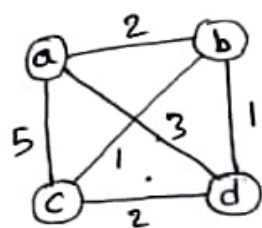


- 1) Apply prims algorithm to solve the minimum spanning tree for the given graph. Also compute the total cost of all edges.

Sol



Tree vertices	Remaining vertices	Illustration
$a(-\infty)$	$\underline{b(a,2)}, c(a,5), d(a,3)$	
$b(a,2)$	$\underline{c(b,1)}, d(b,1)$	
$c(b,1)$	$d(c,2)$	

\therefore The total cost of all edges is $a-b-c$ and $b-d$ is $2+1+1=3$

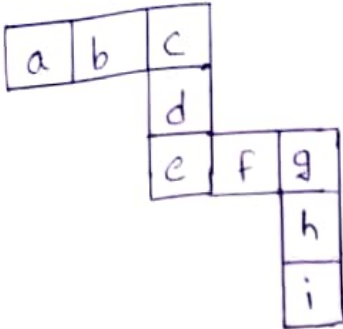
- 2) To compute the sum of subsets for the following graph and then satisfy the given constraints
Set $S\{\} = (a, b, c, d, e, f, g, h, i)$ values used are $v[i] = (1, 2, 3, \dots, 9)$

used all values only one time

Constraints hold such as

$$a+b+c = c+d+e = e+f+g = g+h+i$$

Sol

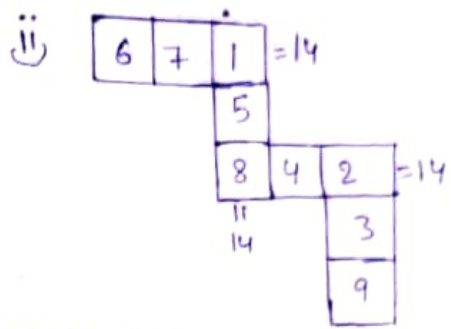
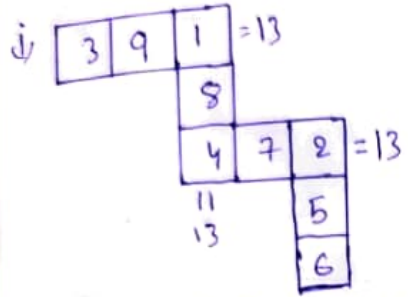


$$S\{ \} = (a, b, c, d, e, f, g, h, i)$$

$$V\{i\} = (1, 2, 3, 4, 5, 6, 7, 8, 9)$$

Given that $a+b+c = c+d+e = e+f+g = g+h+i$

By using the values $V\{i\}$ and adding equal to other three values of sum.



$$a+b+c = c+d+e = e+f+g = g+h+i$$

$$3+9+1 = 1+8+4 = 4+7+2 = 2+5+6$$

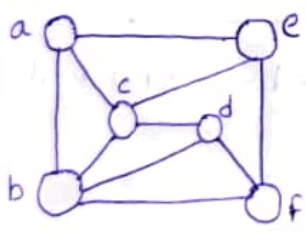
$$13 = 13 = 13 = 13$$

$$6+7+1 = 1+5+8 = 8+4+2 = 2+3+9$$

$$14 = 14 = 14 = 14$$

3) Calculate the chromatic no for the following Graph coloring.

Sol



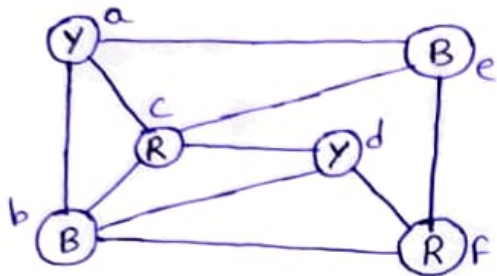
Greedy coloring algorithm

- 1) initiate all the nodes
- 2) set the node for the first coloring, the Priority is the node with the largest degree.
- 3) choose the color candidate with the selection color function with no adjacent node having the same color

- * Check the eligibility of the color, if it's able to save to the solution set.
- * is the solution complete? Go to step 2 if not yet.

Choose the four colours

Blue, red, yellow, Green



a = Yellow

b = Blue

c = Red

d = Yellow

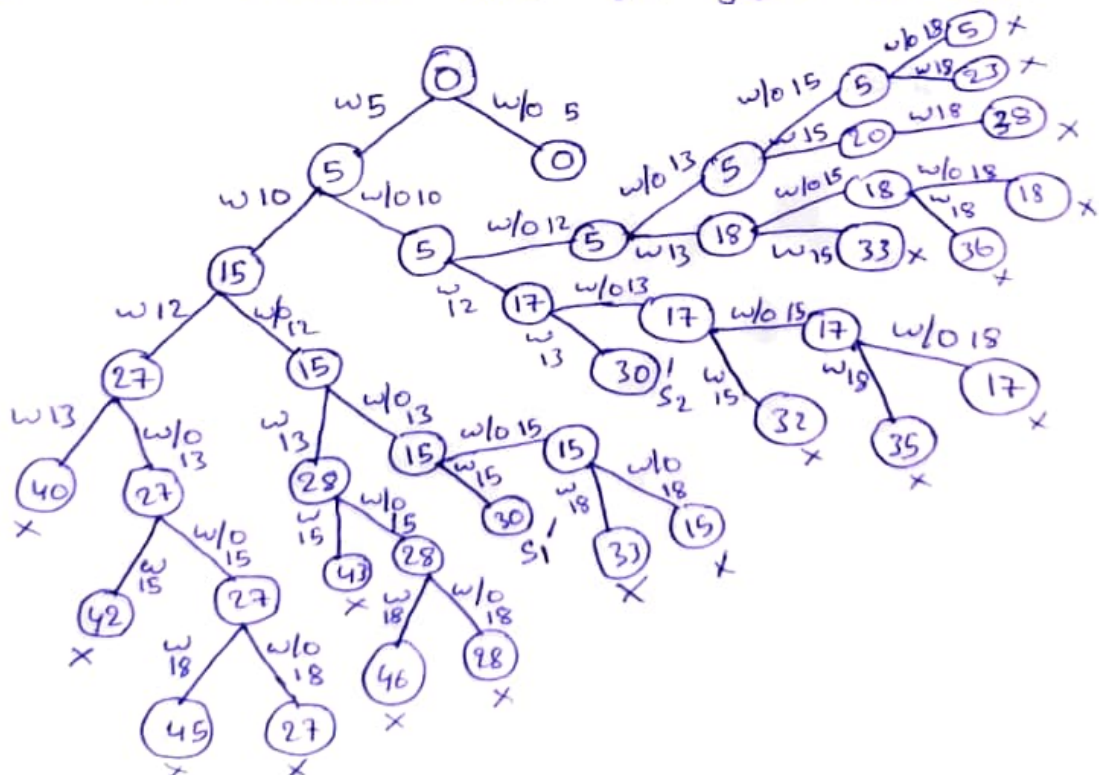
e = Blue

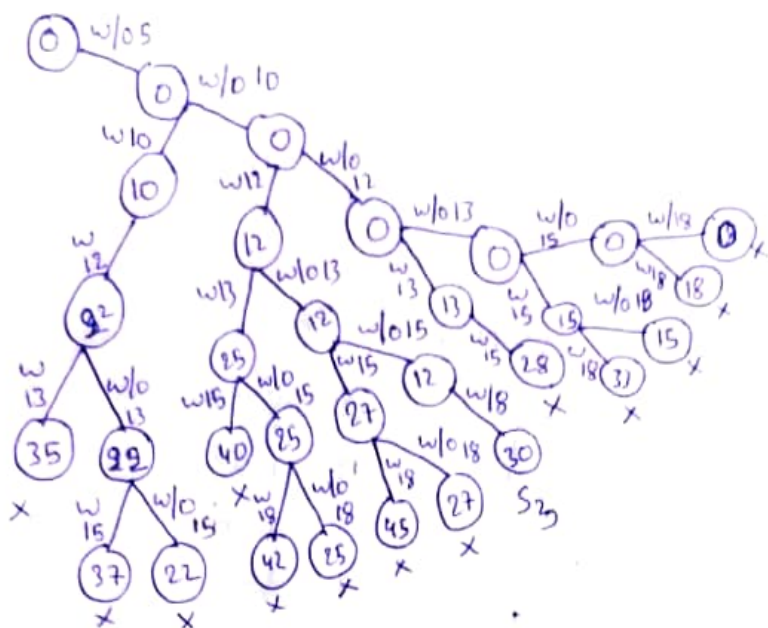
f = Red

- 9) Consider a set $S = \{5, 10, 12, 13, 15, 18\}$ and $d = 30$. Solve it for obtaining a sum of subset.

Sol

Given a set $S = \{5, 10, 12, 13, 15, 18\}$ by adding above set to get $d = 30$.





we get three Solution

$$S_1 = 15 + 10 + 5 = 30$$

$$S_2 = 18 + 12 = 30$$

$$S_3 = 5 + 12 + 13 = 30$$

Time Complexity = $O(2^n)$.