I What is the average size of all sharks in the world?

This problem can be solved using inferential statistics. Lets assume the following values,

sample mean, $\overline{x} = 300$ Confidence Interval=95%.

$$\alpha = significance value$$

$$\alpha = 0.05 = 1-.95$$

$$= 0.05$$

C. I = Point estimate + margin exxox

$$= x \pm \frac{x}{\sqrt{2}} = \frac{5}{\sqrt{50}}$$

$$= 300 \pm \frac{x}{\sqrt{50}} = \frac{100}{\sqrt{50}}$$

=
$$300\pm 1.96 \times \frac{100}{\sqrt{50}}$$
 $\frac{70.05}{2} = 70.025$
 $\frac{70.025}{2}$ Find It values

using Ztable

7=0. Zo.025 = 0-975

=1.96

Calculate lower limit =
$$300 - 1.96 \times \frac{100}{\sqrt{50}}$$

= $272 - 277 = 272$

= 321.7 = 328 With the 95% confidence Interval population mean is in between 272 to 328

+1-96

-1-96

In the quant test of CAT exam, the population standard deviation is known to be 100. A sample of 25 test takens has a mean of 520. Construct a 80%. C.I about population mean.

 \mathbb{I}

1099

-1.29

494-2

13 population standard deviation given, use 7 test = population s.D

$$\sigma = 100$$
 $D = 25$

$$\bar{\chi} = 520$$

$$\bar{\chi} = 520$$

$$\bar{\chi} = 3 \text{ ample mean}$$

$$\begin{array}{lll}
\alpha &= 1 - 0.86 \\
&= 0.2
\end{array}$$

$$\begin{array}{lll}
\alpha &= Signi ficance value \\
&= 0.2
\end{array}$$

$$\begin{array}{lll}
Z_{\alpha/2} &= Z_{0.2/2} \\
&= Z_{0.1}
\end{array}$$

$$\begin{array}{lll}
\alpha &= Signi ficance value \\
&= 80\%.
\end{array}$$

$$70.1 = Using Z table$$

$$= 1 - 0.1 = 0.90 = 1.29$$

$$C \cdot I = point estimate + margin excos$$

$$= x \pm x_{2} \times \sqrt{n}$$

$$= 520 \pm x_{0.1} \times \frac{100}{\sqrt{25}}$$

$$= 520 \pm 1.29 \times \frac{100}{\sqrt{25}}$$

| owen fence =
$$\frac{1}{20} - \frac{7}{20} \times \frac{20}{\sqrt{100}}$$

= $520 - 1.29 \times \frac{100}{\sqrt{25}}$
= 494.2

Higher Jence =
$$\bar{x} + Z_{\frac{4}{2}}^{*} \sqrt[4]{7n}$$

= $520 + 1.29 \times \frac{100}{\sqrt{25}}$
= 545.8

A company has 100 k employees. Manager decided to buy Tshirt for them. He took a sample 500 and stone a Survey to know the numbers of Tshist need to buy. Asound 300 need Large size Talinst and 200 need XL Size Tshirt. Calculate the no. of Tshirts need to buy for 100K 7. Q = 0.05 Lets assume C.I = 95%. Zd/2 = 20.025 $x_1 = 300$ $x_2 = 200$ $x_3 = 60.025$ $x_4 = 1.96 (from Ztable)$ Confidence Interval fox a proportion is given by C-I = Sample propostion + Tax x / Sample propostion x p = Sample proportion, So $C.I = P + \frac{7}{4} \times \sqrt{\frac{P(I-P)}{D}}$ Cacluate C-I for Large size Tshirt, L.F = P - Zy/2 × V P(1-P) $p = \frac{300}{500} = 0.6$ $L \cdot f = .6 - 1.96 \times \sqrt{.6 \times (1-.6)}$ z.6-1-96 x V-6x-4 =·6-.0009408 = 5990.5510 11.F = P+Z/2 × VPCI-P) = .6+1.96× V.6x.4 £ 0-6009 = 0.6429 C. I for large Tshist is (-5940, 0.6429) = (-5510,0.6429)

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Calculator, for xlarge T.shirt, x = 200 $p = \frac{200}{500} = .4$ 2 = 1.96 from table

L. $f = P - \frac{200}{500} = .4$ 2 = 1.96 from table $2 = -4 - 1.96 \sqrt{\frac{P(1-P)}{500}}$ $2 = 0.4 - 1.96 \sqrt{\frac{0.4 \times 0.6}{500}} = 0.3570$ $14. F = P + \frac{200}{500} = .4 + 1.96 \sqrt{\frac{4 \times 6}{500}}$ $14. F = P + \frac{200}{500} = 0.4429$

FOR large Tshirt Itu C. I=95(with propostion of sample 500 is [.5570, .6420] ie approximately 55000 to 64000 b. Tshirts need to buy for Large size. for 100k

For extra large Tshirt with C.I=957. with proposition of sample 500 is [.3570, 0.4429] ie approximately 35000 to 44 thousand XL T. shirts need to bay for 100k employees

17 A car company believes the percentage of residents in city ABC that owns a vehicle is 60% or less. A sales manager disagrees with this and he conducts a hypothesis testing surveying 250 residents and found that 170 responds yes to owning a rechicle. a. State null bypothesis and alternate bypothesis b 17+ 10% significance buel, is there enough evidence to suppost the idea that vectoricle ownership in city ABC is GOY. OR less 2. n=250 D Nall hypothusis, Ho! Po ≤ 60% DC = 170 Alternation bypothesis, Hi: Po > 60%. $\hat{p} = \frac{7}{9} = \frac{170}{250}$ 2) Singnificance value, &= 10% ie, =0.68 d = 0.190=1-P0=1-0-6 Acceptance C. I = .90 = 0.4 3 Decision boundary 907 It is a one fail test

P value = 0.00 494 So
18 P value Z & Reject null
hupon because opered to find one condition Here x=0.10 C.I = 90% ie = .90 [\$8000 Itable] =1.29

(4) I test statistics $= \frac{0.08}{0.0309} = 2.5889$ = 0.68 - 0.60 Z test = P-Po VP090 V.60 x 0.40 2.5889 >1.29 30.6 N= 2-5889 So 10% significance value is (5) Conclusion

enough evidence to discard the nall hypothesis.

Decision rule reject noll hypothesis because than

Z=2-5889 is 7 1.29