

# Algoritmos numéricos - P2:

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1- Lagrange

xc	15	3	4
p(x)	135	89	795

2- Splines Cúbicos

xc	f(x)
5	-0,878177
6	-1,646776
8	5,716707
10	-5,990268
12	131,655626
14	136,026834
16	-21,872807
17	-18,488907
19	9,1432758
20	5,9173397
22	-1,8895419
23	-0,9522272

3- Simpson 1/3:

$$\begin{aligned}
 & \textcircled{1} = 0,75 \int_0^1 \int_0^1 \left( \frac{-(9x_1-2)^2}{4} - \frac{(9x_2-2)^2}{4} \right) dx_1 dx_2 \quad \downarrow \quad e^{(b-a)b} = e^b \cdot e^{-a} \\
 & = 0,75 \int_0^1 e^{-\frac{(9x_2-2)^2}{4}} dx_2 \cdot \int_0^1 e^{-\frac{(9x_1-2)^2}{4}} dx_1
 \end{aligned}$$

$$\textcircled{2} \quad 0,75 \int_0^1 \int_0^1 e \left( -\frac{(9x_1+1)^2}{49} - \frac{9x_2+1}{20} \right) dx_1 dx_2$$

$$= 0,75 \int_0^1 e \left( -\frac{9x_2+1}{20} \right) dx_2 \int_0^1 e \left( -\frac{(9x_1+1)^2}{49} \right) dx_1$$

$$\textcircled{3} \quad 0,5 \cdot \int_0^1 \int_0^1 e \left( -\frac{(9x_1-7)^2}{4} - \frac{(9x_2-3)^2}{4} \right)$$

$$= 0,5 \cdot \int_0^1 e \left( -\frac{(9x_2-3)^2}{4} \right) dx_2 \cdot \int_0^1 e \left( -\frac{(9x_1-7)^2}{4} \right) dx_1$$

$$\textcircled{4} \quad -0,2 \int_0^1 \int_0^1 e \left( -(9x_1-4)^2 - (9x_2-7)^2 \right) dx_1 dx_2$$

$$= -0,2 \int_0^1 e \left( -(9x_2-7)^2 \right) dx_2 \int_0^1 e \left( -(9x_1-4)^2 \right) dx_1$$

$$\text{Volume: } -1,56766 \cdot 10^{29} / \text{h}$$



4ª Questão)

$$A \cdot x = b$$
$$x = b \cdot A^{-1}$$

2ª Grau:  $0,50519 - 0,11454x - 0,16593x^2$

3ª grau:

$$y = 3,270610843 - 44,0540771x + 115,0600916x^2 - 76,81756239x^3$$

5ª Questão)

$$x_1 = 7,492477892$$
$$x_2 = -0,4482552283$$
$$x_3 = 9,368251625$$
$$x_4 = 8,165251034$$

6ª Questão)

Usando  $u(x) = 2x + 8e^{(-0,5x)}$

$$u(1) = 6,852245278$$

Usando RK 4ª ordem:

$$h = 0,1 \quad u(1) = 6,852245409$$

$$h = 0,01 \quad u(1) = 6,90586602$$

$$h = 0,001 \quad u(1) = 6,852245278$$