integer portion of the number  $(N)_r$ . where  $[N]_r$  is the radix complement and n is the number of digits in the

system displays the same characteristics as the twos complement system, it will not be discussed here. describe the twos complement system. Because the tens complement plement, depending on which number system is used. This section will This system is commonly called either twos complement or tens com-

(a) The twos complement of  $(01010)_2$  is

$$2^5 - (01010) = 100000 - 01010 = 10110$$

Here 
$$n = 5$$
 and  $r = 2$ .

(b) The twos complement of  $(0.0010)_2$  is

$$2^{1} - (0.0010) = 10.0000 - 0.0010 = 1.1110$$

Here, 
$$n = 0$$
 and  $r = 2$ .

(c) The tens complement of (4887)<sub>10</sub> is

$$10^4 - 4887 = 5113$$

Here, 
$$n=4$$
 and  $r=10$ .

(d) The tens complement of  $(48.87)_{10}$  is

$$10^2 - 48.87 = 51.13$$

Here, 
$$n = 2$$
 and  $r = 10$ .

obtaining the radix complement of a number. As can be verified by Example 1.32, there are two other methods for

## METHOD [

$$[01010]_2 = ?$$

10101

## METHOD 2

$$[010,10]_2 = ?$$

- a. Copy the bits from the LSB until and including the first nonzero bit.
- b. Complement the remaining bits through the MSB to get the twos complement.

101;10

 $[N]_{r-1} = r^n - r^{-m} - (N)_r$ 

The diminished radix complement  $[N]_{r-1}$  of a number  $(N)_r$  is defined

$$I_{r-1} = r^n - r^{-m} - (N)_r \tag{1.4}$$

portion of the number. Note that where n and m are respectively the number of digits in integer and fraction

$$[N]_r = [N]_{r-1} + r^{-m} (1.5)$$

LSB of the diminished radix complement form of the number. That is, the radix complement of a number is obtained by adding a 1 to the

plement or nines complement, depending on which number system is The diminished radix complement is commonly called the ones com-

## Example 1.33

$$(N)_r$$
  $r$   $n$   $m$   $[N]_{r-1}$   
(a)  $1001$  2 4 0  $2^4 - 2^0 - 1001$   
 $= 10000 - 1 - 1001$   
 $= 1111 - 1001 = 0110$   
(b)  $100.1$  2 3  $1 = 2^3 - 2^{-1} - 100.1$   
 $= 111.1 - 100.1 = 011.0$