

MACHINE m3

REFINES m2

SEES c0

VARIABLES

wait
process
clk
t1
t2
qsize
queue
twish
tenter
tleave

INVARIANTS

inv1: $twish \in \mathbb{N}$
inv2: $tenter \in \mathbb{N}$
inv3: $tleave \in \mathbb{N}$
inv4: $0 \leq twish \wedge twish \leq clk$
inv5: $0 \leq tenter \wedge tenter \leq clk$
inv6: $0 \leq tleave \wedge tleave \leq clk$
inv7: $process = \emptyset \wedge wait \neq \emptyset \wedge twish \geq tleave \Rightarrow clk - twish \leq ddl4$
inv12: $process = \emptyset \wedge wait \neq \emptyset \wedge tleave \geq twish \Rightarrow clk - tleave \leq ddl4$
inv8: $tenter \geq twish \wedge twish \geq tleave \Rightarrow tenter - twish \leq ddl4$
 deadline(leave,wish,d4)
inv9: $tenter \geq tleave \wedge tleave \geq twish \Rightarrow tenter - tleave \leq ddl4$
 deadline(leave,enter,d4)
inv10: $process \neq \emptyset \Rightarrow clk - tenter \leq ddl2$
inv11: $tleave \geq tenter \Rightarrow tleave - tenter \leq ddl2$
 deadline(enter,leave,d2)
inv13: $\forall p. (p \in wait \wedge p \in dom(t1)) \Rightarrow clk - t1(p) \leq (card(PROCESS) - queue^{-1}(p)) * (ddl2 + ddl4) + ddl4$

EVENTS

Initialisation ⟨extended⟩

begin

act1: $wait := \emptyset$
act2: $process := \emptyset$
act3: $clk := 0$
act4: $t1 := \emptyset$
act5: $t2 := \emptyset$
act7: $qsize := 0$
act8: $queue := \emptyset$
act9: $twish := 0$
act10: $tenter := 0$
act11: $tleave := 0$

end

Event wish.empty ⟨ordinary⟩ $\hat{=}$

extends wish

any

pro

where

grd1: $pro \in PROCESS \setminus wait$
grd2: $pro \in PROCESS \setminus process$
grd3: $wait = \emptyset \wedge process = \emptyset$

then

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    act1: wait := wait ∪ {pro}
    act2: t1(pro) := clk
    act3: queue(qsize + 1) := pro
    act4: qsize := qsize + 1
    act5: twish := clk
end
Event wish_nonempty ⟨ordinary⟩ ≐
extends wish
any
    pro
where
    grd1: pro ∈ PROCESS \ wait
    grd2: pro ∈ PROCESS \ process
    grd3: wait ≠ ∅ ∨ process ≠ ∅
then
    act1: wait := wait ∪ {pro}
    act2: t1(pro) := clk
    act3: queue(qsize + 1) := pro
    act4: qsize := qsize + 1
end
Event enter ⟨ordinary⟩ ≐
extends enter
any
    pro
where
    grd1: pro ∈ wait
    grd2: card(process) = 0
    grd3: qsize > 0
    grd4: pro = queue(1)
then
    act1: wait := wait \ {pro}
    act2: process := process ∪ {pro}
    act3: t2(pro) := clk
    act4: queue :| queue' ∈ 1 .. qsize - 1 ⇒ wait \ {queue(1)} ∧ (∀ i. i ∈ 1 .. qsize - 1 ⇒ queue'(i) =
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$$\text{queue}(i + 1))$$

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    act5: qsize := qsize - 1
    act6: tenter := clk
end
Event leave ⟨ordinary⟩ ≐
extends leave
any
    pro
where
    grd1: pro ∈ process
    grd2: queue ≠ ∅
then
    act1: process := process \ {pro}
    act3: tleave := clk
end
Event leave_idle ⟨ordinary⟩ ≐
extends leave
any
    pro
where
    grd1: pro ∈ process
    grd2: queue = ∅
then
    act1: process := process \ {pro}
```

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        act2: tleave := clk
    end
Event tick ⟨ordinary⟩ ≐
refines tick
    when
        grd2: process = ∅ ∧ wait ≠ ∅ ∧ twish ≥ tleave ⇒ clk + 1 − twish ≤ ddl4
        grd3: process = ∅ ∧ wait ≠ ∅ ∧ tleave ≥ twish ⇒ clk + 1 − tleave ≤ ddl4
        grd4: process ≠ ∅ ⇒ clk + 1 − tenter ≤ ddl2
    then
        act1: clk := clk + 1
    end
END

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