# Simulation of Conway's Game of Life Using Cellular Automata

Gabriel Santana Caboclo da Silva

Department of Computer Science, University Federal Rural de Pernambuco, Brazil

### **Abstract**

This paper presents a simulation based on Conway's Game of Life using cellular automata. The simulation occurs on a two-dimensional grid where each cell follows local rules to determine its future state. The model demonstrates how simple rules can generate complex and unpredictable patterns. This study shows how computational models can be used to explore dynamic and emergent systems, providing insights into the understanding of complex phenomena in areas such as biology, physics, and computing.

**Keywords**: Cellular Automata, Conway's Game of Life, Emergent Systems, Computational Simulation.

### Introduction

Conway's Game of Life, created by John Conway, is a cellular automaton that exemplifies how simple local rules can generate complex global behaviors. Each cell on the grid can be either alive (1) or dead (0). The transition between states occurs based on the number of live neighbors, following predefined rules. This type of model is widely studied in disciplines such as mathematics, physics, and computer science, standing out for its ability to demonstrate the emergence of complex patterns.

This study implements a simulation of the Game of Life in Python, using the NumPy and Matplotlib libraries for data manipulation and graphical visualization. The main objective is to analyze how patterns emerge over multiple time steps, exploring the relationship between local rules and global behaviors.

## **Methods**

The simulation was developed in Python with the following steps:

- Grid Initialization: A 50x50 matrix represents the board, where each cell can be alive (1) or dead (0).
- Transition Rules:
  - A live cell remains alive if it has 2 or 3 live neighbors; otherwise, it dies.
  - A dead cell becomes alive if it has exactly 3 live neighbors.
- Simulation Execution:

- The grid is updated at each step, applying the transition rules for all cells simultaneously.
- Visualization occurs through an animated graph with Matplotlib, allowing the observation of pattern evolution in real-time.

### Results

The simulation demonstrated the following behaviors:

- Stable Patterns: Structures such as blocks and beehives remained unchanged after a few cycles.
- Oscillators: Configurations like the "blinker" alternated between states in regular cycles.
- Gliders: Moving patterns propagated through the grid, highlighting the model's ability to simulate motion.

These results illustrate how local rules can lead to the formation of dynamic and complex structures, reinforcing the relevance of cellular automata in simulating emergent systems.

### **Discussion**

The results obtained highlight the importance of local interactions in the emergence of complex patterns. Unlike traditional models that assume uniform behaviors, cellular automata allow simulating spatial heterogeneity, resulting in a more realistic representation of dynamic systems.

The formation of stable patterns, oscillators, and gliders shows how simple rules can generate a variety of behaviors. Moreover, the use of NumPy for matrix operations and Matplotlib for dynamic visualization proved to be efficient in handling large volumes of data.

Future improvements could include exploring different rule sets and implementing custom initial patterns to study how small changes can impact the system's evolution. This approach could broaden the understanding of emergent systems in fields such as ecology, epidemiology, and artificial intelligence.

### Conclusion

This study demonstrated the effectiveness of cellular automata in modeling complex patterns from simple rules. The implementation in Python, using NumPy and Matplotlib, allowed for a visual and dynamic analysis of emergent processes. The Game of Life's ability to generate complex patterns from local interactions underscores the importance of cellular automata as tools for exploring complex systems in various fields of knowledge.

#### References

• CONWAY, J. H. The Game of Life. Scientific American, v. 223, n. 4, p. 4-10, 1970

- WOLFRAM, S. A New Kind of Science. Champaign: Wolfram Media, 2002
- GÁCS, P. Complexity and Emergence in Cellular Automata. Physica D: Nonlinear Phenomena, v. 62, n. 1-4, p. 57-63, 1993
- CODD, E. F. Cellular Automata. ACM Computing Surveys, v. 1, n. 1, p. 1-15, 1968.