Figure 3–50 Figure

01 z:11 0 1 1 1 10  $Z = \Sigma_m 0, 3, 4, 5, 7$ (b) (a) 10 01 11 0 0 Z: 0 (c)

The following examples illustrate other K-map configurations in which no simplification is possible.

K-maps that have cells containing 1's that are adjacent in groups of two will produce simplified logic equations. For example, in Figure 3-53 we have K-maps with five cells containing 1's. Notice that Figure 3-53a and b illustrate the *same* K-map, but we have simply grouped the adjacent 1-cells differently. In Figure 3-53a and b we have combined cells nos. 0 and 4, and cells nos. 3 and 7, into two groups. Cell no. 1 is adjacent to both cell no. 0 and cell no. 3, so we can combine it with cell no. 0 (as shown in Figure 3-53a) or with cell no. 3 (as shown in Figure 3-53b).

With reference to the group made up of cell no. 0 and cell no. 4, notice that the variables B and C remain constant (the variable A

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Figure 3-51 Nonadjacent 1-cells.

