Practical PETSc Tutorial

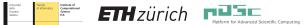
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This Tutorial

- ▶ We will use PETSc as an extended example of working with a library
 - ► This is because I am familiar with it, and because its flexible design allows us to examine many things quickly
 - ► All libraries present limitations and annoyances, and no library is a silver bullet: PETSc is no exception
- ▶ We don't have time for a full tutorial on the library, unfortunately
- ▶ I have adapted the miniapp code to use PETSc so that you can see familiar concepts in a new framework
- ► The majority of the time will be spent experimenting with this code: libraries allow you to quickly leverage functionality that would be time-consuming to "roll yourself", and PETSc is an extreme example of this in that you can even do this experimentation at runtime

What is PETSc?

- Origins as one of the first success stories of MPI, a library for domain decomposition-based PDE solvers
- ► Extended to provide a full set of tools for solving large-scale discretized PDE in distributed-memory parallel environments
- Distributed linear algebra, linear solvers, preconditioners, nonlinear solvers, timesteppers, domain management tools, optimization tools (TAO), and associated utilities.
- Over 20 years of development, fully supported, based at Argonne National Lab
- Written in object-oriented C, with a Fortran interface ¹
- ► Forms the basis for many of the libraries we've seen in the previous lecture, especially higher-level PDE libraries

¹and see petsc4py, which offers a Python interface

Why Use PETSc?

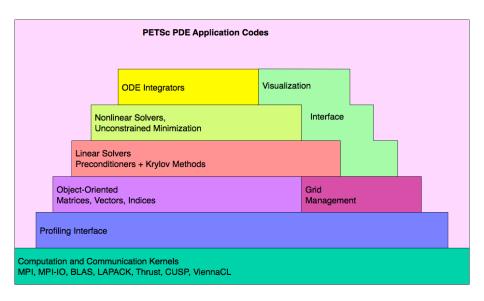
- Write robust, scalable MPI codes to solve PDE, without writing much MPI code yourself
- Use a combinatorial explosion of solvers, configurable at runtime
- Run your code essentially anywhere, from your laptop to Piz Daint
- Configure with a huge number of external packages (including external linear solvers)
- Excellent support and community

What's in a Name?

- Portable
- ▶ Extensible
- ▶ Toolkit for
- Scientific computation

An alternate acronym: the "Portable, Extensible Toolkit for Solver composition"

PETSc Components



PETSc Miniapp

▶ We will use the same PDE, Fischer's Equation in 2 dimensions

$$\frac{\partial s}{\partial t} = D\left(\frac{\partial^2 s}{\partial x^2} + \frac{\partial^2 s}{\partial y^2}\right) + Rs(1-s)$$

discretized the same way on the same domain, a rectangle equipped with a regular grid, using standard finite differences / finite volumes.

- ▶ We will solve the same system, but using PETSc's abstractions
- We will leverage a powerful design component of PETSc, namely that it is runtime configurable, meaning that we can select from a huge number of solvers at runtime and quickly see how they perform
- ► We will write straightforward code which nevertheless will scale to large numbers of MPI processes (without us writing much MPI)

Porting to PETSc

As a short example, code which applies a finite difference Laplacian to a vector (similar, but not identical, to what we do to port the miniapp)

```
#include < petscdmda. h>
#include "ctx.h"
#undef __FUNCT__
#define __FUNCT__ "applyA"
PetscErrorCode applyA(Mat A, Vec in, Vec out)
  PetscErrorCode
                     ierr;
  Ctx
                     *ctx:
  const PetscScalar **inarr:
  PetscScalar val, **outarr;
  PetscInt
                  i,j,ixs,iys,ixm,iym,imin,imax,jmin,jmax,M,N;
  PetscBool
                    left . right .up.down:
  Vec
                     in_local:
  PetscReal
                     oneoverhy2, oneoverhx2;
  PetscFunctionBeginUser:
  ierr = MatShellGetContext(A, &ctx);CHKERRQ(ierr);
  M
              = ctx-M:
              = ctx \rightarrow N;
  in_local = ctx->work_local[0];
  oneoverhy2 = 1.0/(ctx \rightarrow hv*ctx \rightarrow hv):
  oneoverhx2 = 1.0/(ctx\rightarrow hx*ctx\rightarrow hx):
  /* Scatter global-->local to have access to the required ghost values */
  ierr=DMGlobalToLocalBegin(ctx->da.in.lNSERT_VALUES.in_local): CHKERRO(ierr):
  ierr=DMGlobalToLocalEnd (ctx->da,in,INSERT_VALUES,in_local);CHKERRQ(ierr);
```

Porting to PETSc (continued)

```
/* Get the boundaries of the local subdomain */
DMDAGetCorners(ctx->da, &ixs, &iys, 0, &ixm, &iym, 0); OHKERQ(ierr);
/* Get access to the raw arrays (with ghosts).
  Note that PETSc allows these to be accessed with *global* indices */
DMDAVecGetArray(ctx->da,out,&outarr);CHKERRQ(ierr);
DMDAVecGetArrayRead(ctx->da.in_local.&inarr):CHKERRO(ierr):
/* Determine active (global) boundaries */
up = (ivs == 0): imin = up ? ivs + 1: ivs:
down = (iys + iym == N); jmax = down ? iys + iym - 1 : iys + iym;
left = (ixs = 0); imin = left ? ixs + 1 : ixs;
right = (ixs + ixm = M); imax = right? ixs + ixm - 1: ixs + ixm;
/* Handle corners */
if(up && left){
  val=0:
 i=0: i=0:
 vaH=inarr[j][i+1]* (-oneoverhx2);
 vaH=inarr[j+1][i] * (-oneoverhy2);
  val+=inarr[j ][i ] * 2.0 * (oneoverhy2 + oneoverhx2);
  outarr[i][i]=val;
if (up && right){
  /* ... */
if (down && left){
  /* ... */
if (down && right){
 /* ... */
```

Porting to PETSc (continued)

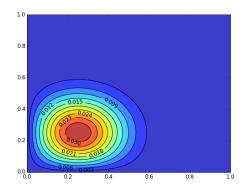
```
/* Handle edges (excluding corners ) */
if (up){
  j=0;
   for (i=imin; i<imax; ++i) {
     val=0:
     val+=inarr[j ][i-1] *
                                                (-oneoverhx2);
     val+=inarr[j ][i+1] *
                                                (-oneoverhx2);
      \begin{array}{lll} \text{va} & \text{Heinarr}[j+1][i & j* & \text{(-oneoverhy2);} \\ \text{va} & \text{Heinarr}[j & j[i & j* 2.0* (\text{oneoverhy2} + \text{oneoverhx2}); \\ \end{array} 
     outarr[j][i]=val;
if (down){
   /* ... */
if (left){
   /* ... */
if (right){
  /* ... */
```

Porting to PETSc (continued)

```
/* Handle the interior points */
for (j=jmin; j \leq jmax; ++j) {
   for (i=imin; i \le imax; ++i) {
      val=0:
     vaH=inarr[j-1][i] *
                                                 (-oneoverhy2);
     vaH=inarr[j][i-1]*
vaH=inarr[j][i+1]*
                                                 (-oneoverhx2);
                                                 (-oneoverhx2);
     \begin{array}{lll} \text{va} & & \text{--oneoverhy2}; \\ \text{va} & & \text{--inarr}[j][i] & \text{--} & \text{--oneoverhy2}; \\ \text{va} & & \text{--inarr}[j][i] & \text{--} & \text{--oneoverhy2} + \text{--oneoverhx2}; \\ \end{array}
     outarr[i][i]=val;
/* Revoke access to raw arrays */
DMDAVecRestoreArray(ctx->da,out,&outarr);CHKERRQ(ierr);
DMDAVecRestoreArrayRead(ctx->da,in_local,&inarr);CHKERRQ(ierr);
PetscFunctionReturn(0);
```

Exercise 1: Run the Code

- In your course repository, navigate to miniapp/petsc
- ► Follow the instructions in README.md
- You should be able to produce an image like the one on the right



Aside: we are using the cray-petsc module, which frees us from having to configure and compile PETSc. If you would like to use additional external packages or a newer version of the library (the current version is 3.7.3, as opposed to 3.5.1 for cray-petsc, you can configure and build PETSc yourself. Also see the included makefile.local which is designed for more general systems.

Code Walkthrough: ODE Solver

- PETSc allows a "top-down" approach, so we begin by discussing how to adapt the miniapp to use PETSc ODE/DAE solver object, called TS
- ► The advantages of doing things this way include
 - ► The usual advantage of top-down design: having a clear view of the task, not implementing details until they are needed, etc.
 - Additional flexibility, as you can use PETSc's objects for more of the code
- Let's take a look at main.c

Exercise 2: Changing the ODE solver

- ▶ Run ./main -help to see (many) possible command line options
- Experiment running the program
 - With different numbers of grid points
 - With different numbers of time steps
 - With different numbers of MPI processes
- Try the -ts_view and -ts_monitor options
- Try using different timesteppers, using -ts_type.
 - See the list of types in the manual or on the man page for TSType at http://www.mcs.anl.gov/petsc/petsccurrent/docs/manualpages/TS/TSType.html
 - Not all will work immediately (some require you to provide more information about your system), but experiment with some standard choices like rk, theta, ssp, bdf, etc.

Code Walkthrough: Distributed Vectors, Array, and Linear Operators

- ▶ See system.c
- We will see how to assemble a Jacobian matrix
- ▶ PETSc also supports custom "matrix-free" operators ², and can estimate the Jacobian for you using finite differences.

²See MatShell

Code Walkthrough: Viewing

- ▶ PETSc objects can be "viewed" in various ways
- ▶ This includes writing to the screen, to files, or even to network sockets
- ▶ See dump.c

Exercise 3: Parallel Preconditioners

- ► Use the -assemble option
- ► Using -ts_view, determine what the default preconditioner (PC) is for the linear solver (KSP)
- ▶ Use -ksp_monitor and describe what happens to the convergence as you strong scale (increase the number of MPI ranks for the same problem size)
- Experiment with another preconditioner, an additive Schwarz method, with -pc_type asm. Note that adding -help will now give you more options related to this preconditioner ³

³The -help output can get long: try ./main -help -pc_type asm | grep asm

Exercise 4: Bigger Time Steps

- ► Experiment with command line options to increase the time step to, say, 1
- ► Try to reduce the number of linear solver iterations by using a strong preconditioner like -pc_type gamg⁴

⁴This is algebraic multigrid

Performance Profiling

- ► -log_summary⁵ provides a wealth of information, and is a necessary companion to allow quick interpertation of experiments with different solvers
- Includes
 - Time and flops
 - Call counts
 - Load balances
 - Cumulative memory usage (Not high-water mark)

⁵called -log_view in more recent versions of PETSc

Exercise 5: Algorithmic Experimentation

- ▶ Using only the command line options and -log_summary, see how much you can speed up the code
- ► Examine strong-scaling behavior (how does increasing the number of processes affect the solution time?

Exercise 6 (Bonus): Writing a matrix-free operator application

- ► Look at the documentation for MatShell,MatShellSetOperation(), etc. (See the man pages, linked exampes, and Section 3.3 of the manual)
- ▶ Using the example from earlier in the slides as an example, write a matrix-free operator which applies the Jacobian in the miniapp, and confirm that it gives the same results as using the assembled operator.

Continuing with PETSc

- See the manual and other documentation at www.mcs.anl.gov/petsc/documentation/index.html
- ► Learn how to use the mailing lists! See
 www.mcs.anl.gov/petsc/miscellaneous/mailing-lists.html.
 - Questions are answered quickly here
 - General questions : petsc-users
 - Developer topics (if planning to contribute) : petsc-dev
 - Private queries, bugs, installation problems : petsc-maint
 - For best results:
 - 1. Include the entire error message
 - 2. Include configure.log and make.log if sending a configure/install problem to petsc-maint
 - 3. The more specific, the better. If you can provide code to reproduce your problem, that is best.
 - 4. Note the archives
- ▶ Note the large number of examples (see links from the man pages)
- Up-and-coming resource: scicomp.stackexchange.com