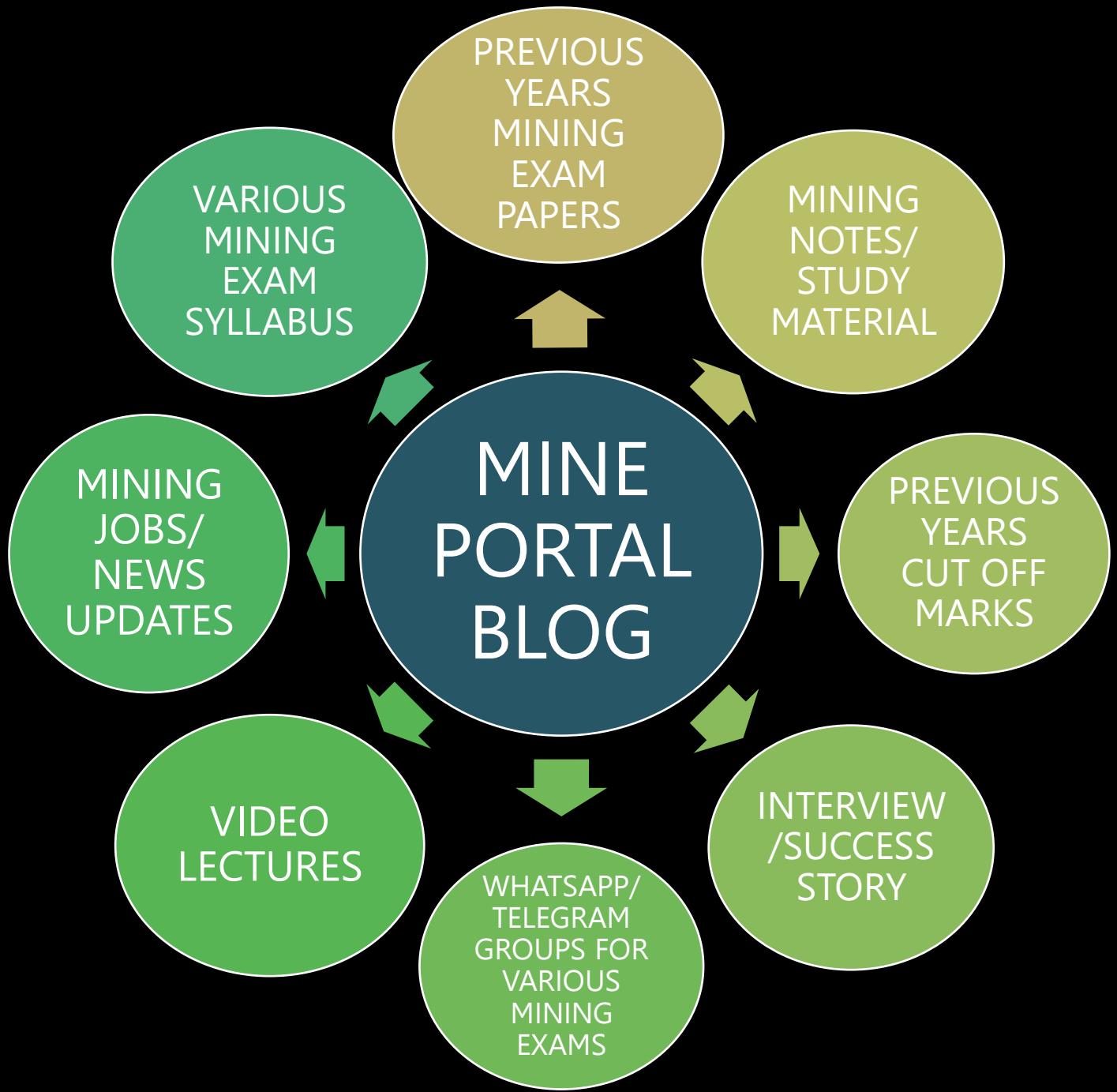


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GATE MINING EXAMS IMPORTANT FORMULAE

Rock Mechanics GATE formula

$$\textcircled{1} \quad RQD (\%) = 100 \cdot e^{-0.1\lambda} + x(-0.1\lambda + 1)$$

λ = no. of fractures per m length

$$\textcircled{2} \quad \text{Unit weight } (\gamma) = \frac{\text{wt of rock}}{\text{Volume of rock}} = \frac{N}{m^3}$$

$$\textcircled{3} \quad \text{Sp. gravity} = \frac{\text{Density of solid}}{\text{Density of water } (1000 \text{ kg/m}^3)} / \frac{\text{wt of solid in air}}{\text{wt of solid in air} - \text{wt of solid/water}}$$

$$\textcircled{4} \quad \text{Void Ratio} = \frac{\text{Volume of Void}}{\text{Volume of solid}} = \frac{V_v}{V_s} = e \quad (V_s = 1) \text{ then } V_v = e$$

$$\textcircled{5} \quad \text{Porosity} = \frac{\text{Volume of Void}}{\text{Total Volume}} = \frac{V_v}{V_t + V_s} = \frac{e}{e+1}$$

$$\textcircled{6} \quad \text{Degree of Saturation } (S) = \frac{\text{Volume of Water}}{\text{Volume of Void}} = \frac{V_w}{V_v} = [S \cdot e = V_w]$$

$$\textcircled{7} \quad \text{Moisture Content } (w) = \frac{\text{wt of water}}{\text{wt of sample}} \times 100$$

$$\textcircled{8} \quad \text{Bulk Density} = \frac{\text{Mass}}{\text{Volume}} = \frac{M_a + M_w + M_s}{V_t} = \frac{s \cdot e s_{w1} + s_{a1} s_w \cdot 1}{1+e}$$

$$\textcircled{9} \quad \text{Saturated Density} = \frac{\text{Mass}}{\text{Volume}} = \frac{M_w + M_s}{V_t} = \frac{s_e s_{w1} + s_{a1} s_w \cdot 1}{1+e}$$

$$\textcircled{10} \quad \text{Dry Density} = \frac{\text{Mass}}{\text{Volume}} = \frac{M_a + M_s}{V_t} = \frac{s_{w1} \cdot s_{a1} \cdot 1}{1+e} \quad M_a = \text{Negligible}$$

$$\textcircled{11} \quad \text{Permeability (Darcy's law)} \quad Q = k I A \rightarrow \begin{matrix} \text{Hydraulic gradient} \\ \downarrow \\ \text{m}^3/\text{s} \end{matrix} \quad \begin{matrix} \text{Area } (m^2) \\ \downarrow \\ \text{m/h or day} \end{matrix}$$

$$\textcircled{12} \quad \text{Young Modulus } E = \frac{\text{Stress}}{\text{Strain}} = \frac{F/A}{\Delta L/L} = N/m^2 \text{ or Pascal}$$

$$\textcircled{13} \quad \text{Strain Energy } U = \frac{F \cdot \Delta L}{2} = \frac{F}{2} \times \frac{FL}{AE} = \frac{F^2 L}{2AE}$$

$$\textcircled{14} \quad \text{Poisson's Ratio } (\mu \text{ or } m) = \frac{\text{lateral strain}}{\text{longitudinal strain}} \quad [m < 1]$$

$$D \boxed{F} \frac{100}{L} = \frac{\Delta D/D}{\Delta L/L}$$

$$\textcircled{15} \quad \text{Volumetric strain } \frac{\delta V}{V} = \frac{\varepsilon}{1-2m} \quad \text{Poisson ratio}$$

longitudinal strain

$$E = 2G(1+m) = 3K(1-2m)$$

G = Shear Modulus / Modulus of Rigidity
 K = Bulk Modulus

Hydraulic stress = K × Volumetric strain

$$\sigma = K \varepsilon_V$$

Bulk Modulus $\boxed{\rightarrow K = \frac{\sigma}{\varepsilon_V}}$

$$\frac{G_H}{G_V} = \frac{m}{1-m}$$

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$$\text{Radius of circle} = \sqrt{\left(\frac{Gx + Gy}{2}\right)^2 + R_{xy}^2}$$

$$\text{Major Principal stress } \sigma_2 = \frac{6x + 6y}{2} - R$$

Minor Principal stress $\overset{2}{\curvearrowright}$ center coordinates

At any pt on circle No (Normal stress) = $\frac{\sigma_x + \sigma_y}{2} + R \cos 2\theta$

$$\tau_0 \text{ (shear stress)} = \sigma R \sin \theta$$

$$18) \text{Peak shear strength} = \tau = c + \sigma \tan \phi$$

c = cohesion ϕ = angle of internal friction σ = stress

A job offer	1. The offer	2. If you accept	3. Share the news	4. If they ask questions	5. Listen carefully	6. The person does not like you	7. Make an excuse	8. Tell them the truth	9. Make sure they under- stand	10. Let them have their opin- ion	11. Minimise
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the form of a solid or in
tears like a crystal,
is habitually a glass
person who is very
desirous of a man
and fondness in
order and stability

MPANY VS PARTNERSHIP ORGANISATION

thus the maximum limit of amount that can be collected from an individual investor shall be him in the limit himself. Thus it can be seen that private property is a right which is inviolable.

Forms of Business Organization 17

small-scale manufacturing or works of small stature.

medium-size business units.

large-size business units.

very large-size business units.

(a) *junction*
is a boundary between two
neighboring regions.
In the case of the
boundary between
two different
countries, it is
called an
*international
boundary*.
In the case of
two different
states or
provinces
of the same
country, it is
called an
*internal
boundary*.

the first of November, 1905, the
Government of Canada passed
an act to prohibit the sale of
any spirituous liquor in British
Columbia, except for medicinal
and scientific purposes, or for
the manufacture of beer, wine,
or malt liquors.

The Chinese Refinement
of the Secretariat
in the OIL In World
Trade
and its Result in
the Development
of the Public Sector
and the Economy
of the People's
Republic of China

	1940	1941
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100	100

Mohr Coulumb Criteria for Triaxial data

$$\sigma_1 = \frac{2c \cos \phi}{1 - \sin \phi} + \frac{1 + \sin \phi}{1 - \sin \phi}. \quad c_2$$

$$G_1 = G_{ci} + \frac{G_{ci}}{G_{tensile}} \cdot G_2$$

c_A = Uniaxial compressive strength

σ_{tensil} = Uniaxial tensile strength

$$\sigma_{ci} = \frac{2c \cos \phi}{1 - \sin \phi}$$

$$\sigma_{tensile} = \frac{2C \cos \phi}{1 + \sin \phi}$$

C = cohesion

ϕ = angle of internal friction δ

Airflow through Mine opening =

$$\text{Nature of flow } Re = \frac{VD\rho}{\mu} = \boxed{\frac{VD}{\mu}}$$

Re = Reynolds No.

V = Velocity

$D = 4A/P$ Perimeter

ρ = density = 1.2 kg/m^3

μ = viscosity

$\nu = \frac{\rho}{\mu}$ = Kinematic viscosity

pressure drop $\Delta P_f = \boxed{\frac{f L \rho V^2}{8A} = \frac{K S Q^2}{A^3} = R Q^2}$

f = resistance coeff.

A = Area of duct

ρ = density of air

$K = f/8$ [Ns²m⁻⁴]

L = length of flow

S = Perimeter × length

P = Perimeter

R = resistance of path = KS^2/A^3

V = Velocity of flow

Q = flow through airway

For laminar flow $f = 64/Re = 64 \times 4/VDS$

* shock loss = $\boxed{X * P_v = X * \frac{\rho V^2}{2} = \Delta P_s}$

P_v = velocity Pressure

X = shock factor

i.e. Power $AP = \Delta P \times Q = R Q^2 \times Q = \boxed{R Q^3}$

$$\boxed{NVP = D(S_d - S_u)g}$$

D = depth S_d & S_u = Density

Motive column $h = \boxed{\frac{NVP}{S_d \times g}}$

Equivalent orifice $\Rightarrow A =$

$$\boxed{\frac{1.29 Q}{\sqrt{P}}} \text{ or } \boxed{\frac{1.2}{\sqrt{R_R (\text{regulator})}}}$$

Head generated by backward bladed fan $H = \frac{V^2 - UV \cot \alpha}{g}$

forward bladed $H = \frac{V^2 + UV \cot \alpha}{g}$

Radial $H = \boxed{H = \frac{V^2}{g}}$

u = radial or actual velocity

v = Tangential velocity = $\frac{\pi D n}{60}$

α = Blade angle

If fan are in series, $P \uparrow$ se Q = same

If fan are in parallel, P = same, $Q \uparrow$ se

Ventilation of drift or tunnel =

$$Q = 2.3 \left(\frac{V_m}{t} \right) \log \left(\frac{C_0}{C_p} \right) + \frac{(V - V_m)}{t} \quad [\text{m}^3/\text{min}]$$

V_m = Mixing zone = $15 \times W \times h$

t = safe re-entry time = 30 min

C_0 = Conc. of Nitrous fume = $\frac{\text{Amount of fume}}{V_m} \times 100$

C_p = Permissible conc. of fum

V = Volume of total drift or tunnel = $L \times W \times H$

* Dilution of emission of gases

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$$Q = \frac{100 Q}{C_p - C_a} - Q$$

entry gas emission in percent dust.

air required for dilution

in return gas conc (%)

gas conc (%)

1 m/s

Fan laws: $\rightarrow H \propto D^2 \text{ or } n^2$ Head or Pressure

$Q \propto n \text{ or } D^3$

Power $\propto n^3 \text{ or } D^5$

Mechanically ventilated mines

Power $\propto n^3$ or D^5
 As per Indian Mine Regulation in all mechanically ventilated mines, quantity measurement should be made every 14 days in case of gassy coal mines & every 30 days in case of non gassy coal mines. Measurement should be made in main intake & return of air in splits near starting points & ventilation district. There is also provision of monitoring temperature, humidity & other

1. The following are the advantages of the joint stock company over the previous two forms of enterprises.

- 1.1. The liability being limited, the shareholders bear no risk and, therefore, more and more persons are willing to invest capital. Thus more investment capital can be collected to form the modern joint stock companies.
- 1.2. The joint stock companies have the right of lease or sub-lease.
- 1.3. More persons are willing to invest capital. Thus more investment capital can be collected to form the modern joint stock companies.
2. Because of large number of investors, the risk of loss is divided. Therefore, even an average loss can result in profit.
3. Large number of investors can contribute the working capital required for production.
4. It is easier to buy the shares of the joint stock companies than that of the sole proprietorship.
5. Joint stock companies are more flexible for expansion.
6. It has great potentialities for expansion.

Disadvantages of the joint stock companies:

1. The management position of the company, therefore, has to be shared by all the shareholders.
2. The sum of capital required for the joint stock companies is very large. Hence it needs a lot of time and money for him and his team to collect and manage so much money.
3. Each of the shareholders has the right to be a part of the joint stock company.
4. The shareholders are liable to be sued for the debts of the joint stock company.
5. Joint stock companies are not suitable for the small scale business.
6. It is difficult to dissolve or withdraw from the joint stock company.

Types of Joint Stock Companies	Characteristics of Joint Stock Companies	Objectives of Incorporating an Association of Shareholders	Objectives of Incorporating a Partnership
1. Private Joint Stock Company	It is a company whose shares are not listed on stock exchange.	It is formed by a group of shareholders to protect their interest.	It is formed by a group of partners to protect their interest.
2. Listed Joint Stock Company	It is a company whose shares are listed on stock exchange.	It is formed by a group of shareholders to protect their interest.	It is formed by a group of partners to protect their interest.
3. Public Joint Stock Company	It is a company whose shares are freely transferable.	It is formed by a group of shareholders to protect their interest.	It is formed by a group of partners to protect their interest.
4. Statutory Joint Stock Corporation	It is a company which is formed by statute.	It is formed by a group of shareholders to protect their interest.	It is formed by a group of partners to protect their interest.

environmental conditions in every 30 days

Total pressure = Static Pressure + Kinetic pressure.

$$\text{Pilot static tube} \Rightarrow V = \sqrt{\frac{2P_1}{K_P}}$$

v = velocity (m/s)
 P_v = velocity pressure (Pa)
 ρ = density of air
 K = convection factor = 1

Relative Humidity

$$[100 - 7(D.B.T - W.B.T)] \quad \text{for } D.B.T > 25^{\circ}\text{C}$$

$$[100 - 8(D \cdot B \cdot T - W \cdot B \cdot T)] \quad \text{for } 20^\circ C < D \cdot B \cdot T < 25^\circ C$$

$$\{100 - g(D \cdot B \cdot T - W \cdot B \cdot T)\} \quad \text{for } D \cdot B \cdot T < 20^\circ C$$

$$\text{Tractive effort} = F + f + 2f_1 + G_1 - g$$

$$= \mu W + \mu w + 2\mu_1 w_1 + W - w_f$$

for endless haulage

F = frictional resistance of loaded car

f = " " of empty car

f_1 = " " of rope

G_1 = gradient resistance of loaded car

g = gradient resistance of empty car.

μ = coeff of friction W/w mins car wheel & track

μ_1 = rope & roller friction

w = wt of loaded car

w = wt of empty car

w_f = wt of rope

- Locomotive transport** - Tractive force generated by loco to move & accelerate loco as well as provides draw bar pull to move mine car.

$$\text{Tractive effort} = \frac{\mu W}{\lambda}$$

μ = coeff. of adhesion

W = wt of loco.

Draw bar pull = Tractive effort - force required to move loco.

ex. angle of inclination for PVC belt conveyor = 18°

Thyristor brake type is used to stop the belt

$$\text{Capacity of belt} = [a \times b \times v] \text{ (te/sec)}$$

a = avg. area = $\frac{w^2}{10}$ to $\frac{w^2}{12}$ w = width of belt

b = bulk density = te/m³

v = speed (m/s)

Cable belt conveyor = suitable for long length & inclination

Disc Conveyor = steep gradient

High Angle Conveyor = steep gradient upto 60°

Total suction head \Rightarrow Suction pressure head + static suction head + velocity head - friction head in suction line

$$[H_s = h_{ps} + h_s + h_{vs} - h_{fs}]$$

Total discharge head \Rightarrow discharge pressure head + static discharge head + velocity head + friction head in delivery line

$$[H_d = H_{pd} + h_d + h_{vd} + h_{fd}]$$

Total differential head (H_t) = $H_d + H_s$ (for suction lift)

$H_d - H_s$ = (for suction head)

Power input or brake horsepower

$$BHP = \frac{Q \times H_t \times Sp.G}{3960 \times \text{efficiency (\%)}}$$

Q = gallon per minute

H_t = diff. head (ft)

Pump output or hydraulic or water horsepower (WHP) = $\frac{Q \times H_t \times Sp.G}{3960}$

Efficiency of Construction $\eta = \frac{B_r}{n \times B_s} / \frac{B_r}{n \times B_w}$

B_r = Breaking strength of Rop.

B_s = " " of strand

B_w = " " of wire

n = no. of strand/wire

Binomial distribution, Variance of random variable x is given

$$\text{Var}[x] = np[1-p]$$

when p = probability of success

n = no. of trials

$$2) \vec{A} = a\hat{i} + b\hat{j} + c\hat{k} \quad \vec{B} = e\hat{i} + f\hat{j} + g\hat{k}$$

$$\vec{A} \times \vec{B} = \begin{vmatrix} \hat{i} & \hat{j} & \hat{k} \\ a & b & c \\ e & f & g \end{vmatrix} = \hat{i}(bf - ce) - \hat{j}(af - eg) + \hat{k}(ae - bf)$$

$$\text{Area of parallelogram} = |\vec{A} \times \vec{B}| = |bf - ce| \pm |ak - el| + |al - ek|$$

$$\boxed{\text{BOD of sample} = \frac{\text{Oxygen Depletion (mg/l)}}{\text{Sample volume (ml)}} \times \text{Volume Diluted (ml)}}$$

Sample volume + water volume

$$\text{nitrogen at lag distance} = \frac{\text{Covariance}}{\text{Sill}} \boxed{\text{Sill} - \text{Covariance at same lag dist}}$$

Silt & covariance

$$\text{Orthogonal matrix } \boxed{AA^T = I}$$

self contained chemical oxygen self Rescuer, oxygen is produced by potassium peroxide

$$\text{Reliability } R(t) = \boxed{e^{-t/m} \text{ or } e^{-\lambda t}} \text{ where } \lambda = \frac{1}{m}$$

t = time for which reliability is taken out

m = mean time between failure

$$\text{Tacheometry} = \frac{f}{l} \rightarrow \text{stadic interval}$$

$f+k \approx$ distant b/w object
glass + vertical axis

$$\text{Integration formula} \int_a^b \sqrt{a^2 - x^2} dx = \left[\frac{x}{2} \sqrt{a^2 - x^2} + \frac{a^2}{2} \sin^{-1} \frac{x}{a} \right]$$

$$\text{• Haldane Apparatus} \Rightarrow \text{CH}_4 \% = \frac{2 \times \text{Contraction}}{3} - \text{CO}_2 - \text{H}_2$$

H_2 = Total contraction - O_2 consumed

$$\text{Probability density function} = \int_{-\infty}^{\infty} f(x) dx = 1$$

Bivariate distribution of two variables x & y

$$\text{correlation coeff} = \frac{\text{cov}(x, y)}{\sigma_x \cdot \sigma_y}$$

$$\text{cov}(x, y) = E(xy) - \mu_x \mu_y$$

small slope angle (β) =

$\mu_x + \mu_y$ = mean of $x+y$

$$\tan^{-1} \frac{3H}{2B+3x}$$

Detonating Pressure

$$P_d = 0.25 \times VOD^2 \times \rho$$

\downarrow
density
of explosive

$$\tan^{-1} \frac{3H}{2B+3x}$$

$$\sigma_x^2 = \text{Variance} = E(x^2) - [E(x)]^2$$

$$E_x = \mu_x = \text{mean}$$

$$\sigma_y^2 = \text{Variance} = E(y^2) - [E(y)]^2$$

$$= \frac{\text{cov}(x, y)}{\sqrt{E(x^2) - [E(x)]^2} \sqrt{E(y^2) - [E(y)]^2}}$$

if bench, it will
be changed acc.

$$\text{Max. shear stress} = \boxed{\frac{\sigma_1 - \sigma_2}{2}} \quad \sigma_1 & \sigma_2 = \text{Major & Minor principal stress}$$

$$\tan 2\theta = -\frac{(\sigma_1 - \sigma_2)}{2\tau_{xy}}$$

↑ direction
of shear stress

* Concentration Ratio \Rightarrow amount of metal per tonne of conc
amount of metal per tonne of ore

$$\text{Torque} = \text{Traction force} \times \text{Radius}$$

$$\text{Traction force} = \text{acc. force} + \text{frictional Resistance} \quad \left. \begin{array}{l} \\ \end{array} \right\} \text{use in loco.}$$

* Semivariogram model is used for reserve estimation of mineral deposit by geostatistical method.

* Zar's algorithm is applied to determine mill cut off grade.

* Relative Bulk Strength \Rightarrow Absolute Bulk Strength of explosive $\times 100$
A.B.S of ANFO

* Subidence = subsidence factor \times mining height \times density
 $s = \alpha hm$

$$s < \alpha hm \text{ for subcritical}$$

* Coefficient of Variation = Standard deviation β_{mz}
mean

$$* 1^\circ = \frac{1}{15} h \quad 1' = \frac{1}{15} \text{ min} \quad 1'' = \frac{1}{15} \text{ sec}$$

* Angle $\frac{\text{Arc}}{\text{Radius}}$ \downarrow Setting & Yield load of hydraulic prop
(Radian) \downarrow $S \leq Y$

* Two vectors are orthogonal to each other $\vec{A} \cdot \vec{B} = 0$ i.e. $\cos 90^\circ$

* Thermal diffusivity = Thermal conductivity
density \times specific heat

* Poisson distribution \Rightarrow $P_x = \frac{e^{-m} \cdot m^x}{x!}$

$$x = 0, 1, 2, 3 \quad \text{no. of event}$$

$$m = \text{mean} = \bar{x} \times p \quad \text{Probability of event}$$

$$1l = 10^{-3} \text{ m}^3$$

$$\text{Pump power} = P \times Q \times 10^{-3} \text{ kW}$$

2014 Paper \rightarrow Ques 42 3mp (Direct Rope Haulage)

$$NPV = \sum_{t=0}^N \frac{R_t}{(1+i)^t} \rightarrow \text{Cash flow.}$$

$$\text{Availability} = \frac{\text{Up time}}{\text{Total time}} = \frac{\text{Up time}}{\text{Up time} + \text{Downtime}}$$

$$= \frac{\text{MTTF}}{\text{MTTF} + \text{MTTR}}$$

$$\text{MTTF} = \text{Mean time to failure}$$

$$\text{MTTR} = \text{Mean time to Repair}$$

Blake durability Test = $\frac{\text{Mass of oven dried sample}}{\text{Mass of as-normal sample}} \times 100$

$$\text{Maximum shear stress} = \tau_{\max} = \frac{\sigma_1 - \sigma_2}{2}$$

σ_1 = major principal stress
 σ_2 = minor principal stress

Taylor Series: $f(x) = F(x) + (x-1)F'(x) + \frac{(x-1)^2}{2}f''(x) \dots$

F(x) = Putting x in function

$F'(x)$ & $F''(x)$ will be given $f(x)$ is to be taken out

For linear motion vector sum of all forces = 0

For rotation, vector sum of all moment = 0

Automatic compensation prevents over speed & over winding & helps in slow banking at speed less than 1.5 m/s

Semi Variogram for lag distance h

$$y(h) = \frac{1}{2n} \sum_{n=1}^n (z(x) - z(x+h))^2$$

Proximate analysis of coal on dry ash free basis

$$\% \text{ of Volatile matter} = \frac{\% \text{ of Volatile Matter in analysis}}{100 - (\text{Moisture \%} + \text{Ash \%})} \times 100$$

% of V, M & A are given as result of Proximate analysis.

Then locomotive is pulling trolly on a gradient haulage

$$\mu \times W_t = (W_t + W_L) \left(\mu_A + i + \frac{a}{g-81} \right)$$

μ = coeff of adhesion b/w wheel & track

W_t = wt of trolley

μ_A = frictional coeff resistance

W_L = wt of loco

i = gradient (like 1 in 50 & like that)

a = acc with which loco is moving

Dose % of sound exposure = $100 \times \left[\frac{C_1}{T_1} + \frac{C_2}{T_2} \right]$

C_1 & C_2 are time exposure

$$T_1 \text{ & } T_2 = \frac{8}{2(l-90)_5} \quad \text{where } l = \text{measured sound level}$$

TWA of corresponding dose = $16.61 \log_{10} \left[\frac{D}{100} \right] + 90$ dB

where D = dose (simply put numeric value no. % muted)

Match factor $\Rightarrow \frac{\text{No. of truck} \times \text{Load cycle time}}{\text{No. of loader} \times \text{truck cycle time}}$

No. of loader & truck cycle time

Factor of safety of rope = $\frac{\text{Breaking strength of rope}}{\text{Force load applied on it}}$

\Rightarrow winding rope life = 3.5 yrs

\Rightarrow guide rope life = 10 yrs

\Rightarrow Head gear system = 10 yrs.

FORMULAS

$$\textcircled{1} \text{ Strength of pillar} = 7.2 \times \frac{(W)^{0.40}}{(H)^{0.66}} \text{ MPa} / 1320 \times \frac{W^{0.40}}{H^{0.66}} \text{ N/mm}^2$$

Salomon's formula

W + H are width & height of pillar

$1 \text{ m} = 3.28 \text{ ft}$

$1 \text{ lb/in}^2 = 1 \text{ N/cm}^2$

$$\textcircled{2} \text{ Sound pressure due to HEMM at radial distance } r_1 + r_2$$

$$L_{P_1} - L_{P_2} = 20 \times [\log_{10}(r_2) - \log_{10}(r_1)]$$

where L_{P_1} & L_{P_2} = sound pressure level at radial distance r_1 & r_2 respectively.

$$\textcircled{3} \text{ Shovel-dumper optimization (Match factor)}$$

Match factor = $\frac{\text{dumper productivity}}{\text{shovel productivity}}$

$$= \frac{n_d \times \text{capacity of dumper}}{\text{dumper cycle time}}$$

$$= \frac{n_s \times \text{capacity of shovel}}{\text{shovel cycle time}}$$

$\textcircled{4}$ Photogrammetry :- Relief displacement formula

Relief displacement $\rightarrow d = \frac{e_1 h}{H}$

- distance from principle point
- elevation of station
- Flying height of drone

$\textcircled{5}$ Volumetric efficiency of pump \rightarrow (Reciprocating)

Volumetric efficiency = $\frac{\text{Actual flow}}{\text{Theoretical flow}}$

Relief distance $\rightarrow d = \frac{e_1 h}{H-h}$

when bottom of building is given

* Idempotent Matrix iff $A^2 = A$

* Involutory Matrix iff $A^2 = I$

* Nilpotent Matrix iff $A^x = 0 \text{ & } A^{x-1} \neq 0$

$$\begin{bmatrix} 1 & 1 & 3 \\ 5 & 2 & 6 \\ -2 & -1 & -3 \end{bmatrix} \text{ since } A \neq 0 \text{ & } A^2 \neq 0 \text{ but } A^3 = 0$$

$-A$ = each element of matrix is multiplied by -1 .

$$X+A = X+B \quad -A = B$$

* Depletion allowance for a year = $(\varphi/\Phi) \times P$

φ = extraction in 1st year

Φ = Recoverable reserve

P = Initial cost of ore bearing land

Productivity of shovel = Bucket Capacity × Utilization factor × fill factor
 cycle time × swell factor.

* Break even stripping ratio = $\frac{A - B}{C}$ → $\frac{\text{per ton}}{\text{m}^3/\text{hr}}$

A = Revenue per tonne of ore

B = Production cost per tonne of ore (including all cost to the point of sale, excluding stripping)

C = Stripping cost per m³ of ore

Konimeter is used to measure dust in mine atmosphere

Solemite is mixture of iodine pentaoxide & sulphuric acid. Greyish white colour of solemite will be converted to shade of green, brown or black by reaction of CO which liberates iodine.

Horizon mining system, lateral or roads driven parallel to strike.

Load strength = $\frac{P}{d^2} = \frac{(\text{load at rupture})}{\text{distance b/w point load}}$

Iaxial compressive strength = $c_u = 24 \times I_s(d)$ point load strength

Tensile strength = $\frac{P_f}{\pi D L}$ → yield load in N
 Dia + L = Length
 [always remember whenever load is given in Pa means N/m² which means you have to multiply it with area (m²) to get N and only]

Brazilian test = Indirect tensile strength = $\frac{2F}{\pi D L}$

height of immediate roof ⇒ $h = \frac{H}{K-1}$

H = extraction thickness

K = Bulking factor > 1

Unconfined shear Test = Shear strength = $s = \frac{P}{A}$ (kg/cm²)

Uplifting test = tensile strength = $c_t = \frac{3P}{b d^3}$ kg/cm²
 distance from neutral axis to farthest fibre

Slenderness ratio = λ_e / r_i

r_i = radius

λ_e = equivalent length

$$Q = \frac{R Q D}{J_n} \times \frac{J_w}{J_a} \times \frac{S R F}{S R F}$$

Q = Rock mass quality index

RQD = Rock quality designation

J_n = no. of joint set

f = unitless

K = NS²m⁻⁴

R = NS²m⁻⁸

stored strain energy = $\frac{c_1 m_i}{2}$

$$\frac{c_1 (\sigma_i)}{2}$$

Indian Coalfields related theory = drift theory, it is not applicable to insitu theory is not applicable to Indian coalfield

Pressure for circulating required air quantity through mine airway

$$\text{Kilowatt } P = \frac{K S Q^2}{A^3} \text{ Perimeter } = R Q^2, R = \frac{K S}{A^2}, \frac{f L S P U^2}{8 A}$$



Mine Ventilation Quantity = $A \times V$
 A = Area V = Velocity

* Pressure develop due to velocity = $\frac{1}{2} \rho v^2$

$$v = \text{velocity} \quad \rho = \text{density of air} = 1.2 \text{ kg/m}^3$$

* Pressure develop due to water gauge = $P = \rho g h$
 ρ = density of air = 1.2 kg/m^3
 $g = 9.81$

*Percussive drilling (10-25mm dia, 300m depth, soft + medium hardness)

* Churn or cable drilling (75-100mm dia, 300-600m depth, placer deposit, made soft formation dia)

* Diamond drilling (30-200m^{dia}, 100-3000m depth, Any rock formation)

* Calypco chilled shot drilling (75-1800mm, <450m, Any rock except hard

$$\star \text{Strength of pillar} = \left| K \frac{W^{0.46}}{H^{0.16}} \right|$$

$$K \frac{W^{0.46}}{H^{0.66}}$$

$$k = 1320 \text{ lbs/in}^2$$

$$1m = 3.28 ft$$

$$1 \text{ lb/in}^2 = 0.0705 \text{ kg/cm}^2$$

w = width of pillar

H = Height of pillar

$$\text{Max. no. of faces in board } \leftarrow P \text{ Working} = 2n+1$$

$n = \text{no. of faces}$

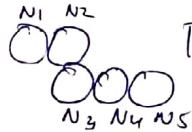
* Relief distance in Aerial photography $\Rightarrow d = \frac{1}{2} h$

d = relief displacement
 r = dist from principal axes
 α = elevation of station
 H = Flying height of drone

$$\text{Gear Ratio related formulae}$$

$$\frac{N_1}{N_2} = \frac{D_2}{D_1} = \frac{T_2}{T_1}$$

Pitch Diameter



$$[N_2 = N_3]$$

$$\frac{N_1}{N_2} \times \frac{N_2}{N_4} \times \frac{N_4}{N_5} = \frac{T_2}{T_1} \times \frac{T_4}{T_3} \times \frac{T_5}{T_1}$$

Factor of Safety of Rope \Rightarrow Breaking strength of Rope
Maximum load applied on it

Vector size of winder is determined by root mean square torque

$$RMS = \sqrt{\frac{\frac{1}{3}(T_1^2 + T_1 T_2 + T_2^2)}{2\frac{1}{3}(t_a + t_r) + t_c + \frac{1}{3}t_d}}$$

T_1 = Torque at start ($t=0$) (Nm)

T_2 = Torque during duty cycle (N-m)

t_a = acc. period (sec)

t_r = retardation period (sec)

t_d = decking time (sec) t_c = duty cycle period (sec)

$$FOS = \frac{\text{Pillar Strength}}{\text{Shear Stress}}$$

$$\left[\frac{2}{3}(t_a + t_r) + t_c + \frac{1}{3}t_d = \text{Equivalent Time} \right]$$

$$\text{Main + Tail rope haulage} = \text{Total force} = M_t g \sin \theta + M_t M_t g \cos \theta + m_{\text{tail}} g \sin \theta - 2m_{\text{tail}} g \sin \theta + M_m m_{\text{main}} g \cos \theta + 2M_t m_{\text{tail}} g \cos \theta$$

$$\text{Gravity Haulage} \Rightarrow [M_e g \sin \theta + M_g g \sin \theta + M_t M_t g \cos \theta + M_e M_g g \cos \theta]$$

M_e = Mass of empty tub M_g = Mass of rope

M_t = Mass of loaded tub

$$\text{Haulage Wt loco} = M_g \sin \theta + M_g \sin \theta + M_t M_t g \cos \theta + M_e M_g g \cos \theta$$

Belt Conveyor \Rightarrow $[T_1 - T_2]$ Tension on tight side

Tension on slack side

$$\text{Factor of safety} \Rightarrow \frac{e^{u\theta'} - 1}{e^{u\theta} - 1}$$

θ' = angle of belt conveyor

θ = angle of contact

$$[\text{Work} = \text{Force} \times \text{distance}]$$

$$1 \text{ dyne} = 10^{-5} \text{ N}$$

$$1 \text{ bar} = 10^5 \text{ Pa}$$

$$v = u + at$$

$$v^2 = u^2 + 2as$$

$$s = ut + \frac{1}{2}at^2$$

$$\alpha = \text{angular acceleration} = \frac{\alpha}{r}$$

$$1 \text{ Kgf} = 9.81 \text{ N}$$

$$\text{Pull} = \text{Force} = m \times a$$

$$\text{centrifugal force} = \frac{v^2}{r}$$

$$\text{centri. force} = \frac{mv^2}{r}$$

No vector force acting at any angle θ

$$R = P^2 + Q^2 + 2PQ \cos \theta$$

$$\tan \theta = \frac{Q \sin \theta}{P + Q \cos \theta}$$

$$\text{Power} = \text{Torque} \times \text{CO}$$

$$\text{Power} = \frac{W}{t}$$

$$\text{Work} = F \times \text{dist}$$

$$\text{Power} = F \times \text{Vel.}$$

$$\frac{I_1}{I_2} = e^{u\theta}$$

$$\frac{I_1}{I_2} = 2.718^{u\theta}$$

$$\log \frac{I_1}{I_2} = u\theta \log (2.718)$$

$$2.3 \log_{10} \frac{I_1}{I_2} = u\theta$$

$$\text{Joule/s} = \text{Nm/s}$$

* Future Worth = $P \cdot V (1+i)^n$
 i = interest rate
 $P \cdot V$ = Present value
 n = no. of years

Future Worth = $A \left[\frac{(1+i)^n - 1}{i} \right]$

A = Annuity (equal yearly payment)

$P \cdot V = A \left[\frac{(1+i)^n - 1}{i(1+i)^n} \right]$

* Payback period = time required for repaying loan with annuity which means $NPV = 0$

$NPV = -X + A \left[\frac{(1+i)^n - 1}{i(1+i)^n} \right] = 0$

$X = A \left[\frac{(1+i)^n - 1}{i(1+i)^n} \right]$

where n = no. of years = payback period

In the same i = internal rate of return

Hanskold formula $NPV = -X + \frac{X_1}{(1+i)} + \frac{X_2}{(1+i)^2} + \frac{X_3}{(1+i)^3}$

$-X$ = Outflow

X_1, X_2, X_3 = inflow i = rate

geometric progression = $\frac{a(1-i^n)}{(1-i)}$

Payback period = $\frac{\text{Initial investment}}{\text{Constant annual cash flow in project}}$

Profitability Index = $\frac{\sum_{t=1}^n \frac{X_t}{(1+i)^t}}{X} \rightarrow \text{inflow / year} / \text{outflow}$
 Benefit-Cost Ratio or Desirability index

$P-I > 1$ Then Project accepted

$P-I < 1$ then Project rejected

Yearly Depreciation = $\frac{\text{Investment} - \text{Salvage value after completion}}{\text{Value} \times \text{life of project}}$

* If payback period is less than project life, then it is accepted

* In case of many project accept that project which has least payback

P.B.P = initial year + $\frac{\text{Funds needed to recover investment}}{\text{Cash flows in succeeding year}}$

* ARR (Accounting Average Rate of Return)

ARR = $\frac{\text{Average income}}{\text{Average investment}} \times 100$

Average Income = $\frac{\text{Total income}}{\text{No. of years}}$

Average Investment = Scrap Value + $\frac{1}{2} (\text{Investment} - \text{Scrap value})$

If ARR is greater than predetermined ARR, then project accepted
 otherwise rejected.

Additional working capital

Product of eigen value = Determinant
 sum of eigen value = -trace [A] = sum of diagonal elem

$$\text{Explosive Impedance} = \frac{(V_{OB}) \times \text{sp. c} \text{ of explosive}}{(V_{OB}) \times \text{sp of rock}}$$

under standard temp & pressure, theoretical max. height in m
 which water can be lifted using an air lift pump is 10.33 m
 Stokes settling velocity $\Rightarrow v = \frac{g d^2 (\rho_{air} - \rho_{fluid})}{18 \times \eta n}$ (viscosity of air)

$\frac{d^2x}{dt^2} + 2x^3 = 0$ degree of differential eq is highest power of highest order derivative = 1

order of differential equation = 2

$$\frac{T_1}{T_2} = e^{40} \text{ vale formula in conversion ke lim Natural log (ln) length Na ki log}_{10}$$

Aerial Photography $\Rightarrow L_g = \text{length covered in 1 photo} = s \times L_p \times (1 - \alpha_l)$

$L_w = \text{width covered in 1 photo} = s \times w_p \times (1 - \alpha_w)$

$\alpha_l + \alpha_w = \text{overlap across width + length}$

$L_p + L_w = \text{width + length of photo}$ $s = \text{scale of photo} = \frac{1}{10000}$

$$\text{No. of photo} = \frac{L \times W}{L_g \times L_w} \rightarrow \frac{\text{ground area}}{\text{photo graph}}$$

$$R.F = \frac{f \rightarrow \text{focal length}}{H-h \rightarrow \text{height of station}} \\ \downarrow \text{Height of aeroplane}$$

Survey Curve = Chord length = $2R \sin \theta/2$

Rise of curve = $R(1 - \cos \theta/2)$

Tangent length = $R \tan \theta/2$

external length $\rightarrow R(\sec \theta/2 - 1)$

arc. air bulb temp = 33.5°C

mini width of haul road = 3 times dumper size + 5 m extra

$$\text{Plan stress} = \frac{\text{load acting on pillar}}{\text{cross section area of pillar}} = \frac{\sqrt{w \times D} \times (a+b)^2}{a^2}$$

$$FOS = \frac{\text{strength of pillar}}{\text{Pillar stress}}$$

Divergence of vector

$$\nabla \cdot \vec{x} = \left(\frac{\partial i}{\partial x} + \frac{\partial j}{\partial y} + \frac{\partial k}{\partial z} \right) \cdot (a\hat{i} + b\hat{j} + c\hat{k})$$

$$\epsilon_{xx} = \frac{1}{E} [\sigma_{xx} - \nu (\sigma_{yy} + \sigma_{zz})]$$

strain in x direction \downarrow modulus of elasticity \downarrow poisson ratio

$\sigma_{xx} \sigma_{yy} \sigma_{zz}$ = Stress in x, y, z direction

$$n_{P_{H_i}} = \frac{n!}{(n-H)!} \quad | \quad n_{C_H} = \frac{n!}{H!(n-H)!}$$

Binomial distribution $\Rightarrow P(H) = n_{C_H} (p)^H (q)^{n-H}$

Mean = np

Variance = npq

n = no of trials

p = Probability of Success

It is applicable when outcome is binary like Yes or No, Head or Tail, Accept or Reject

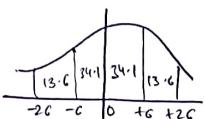
When no. of trials is more than fifty then binomial does not give accurate results for this purpose Poisson formula.

$$\text{Poisson formula } P(H) = \frac{e^{-m} (m^H)}{H!}$$

m = mean = np

Mean & Variance are equal

* Normal or Gaussian distribution $\Rightarrow f(z) = \frac{1}{\sigma \sqrt{2\pi}} e^{-z^2/2}$



Converting variable into normal distribution

$$z = \frac{x - \mu}{\sigma} \rightarrow \text{mean}$$

\hookrightarrow standard deviation

* Random Variable \Rightarrow Expected word use to the random variable concerning expectation or Mean, $E(x) = \sum x P(x)$ Probability / value of function at x

Probability mass function Variance $V(x) = E(x^2) - [E(x)]^2$ at x P(x)

$$\text{Standard Deviation } \sigma = \sqrt{V(x)}$$

* Cumulative Density function \Rightarrow sum of all probabilities

$$X \quad P(x) \quad F(x) \rightarrow \text{Cumulative Density function}$$

1	0.5	0.5
-1	0.5	1 $\rightarrow 0.5 + 0.5$

* Probability Density function $\Rightarrow P(x) = \int_{-\infty}^{\infty} f(x) dx$

function being PDF; area under the curve is unity

$$f(x) = \frac{d}{dx} F(x)$$

$$E(x) = \int_{-\infty}^{\infty} xf(x) dx$$

$$\text{CDF} = F(x) = \int_0^x f(x) dx$$

$$\text{Variance} = [E(x^2) - (E(x))^2]$$

* Regula falsi - false position method \Rightarrow order of convergence = 1

$$x = \frac{a f(b) - b f(a)}{f(b) - f(a)}$$

* Bisection method $x = \frac{a+b}{2}$

$$\frac{1}{2} \frac{|b-a|}{2^n} \leftarrow \begin{matrix} \text{upper limit} \\ \text{lower limit} \\ \text{error} \end{matrix}$$

* Regression line \Rightarrow Regression line of x on y = $(x - \bar{x}) = b_{xy}(y - \bar{y})$

Regression line of y on x = $(y - \bar{y}) = b_{yx}(x - \bar{x})$

$$b_{xy} = \frac{n \sum xy}{\sum y^2}$$

r = rank correlation

$$\text{coeff} = \frac{\text{cov}(xy)}{\sigma_x \cdot \sigma_y} = \frac{\sum xy}{n} - \frac{\sum x \sum y}{n^2}$$

σ_x & σ_y = Standard deviation $\frac{n+1}{2} \sum b_{xy} \cdot \sum x \cdot y$

$$\sigma_x = \sqrt{\frac{\sum x^2}{n} - \frac{(\sum x)^2}{n^2}} \quad | \quad \sigma_y = \sqrt{\frac{\sum y^2}{n} - \frac{(\sum y)^2}{n^2}}$$

b cannot be greater than 1
 $-1 < b < 1$

When

- 2) Hoek-Brown failure criteria
- $$\sigma_1 = \sigma_2 + \sigma_{ci} \left[m \frac{\sigma_2}{\sigma_{ci}} + s \right]^q$$
- m, s, q will be given
- σ_{ci} = compressive strength of intact rock $\sigma_{ci} > \sigma_2$
- σ_2 = Minor principal stress
- σ_1 = Major principal stress

uniaxial compressive strength = $\sigma_c = \sigma_{ci} \times s^a$

Uniaxial tensile strength = $\sigma_t = \frac{s \times \sigma_{ci}}{m_b}$

) Factor of safety = FOS = $\frac{\text{Total force resistance}}{\text{Force applied}}$ (generally > 1)

= FOS of plane failure FOS = $\frac{cA + W \cos \beta \tan \phi}{W \sin \beta}$

= FOS of plane failure with crack = FOS = $\frac{cA + (W \cos \beta + P \sin \beta) \tan \phi}{W \sin \beta + P \cos \beta}$

St length of roof bolt = $\frac{B}{2} \left[\frac{100 - RMR}{100} \right]$ B = span

1) Pivare = $\sqrt{\frac{4}{3} G_1 k}$ Swave = $\sqrt{\frac{K}{g} G_1}$

[Stress in Circular excavation / tunnel]

radial $\sigma_r = \frac{P}{2} \left[(1+k) \left(1 - \frac{a^2}{r^2} \right) - (1-k) \left(1 - 4 \frac{a^2}{r^2} + 3 \frac{a^4}{r^4} \right) \cos 2\theta \right]$

angential $\sigma_\theta = \frac{P}{2} \left[(1+k) \left(1 + \frac{a^2}{r^2} \right) + (1+k) \left(1 + 3 \frac{a^4}{r^4} \right) \cos 2\theta \right]$

shear stress / resultant stress at hydrostatic condition = $\sigma_h = P \left(1 - \frac{a^2}{r^2} \right)$

d) P = original stress field (generally vertical stress)

- r = radial distance of a point

a = radius

k = ratio of major stress (σ_H/σ_V)

Mine Environment

1) sound pressure level (SPL) = $20 \times \log_{10} \left[\frac{P}{P_0} \right] \text{dB}$

$P_0 = 2 \times 10^{-5}$, SPL = dB

2) sound power level $L_W = 10 \times \log_{10} \left[\frac{W}{W_{ref}} \right] \text{dB}$

W = watt, W_{ref} = internationally accepted level = 10^{-12} watt

3) sound intensity level $L_i = 10 \times \log \left[\frac{I}{I_{ref}} \right] \text{dB}$

I = sound intensity of interval (W/m^2)

I_{ref} = internationally reference for sound intensity = 10^{-12} W/m^2

$$\text{Equivalent Noise Level } L_{eq} = 10 \times \log_{10} \left[\sum_{i=1}^n t_i \times 10^{L_i/10} \right] \text{ dB}$$

L_{eq} = equivalent noise level (dB)

t_i = fraction of time for sound pressure level L_i

L_i = sound pressure level for duration t_i

Day night equivalent Noise level

$$L_{eq} = 10 \times \log_{10} \left[\frac{2}{3} \times 10^{L_d/10} + \frac{1}{3} \times 10^{L_n/10} \right] \text{ dB}$$

day time = 6 AM - 10 PM

L_d = SPL at day

Night time = 10 PM - 6 AM

L_n = SPL at night

Relationship between sound pressure & power level is given by

$$L_p = L_w - 20 \log_{10} (\mu) - 11 \text{ [dB]}$$

L_w = Sound power level μ = radial distance in m

L_p = SPL

SPL between two different point $L_{p_1} - L_{p_2} = 20(\log \mu_2 - \log \mu_1)$ Point Source

$L_{p_1} - L_{p_2} = 10(\log \mu_2 - \log \mu_1)$ line source

biochemical oxygen demand = $BOD_t = BOD_u \times (1 - e^{-kt})$

BOD_u = ultimate BOD BOD_t = BOD at any time, t

k = rate of BOD reaction

$$BOD_t = (BOD_i - BOD_f) \times D.F$$

BOD_i = Dissolved oxygen (initial)

D.F = Dilution factor = $\frac{\text{Vol. of Solution}}{\text{Vol. of Sample}}$

BOD_f = Dissolved oxygen (final)

(Big) \downarrow
↓

Small Vol. of Sample

$D.F > 1$

Coal Mining

Percentage of extraction $R = \frac{(a_1+b_1)(a_2+b_2) - a_1 \times a_2}{(a_1+b_1)(a_2+b_2)}$

$a_1 + a_2$ length & breadth of pillar

$b_1 + b_2$ = size of gallery in dip & rise direction

$$\text{If } a_1 = a_2 \text{ & } b_1 = b_2 \quad R = \frac{1 - \frac{a^2}{(a+b)^2}}{1 - \frac{a^2}{(a+b)^2}}$$

$$\text{Tributary Area} = (a_1 + b_1) \times (a_2 + b_2) - a_1 \times a_2$$

$$\text{Load Acting on Pillar} = P = \gamma \times D \times \frac{1}{1-R} \quad \text{or} \quad \gamma \times D \times \frac{(a+b)^2}{a^2}$$

R = percentage of extraction

γ = weight per unit volume of super incipient rock

D = Depth of pillars from surface

a & b = pillar & gallery size

Strength of Pillar (By Salomon & Munro)

$$S = K \frac{W^\alpha}{L^\beta} \quad \alpha = 0.46 \quad \beta = 0.66$$

W = Width of pillar in ft

L = Height of pillar in ft

S = strength of pillar in lb/in²

$K = 1320 \text{ lb/in}^2$

* Distance required for complete mixing of methane by turbulent diffusion

$L = 22 \times n^{\frac{1}{3}} F$

L = distance from source of gas
 n = radius of duct
 F = dimensionless resistance coefficient

Scanned by CamScanner

* Methane layering number

$$L = e \left(\frac{24 \times V^2}{e \sqrt{F}} \right)^{1/3}$$

V = velocity
 e = % of CH₄
 F = cross section area of station / A_{min}

*** Methane layering number**

$$\text{* Graham Ratio} = \frac{\text{CO produced}}{\text{O}_2 \text{ consumed}} = \frac{\text{CO}_f - \text{CO}_i}{\text{O}_2 f - \text{O}_2 i} \times 100 = \boxed{\frac{\text{CO}_f - \text{CO}_i}{0.25 \text{ N}_2 f - \text{O}_2 f} \times 100}$$

G.I.R. $\begin{cases} 1\% = \text{existence of spontaneous heating} \\ 2\% = \text{heating in advance stage} \\ 3\% = \text{active fire} \end{cases}$

$$[0.1 - 0.5\% = \text{normal in water}]$$

3. GSI - Our Companies

CHARTS OF BUSINESS ORGANISATION 13

- * Proto self contained compressed oxygen apparatus → Proto Mark IV
 (closed circuit operation) → Proto Mark V (2 lit O₂/min)
- * Drager self contained compressed oxygen apparatus → BG 174 → 1.5 lit/min
 (closed circuit) → 4 hr use.
- * Chemical Oxygen Breathing Apparatus (AVERISAR-30) - 30 min use.
- * Self Rescue Breathing Apparatus - Spiral 2 C (K₂O₂ is used)
- * **Self Rescuer** → Open circuit operation, conversion of CO to CO₂ (Hopcalite catalyst)
 used where max. CO is 2%
- * Gas Mask = Open circuit operation, conversion of CO to CO₂ (Hopcalite catalyst)
- * Reviving Apparatus = Pulmomaster → Supply O₂ to unconscious person.

$$\text{Elevation due to sag: } C_s = \frac{Lc\theta^2}{24P^2} \quad (\text{Hence jyda measure krke dega means contraction})$$

$L - C_s = \text{Actual length}$

w = wt of chain & w support

P = Pull applied

L = measured distance

When angle of declination is in west

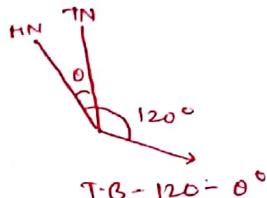
$$T \cdot B = H \cdot B + \theta$$

When angle of declination is in east

$$T \cdot B = H \cdot B - \theta$$



$$TN = 120 + \theta$$



$$T \cdot B = 120 - \theta$$

When $F \cdot B > 180^\circ$

$$F \cdot B < 180^\circ$$

$$F \cdot B = B \cdot B + 180^\circ$$

$$F \cdot B = B \cdot B - 180^\circ$$

Inmissible linear Error in Theodolite Traverse

$$Le = \frac{P}{1000} \times \sqrt{1 + \frac{e^2 N}{12}}$$

Le = closing error in m

P = Perimeter of traverse (m)

e = Permissible error per angle ($''$)

N = No. of sides of traverse

$$\text{Permissible Angular Error} = Ae = L \sqrt{N}$$

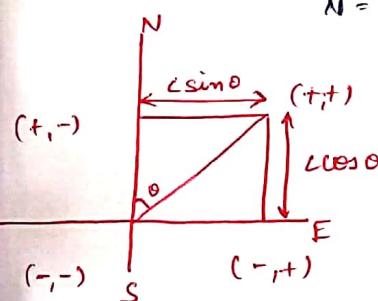
Ae = Permissible angular error of closure

L = Least count of Theodolite ($20''$ or $1''$)

N = No. of sides

Projection of line in N-S direction = latitude = $L \cos \theta$ (Northing)

Projection of line in E-W direction = longitude = $L \sin \theta$ (bearing)



$$\text{Coordinate} = (L \cos \theta, L \sin \theta)$$

$$\text{Closing error} = \sqrt{(\sum L \cos \theta)^2 + (\sum L \sin \theta)^2}$$

$$\text{Direction of closing error } \beta = \tan^{-1} \left(\frac{\sum L \sin \theta}{\sum L \cos \theta} \right)$$

$$\text{Area of traverse} = \frac{1}{2} (y_1(x_2 - x_3) + y_2(x_3 - x_4) + y_3(x_4 - x_1))$$

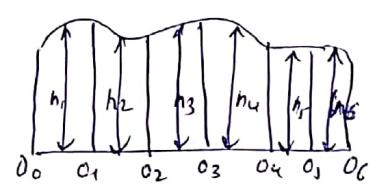
$$\text{Ordinate Rule: } \text{Area} = \frac{h_1 + h_2 + h_3 + h_4 + \dots + h_n}{n} \times d \times n$$

$h_1, h_2, h_3, \dots, h_n \rightarrow$ mid points of each division

n = no. of equal division

d = distance between ordinates

L = length of base line



$$\text{Average Ordinate Rule: } \text{Area} = \frac{o_0 + o_1 + o_2 + \dots + o_n}{n+1} \times d \times n$$

$$\text{Trapezoidal Rule: } \text{Area} = \left[\frac{(o_0 + o_n)}{2} + (o_1 + o_2 + o_3 + o_4 + o_5) \right] \times d$$

$$\text{Simpson Rule: } \text{Area} = \frac{(o_0 + o_n) + 4(o_1 + o_3 + o_5) + 2(o_2 + o_4)}{3} \times d$$

when division are odd
ordinate even

when division is even
ordinates odd.

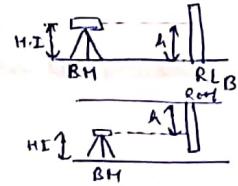
$$\text{Reciprocal levelling} \Rightarrow RL_A - RL_B = \frac{(y_1 - x_1) + (y_2 - x_2)}{2}$$

$$\text{error} = \frac{(y_1 - x_1) - (y_2 - x_2)}{2}$$

$$\text{Microse staff Reading} \Rightarrow RL_B = B \cdot H + H \cdot I - h$$

$$RL_{\text{Roof}} = B \cdot H + H \cdot I + h$$

$$[RL_{\text{Roof}} - RL_B = \text{Height of Roof}]$$



$$H \cdot I = B \cdot M + B \cdot S$$

$$RL \text{ of station} = [H \cdot I - F \cdot S]$$

Correction for Curvature in levelling - $\frac{D^2}{2R} \rightarrow$ dist b/w station & staff pt
 $\frac{D^2}{2R} \rightarrow$ Radius of earth

correction is subtractive

$$= 0.0785 D^2$$

$$\text{True staff Reading} = \text{Observed staff Reading} - 0.0785 D^2$$

Correction for Refraction = $\frac{D^2}{7(2R)} \rightarrow$ dist b/w station & staff
 $\frac{D^2}{7(2R)} \rightarrow$ Radius

correction is additive

$$\text{True staff Reading} = \text{Observed staff Reading} + 0.0112 D^2$$

Combined Correction = Correction for Curvature - Correction for Refraction

$$\text{subtractive} = \frac{-6}{7} \times \frac{D^2}{2R} \rightarrow \text{dist b/w station & staff}$$

$\frac{D^2}{2R} \rightarrow$ Radius of earth.

Tacheometric Levelling \Rightarrow

$$D = \left(\frac{f}{i}\right) s + (f+k)$$

$$RL \text{ of station} = [H \cdot I - S_3] \text{ (middle staff intercept)}$$

* When line of sight is inclined to horizontal & staff is vertical

$$D = \left(\frac{f}{i}\right) s \cos^2 \theta + (f+k) \cos \theta$$

$$RL \text{ of station} = H \cdot I + \left(\frac{f}{i}\right) s \cos \theta \sin \theta + (f+k) \sin \theta - S_3$$

* When line of sight is inclined to horizontal & staff is normal to line of sight

$$D = \left(\frac{f}{i}\right) s \cos \theta + (f+k) \cos \theta + S_3 \sin \theta$$

$$RL \text{ of Staff Station} = H \cdot I + \left(\frac{f}{i}\right) s \cos \theta \sin \theta + (f+k) \sin \theta - S_3 \sin \theta$$

$$B \cdot S - F \cdot S = \oplus \text{ue (Then Rise)}$$

$$B \cdot S - F \cdot S = \ominus \text{ue (Fall)}$$

$$\sum B \cdot S - \sum F \cdot S = \text{Rise} - \text{Fall} = RL \text{ of last} - RL \text{ first}$$

* Haskold formula is used for speculative rate of return

* As per PCF analysis project report is acceptable if Discount rate < IRR

Ritter (Theory / law) \rightarrow Measurement of surface Area

Kicks (Theory / law) \rightarrow Volume of product's particles

Bonds (Theory / law) \rightarrow Strength of crack formation

* Length of line in Northings easting = $\sqrt{(x_1 - x_2)^2 + (y_1 - y_2)^2}$

$$\theta = \tan^{-1} \left[\frac{y_1 - y_2}{x_1 - x_2} \right]$$

Combined RMR = RMR of each bed \times bed thickness

thickness of each bed

$$* \text{ liquidity} = \frac{\text{Current assets}}{\text{Current liability}}$$

$$1\text{m}^3 \text{CH}_4 \text{ at NTP} = 0.716 \frac{\text{Kg}}{\text{mass}}$$

$$* \text{ROI} = \frac{\text{profit}}{\text{capital employed}} \times 100$$

$$\text{Empirical relation between depth of hole (h) & gas content (V)} = V = \frac{Ah}{1+Bh}$$

$$\text{Methane laying number} = \frac{V}{(4.32 \frac{a}{w})^{1/3}}$$

standards of ventilation

1, 2 & 3 degree - Immediate outbye ventilation connection = $30 \text{ m}^3/\text{min}$ from face

1 & 2 degree = 4.5 m from any face whether working or discontinued on intake side of brattice

7.5 m outbye of discharge end of air pipe = $15 \text{ m}^3/\text{min}$
At meso. span of longwall face = $60 \text{ m}^3/\text{min}$

3rd degree = 4.5 m from any face whether working or discontinued on intake side of brattice or partition

= 7.5 m outbye of discharge end of air pipe = $25 \text{ m}^3/\text{min}$
= At meso. span of longwall face = $75 \text{ m}^3/\text{min}$

$$\text{Natural Ventilation pressure} = \frac{gdB(T_u - T_d) \times 10^3}{287.1 \times T_u \times T_d} \text{ (Pascal)}$$

$$g = 9.81$$

d = depth of shaft

B = Mean Barometric pressure $\left(\frac{B_u + B_d}{2}\right)$

$T_u + T_d$ = Temp in Kelvin

$$* \text{coeff of utilization of space} = \frac{\text{Car capacity}}{\text{product of length, width + height}}$$

$$* \text{tare load ratio} = \frac{\text{Mine Car Capacity}}{\text{weight of car}}$$