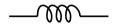
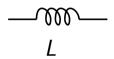
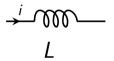
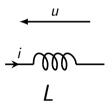
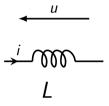
Établissement du courant dans un circuit comportant une bobine



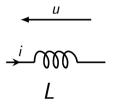






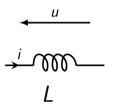


Définition de l'inductance L Relation flux magnétique-intensité



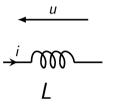
Définition de l'inductance L Relation flux magnétique-intensité

$$\Phi = \iint \vec{B} \cdot d\vec{S} = L \times i$$



Définition de l'inductance L Relation flux magnétique-intensité

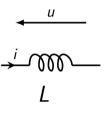
$$iggl| \Phi = \iint ec{B} \cdot \mathrm{d} ec{S} = L imes i iggr| \qquad \mathrm{et} \qquad e = -rac{\mathrm{d} \Phi}{\mathrm{d} t}$$



Définition de l'inductance L Relation flux magnétique-intensité

$$\Phi = \iint \vec{B} \cdot d\vec{S} = L \times i$$
 et $e = -\frac{d\Phi}{dt}$

Relation intensité-tension

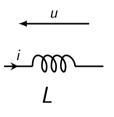


Définition de l'inductance L Relation flux magnétique-intensité

$$\left| \Phi = \iint ec{B} \cdot ec{\mathrm{d}S} = L imes i
ight| \qquad \mathrm{et} \qquad e = -i$$

Relation intensité-tension

$$u = L \frac{\mathrm{d}i}{\mathrm{d}t}$$



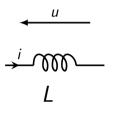
Définition de l'inductance L Relation flux magnétique-intensité

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Comportement en régime permanent



Définition de l'inductance L Relation flux magnétique-intensité

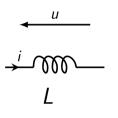
$$\Phi = \iint \vec{B} \cdot d\vec{S} = L \times i$$
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Relation intensité-tension $u = L \frac{\mathrm{d}i}{\mathrm{d}t}$

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Comportement en régime permanent

$$\frac{\mathrm{d}}{\mathrm{d}t} = 0 \Longrightarrow u = 0$$



Définition de l'inductance L Relation flux magnétique-intensité

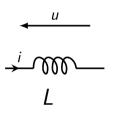
$$\Phi = \iint \vec{B} \cdot d\vec{S} = L \times i$$
 et $e = -\frac{d\Phi}{dt}$

Relation intensité-tension $u = L \frac{di}{dt}$

$$u = L \frac{\mathrm{d}i}{\mathrm{d}t}$$

Comportement en régime permanent

$$\frac{\mathrm{d}}{\mathrm{d}t} = 0 \Longrightarrow u = 0$$
 (bobine = interrupteur fermé)



Définition de l'inductance L Relation flux magnétique-intensité

$$\Phi = \iint \vec{B} \cdot d\vec{S} = L \times i$$
 et $e = -\frac{d\Phi}{dt}$

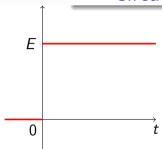
Relation intensité-tension $u = L \frac{di}{dt}$

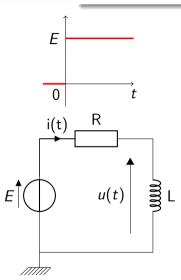
$$u = L \frac{\mathrm{d}i}{\mathrm{d}t}$$

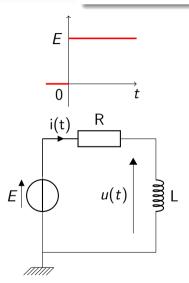
Comportement en régime permanent

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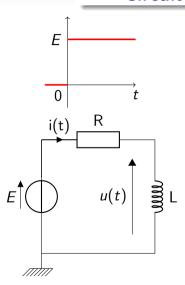
La bobine n'est "intéressante" qu'en régime variable.





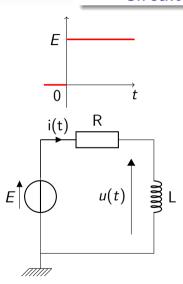


Loi des mailles



Loi des mailles

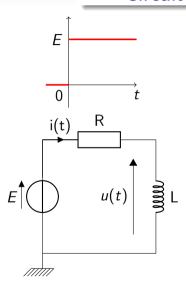
$$E = u(t) + Ri(t)$$



Loi des mailles

$$E = u(t) + Ri(t)$$

$$\implies E = L \frac{di(t)}{dt} + Ri(t)$$

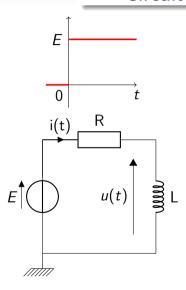


Loi des mailles

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Posons $\tau = L/R$ et réorganisons :



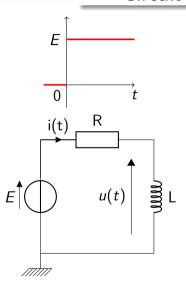
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Posons $\tau = L/R$ et réorganisons :

$$\frac{\mathrm{d}i(t)}{\mathrm{d}t} + \frac{i}{\tau} = \frac{E}{L}$$



Loi des mailles

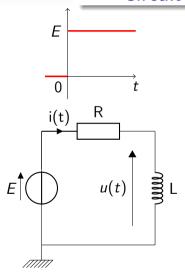
$$E = u(t) + Ri(t)$$

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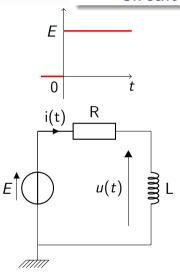
Posons $\tau = L/R$ et réorganisons :

$$\frac{\mathrm{d}i(t)}{\mathrm{d}t} + \frac{i}{\tau} = \frac{E}{L}$$

Équation différentielle du premier ordre avec second membre.

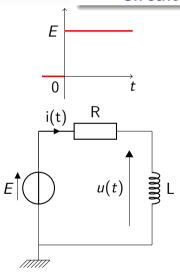


$$\frac{\mathrm{d}i(t)}{\mathrm{d}t} + \frac{i}{\tau} = \frac{E}{I}$$



$$\frac{\mathrm{d}i(t)}{\mathrm{d}t} + \frac{i}{\tau} = \frac{E}{L}$$

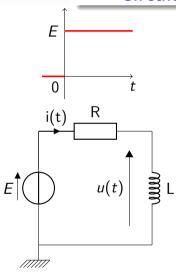
Solution
$$i(t) = i_h + i_p \Longrightarrow i(t) = Ae^{-\frac{t}{\tau}} + \frac{E}{R}$$



$$\frac{\mathrm{d}i(t)}{\mathrm{d}t} + \frac{i}{\tau} = \frac{E}{L}$$

Solution
$$i(t) = i_h + i_p \Longrightarrow i(t) = Ae^{-\frac{t}{\tau}} + \frac{E}{R}$$

CI à
$$t = 0$$
, $i(t) = 0 \Longrightarrow A = -E/R$



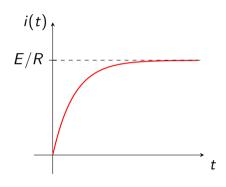
$$\frac{\mathrm{d}i(t)}{\mathrm{d}t} + \frac{i}{\tau} = \frac{E}{L}$$

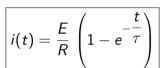
Solution
$$i(t) = i_{\rm h} + i_{\rm p} \Longrightarrow i(t) = A e^{-\frac{t}{\tau}} + \frac{E}{R}$$

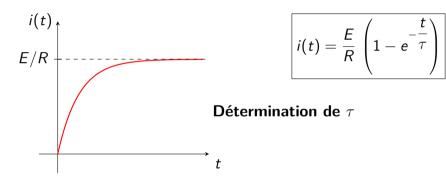
CI à
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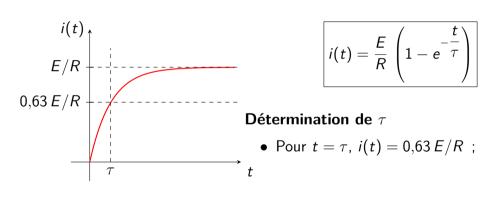
$$i(t) = \frac{E}{R} \left(1 - e^{-\frac{t}{\tau}} \right)$$

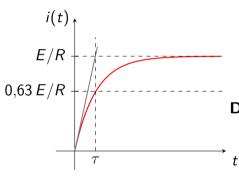
$$i(t) = rac{E}{R} \left(1 - e^{-rac{t}{ au}}
ight)$$











$$i(t) = \frac{E}{R} \left(1 - e^{-\frac{t}{\tau}}\right)$$

Détermination de au

- Pour $t = \tau$, i(t) = 0.63 E/R;
- $t \bullet La$ tangente en t = 0 à la courbe coupe l'asymptote i = E/R en $t = \tau$.