

(4) LET $L = X'Z + X'Y + XZ$ $R = X'YZ' + X'YZ + X'Z$

X	Y	Z	X'	Z'	X'Z	X'Y	XZ	L	X'YZ'	X'YZ	R
0	0	0	1	1	0	0	0	0	0	0	0
0	0	1	1	0	1	0	0	0	0	0	1
0	1	0	1	1	0	1	0	0	1	0	1
0	1	1	1	0	1	1	0	0	1	0	1
1	0	0	0	1	0	0	0	0	0	1	1
1	0	1	0	0	0	0	0	0	0	0	0
1	1	0	0	1	0	0	0	0	0	0	0
1	1	1	0	0	0	0	0	0	0	0	0

FALSE

(5) LET $L = (P+Q'+R)(P+Q'+R')$ $R = Q'+PR'+RP'$

P	Q	R	P'	Q'	R'	(P+Q'+R)	(P+Q'+R')	L	PR'	RP'	R
0	0	0	1	1	1	1	1	1	0	0	1
0	0	1	1	1	0	1	1	1	0	1	1
0	1	0	1	0	1	1	1	1	0	0	0
0	1	1	1	0	0	1	1	0	0	1	1
1	0	0	0	1	1	1	1	1	1	0	1
1	0	1	0	1	0	1	1	1	1	0	0
1	1	0	0	0	1	1	1	1	1	0	1
1	1	1	0	0	0	1	1	1	1	0	0

FALSE

2.5 (1) $XY' + X'Z + Y'Z = X'Y + X'Z$

LEFT $= XY'(Z+Z') + X'Z(Y+Y') + Y'Z(X+X')$
 $= XY'Z + XY'Z' + X'YZ + X'YZ' + X'YZ + X'YZ'$
 $= X'YZ + X'YZ' + X'YZ + X'YZ'$

RIGHT $= X'Y(Z+Z') + X'Z(Y+Y')$
 $= X'YZ + X'YZ' + X'YZ + X'YZ'$
 $= X'YZ + X'YZ' + X'YZ + X'YZ'$

FALSE

(2) $(B'+C)(B'+D) = B'+CD$
LEFT $= (B'+C)(B'+D)$
RIGHT $= B'+CD$
 $= (B'+C)(B'+D)$

TRUE

(3) $A'BC + ABC' + A'BD = BD' + ABC'$
LEFT $= ABC' + A'BC + A'BD$
RIGHT $= ABC' + BD'$
 $= ABC' + BD'$
 $= ABC' + ABD' + A'BD'$

FALSE

P5(a)
P4(b)
T1(a)

P4(a)

(4) $X'Z + X'Y + XZ = X'YZ' + X'YZ + X'Z$
LEFT $= X'Z(Y+Y') + X'Y(Z+Z') + XZ(Y+Y')$
 $= X'YZ + X'YZ' + X'YZ + X'YZ' + X'YZ + X'YZ'$
 $= X'YZ + X'YZ' + X'YZ + X'YZ'$
RIGHT $= X'YZ + X'YZ' + X'YZ + X'YZ'$
 $= X'YZ + X'YZ' + X'YZ + X'YZ'$
FALSE

(5) $(P+Q'+R)(P+Q'+R') = Q'+PR'+RP'$
LEFT $= P+(Q'+R)(Q'+R')$
 $= P+Q'+RR'$
 $= P+Q'$
RIGHT $= Q' + PR'+RP'$
 $= Q' + P \oplus R$
FALSE

- 2.6 (1) False $X+Y'$ is a disjunction
(2) True
(3) False $AB'C'$ is a conjunction
(4) True
(5) False
(6) False
(7) False

- 2.7 (1) Normal SOP
(2) Neither one of (i)-(iv)
(3) Neither one of (i)-(iv)
(4) Canonical POS
(5) Canonical SOP
(6) Neither one of (i)-(iv)
(7) Neither one of (i)-(iv)

- 2.8 (1) $(A+B'+C)(A'+B)(B'+C')$
(2) $AB'C+A'BC'+A'B'$
(3) $(X+Y'+Z)(X+Y')(X'+Y')$
(4) $(A+B+C'D')(A'+B'+C')(C+D'+AC')$
(5) $(A+B')(C+D'+A'B')=1$

2.9 (1) $F'(A,B) = (A'+B)(A+A'B) = (A'+B)(A+B)$
 $= \frac{A'A + AB + B + A'B}{P5(b) \quad T3(a)} = \frac{B + A'B}{T3(a)} = B$

(2) $F'(A,B,C) = (A+B'+C'A)(AB(B'+C'))(ABC)$
 $= (A+B'+C'A)(\overline{ABB'+ABC'}) (ABC)$
 $= (A+B'+C'A)(ABC)$
 $= 0$