#### Vectorization

#### Vectorization diagram

```
for(i=0; i < n; i++){
   b[i]=a[i]*c[i]
Step I:b[0]=a[0]*c[0]
Step 2: b[I]=a[I]*c[I]
Step 3: b[2]=a[2]*c[2]
Step 4: b[3]=a[3]*c[3]
Step 5: b[4]=a[4]*c[4]
Step 6: b[5]=a[5]*c[5]
Step 7: b[6]=a[6]*c[6]
Step 8: b[7]=a[7]*c[7]
```

```
for(i=0; i < n; i++){
   b[i]=a[i]*c[i]
}

Step 1: b[0:3]=a[0:3]*c
```

```
Step I: b[0:3]=a[0:3]*c[0:3]
Step 2: b[4:7]=a[4:7]*c[4:7]
,,,,
```

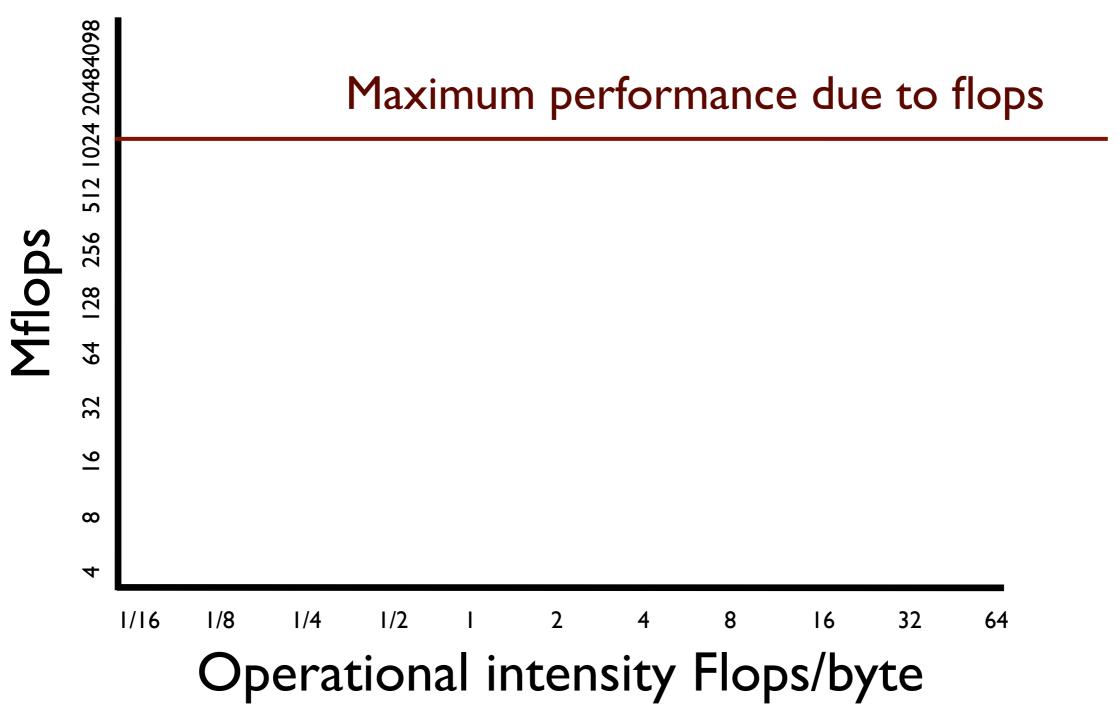
# History of vector computers

- First research done in the 1960s at Westinghouse
- First commercial version was the Cray-1 in mid-70s
- Dominant supercomputing platform in late 70s to early 90s (Cray & Convex dominant players)

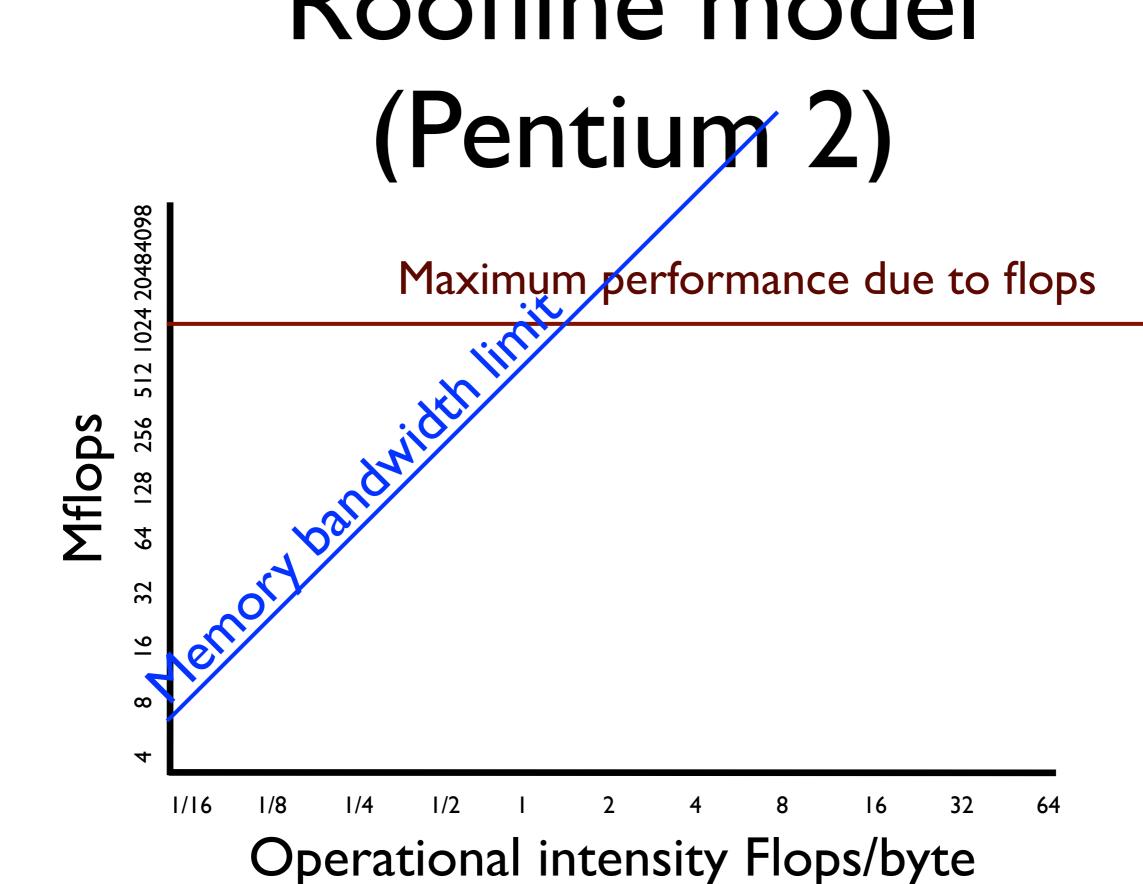
### History of vector computers(2)

- Virtually disappeared in mid-90s with the advent of cheap commodity hardware
- Reintroduced into commodity hardware with the Pentium3
- Since then vector length has increased (8 in SandyBridge, 16 in XeonPhi)

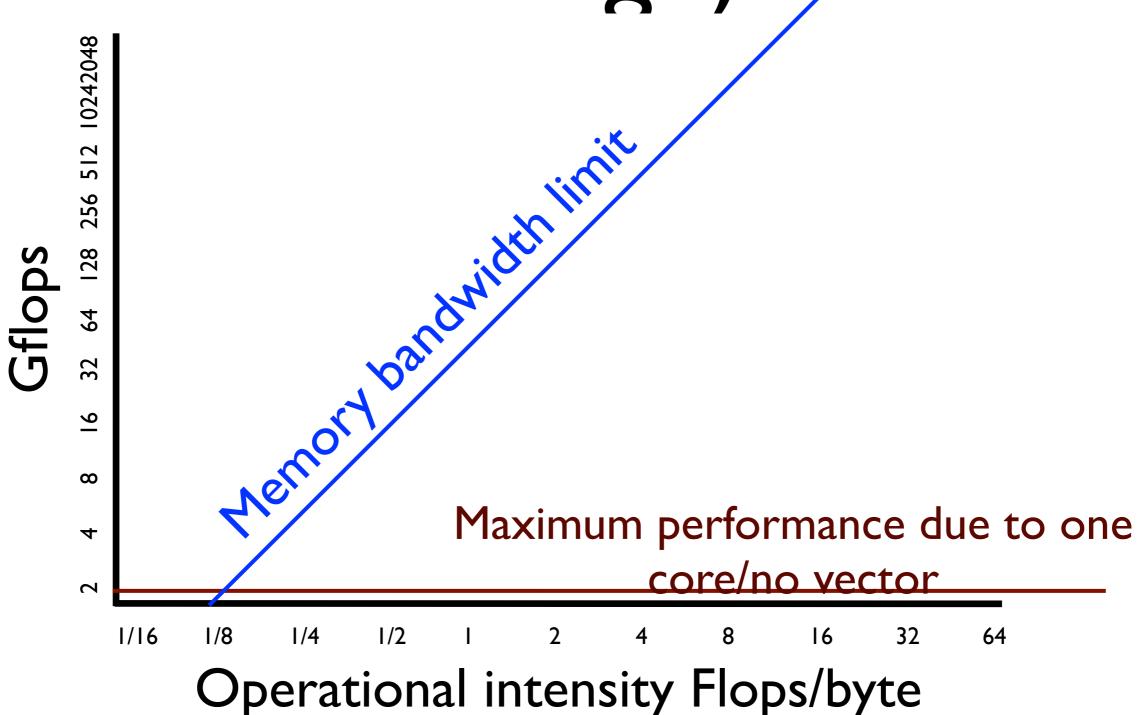
# Roofline model (Pentium 2)



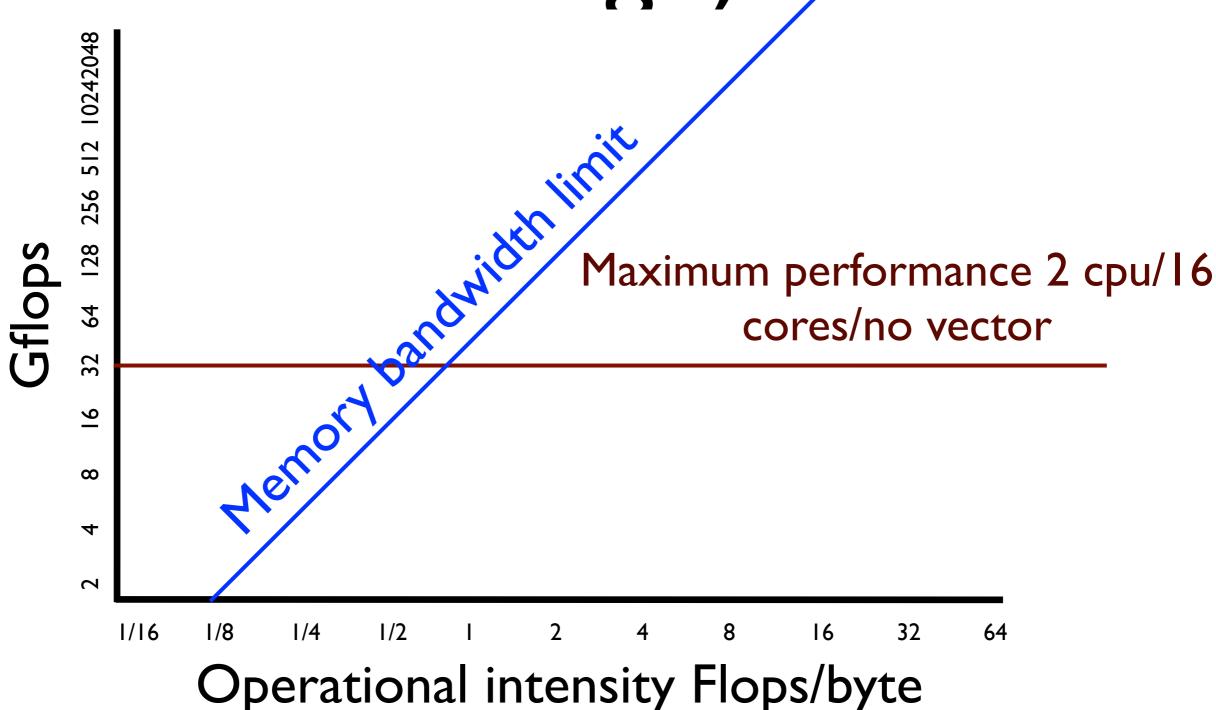
# Roofline model



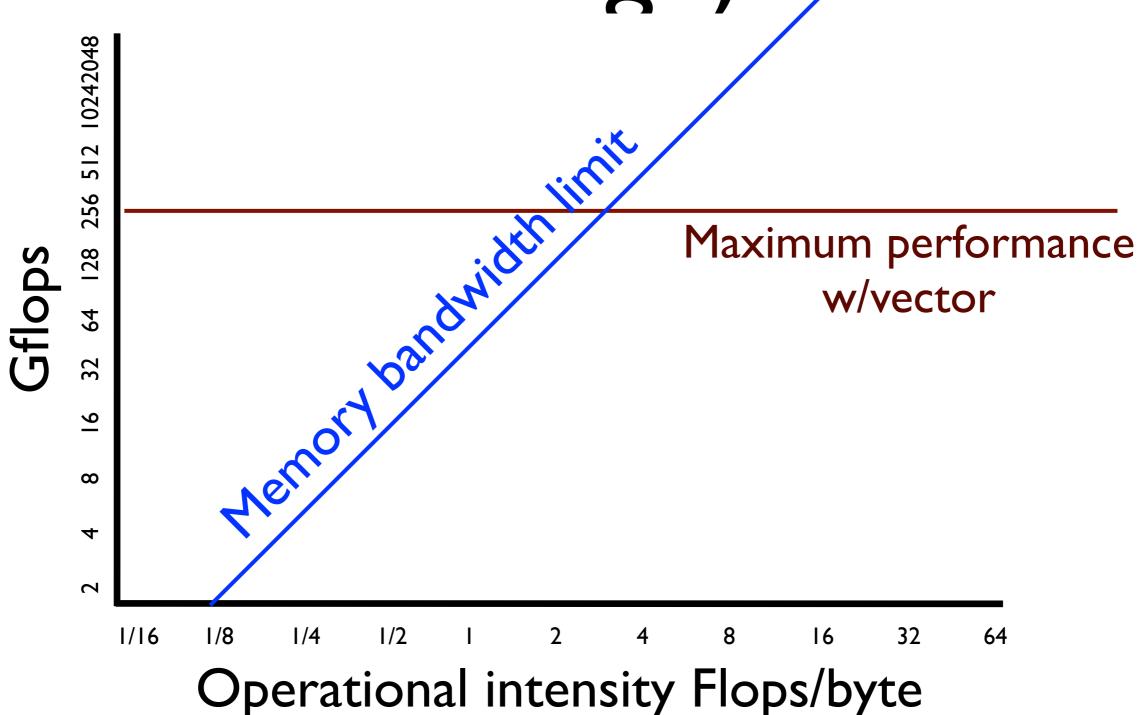
# Roofline model (Sandy Bridge)



# Roofline model (Sandy Bridge)



# Roofline model (Sandy Bridge)



#### Assembler example

```
void mul_asm(float* out, float* in, unsigned int leng)
{ unsigned int count, rest;
  //compute if array is big enough for vector operation
  rest = (leng*4)\%16;
  count = (leng*4)-rest;
  // vectorized part; 4 floats per loop iteration
  if (count>0){
   __asm __volatile__ (".intel_syntax noprefix\n\t"
                  n\t"
   "loop:
   "movups xmm0,[ebx+ecx]; loads 4 floats in first register (xmm0)\n\t"
   "movups xmm1,[eax+ecx]; loads 4 floats in second register (xmm1)\n\t"
   "mulps xmm0,xmm1
                           ;multiplies both vector registers\n\t"
   "movups [eax+ecx],xmm0; write back the result to memory\n\t"
   "sub ecx,16
                     ;increase address pointer by 4 floats\n\t"
   "jnz loop
                   \ln t
   ".att syntax prefix \n\t"
   :: "a" (out), "b" (in), "c"(count), "d"(rest): "xmm0", "xmm1");
  // scalar part; 1 float per loop iteration
   if (rest!=0)
   __asm __volatile__ (".intel_syntax noprefix\n\t"
   "add eax,ecx
                     \ln t
   "add ebx,ecx
                     \ln t''
   "rest:
                  \ln t
   "movss xmm0,[ebx+edx];load 1 float in first register (xmm0)\n\t"
   "movss xmm1,[eax+edx]; load 1 float in second register (xmm1)\n\t"
   "mulss xmm0,xmm1
                          ;multiplies both scalar parts of registers\n\t"
   "movss [eax+edx],xmm0 ;write back the result\n\t"
                    \ln t''
   "sub edx,4
   "inz rest
                   \ln t
   ".att_syntax prefix \n\t"
```

### Vectorization code: Data independence

```
for(i=0;i<N;i++) {
    a[i+1] = a[i]*b[i];
}</pre>
```

Cyclic dependence

```
for(i=0;i<N;i++) {
    d[i] = a[i-1]*d[i];
    a[i] = b[i]+c[i];
}</pre>
```

Backward dependence

#### Loop distribution

```
for(i=0; i < n; i++){
   SI
   S2
   S3
}</pre>
```

```
for(i=0; i < n; i++){
for(i=0; i < n; i++){
 S2
for(i=0; i < n; i++){
 S3
```

#### Backward dependance

```
for(i=I;i< n; i++){
   d[i]=a[i-I]*d[i];
   a[i]=b[i]*c[i];
}</pre>
```

#### Backward dependance

```
for(i=1;i< n; i++){
    d[i]=a[i-1]*d[i];
    a[i]=b[i]*c[i];
}</pre>
```

```
for(i=1;i< n; i++){
    d[i]=a[i-1]*d[i];
}
for(i=1;i< n; i++){
    a[i]=b[i]*c[i];
}</pre>
```

#### Backward dependance

```
for(i=1;i< n;i++){
for(i=1;i< n;i++){
                                        d[i]=a[i-1]*d[i];
  d[i]=a[i-1]*d[i];
  a[i]=b[i]*c[i];
                                        for(i=1;i< n;i++){}
                                          a[i]=b[i]*c[i];
              for(i=1;i< n;i++){
                a[i]=b[i]*c[i];
               d[i]=a[i-1]*d[i];
```

### Loop sectioning

- The length of the registers often don't match the number of loop iterations
- Loops are broken (sectioned) into several loops (the length corresponding to the size of the vector registers) and a remainder loop
- The shorter the remainder loop the better the vectorization performance

#### Vector length

- Each operation in the vector ALU takes the same amount of time regardless of how full the vector registers are
- Filling more of the vector leads to better performance
- Performance tools can report the average vector length

### How do you vectorize?

- Code design
- Pragmas
- ISPC
- Cilk+
- Guided vectorization(not covered)
- Intel MKL
- SSE/AVX

Ease

Flexibility/ berformance

Definitely beyond the scope of this class

#### Code design

- To get automatic vectorization
  - use at least -O2
  - make loops simple
  - check what is vectorized using -vec\_report

#### -vec-reportn

- Work in C, C++, or Fortran
- Higher values of n give more information
- Will report which loops have been vectorized and which have not

### Vec report example

```
subroutine quad(len,a,b,c,x1,x2)
  real(4) a(len), b(len), c(len), x1(len), x2(len), s
  do i=1, len
    s = b(i)**2 - 4.*a(i)*c(i)
    if (s.ge.0.) then
      x1(i) = sqrt(s)
      x2(i) = (-x1(i) - b(i)) *0.5 / a(i)
      x1(i) = (x1(i) - b(i)) *0.5 / a(i)
    else
      x2(i)=0.
      x1(i)=0.
    endif
  enddo
end
> ifort -c -vec-report2 quad.f90
```

```
> ifort -c -vec-report2 quad.f90
quad.f90(4): (col. 3) remark: LOOP WAS VECTORIZED.
```

#### Vec report example

```
subroutine no vec(a, b, c)
  real(4), dimension(*) :: a, b, c
  integer :: i
  do i=1,100
    a(i) = b(i) * c(i)
     if (a(i) < 0.0) exit
  enddo
end
> ifort -c -vec-report2 two exits.f90
two exits.f90(5): (col. 3) remark: loop was not
vectorized: nonstandard loop is not a vectorization
candidate.
```

### Pragmas

- Pragma give the compiler guidance (not guaranteed to be listened to)
- Fortran
  - !\$DIR option
- C
- #pragma option

#### Pragmas

- loop count (n): typical size of the loop (help decide whether to parallelize)
- vector always (safe to vectorize)
- vector align (assert data is aligned)
- novector (don't vectorize)
- vector nontemporal (data will not be reused)
- ivdep (ignore some vectorization killers)

### Pragmas: simd

```
[D:/simd] cat example1.f
subroutine add(A, N, X)
integer N, X
real A(N)
!DIR$ SIMD
DO I=X+1, N
   A(I) = A(I) + A(I-X)
ENDDO
end
Command line entry: [D:\simd] ifort example1.f
-nologo -Qvec-report2
Output: D:\simd\example1.f(7): (col. 9) remark:
LOOP WAS VECTORIZED.
```

### Pragmas: simd

```
[D:/simd] cat example1.f
subroutine add(A, N, X)
integer N, X
real A(N)
DO I=X+1, N
   A(I) = A(I) + A(I-X)
ENDDO
end
Command line entry: [D:/simd] ifort example1.f -
nologo -Qvec-report2
Output: D:\simd\example1.f(6): (col. 9) remark:
loop was not vectorized: existence of vector
dependence.
```

#### Cilk

- Yet another parallel language developed at MIT
- Basic idea is to expose parallelism in the program
- Keywords
  - spawn procedure call it modifies can safely operate in parallel
  - sync cannot proceed until previous spawn are completed

### Cilk example

```
01 cilk int fib (int n)
02 {
03
       if (n < 2) return n;
04
       else
05
06
           int x, y;
07
80
           x = spawn fib (n-1);
           y = spawn fib (n-2);
09
10
11
           sync;
12
13
           return (x+y);
14
```

#### Cilk++

- Extension designed by intel to expose vectorization to the compiler
- Only in C,C++

#### cilk++

# Intel Math Kernel Library

- Highly optimized library for mathematical functions
- VML (vector math library)
- Reference: http://software.intel.com/sites/ products/documentation/hpc/mkl/mklman/ GUID-59EC4B87-29C8-4FB4-B57C-D269E6364954.htm

# Intel Math kernel library

 Basically you redesign your code to a series of vector calls

```
do i=1,n
b[i]=cos(c[i])
a[i]=b[i]*c[i]+d[i]
end do
```

call vscos(n,c,b)
call vsmul(n,b,c,m)
call vsadd(n,d,m,a0

#### SSE/AVX

- Hundreds of function calls that allow the programmer to interact with a processor vector units
- SSE Pre-SandyBridge
- AVX- +SandyBridge
- Reference: <a href="http://software.intel.com/sites/">http://software.intel.com/sites/</a>
   default/files/m/3/f/c/1/9/21558-

### Writing AVX

```
/*
     SSE Tutorial
     This tutorial was written for supercomputingblog.com
     This tutorial may be freely redistributed provided this header remains
intact
*/
#include "stdafx.h"
#include <xmmintrin.h>
                       // Need this for SSE compiler intrinsics
#include <math.h>
                         // Needed for sqrt in CPU-only version
int main(int argc, char* argv[])
{
     printf("Starting calculation...\n");
     const int length = 64000;
     // We will be calculating Y = Sin(x) / x, for x = 1 -> 64000
     // If you do not properly align your data for SSE instructions, you
may take a huge performance hit.
     float *pResult = (float*) aligned malloc(length * sizeof(float), 16);
// align to 16-byte for SSE
     __m128 x;
     m128 \times Delta = mm set1 ps(4.0f);
                                             // Set the xDelta to (4,4,4,4)
     m128 *pResultSSE = ( m128*) pResult;
     const int SSELength = length / 4;
     for (int stress = 0; stress < 100000; stress++) // lots of stress
loops so we can easily use a stopwatch
#define TIME SSE
                    // Define this if you want to run with SSE
#ifdef TIME SSE
          x = mm \text{ set ps}(4.0f, 3.0f, 2.0f, 1.0f); // Set the initial values
of x to (4,3,2,1)
```

### Writing SSE/AVX

```
/*
     SSE Tutorial
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*/
#include "stdafx.h"
                         // Need this for SSE compiler intrinsics
#include <xmmintrin.h>
#include <math.h>
                         // Needed for sqrt in CPU-only version
int main(int argc, char* argv[])
{
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     // We will be calculating Y = Sin(x) / x, for x = 1 -> 64000
     // If you do not properly align your data for SSE instructions, you
may take a huge performance hit.
     float *pResult = (float*) aligned malloc(length * sizeof(float), 16);
// align to 16-byte for SSE
     __m128 x;
     m128 \times Delta = mm set1 ps(4.0f);
                                             // Set the xDelta to (4,4,4,4)
     m128 *pResultSSE = ( m128*) pResult;
     const int SSELength = length / 4;
     for (int stress = 0; stress < 100000; stress++) // lots of stress</pre>
loops so we can easily use a stopwatch
#define TIME SSE
                    // Define this if you want to run with SSE
#ifdef TIME SSE
          x = mm \text{ set ps}(4.0f, 3.0f, 2.0f, 1.0f); // Set the initial values
of x to (4,3,2,1)
```

#### Needed include file

### Writing SSE/AVX

```
/*
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intact
*/
#include "stdafx.h"
                         // Need this for SSE compiler intrinsics
#include <xmmintrin.h>
#include <math.h>
                         // Needed for sqrt in CPU-only version
int main(int argc, char* argv[])
{
     printf("Starting calculation...\n");
     const int length = 64000;
     // We will be calculating Y = Sin(x) / x, for x = 1 -> 64000
     // If you do not properly align your data for SSE instructions, you
may take a huge performance hit.
     float *pResult = (float*) aligned malloc(length * sizeof(float), 16);
// align to 16-byte for SSE
     __m128 x;
     m128 \times Delta = mm set1 ps(4.0f);
                                             // Set the xDelta to (4,4,4,4)
     m128 *pResultSSE = ( m128*) pResult;
     const int SSELength = length / 4;
     for (int stress = 0; stress < 100000; stress++) // lots of stress</pre>
loops so we can easily use a stopwatch
#define TIME SSE
                    // Define this if you want to run with SSE
#ifdef TIME SSE
          x = mm \text{ set ps}(4.0f, 3.0f, 2.0f, 1.0f); // Set the initial values
of x to (4,3,2,1)
```

#### Needed include file

```
/*
     SSE Tutorial
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*/
#include "stdafx.h"
#include <xmmintrin.h>
                         // Need this for SSE compiler intrinsics
#include <math.h>
                         // Needed for sqrt in CPU-only version
int main(int argc, char* argv[])
     printf("Starting calculation...\n");
     const int length = 64000;
     // We will be calculating Y = Sin(x) / x, for x = 1 -> 64000
     // If you do not properly align your data for SSE instructions, you
may take a huge performance hit.
     float *pResult = (float*) aligned malloc(length * sizeof(float), 16);
// align to 16-byte for SSE
     __m128 x;
     m128 \times Delta = mm \ set1 \ ps(4.0f);
                                             // Set the xDelta to (4,4,4,4)
     m128 *pResultSSE = ( m128*) pResult;
     const int SSELength = length / 4;
     for (int stress = 0; stress < 100000; stress++) // lots of stress
loops so we can easily use a stopwatch
#define TIME SSE
                    // Define this if you want to run with SSE
#ifdef TIME SSE
          x = mm \text{ set ps}(4.0f, 3.0f, 2.0f, 1.0f); // Set the initial values
of x to (4,3,2,1)
```

Aligned\_malloc
make sure memory is
allocated at the most
efficient memory boundary
(such as beginning of a
cache line)

```
/*
     SSE Tutorial
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intact
*/
#include "stdafx.h"
#include <xmmintrin.h>
                        // Need this for SSE compiler intrinsics
#include <math.h>
                         // Needed for sqrt in CPU-only version
int main(int argc, char* argv[])
{
     printf("Starting calculation...\n");
     const int length = 64000;
     // We will be calculating Y = Sin(x) / x, for x = 1 -> 64000
     // If you do not properly align your data for SSE instructions, you
may take a huge performance hit.
     float *pResult = (float*) aligned malloc(length * sizeof(float), 16);
// align to 16-byte for SSE
      m128 x;
     m128 \times Delta = mm \ set1 \ ps(4.0f);
                                             // Set the xDelta to (4,4,4,4)
     m128 *pResultSSE = ( m128*) pResult;
     const int SSELength = length / 4;
     for (int stress = 0; stress < 100000; stress++) // lots of stress
loops so we can easily use a stopwatch
#define TIME SSE
                    // Define this if you want to run with SSE
#ifdef TIME SSE
          x = mm \text{ set ps}(4.0f, 3.0f, 2.0f, 1.0f); // Set the initial values
of x to (4,3,2,1)
```

# Special vector object (in this case 4 bytes together)

```
SSE Tutorial
     This tutorial was written for supercomputingblog.com
     This tutorial may be freely redistributed provided this header remains
intact
*/
#include "stdafx.h"
#include <xmmintrin.h>
                       // Need this for SSE compiler intrinsics
#include <math.h>
                         // Needed for sqrt in CPU-only version
int main(int argc, char* argv[])
{
     printf("Starting calculation...\n");
     const int length = 64000;
     // We will be calculating Y = Sin(x) / x, for x = 1 -> 64000
     // If you do not properly align your data for SSE instructions, you
may take a huge performance hit.
     float *pResult = (float*) aligned malloc(length * sizeof(float), 16);
// align to 16-byte for SSE
      m128 x;
      m128 \times Delta = mm \ set1 \ ps(4.0f);
                                              // Set the xDelta to (4,4,4,4)
      m128 *pResultSSE = ( m128*) pResult;
     const int SSELength = length / 4;
     for (int stress = 0; stress < 100000; stress++) // lots of stress</pre>
loops so we can easily use a stopwatch
#define TIME SSE
                    // Define this if you want to run with SSE
#ifdef TIME SSE
          x = mm \text{ set ps}(4.0f, 3.0f, 2.0f, 1.0f); // Set the initial values
of x to (4,3,2,1)
```

/\*

#### Set all values to 4

```
/*
     SSE Tutorial
     This tutorial was written for supercomputingblog.com
     This tutorial may be freely redistributed provided this header remains
intact
*/
#include "stdafx.h"
#include <xmmintrin.h>
                        // Need this for SSE compiler intrinsics
#include <math.h>
                         // Needed for sqrt in CPU-only version
int main(int argc, char* argv[])
{
     printf("Starting calculation...\n");
     const int length = 64000;
     // We will be calculating Y = Sin(x) / x, for x = 1 -> 64000
     // If you do not properly align your data for SSE instructions, you
may take a huge performance hit.
     float *pResult = (float*) aligned malloc(length * sizeof(float), 16);
// align to 16-byte for SSE
     __m128 x;
     m128 \times Delta = mm \ set1 \ ps(4.0f);
                                             // Set the xDelta to (4,4,4,4)
     m128 *pResultSSE = ( m128*) pResult;
     const int SSELength = length / 4;
     for (int stress = 0; stress < 100000; stress++) // lots of stress
loops so we can easily use a stopwatch
#define TIME SSE
                    // Define this if you want to run with SSE
#ifdef TIME SSE
          x = mm \text{ set ps}(4.0f, 3.0f, 2.0f, 1.0f); // Set the initial values
of x to (4,3,2,1)
```

#### Break loop into n/4

```
/*
    SSE Tutorial
    This tutorial was written for supercomputingblog.com
    This tutorial may be freely redistributed provided this header remains
intact
*/
#include "stdafx.h"
#include <xmmintrin.h>
                      // Need this for SSE compiler intrinsics
#include <math.h>
                       // Needed for sqrt in CPU-only version
int main(int argc, char* argv[])
{
    printf("Starting calculation...\n");
    const int length = 64000;
    // We will be calculating Y = Sin(x) / x, for x = 1 -> 64000
    // If you do not properly align your data for SSE instructions, you
may take a huge performance hit.
    float *pResult = (float*) aligned malloc(length * sizeof(float), 16);
// align to 16-byte for SSE
    __m128 x;
                                           // Set the xDelta to (4,4,4,4)
     m128 \times Delta = mm set1 ps(4.0f);
     m128 *pResultSSE = ( m128*) pResult;
                                                                   Assign vector object (note
    const int SSELength = length / 4;
                                                                                 reverse order)
    for (int stress = 0; stress < 100000; stress++) // lots of stress
loops so we can easily use a stopwatch
#define TIME SSE
                   // Define this if you want to run with SSE
#ifdef TIME SSE
```

x = mm set ps(4.0f, 3.0f, 2.0f, 1.0f); // Set the initial values

of x to (4,3,2,1)

```
for (int i=0; i < SSELength; i++)
             m128 xSqrt = mm sqrt ps(x);
            // Note! Division is slow. It's actually faster to take the reciprocal of a number and multiply
            // Also note that Division is more accurate than taking the reciprocal and multiplying
#define USE DIVISION METHOD
#ifdef USE_FAST_METHOD
            _{m128} xRecip = _{mm}rcp_ps(x);
             pResultSSE[i] = mm mul ps(xRecip, xSqrt);
#endif //USE FAST METHOD
#ifdef USE_DIVISION_METHOD
            pResultSSE[i] = mm div ps(xSqrt, x);
#endif // USE DIVISION METHOD
            // NOTE! Sometimes, the order in which things are done in SSE may seem reversed.
            // When the command above executes, the four floating elements are actually flipped around
            // We have already compensated for that flipping by setting the initial x vector to (4,3,2,1) instead of
(1,2,3,4)
            x = mm add ps(x, xDelta);
                                         // Advance x to the next set of numbers
        // TIME SSE
#endif
#ifndef TIME SSE
        float xFloat = 1.0f;
        for (int i=0; i < length; i++)
                                                   // Even though division is slow, there are no intrinsic functions
            pResult[i] = sqrt(xFloat) / xFloat;
like there are in SSE
            xFloat += 1.0f;
#endif
        // !TIME SSE
```

```
for (int i=0; i < SSELength; i++)
             m128 xSqrt = mm sqrt ps(x);
            // Note! Division is slow. It's actually faster to take the reciprocal of a number and multiply
            // Also note that Division is more accurate than taking the reciprocal and multiplying
#define USE DIVISION METHOD
#ifdef USE FAST METHOD
              _{m128} xRecip = _{mm}rcp_ps(x);
             pResultSSE[i] = mm mul ps(xRecip, xSqrt);
#endif //USE FAST METHOD
#ifdef USE_DIVISION_METHOD
            pResultSSE[i] = mm div ps(xSqrt, x);
       // USE DIVISION METHOD
#endif
            // NOTE! Sometimes, the order in which things are done in SSE may seem reversed.
            // When the command above executes, the four floating elements are actually flipped around
            // We have already compensated for that flipping by setting the initial x vector to (4,3,2,1) instead of
(1,2,3,4)
            x = mm add ps(x, xDelta);
                                          // Advance x to the next set of numbers
        // TIME SSE
#endif
#ifndef TIME SSE
        float xFloat = 1.0f;
        for (int i=0; i < length; i++)
                                                   // Even though division is slow, there are no intrinsic functions
            pResult[i] = sqrt(xFloat) / xFloat;
like there are in SSE
            xFloat += 1.0f;
        }
#endif
        // !TIME SSE
```

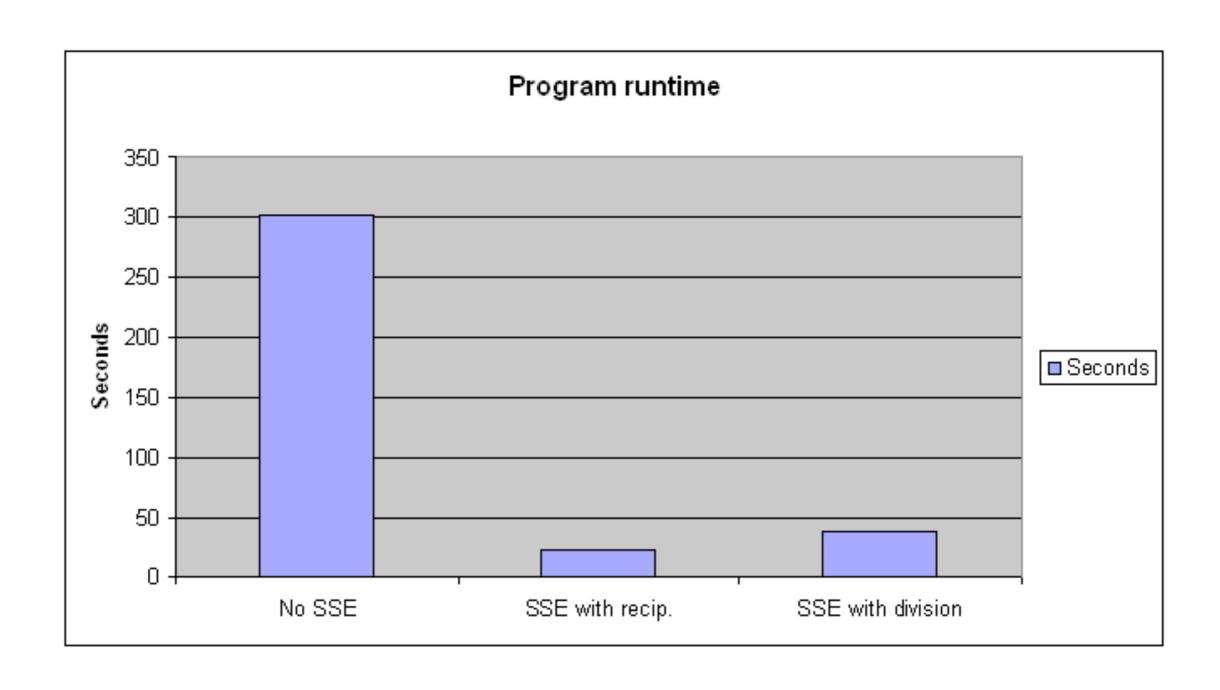
```
for (int i=0; i < SSELength; i++)</pre>
             _{m128} xSqrt = _{mm} sqrt _{ps(x)};
             // Note! Division is slow. It's actually faster to take the reciprocal of a number and multiply
             // Also note that Division is more accurate than taking the reciprocal and multiplying
#define USE DIVISION METHOD
#ifdef USE FAST METHOD
             _{m128} xRecip = _{mm}rcp_ps(x);
             pResultSSE[i] = _mm_mul_ps(xRecip, xSqrt);
#endif //USE FAST METHOD
#ifdef USE DIVISION METHOD
             pResultSSE[i] = _mm_div_ps(xSqrt, x);
#endif // USE DIVISION METHOD
             // NOTE! Sometimes, the order in which things are done in SSE may seem reversed.
             // When the command above executes, the four floating elements are actually flipped around
             // We have already compensated for that flipping by setting the initial x vector to (4,3,2,1) instead o
(1,2,3,4)
            x = mm \text{ add } ps(x, xDelta); // Advance x to the next set of numbers
        }
       // TIME_SSE
#endif
#ifndef TIME_SSE
        float xFloat = 1.0f;
        for (int i=0; i < length; i++)
             pResult[i] = sqrt(xFloat) / xFloat; // Even though division is slow, there are no intrinsic functions
like there are in SSE
             xFloat += 1.0f;
         }
       // !TIME SSE
#endif
```

```
for (int i=0; i < SSELength; i++)</pre>
             _{m128} xsqrt = _{mm} sqrt_{ps}(x);
             // Note! Division is slow. It's actually faster to take the reciprocal of a number and multiply
             // Also note that Division is more accurate than taking the reciprocal and multiplying
#define USE DIVISION METHOD
#ifdef USE FAST METHOD
             _{m128} xRecip = _{mm_rcp_ps(x)};
             pResultSSE[i] = mm mul ps(xRecip, xSqrt);
#endif //USE FAST METHOD
#ifdef USE DIVISION METHOD
             pResultSSE[i] = mm div ps(xSqrt, x);
#endif // USE DIVISION METHOD
             // NOTE! Sometimes, the order in which things are done in SSE may seem reversed.
             // When the command above executes, the four floating elements are actually flipped around
             // We have already compensated for that flipping by setting the initial x vector to (4,3,2,1) instead o
(1,2,3,4)
            x = mm \text{ add } ps(x, xDelta); // Advance x to the next set of numbers
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             pResult[i] = sqrt(xFloat) / xFloat; // Even though division is slow, there are no intrinsic functions
like there are in SSE
             xFloat += 1.0f;
         }
       // !TIME SSE
#endif
```

```
for (int i=0; i < SSELength; i++)</pre>
             _{m128} xSqrt = _{mm} sqrt _{ps(x)};
             // Note! Division is slow. It's actually faster to take the reciprocal of a number and multiply
             // Also note that Division is more accurate than taking the reciprocal and multiplying
#define USE DIVISION METHOD
#ifdef USE FAST METHOD
             _{m128} xRecip = _{mm_rcp_ps(x)};
             pResultSSE[i] = mm mul ps(xRecip, xSqrt);
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like there are in SSE
             xFloat += 1.0f;
         }
       // !TIME SSE
#endif
```

```
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        float xFloat = 1.0f;
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             pResult[i] = sqrt(xFloat) / xFloat; // Even though division is slow, there are no intrinsic functions
like there are in SSE
             xFloat += 1.0f;
#endif
       // !TIME SSE
```

#### Performance difference



#### ISPC

- A different compiler with some tweaks to standard C
- Produces high-end vectorization code with the user specifying how to vectorize through the foreach clause

```
export void sumInTraceP2(uniform float x, uniform float y,
 uniform float angle, uniform float velocity,
  uniform float input[],float num[], float denom[],
   uniform int nt, uniform float dt){
  float t,nn,dd;
  int ishift;
  nn=num[0];
  dd=denom[0];
  t=cos(angle)/velocity*x+sin(angle)/velocity*y;
  ishift=t/dt+.5;
  foreach(it=0 ... nt){
   nn+=input[it+ishift];
   dd+=input[it+ishift]*input[it+ishift];
  num[0]=nn;
  denom[0]=dd;
```

```
export oid sumInTraceP2(uniform float x, uniform float y,
 uniform float angle, uniform float velocity,
  uniform float input[],float num[], float denom[],
   uniform int nt, uniform float dt){
  float t,nn,dd;
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   nn+=input[it+ishift];
   dd+=input[it+ishift]*input[it+ishift];
  num[0]=nn;
  denom[0]=dd;
```

exportmake available to C

```
export void sumInTraceP2(uniform float x, uniform float y,
 uniform float angle, uniform float velocity,
  uniform float input[],float num[], float denom[],
   uniform int nt, uniform float dt){
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  t=cos(angle)/velocity*x+sin(angle)/velocity*y;
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  foreach(it=0 ... nt){
   nn+=input[it+ishift];
   dd+=input[it+ishift]*input[it+ishift];
  num[0]=nn;
  denom[0]=dd;
```

exportall vector units see the same value

```
export void sumInTraceP2(uniform float x, uniform float y,
 uniform float angle, uniform float velocity,
  uniform float input[],float num[], float denom[],
   uniform int nt, uniform float dt){
  float t,nn,dd;
  int ishift;
  nn=num[0];
  dd=denom[0];
  t=cos(angle)/velocity*x+sin(angle)/velocity*y;
  ishift=t/dt+.5;
  foreach(it=0 ... nt){
   nn+-input[it+ishift];
   dd+=input[it+ishift]*input[it+ishift];
  num[0]=nn;
  denom[0]=dd;
```

foreachThis is the loop to vectorize