



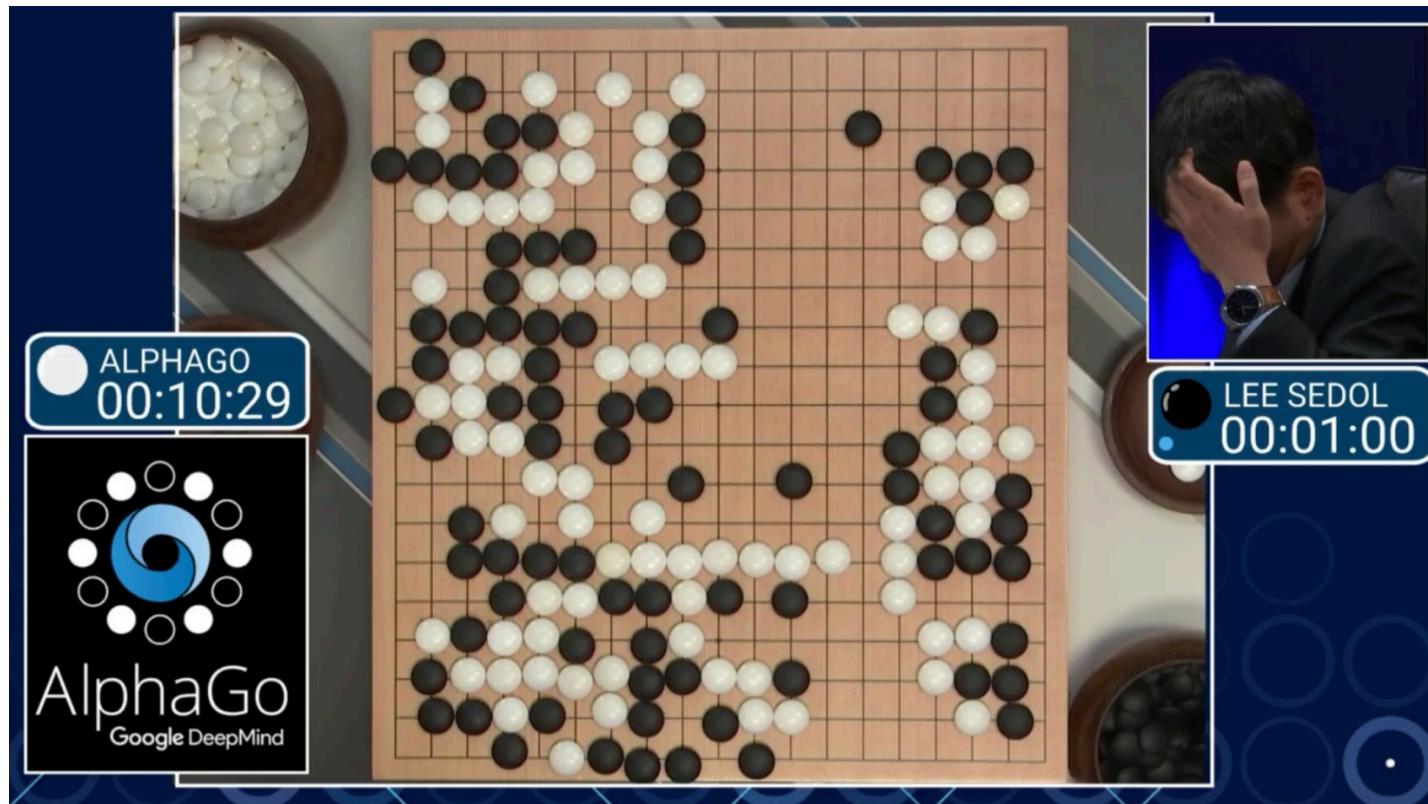
DQNViz: A Visual Analytics Approach to Understand Deep Q-Networks

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1. The Ohio State University
2. Visa Research

Introduction

- Deep Reinforcement Learning + AlphaGo

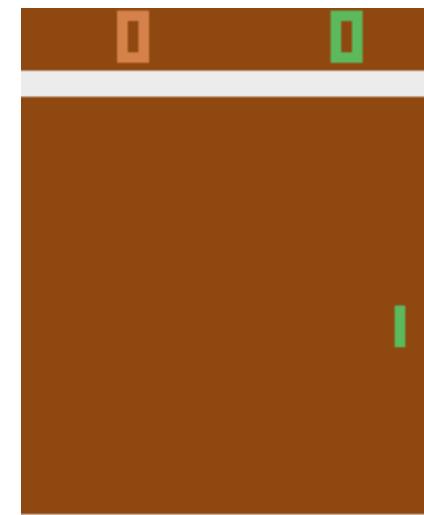


Introduction

- Deep Reinforcement Learning + AlphaGo
- Deep Q Networks + Atari Games



Breakout



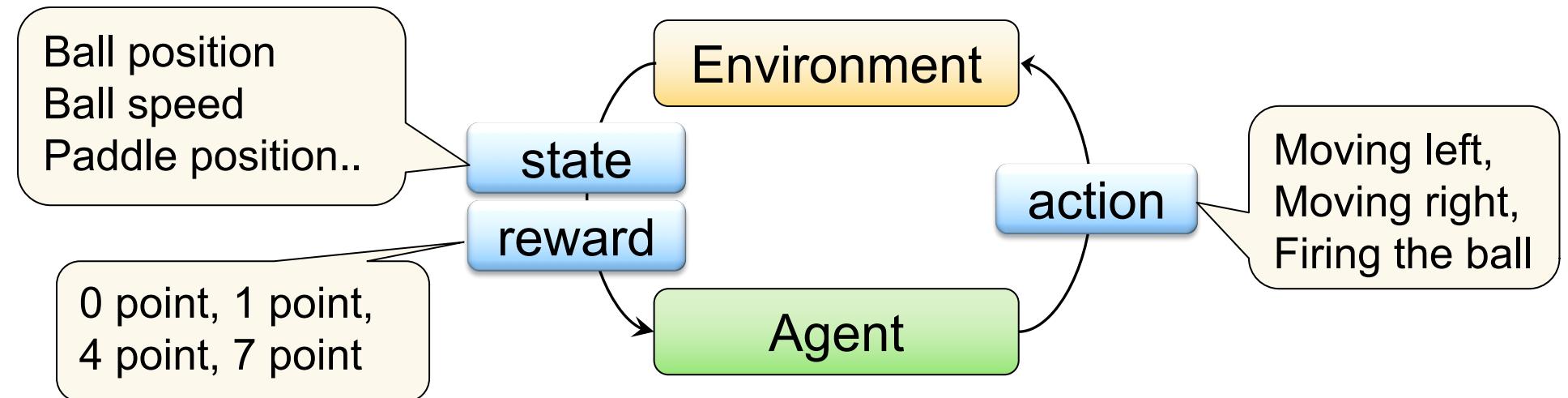
Pong



Space-Invader

Introduction

- Deep Reinforcement Learning + AlphaGo
- Deep Q Networks + Atari Games



$$a_1, s_1, r_1, a_2, s_2, r_2, \dots a_n, s_n, r_n$$

Background: Q-Learning with Bellman Equation

Data: $s_0, a_0, r_1, s_1, a_1, r_2, \dots, r_n, s_n$

Total reward: $R = r_1 + r_2 + \dots + r_n$

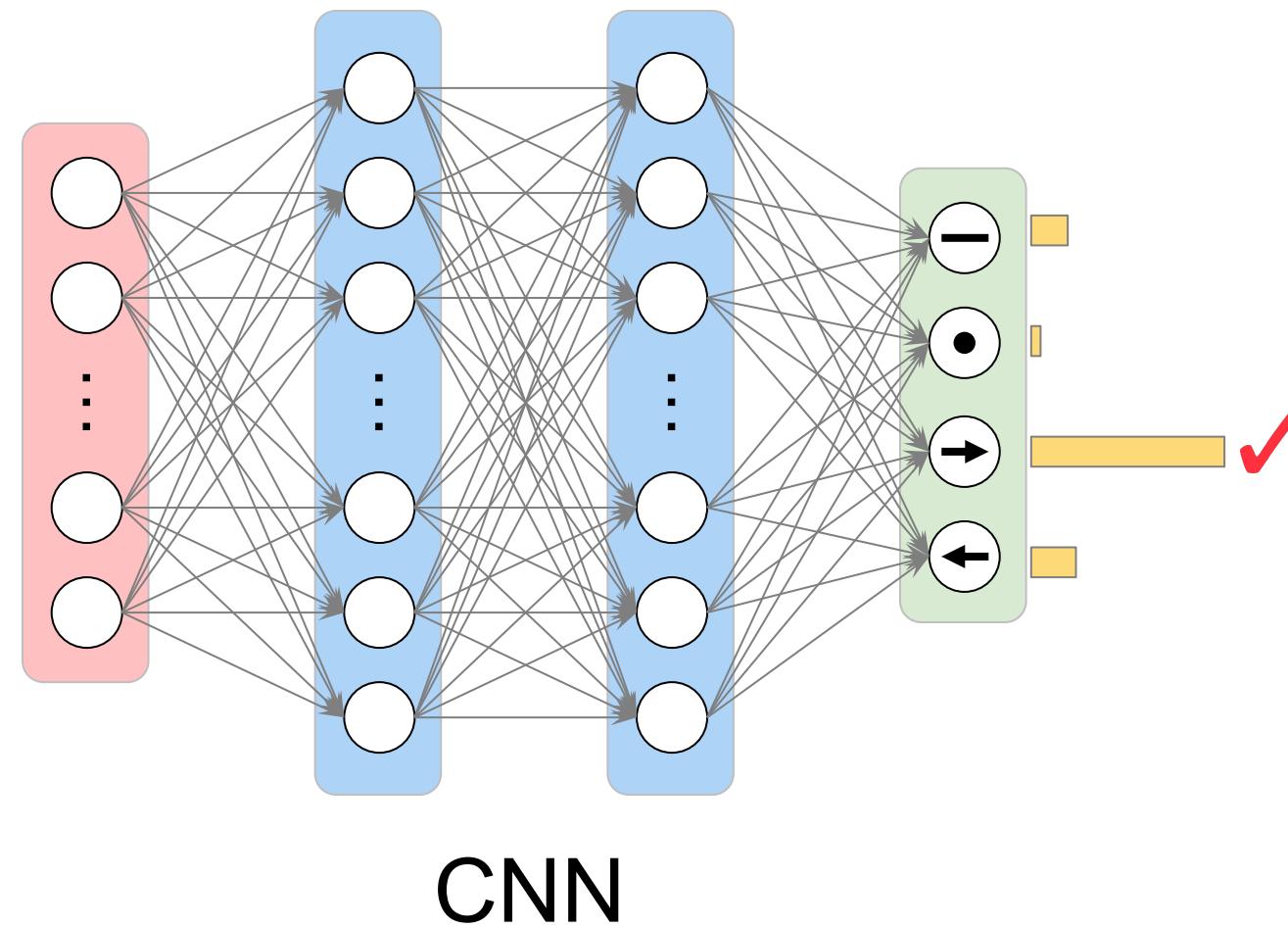
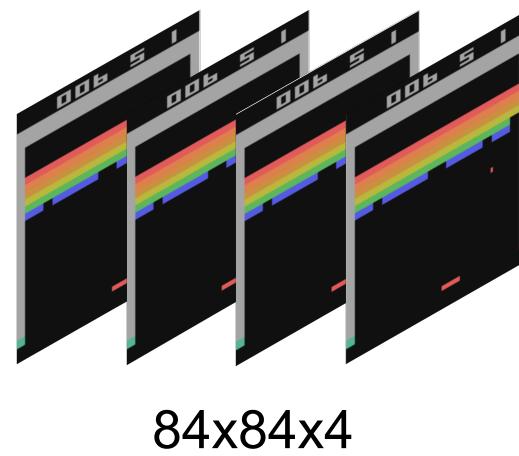
Future reward: $R_t = r_t + r_{t+1} + \dots + r_n$

Discounted Future reward: $R_t = r_t + \gamma r_{t+1} + \gamma^2 r_{t+2} + \dots + \gamma^{n-t} r_n$

Bellman equation: $Q(s, a) = r + \max_{a'} Q(s', a')$

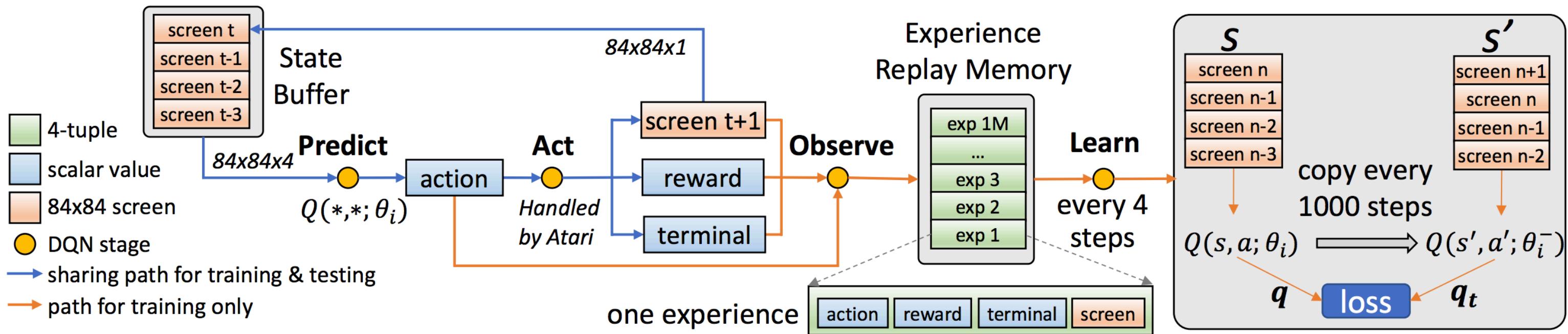
Why deep neural network? s is too complex: $256^{84 \times 84 \times 4}$

Background: Deep Q(uality)-Network (DQN)

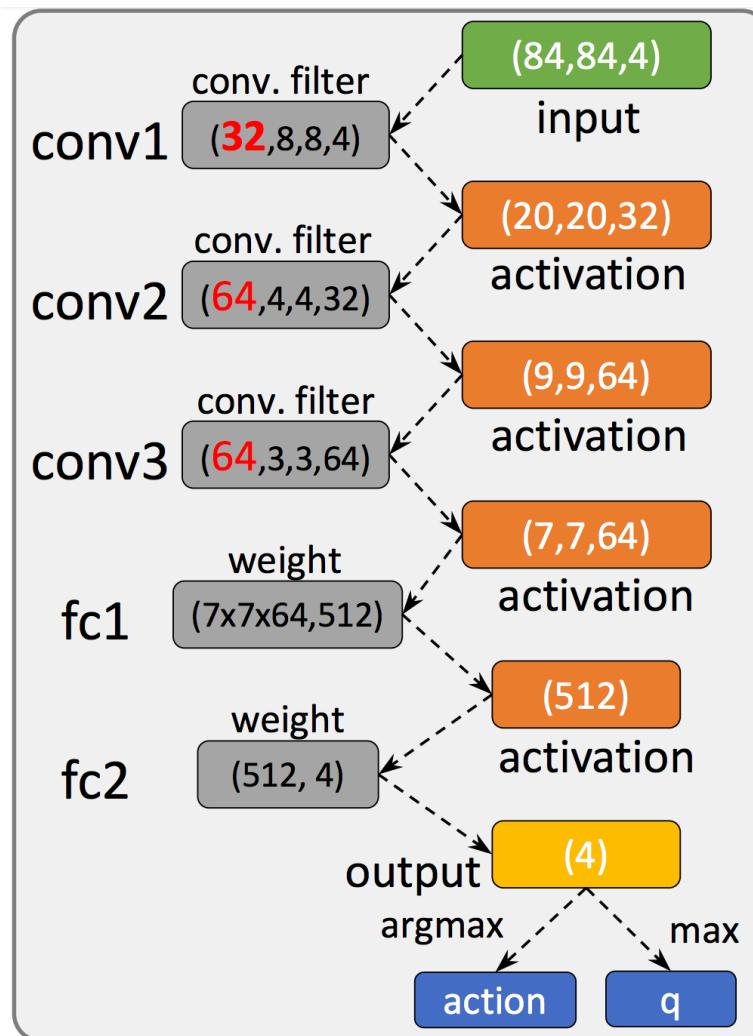


Objective:
maximize the
total game
reward

Background: Deep Q(uality)-Network (DQN)



Background: Deep Q(uality)-Network (DQN)



$$L_i(\theta_i) = \mathbb{E}_{(s,a,r,s') \sim ER} \left[\left(r + \gamma \max_{a'} Q(s', a'; \theta_i^-) - Q(s, a; \theta_i) \right)^2 \right]$$

a random sample from the experience replay memory: $(s, a, r, s') \sim ER$

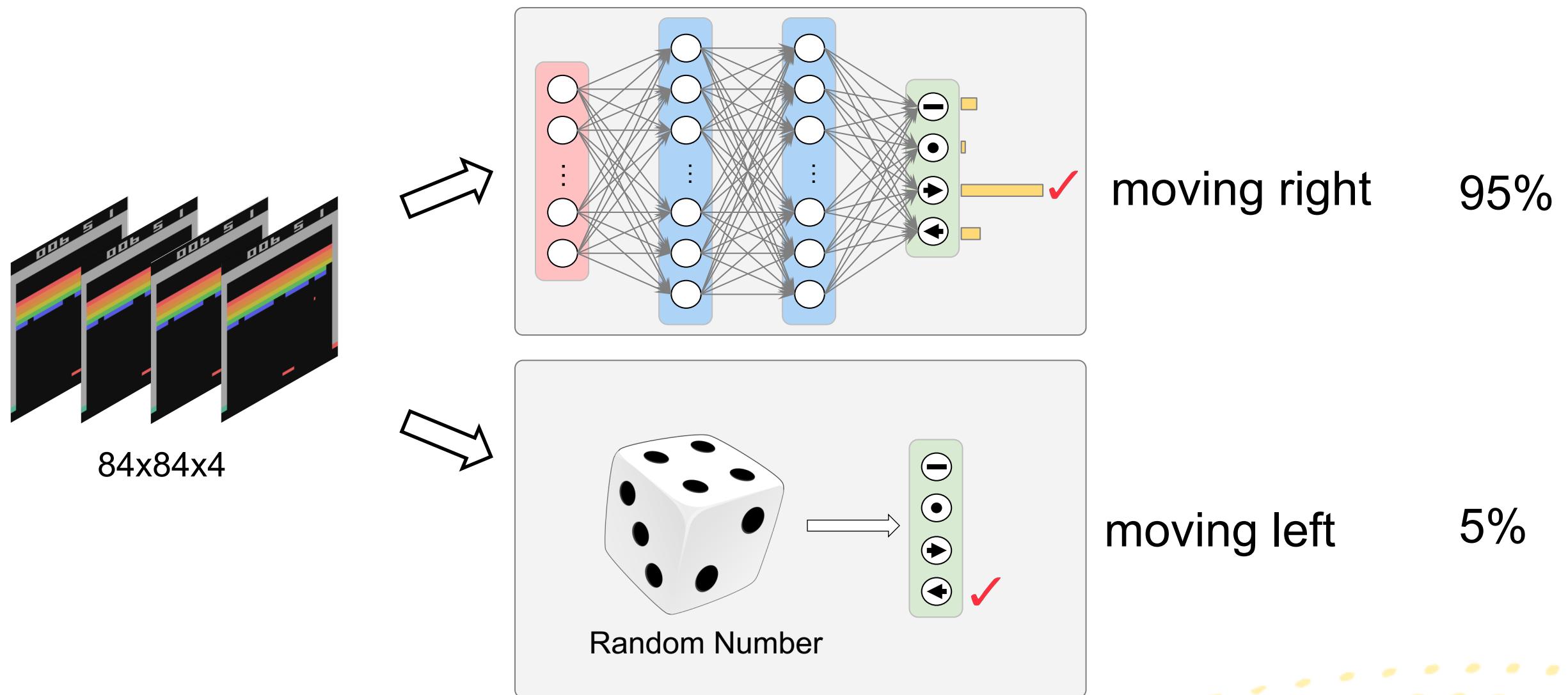
$$s = \{sn_{t-3}, sn_{t-2}, sn_{t-1}, sn_t\} \xrightarrow{DQN(\theta_i)} \begin{cases} output_t = \{1.91, 1.72, \mathbf{1.95}, 1.83\} \\ q = \max(output_t) = 1.95 \\ a = \text{argmax}(output_t) = 2 \text{ (right)} \end{cases}$$

$$r = 1 \quad \gamma = 0.99$$

$$s' = \{sn_{t-2}, sn_{t-1}, sn_t, sn_{t+1}\} \xrightarrow{DQN(\theta_i^-)} \begin{cases} output_{t+1} = \{1.35, 1.39, 1.32, \mathbf{1.43}\} \\ q_t = r + \gamma * \max(output_{t+1}) \\ = 1 + 0.99 * 1.43 = 2.4175 \end{cases}$$

$$loss = (q - q_t)^2 = q_{diff}^2 = (1.95 - 2.4175)^2 = 0.4675^2 = 0.2186$$

Background: Exploration and Exploitation dilemma



Challenges

- Long-time blind training process (understand the model)
 - What strategies are really learned?
 - When are those strategy learned?
 - Which part of the neural network learned those strategies?
- Proper choice of different hyper-parameters (improve the model)
 - E.g., the random rate for the tradeoff between exploration and exploitation

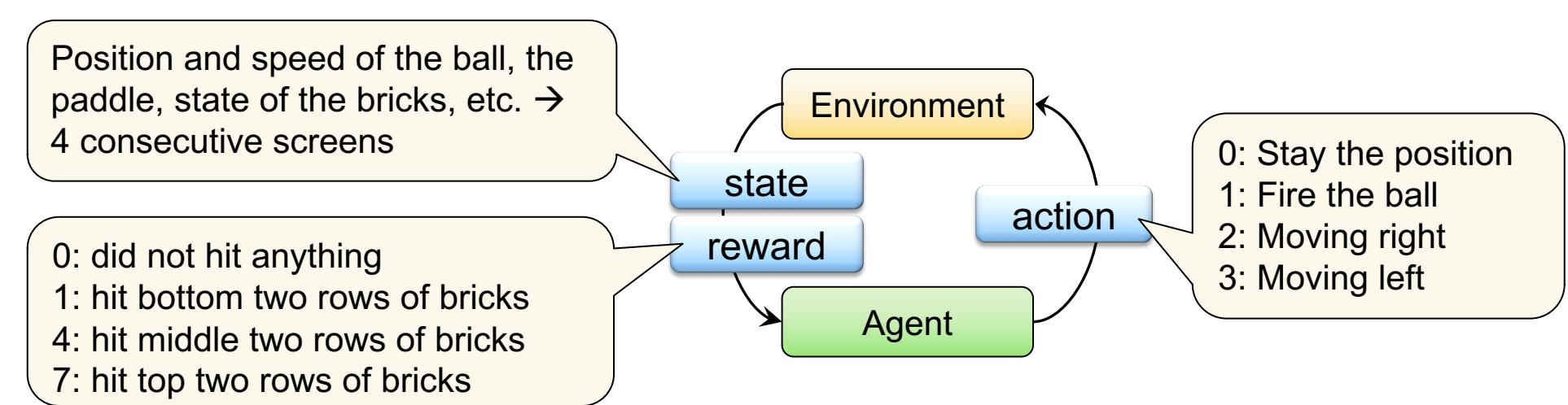
Contribution: DQNViz

- Visual Analytics System (DQNViz):
 - Effective visual summary
 - Efficient (movement/reward) pattern mining
- Improve DQN training by optimizing the random actions
 - Pattern detection algorithm based on DQNViz



Part I: effective visual summary and efficient pattern mining

DQNViz: The Breakout Game



$$a_1, s_1, r_1, a_2, s_2, r_2, \dots, a_n, s_n, r_n$$

Example Data:

Action sequence: 0000012222333312312311000

State sequence: (84x84x3)(84x84x3)...(84x84x3)

Reward sequence: 100000004000000400000700

game start

game over

one episode

Actions: 013322332233223322332233223322332233223313330001133333333



random action
1 point
4 points
7 points

○ Noop (stay)

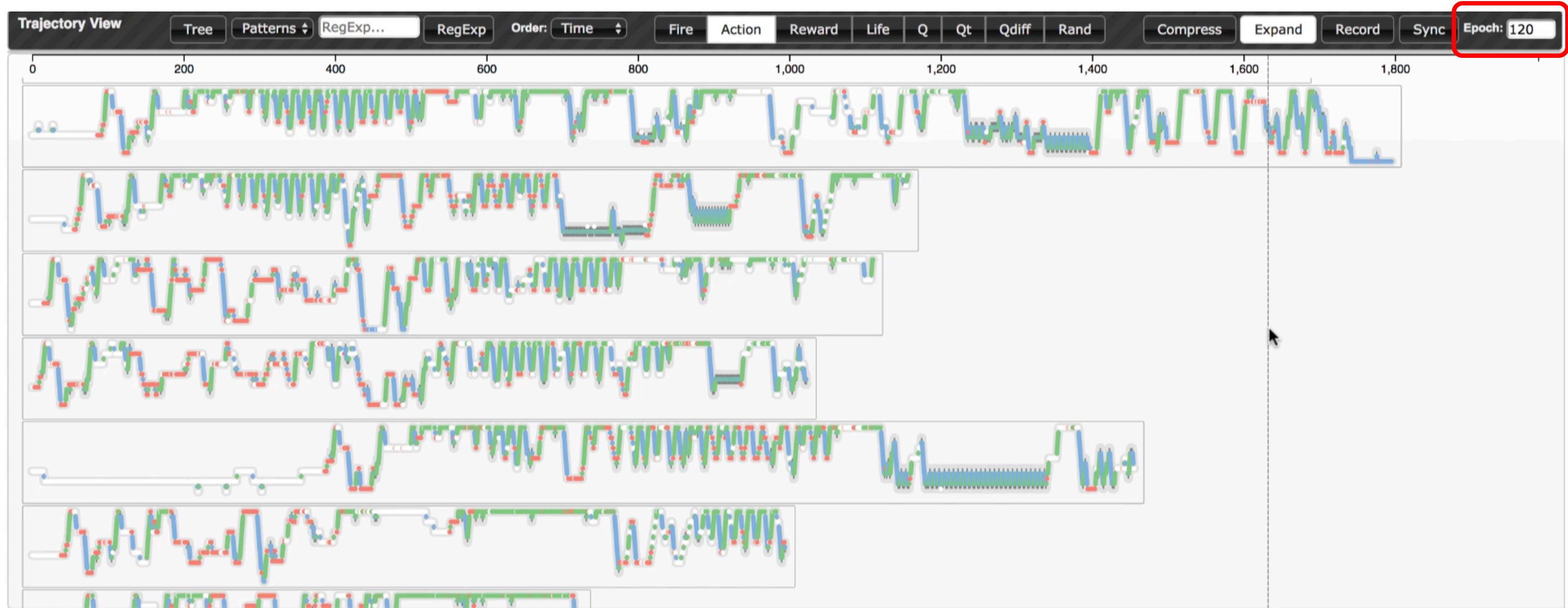
● Firing the ball

● Moving left

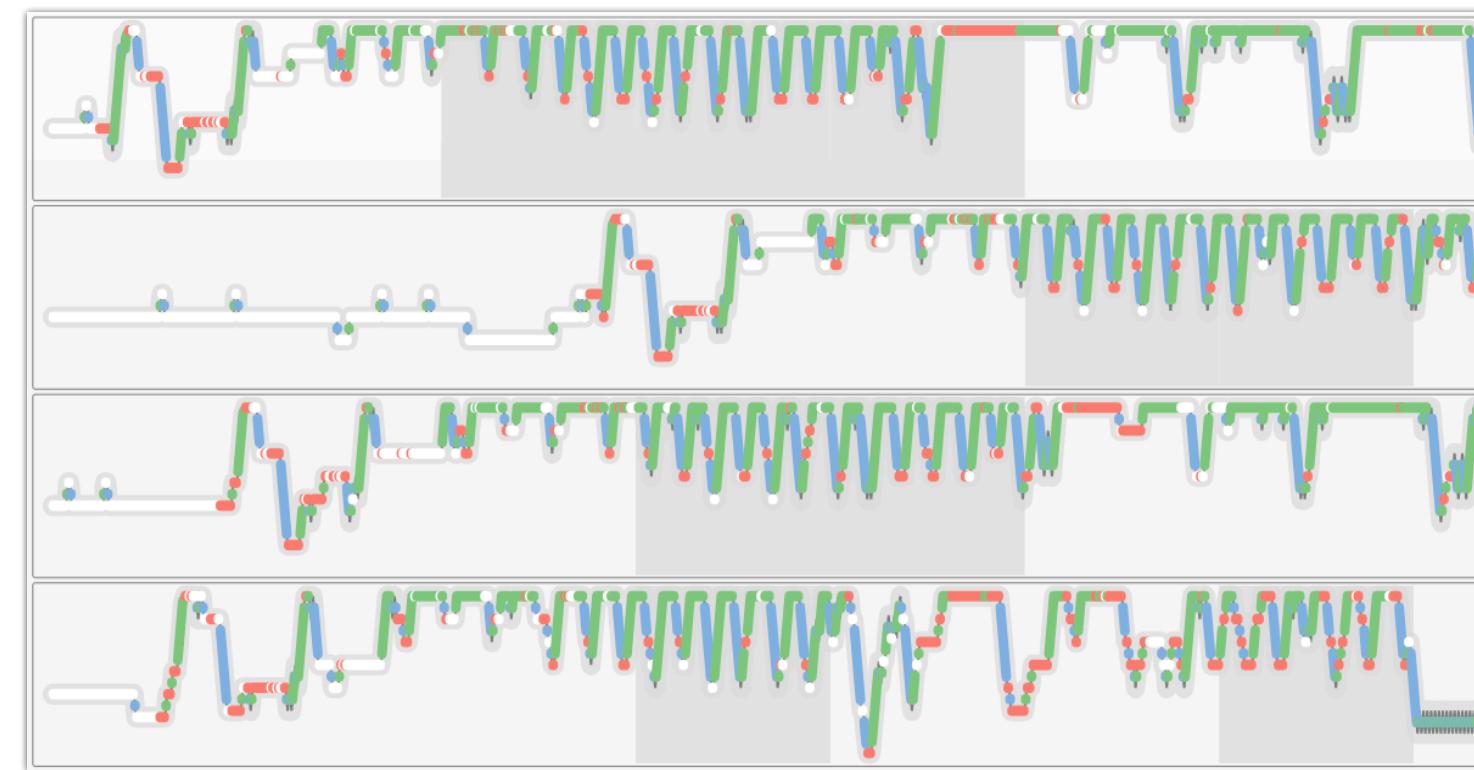
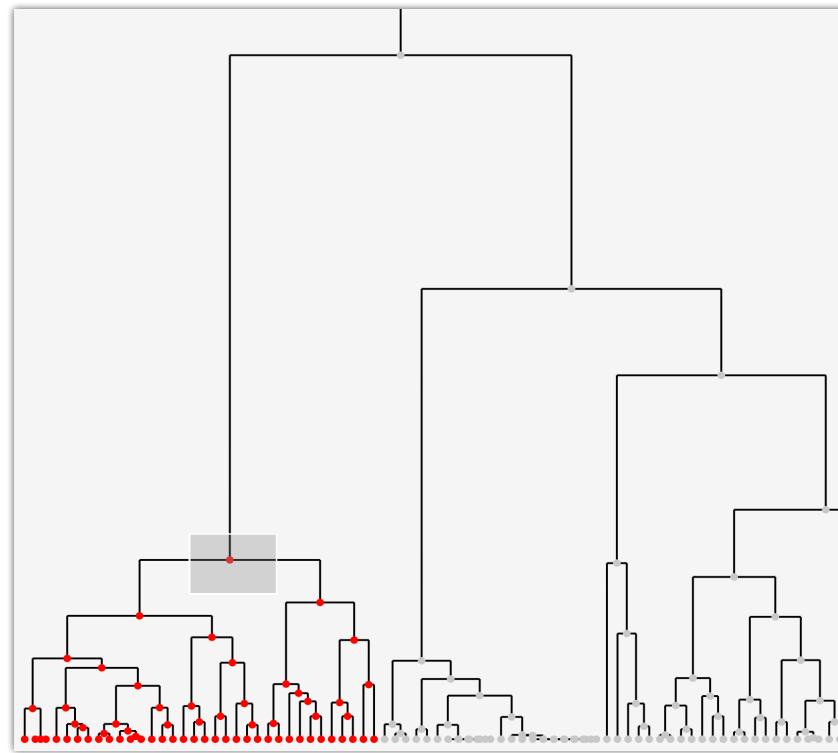
● Moving right

DQNViz: The Episode/Trajectory View

25000 game steps (actions)

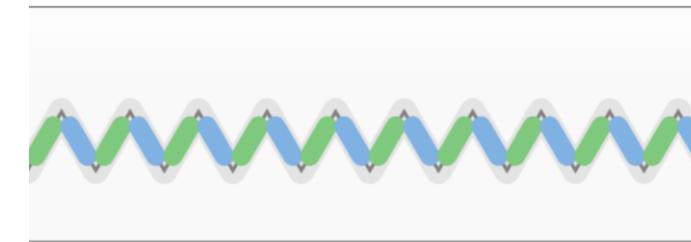
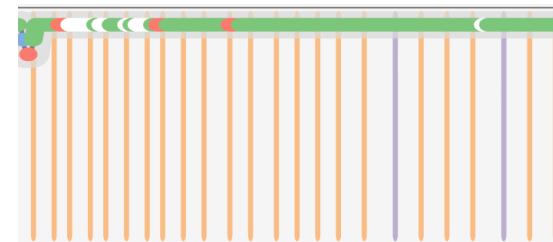
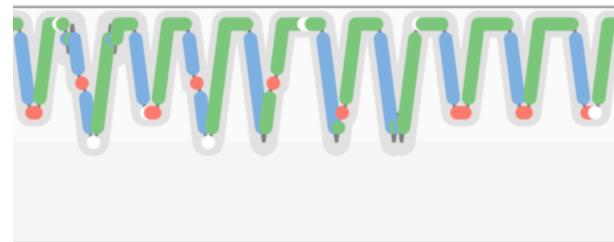


DQNViz: Pattern Mining



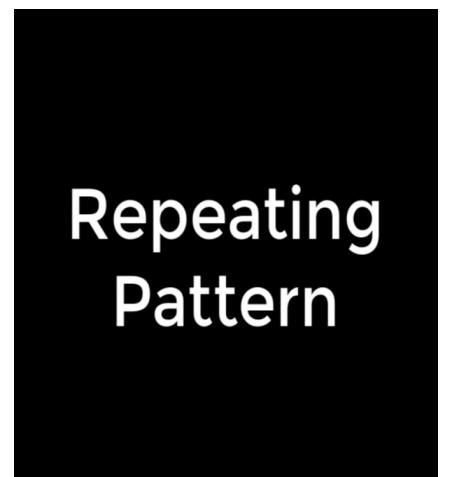
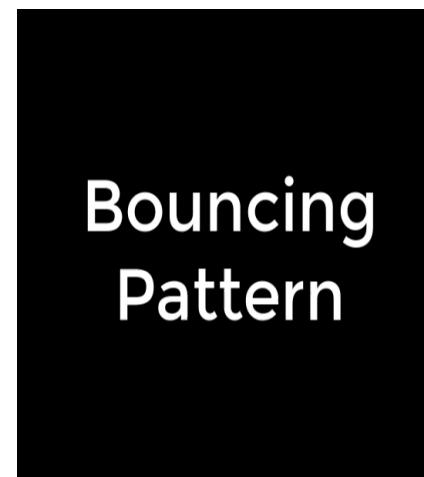
DQNViz: Pattern Mining

Action Sequence



Video Replay

Digging Pattern



Regular Expression

$10^+ 10^+ 40^+ 40^+ 70^+ 7$
reward pattern

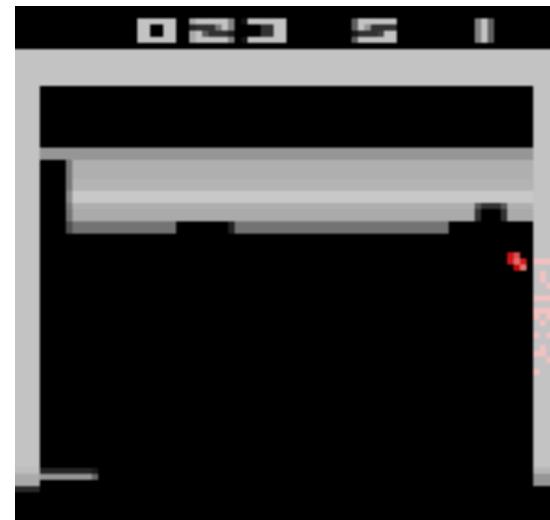
$(70^+)^{[5,]}$
reward pattern

$(20*30*)^{[5,]}$
action pattern

$3^{[30,]}$
action pattern



Guided Back-propagation



$$h^{l+1} = \max\{0, h^l\}$$

Forward pass

1	-1	5
2	-5	-7
-3	2	4

→

1	0	5
2	0	0
0	2	4

h^{l+1}

$$\frac{\partial L}{\partial h^l} = [[h^l > 0]] \frac{\partial L}{\partial h^{l+1}}$$

Backward pass:
backpropagation

-2	0	-1
6	0	0
0	-1	3

←

-2	3	-1
6	-3	1
2	-1	3

$\frac{\partial L}{\partial h^{l+1}}$

$$\frac{\partial L}{\partial h^l} = [[h^{l+1} > 0]] \frac{\partial L}{\partial h^{l+1}}$$

Backward pass:
“deconvnet”

0	3	0
6	0	1
2	0	3

←

-2	3	-1
6	-3	1
2	-1	3

$\frac{\partial L}{\partial h^{l+1}}$

$$\frac{\partial L}{\partial h^l} = [(h^l > 0) \& \& (h^{l+1} > 0)] \frac{\partial L}{\partial h^{l+1}}$$

Backward pass:
guided
backpropagation

0	0	0
6	0	0
0	0	3

←

-2	3	-1
6	-3	1
2	-1	3

$\frac{\partial L}{\partial h^{l+1}}$

Saliency map from
filter i

4	3	1
2	3	0
0	2	0



The 3rd max = 3



1	0	0
0	0	0
0	0	0

Binary saliency map
(activated pixel = 1)

Saliency map from
filter j

0	2	3
1	3	4
4	5	6



The 3rd max = 4



0	0	0
0	0	0
0	1	1

Binary saliency map
(activated pixel = 2)

Saliency map from
filter k

1	2	1
2	2	2
2	2	2



The 3rd max = 2



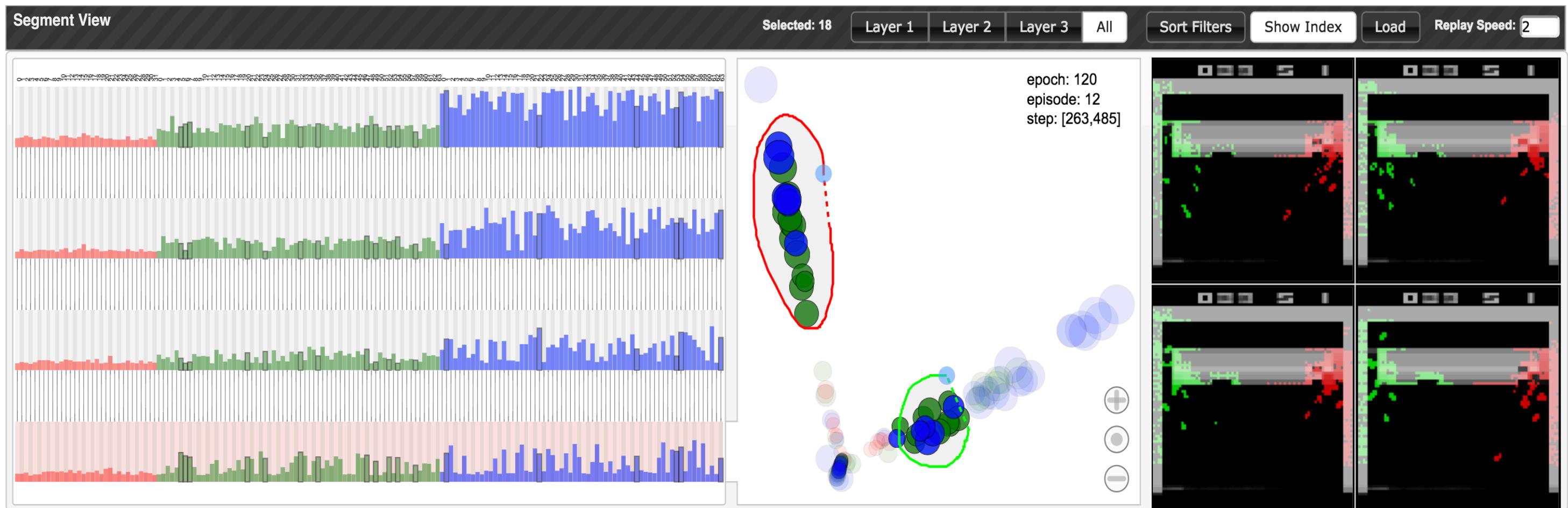
0	0	0
0	0	0
0	0	0

Binary saliency map
(activated pixel = 0)

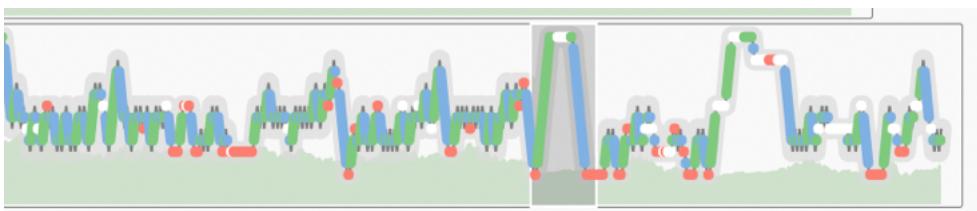
1	0	0
0	0	0
0	1	1

Final saliency map

Guided Back-propagation



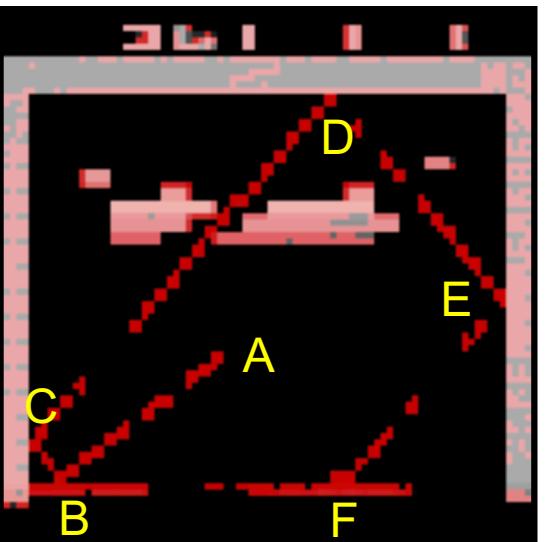
Guided Back-propagation



Epoch 0



Epoch 10

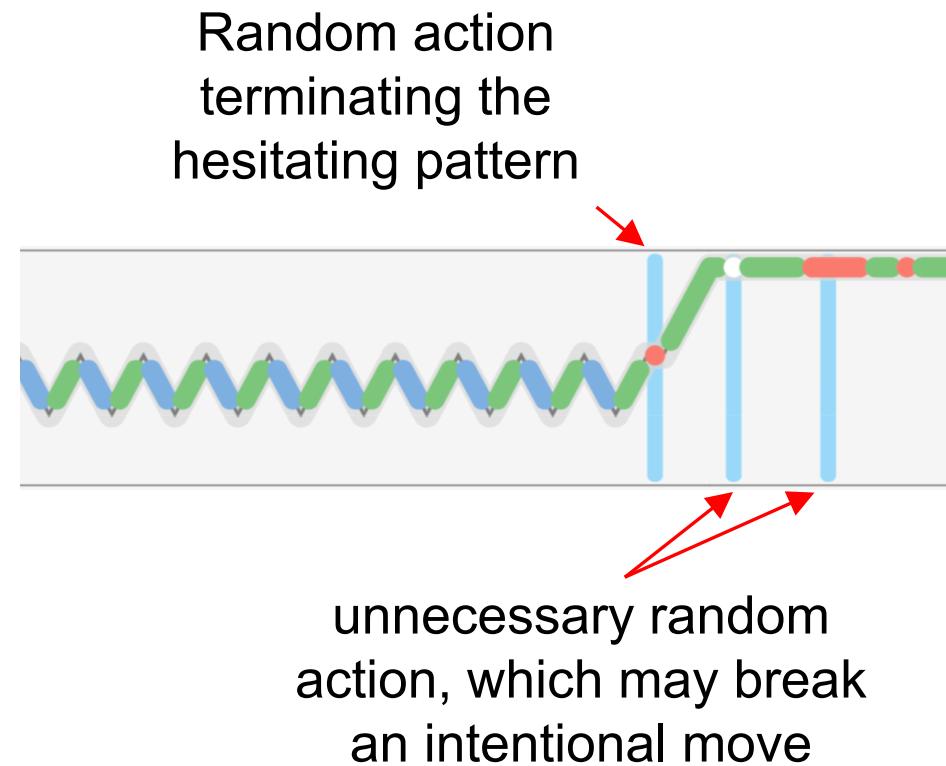
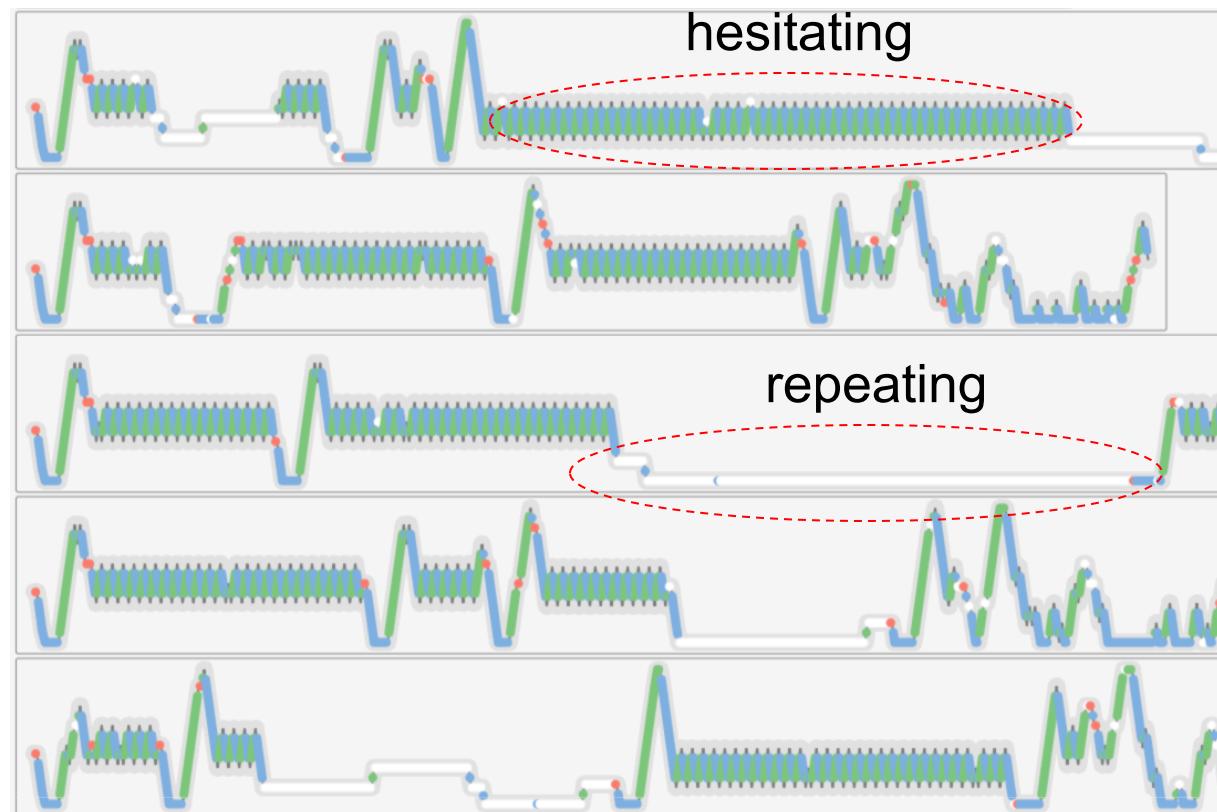


Epoch 120



Part II: Optimize random actions to improve the DQN model training.

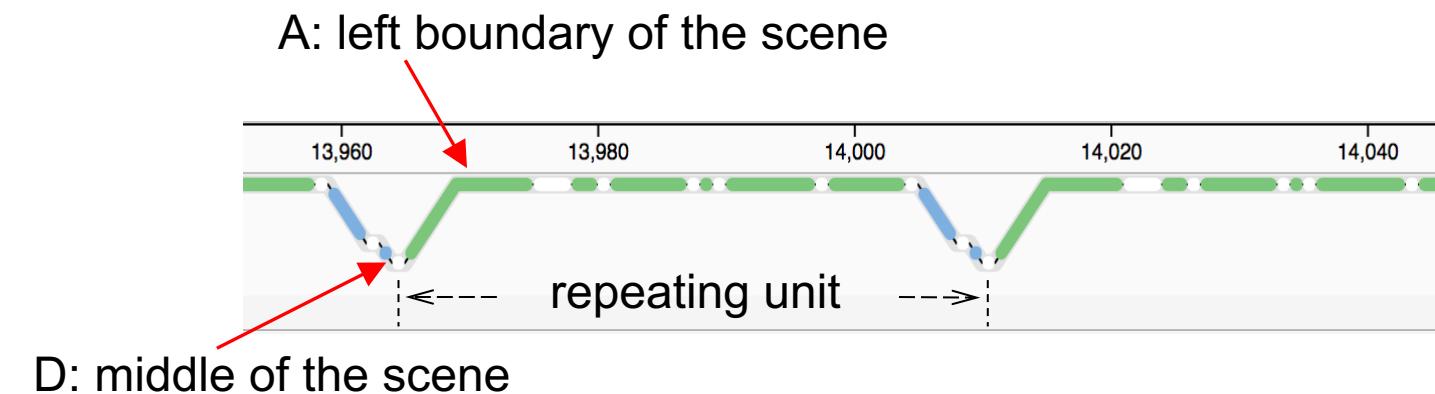
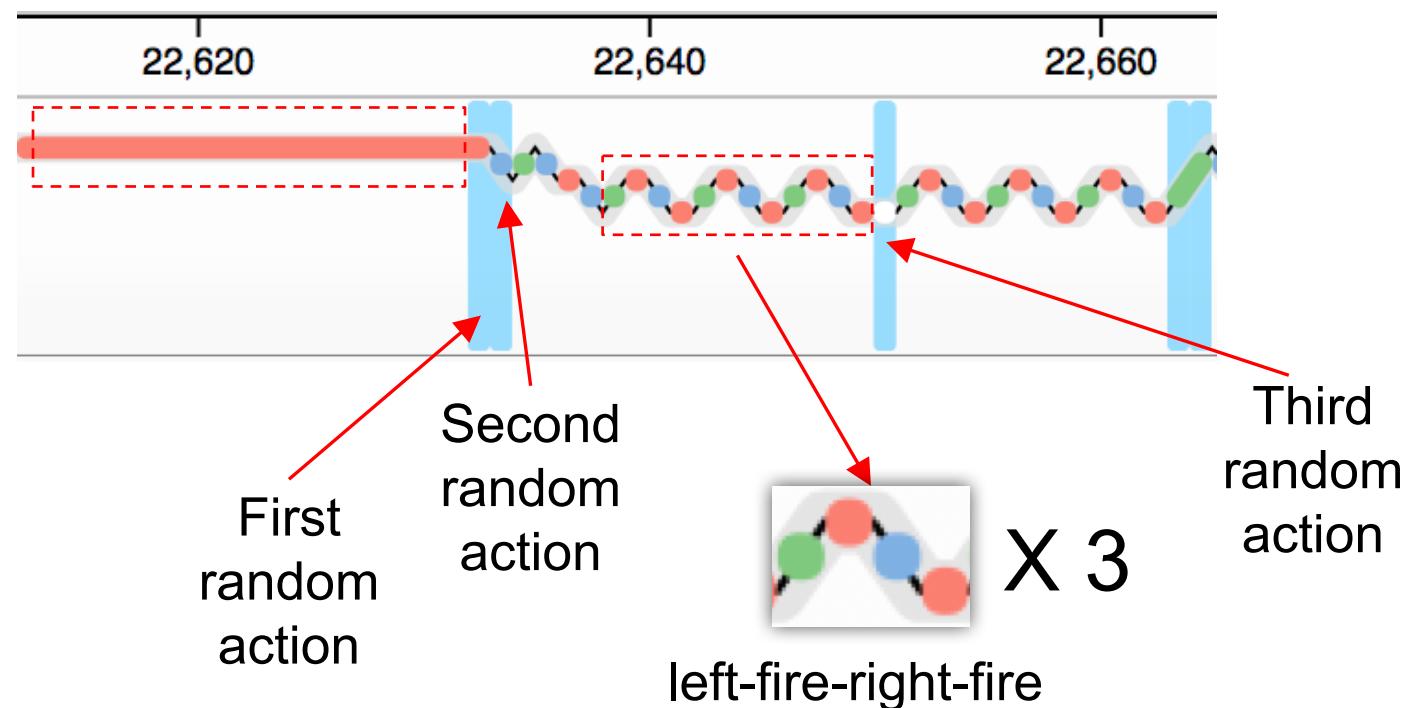
Improve Random Actions



Random actions break the agent's intentional move and cause a life-loss.

Improve Random Actions

- Noop (stay)
- Firing the ball
- Moving left
- Moving right



Quantitative Evaluation

Result of averaging over 10 runs

Algorithm	# of Steps	# of episodes	Total rewards	# or random steps
Random rate 5%	25,000	16.6	4198.6	1269.4
Our RegExp Alg.	25,000	11.4	4899.2	503
Random rate 2%	25,000	9.9	3780.8	492.1

Conclusion

- We present DQNViz, a visual analytics system that provides effective multi-level visual summaries of the large multi-faceted data generated from DQN trainings.
- Based on our analysis of the training data, we identified typical movement and reward patterns of the agent, and those patterns have helped in controlling the random actions of the DQN model.

Thanks! Questions?

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