$X=mod(mod(V_1R_1+V_2R_2+V_3R_3+V_4R_4+V_5R_5)_{M23}+T_1R_1+T_2R_2+T_3R_3)_{MH1}+R1$

modulo	2^n	$2^{(n+1)}+1$	$2^{(n+1)}-1$	$2^{(n)}+1$	$2^{(n)}-1$	2^n	$2^{(n+1)}+1$	$2^{(n+1)}-1$					
Modulo value	V_1	V_2	V_3	V_4	V_5	T_1	T_2	T_3	M23	M45	MH1	C	D
n=4	47	139	222	135	221	277	31	33	341	255	86955	5	3
n=6	191	1238	3966	2079	715	5205	127	129	5461	4095	21	21	3
n=8	6911	17246	60918	33195	12079	8685	511	513	9709	65535	9	9	9
n=10	3071	697003	1046526	524799	874325	1394005	2047	2049	1398101	1048575	341	341	3
n=12	12287	5584214	16769022	8390655	27982511	22353237	8191	8193	22369621	16777215	1365	1365	3
n=14													

modulo	2^n	$2^{(n+1)}+1$	$2^{(n+1)}-1$	$2^{(n)}+1$	$2^{(n)}-1$	2^n	$2^{(n+1)}+1$	$2^{(n+1)}-1$			
Modulo value	V_1	V_2	V_3	V_4	V_5	T_1	T_2	T_3	M23	M45	MH1
n=4	00101111	10001011	11011110	10000111	11011101	100010101	11111	100001	101010101	11111111	10101001110101011
n=6	000010111111	010011010110	111101111110	100000011111	001011001011	1010001010101	1111111	10000001	1010101010101	111111111111	1010101010011101010101011
n=8	0001101011111111	0100001101011110	1110110111110110	1000010001111011	0010111100101111	10000111101101	111111111	1000000001	10010111101101	1111111111111111	001001011110110011011010000010011
n=10	00000000101111111111	10101010001010101011	11111111011111111110	10000000000111111111	11010101011101010101	10101010001010101010101	11111111111	100000000001	101010101010101010101	11111111111111111111	10101010101010101001110101010101010101011
n=12	000000000010111111111111	010101010011010101010110	111111111101111111111110	100000000000011111111111	001010101011001010101011	10101010101000101010101010101	1111111111111	10000000000001	1010101010101010101010101	111111111111111111111111	1010101010101010101010100111010101010101010101010101011
n=14											
Pattern	$V1=2^{(n+1)}+2^{(n)}-1$ **Fazer para n=8,14,20…**	Existe padrão (n) **n=4, 10,16..** **V2=SUM_{i=0,…n} 2^(2i+1)-2^(n+1)+2^(0)** **n=6, 12,18..** **V2=SUM_{i=0,…n} 2^(2i)-2^(n+1)+2^(0)** **Fazer para n=8,14,20…**	$2^{(2n)}-2^{(n+1)}-2^{1}$ $=mod(-2^{(n+1)}-2^{0},2^{(2n)}-1)$ $V3=-2^{(n+1)}-1$ **Fazer para n=8,14,20…**	$V4=2^{(2n-1)}+2^{(n-1)}-1$ **Fazer para n=8,14,20…**	Existe padrão (n) Similar a V2 (fazer)	Existe Padrão (n) Fazer	$T2=2^{(n+1)}-1$	$T3=2^{(n+1)}+1$	Existe padrão (n+1) Fazer	$M45=2^{(2n)}-1$	Existe Padrão (2n+1) Fazer

modulo	2^n	$2^{(n+1)}+1$	$2^{(n+1)}-1$	$2^{(n)}+1$	$2^{(n)}-1$	2^n	$2^{(n+1)}+1$	$2^{(n+1)}-1$					
Modulo value	V_1	V_2	V_3	V_4	V_5	T_1	T_2	T_3	M23	M45	MH1	C	D
n=3	23	48	25	56	36	53	15	17	85	63	5355	3	3
n=5	287	834	146	217	561	327	63	65	455	1023	465465	4	9
n=7	383	16128	5204	2794	8256	21333	255	257	21845	16383	357886635	43	3
n=9	1535	261120	173737	218708	131328	347477	1023	1025	349525	262143	91625532075	171	3
n=11	12287	5584214	16769022	8390655	27982511	22353237	8191	8193	22369621		1365	1365	3
n=13													

modulo	2^n	$2^{(n+1)}+1$	$2^{(n+1)}-1$	$2^{(n)}+1$	$2^{(n)}-1$	2^n	$2^{(n+1)}+1$	$2^{(n+1)}-1$			
Modulo value	V_1	V_2	V_3	V_4	V_5	T_1	T_2	T_3	M23	M45	MH1
n=3	010111	110000	011001	111000	100100	110101	1111	10001	1010101	111111	1010011101011
n=5	0100011111	1101000010	0010010010	0011011001	1000110001	101000111	111111	1000001	111000111	1111111111	0111000110100011 1001
n=7	00000101111111	11111100000000	01010001010100	00101011101010	10000001000000	101001101010101	11111111	100000001	101010101010101	11111111111111	10101010101001110101010101011
n=9	000000010111111111	111111110000000000	101010011010101001	110101011001010100	100000000100000000	1010100110101010101	1111111111	10000000001	1010101010101010101	111111111111111111	1010101010101010011101010101010101011
n=11	0000000100011111111111	1111111101000000000010	1010100111101010100111	1101010110000101010011	1000000000110000000001	1110001010001110001111	111111111111	1000000000001	1110001110001110001111	1111111111111111111111	011100011100011100011010001110001110001110001
n=13											
Pattern	Existe Fazer	Existe Fazer	?	?	Existe Fazer	Existe Padrão (n+1) Fazer	$2^{(n+1)}-1$	$2^{(n+1)}+1$	Existe padrão (n+1) Fazer	$2^{(2n)}-1$	Existe Padrão (2n+1) Fazer