

(5)  $F = PQ'(R'S' + P'Q')RS' + (P + QR)'SR'$

PQ	00	01	11	10
R	0	1	1	1
S	0	1	1	1

$(P + Q' + R)(P + Q' + R')$   
Identity is false

$Q' + PR' + P'R$

3.3 (1)  $F = AB' + A'(A + B) = B'$

A	B
0	1
1	1
0	0
1	0

$F' = B$

(2)  $F = A'B(C + A') + ((AB)(B' + C'))' + (ABC)'$

AB	00	01	11	10
C	0	1	1	1
1	1	1	1	1

$F' = 0$

(3)  $F = W'X'(Y' + Z'W') + (XYZ)'(X' + W'X') + (X' + Y')$

WX	00	01	11	10
YZ	00	1	1	1
01	1	1	1	1
11	1	0	0	1
10	1	0	0	1

$F' = XY$

(4)  $F = A'BC' + (ABC)' + AB'(C' + B')$

AB	00	01	11	10
C	0	1	1	1
1	1	1	0	1

$F' = ABC$

(5)  $F = PQ'(R'S' + P'Q')RS' + (P + QR)'SR'$

PQ	00	01	11	10
RS	0	0	0	0
00	1	1	0	0
01	0	0	0	0
11	0	0	0	0
10	0	0	0	0

$F' = P + S' + R$

3.4 (1)  $F(A, B, C) = (A + B')C' + A'C$

AB	00	01	11	10
C	0	1	0	1
1	1	1	1	0

Canonical SOP =  $A'B'C' + A'B'C + A'BC + AB'C' + ABC'$   
Canonical POS =  $(A + B' + C)(A' + B + C')(A' + B' + C')$

(2)  $F(X, Y, Z) = (X' + Y')(X' + Z) + ZY$

XY	00	01	11	10
Z	0	1	0	0
1	1	0	1	1

Canonical SOP =  $X'Y'Z' + X'Y'Z + XY'Z + XYZ$   
Canonical POS =  $(X + Y' + Z)(X + Y' + Z')(X' + Y + Z)(X' + Y' + Z)$

(3)  $F(A, B, C, D) = AB'C + A'BC'D + A'BCD' + B'D$

AB	00	01	11	10
CD	00	1	0	0
01	0	1	0	0
11	0	0	0	1
10	1	1	0	1

Canonical SOP =  $A'B'C'D' + A'B'BC'D + A'BC'D + A'BCD' + AB'C'D' + AB'CD' + AB'CD$   
Canonical POS =  $(A + B + C + D')(A + B + C' + D')(A' + B' + C + D)(A' + B' + C' + D')(A' + B' + C + D')(A' + B' + C' + D')$