physical legitimacy of the 5061.19 singularity, the current financial engineering toolkit lacks instruments to monitor such non-linear phenomena. This report bridges the gap by providing the "Fire Control Radar" for the GIE theory.

## 2 Signal Processing Layer

### 2.1 Robust $H_\infty$ Filter

To extract the pure Geopolitical (G) factor from non-Gaussian noise, we employ the Minimax criterion. This ensures robust tracking even under extreme volatility:

$$\min_{\hat{x}} \max_{w,v} \frac{\int_0^T \|z - H\hat{x}\|^2 dt}{\int_0^T (\|w\|^2 + \|v\|^2) dt} < \gamma_{perf}^2 \quad (1)$$

### 2.2 Lévy Flight Characteristic Function

We model the market noise not as Brownian motion, but as Lévy flights with infinite variance. The G-field intensity is verified by the fractional derivative index  $\alpha$ :

$$G_{field} = \oint_{\Gamma} e^{-itx} \cdot \exp(-\gamma|t|^{\alpha}[1 - i\beta \text{sgn}(t)\Phi(t, \alpha)]) dt \quad (2)$$

### 2.3 Expectation Dynamics

The acceleration of expectation follows a trajectory on a curved manifold, described by the Lie Bracket operator:

$$\frac{D}{dt}(\text{Ad}_g \cdot \xi) = [\xi, \eta] + \nabla_{\dot{\gamma}}\xi \quad (3)$$

## 3 Singularity Solution Layer

### 3.1 Symplectic Integrator for Solitons

To maintain energy conservation during the simulation of the 5061.19 steady state, we utilize a symplectic structure preserving the Hamiltonian  $\mathcal{H}$ :

$$P_t = J \cdot \frac{\delta \mathcal{H}}{\delta P}, \quad \text{where } J = \frac{\partial}{\partial x} \quad (4)$$

### 3.2 Inverse Scattering Transform (IST)

The spectral signature is locked via the Lax pair eigenvalue problem:

$$\hat{L}\psi = \lambda\psi, \quad \text{with } \hat{L} = -\frac{\partial^2}{\partial x^2} - u(x, t) \quad (5)$$

## 4 Phase Transition and Warning

### 4.1 Landau-Ginzburg Free Energy

The system enters a phase transition when the Gamma order parameter breaks the symmetry of the Free Energy potential well:

$$F[\Gamma] = \int \left( \frac{1}{2} |\nabla \Gamma|^2 + \frac{r}{2} \Gamma^2 + \frac{u}{4} \Gamma^4 - H_{ext} \cdot \Gamma \right) d^d x \quad (6)$$

### 4.2 Renormalization Group Flow

The criticality of Gamma drift is verified by the Beta function flow, detecting the loss of scale invariance:

$$\left( \mu \frac{\partial}{\partial \mu} + \beta(g) \frac{\partial}{\partial g} + \gamma_\Gamma \right) \Gamma^{(n)} = 0 \quad (7)$$

### 4.3 Catastrophe Bifurcation Set

The collapse point corresponds to the singularity in the Cusp Catastrophe manifold, defined by the bifurcation set:

$$27G^2 + 4E^3 = 0 \quad (8)$$

### 4.4 Psi ( $\Psi$ ) Collapse Alarm

The ultimate system crash warning is governed by the energy depletion ratio. The implementation logic is as follows:

Listing 1: Psi Index Calculation Kernel

```

1 import numpy as np
2
3 def calculate_psi_warning(dE_dt, dG_dt, G_val, kappa=0.05):
4     """
5         Psi Index: Expectation Velocity / Damping Field.
6     """
7     # Damping Field (Denominator)
8     # The equals sign and asterisk WILL be visible now.
9     damping_field = np.abs(dG_dt) + kappa * G_val
10
11    # Check for vacuum state (Singularity Risk)
12    if damping_field < 1e-6:
13        return 999.9 # Super-Critical Collapse
14
15    # Calculation Logic
16    psi = np.abs(dE_dt) / damping_field
17    return psi
18
19 # Real-time Monitor Loop
20 current_psi = calculate_psi_warning(15.62, 0.0, 43.72)
21
22 if current_psi > 2.5:
23     print(">>> ALERT: Dimensional Collapse Imminent!")

```

## 5 Conclusion

This framework operationalizes the GIE theory into a deployable quantitative strategy. By monitoring the  $\Psi$  index, market participants can navigate the post-5061.19 era with algorithmic precision.

## References

- [1] Ma, Raymond. (2026). *The 5061.19 Singularity: Physical Benchmarking in Post-Credit Markets*. Zenodo. **DOI: 10.5281/zenodo.18631008**