

# Word representations

PSTALN



# Word2Vec

Le contexte d'un mot:

The 

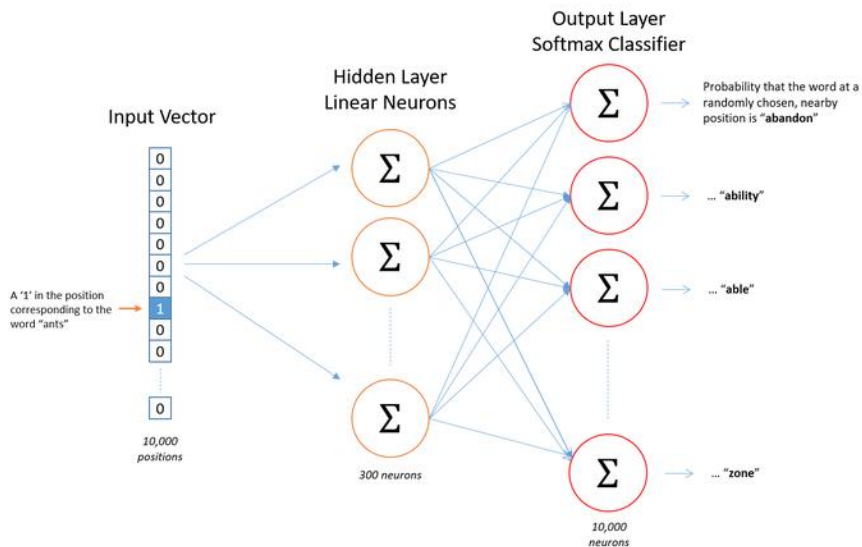
quick	brown	fox	jumps	over
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 the lazy dog. →

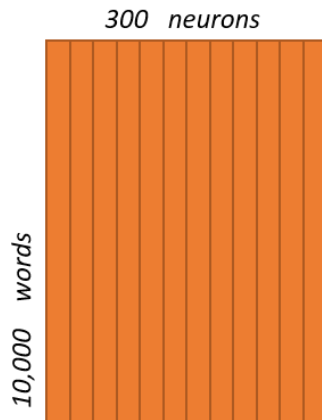
(X, Y)

(fox, quick)  
(fox, brown)  
(fox, jumps)  
(fox, over)

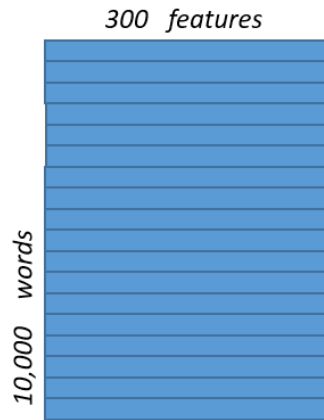
## Word2Vec (Skipgram et CBOW)



Hidden Layer  
Weight Matrix



Word Vector  
Lookup Table!



Source: <http://mccormickml.com/2016/04/19/word2vec-tutorial-the-skip-gram-model/>

# Word2Vec

## POS

The quick brown fox jumps over the lazy dog. →

( X , Y )

(fox, quick +ADJ)

(fox, brown +ADJ)

(fox, jumps +V )

(fox, over +... )

## Dependencies

The quick brown fox jumps over the lazy dog. →

( X , Y )

(fox, quick +mod)

(fox, brown +mod)

(fox, jumps -subj )

(fox, The + det )

## Position

The quick brown fox jumps over the lazy dog. →

( X , Y )

(fox, quick -2 )

(fox, brown -1 )

(fox, jumps +1 )

(fox, over +2 )

# Contextualized Word Representations (ELMo)

Each word representation should be a function of its context

- Solves Polysemy

How?

- Train a Neural Language model

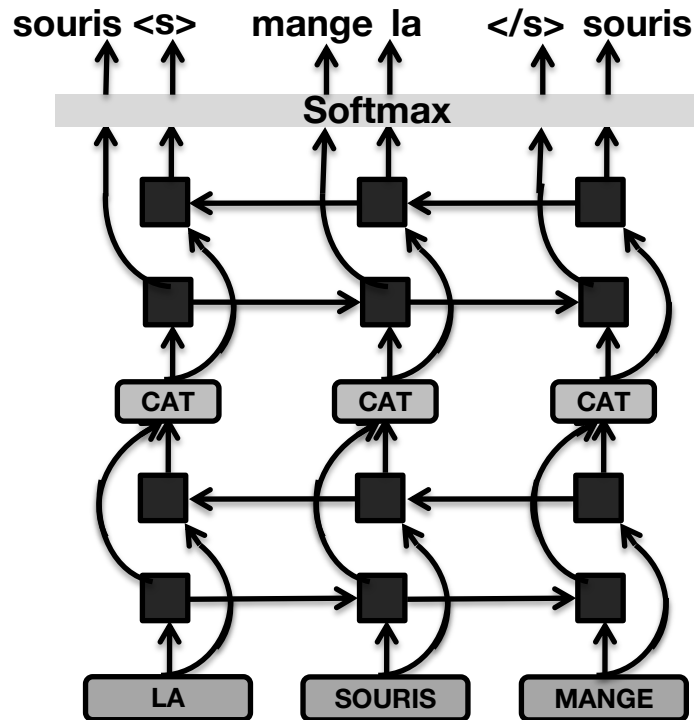
$$p(t_1, t_2, \dots, t_N) = \prod_{k=1}^N p(t_k | t_{k+1}, t_{k+2}, \dots, t_N)$$

$$p(t_1, t_2, \dots, t_N) = \prod_{k=1}^N p(t_k | t_1, t_2, \dots, t_{k-1}).$$

- Use its hidden states as word embeddings

$$R_k = \{\mathbf{x}_k^{LM}, \vec{\mathbf{h}}_{k,j}^{LM}, \overleftarrow{\mathbf{h}}_{k,j}^{LM} \mid j = 1, \dots, L\}$$

$$\text{ELMo}_k^{\text{task}} = E(R_k; \Theta^{\text{task}}) = \gamma^{\text{task}} \sum_{j=0}^L s_j^{\text{task}} \mathbf{h}_{k,j}^{LM}.$$



# Contextualized Word Representations (ELMo)

Task	Previous SOTA		Our baseline	ELMo + Baseline	Increase (Absolute/Relative)
SQuAD	SAN	84.4	81.1	85.8	4.7 / 24.9%
SNLI	Chen et al (2017)	88.6	88.0	88.7 +/- 0.17	0.7 / 5.8%
SRL	He et al (2017)	81.7	81.4	84.6	3.2 / 17.2%
Coref	Lee et al (2017)	67.2	67.2	70.4	3.2 / 9.8%
NER	Peters et al (2017)	91.93 +/- 0.19	90.15	92.22 +/- 0.10	2.06 / 21%
Sentiment (5-class)	McCann et al (2017)	53.7	51.4	54.7 +/- 0.5	3.3 / 6.8%