

June 2024

Cosmology from Home

Minimal Dark Matter Freeze-in with Low Reheating Temperatures & Implications for Direct Detection

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Based on work with Katherine Freese, Kimberly Boddy & Barmak Shams Es Haghi ([arXiv:2405.06226](https://arxiv.org/abs/2405.06226))



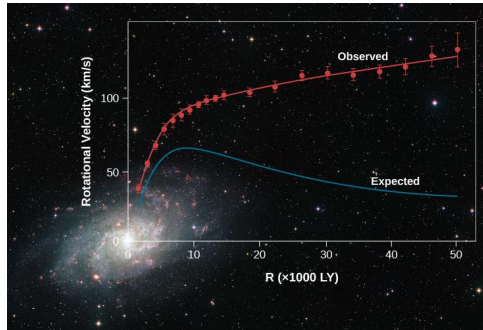
TEXAS

The University of Texas at Austin

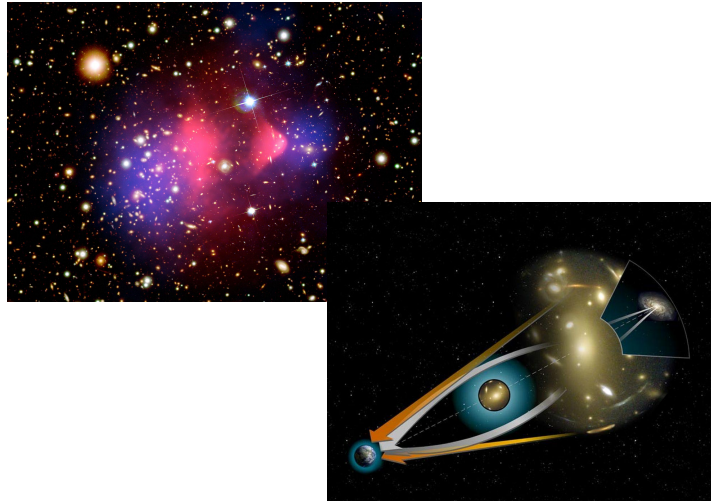
Evidence for Dark Matter (DM)

Huge amount of evidence from **all scales** (only from **gravitational** interaction)

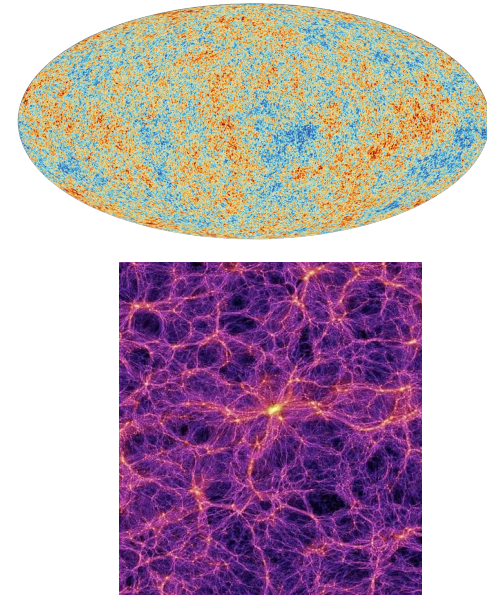
Galactic scales



Cluster scales



Cosmological scales



What we know about DM

- Cold and Massive
- Stable/long lived
- No/weak interactions with the Standard Model (SM)
- No/weak SM charge (electric and color)
- Abundance: DM corresponds to **%25** of the energy budget in the universe today (**~5x** the amount of **ordinary matter**)

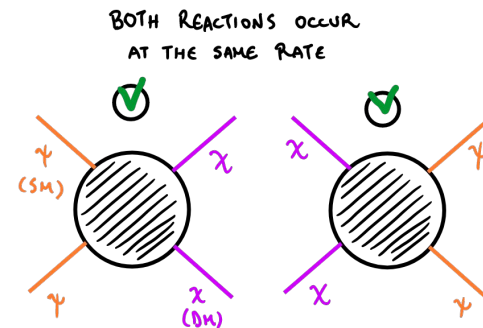
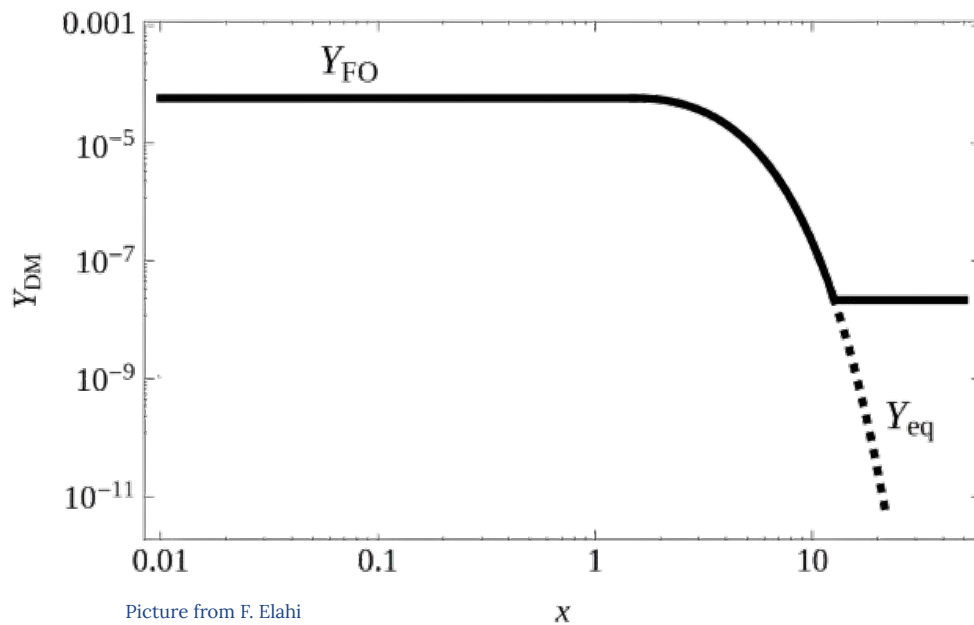
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How was DM produced in the early universe?

The Canonical Freeze-out story

- DM is in **thermal equilibrium** with SM when $T \gg m_{\text{DM}}$
- DM **freezes out** at $T \approx m_{\text{DM}}/20$



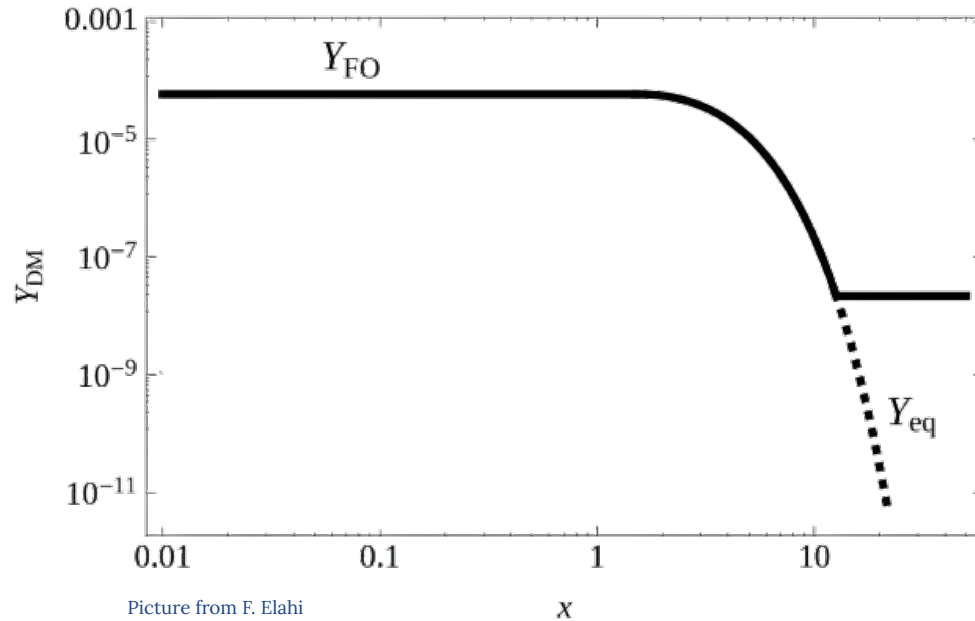
$$Y_{\text{DM}} \equiv \frac{n_{\text{DM}}}{s}$$

$$x \equiv \frac{m_{\text{DM}}}{T}$$

The Canonical Freeze-out story

The WIMP miracle!

$m_{\text{DM}} \simeq m_W$ and $\sigma_{\text{DM}} \simeq \alpha_W^2 / m_W^2$ reproduces the observed DM abundance ($\alpha_W \simeq 10^{-2}$, $m_W \simeq 100 \text{ GeV}$)



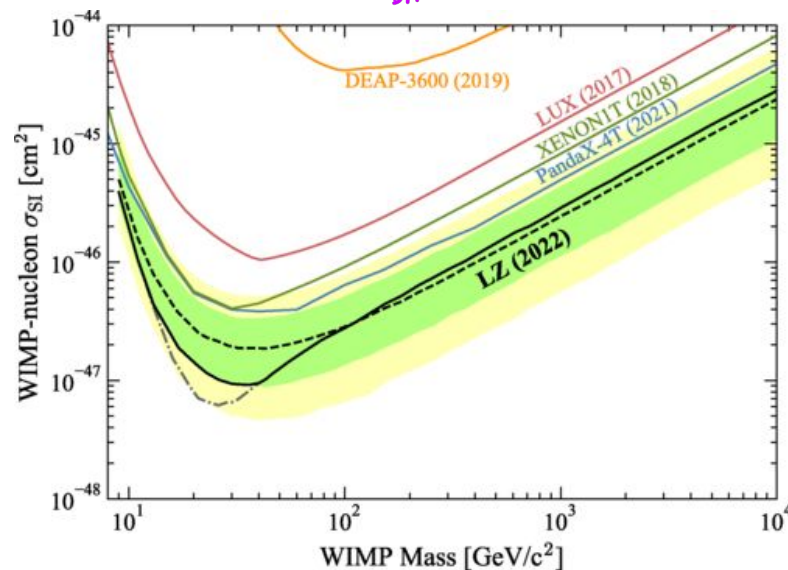
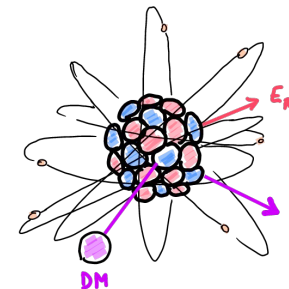
Picture from F. Elahi

$$Y_{\text{DM}} \equiv \frac{n_{\text{DM}}}{s}$$
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Constraints on WIMPs from Direct Detection

Nuclear Recoil

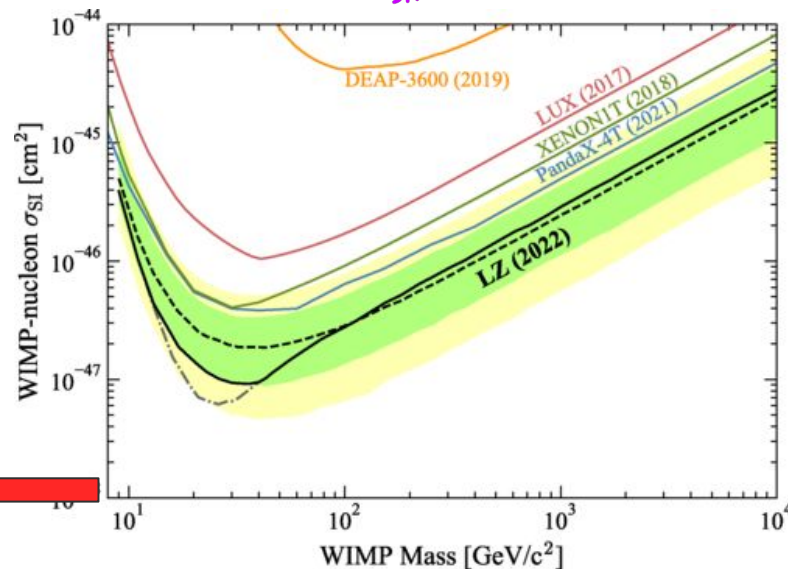
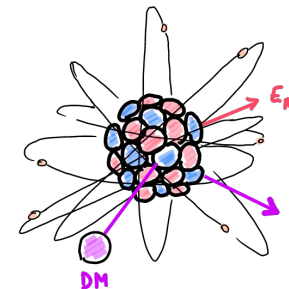
- Over the last three decades a wide-range of experimental programs have targeted the WIMP parameter space
 - increasingly constrained due to the lack of a direct detection.
 - multi-ton-scale target masses and a clear path for even larger detectors to reach the neutrino fog



Constraints on WIMPs from Direct Detection

Nuclear Recoil

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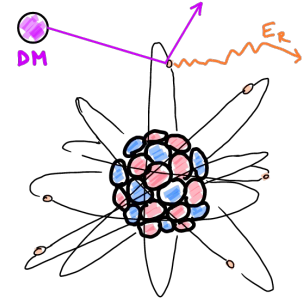


Motivates search for **lighter** DM candidates

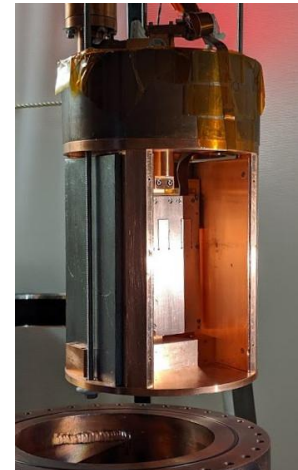
Direct Detection of sub-GeV Dark Matter

Electron Recoil

- New technology allowed recent experiments to extend their reach to sub-GeV DM masses by searching for **electronic recoils**



SENSEI Collaboration

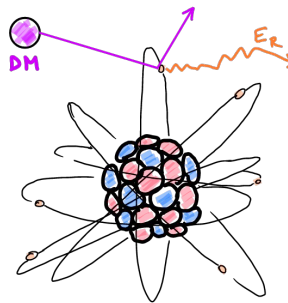


Direct Detection of sub-GeV Dark Matter

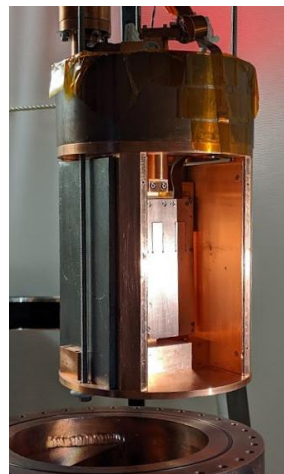
Electron Recoil

- New technology allowed recent experiments to extend their reach to sub-GeV DM masses by searching for **electronic recoils**
- Model Building **Challenges**:
 - light DM requires dark sectors
 - Thermal production of MeV DM is disallowed by BBN

Krnjaic, McDermott, 2019; An, Gluscevic, Calabrese, Hill, 2022



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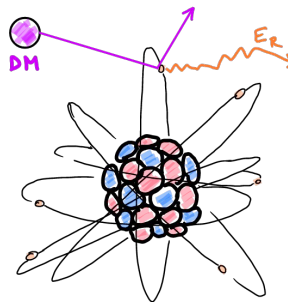
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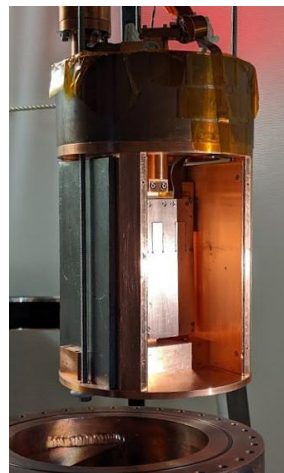
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Alternative: Freeze-in!



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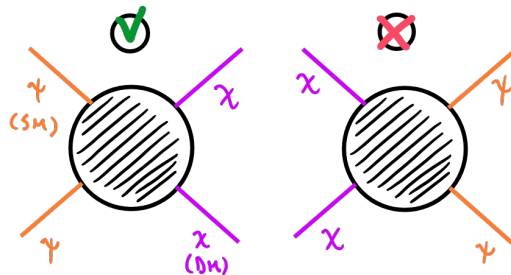
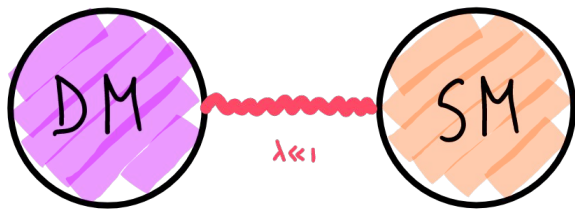


An alternative Scenario: Freeze-in

DM from a feeble interaction with SM

Hall, Jedamzik, March-Russell, West 2010

- **Feeble** interaction between DM and the SM so that DM is **never in thermal equilibrium** with the SM bath
 - Through a renormalizable operator with **very small** dimensionless coupling $\lambda_{\text{SM-DM}}$
- Initial DM abundance is negligible (i.e. inflaton reheats primarily the SM)
- The DM abundance is built up gradually (**no inverse process!**)

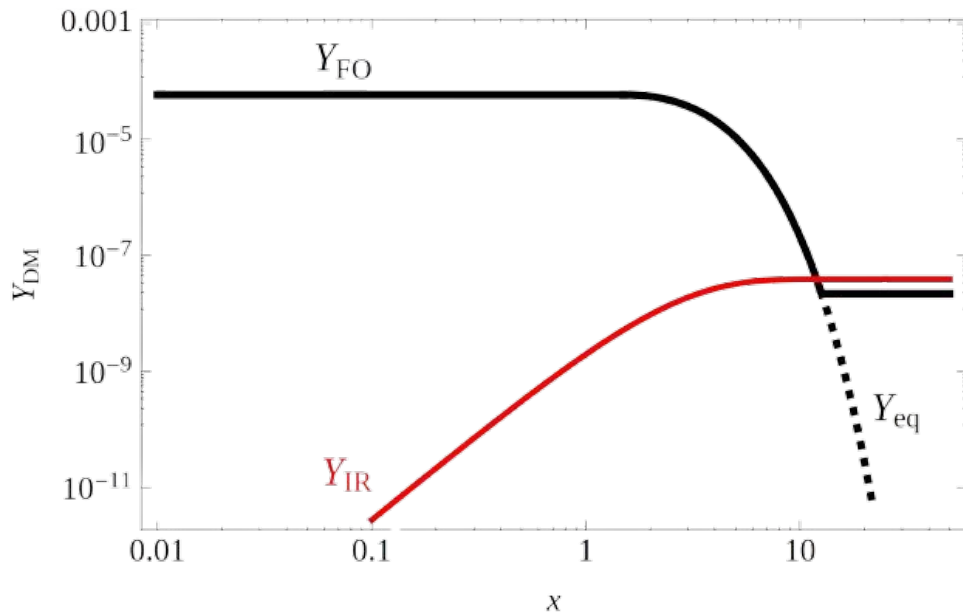


Freeze-in

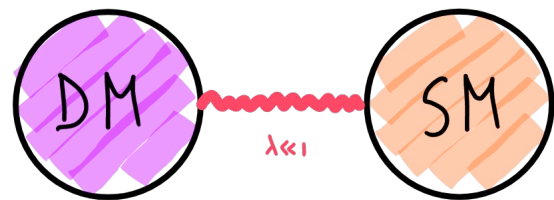
Hall, Jedamzik, March-Russell, West 2010

DM from a feeble interaction with SM

- The process is **insensitive** to temperatures above the DM mass
 - The DM abundance is set by lowest T, i.e. $T \simeq m_{\text{DM}}$



Picture from F. Elahi



$$Y_{\text{DM}} \sim \lambda^2 \frac{M_{\text{pl}}}{T} \sim \lambda^2 \frac{M_{\text{pl}}}{m_{\text{DM}}}$$

Benchmark Freeze-in Model

The Kinetic Mixing Portal

Hall, Jedamzik, March-Russell, West 2010
Chu, Hambye, Tytgat, 2012
Essig, Mardon, Volansky, 2012

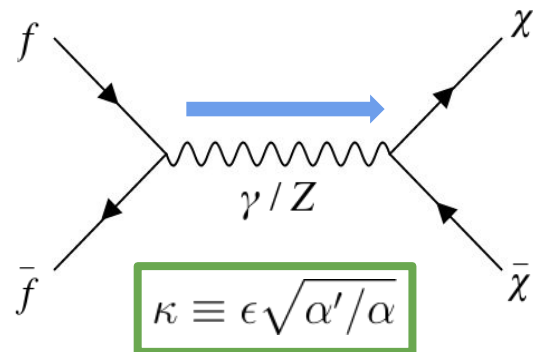
- An ultralight dark photon γ' **kinetically-mixed** with the SM hypercharge

$$\dot{n}_\chi + 3Hn_\chi = \sum_B \langle \sigma_{B\bar{B} \rightarrow \chi\bar{\chi}} v \rangle (n_\chi^{\text{eq}})^2,$$

- **Target of direct detection** program!
 - Ultralight mediator leads to large enhancement of the direct detection cross section at low momentum transfers.

$$\bar{\sigma}_e = \frac{16\pi\mu_{\chi e}^2\alpha^2\kappa^2}{(\alpha m_e)^4},$$

$$\mathcal{L} \supset \frac{\epsilon}{2} F'_{\mu\nu} F^{\mu\nu}$$



Benchmark Freeze-in Model

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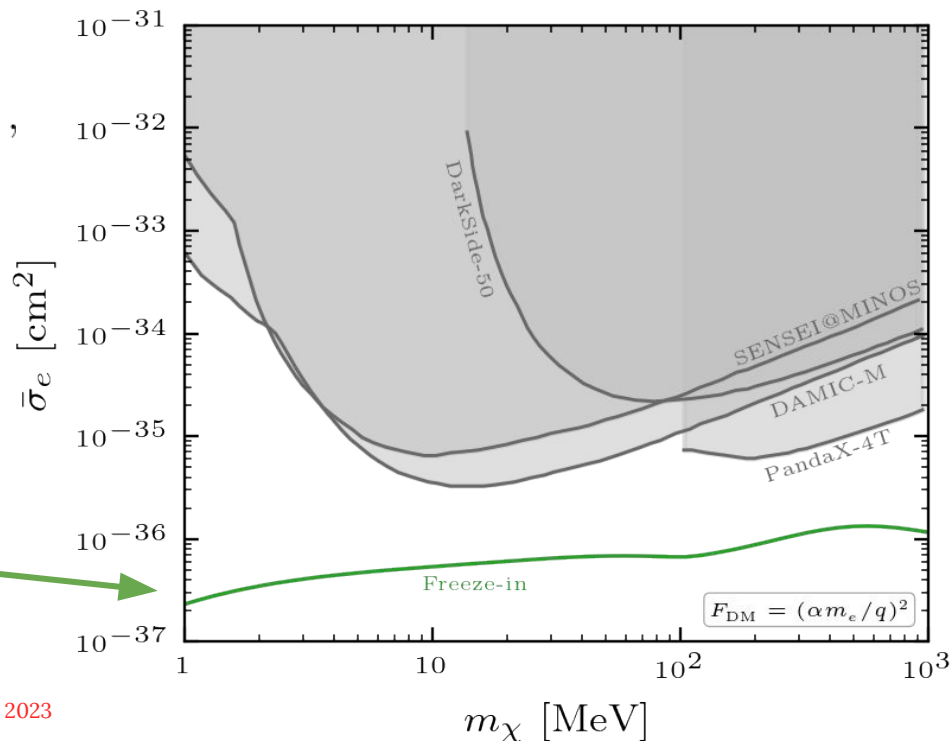
$$\bar{\sigma}_e = \frac{16\pi\mu_{\chi e}^2\alpha^2\kappa^2}{(\alpha m_e)^4},$$

$$Y_\chi(x) = \int_{x_{\text{rh}}}^x dx' \frac{s}{Hx'} \left[\sum_B \langle \sigma_{B\bar{B} \rightarrow \chi\bar{\chi}} v \rangle (Y_\chi^{\text{eq}})^2 \right],$$

$$x \equiv m_\chi/T$$

- Previous work assumes $T_{\text{rh}} \gg m_\chi: x_{\text{rh}}=0$.
- Then, matching to the observed relic abundance today leads to

$$\kappa \equiv \epsilon \sqrt{\alpha'/\alpha} \approx \mathcal{O}(10^{-11})$$



Corrected prediction for the freeze-in benchmark by Bhattiprolu, McGehee, Pierce 2023

Benchmark Freeze-in Model

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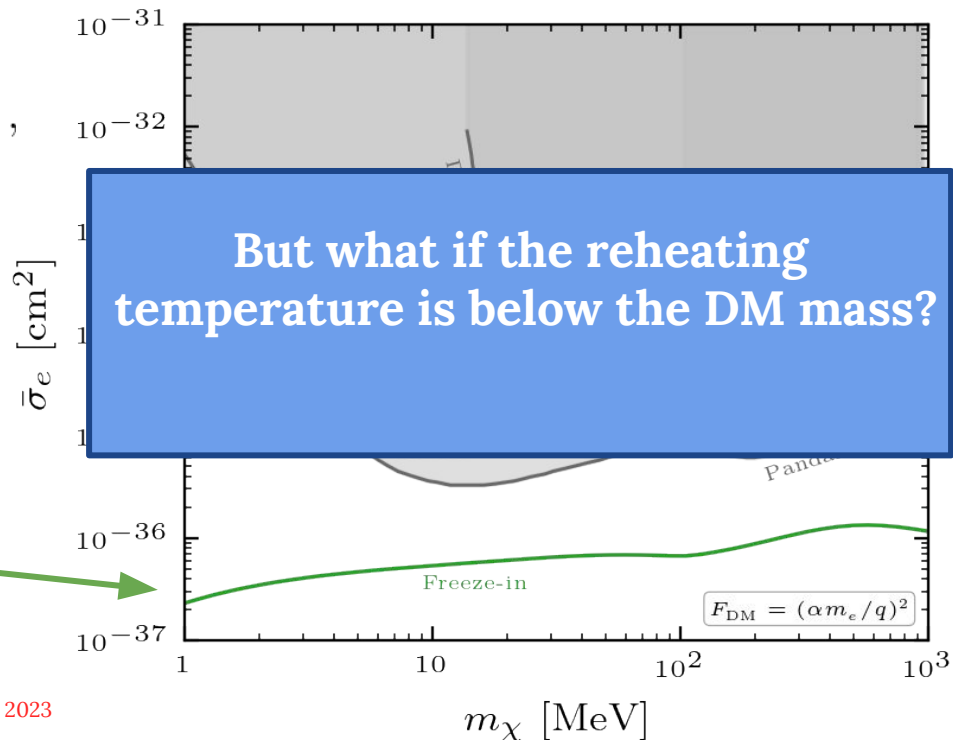
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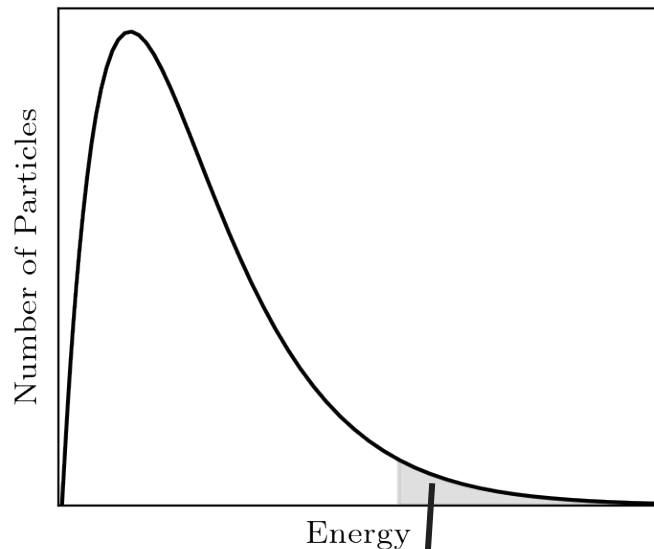
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Benchmark Freeze-in Model

The Impact of the Reheating Temperature

- For $T_{\text{rh}} \ll m_\chi$: $\Gamma_{\text{production}} \sim \exp(-2m_\chi/T)$
Kuzmin, Rubakov, 1998; Cosme, Costa, Lebedev, 2023
 - only SM particles in the **tail** of their velocity distributions have enough energy to annihilate into DM particles with $m_\chi \gg T$
- To counteract the suppressed production and obtain the observed DM abundance today, we need:

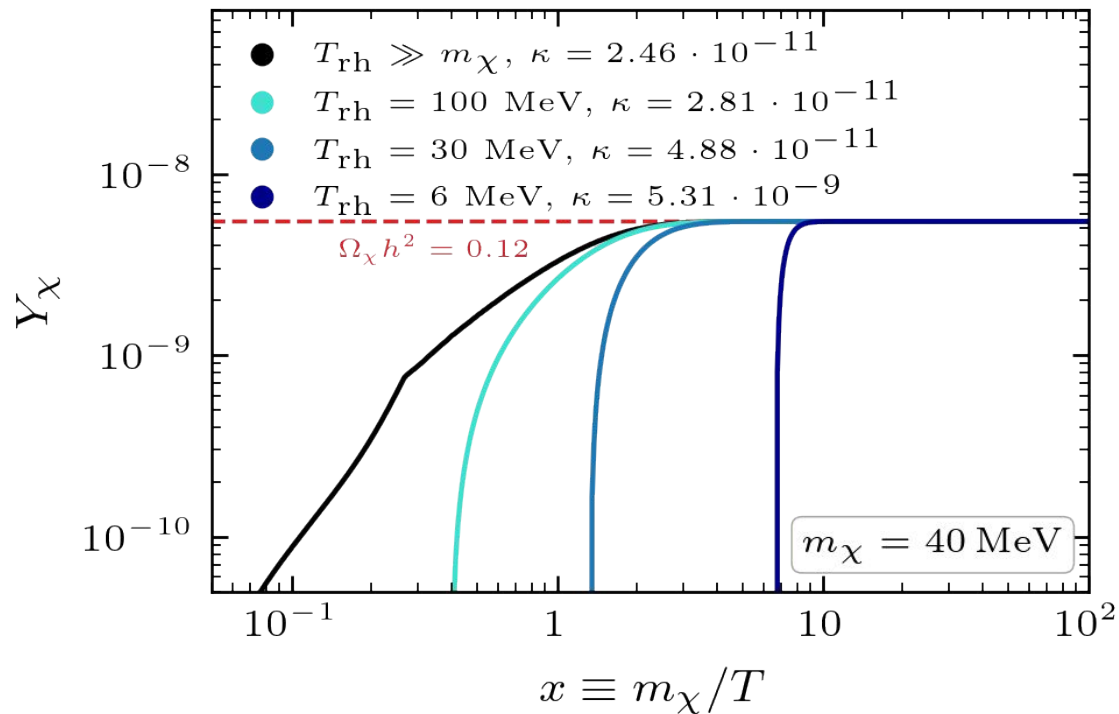
a larger portal coupling \rightarrow a larger scattering cross section



$$Y_\chi(x) = \int_{x_{\text{rh}}}^x dx' \frac{s}{Hx'} \left[\sum_B \langle \sigma_{B\bar{B} \rightarrow \chi\bar{\chi}} v \rangle (Y_\chi^{\text{eq}})^2 \right],$$

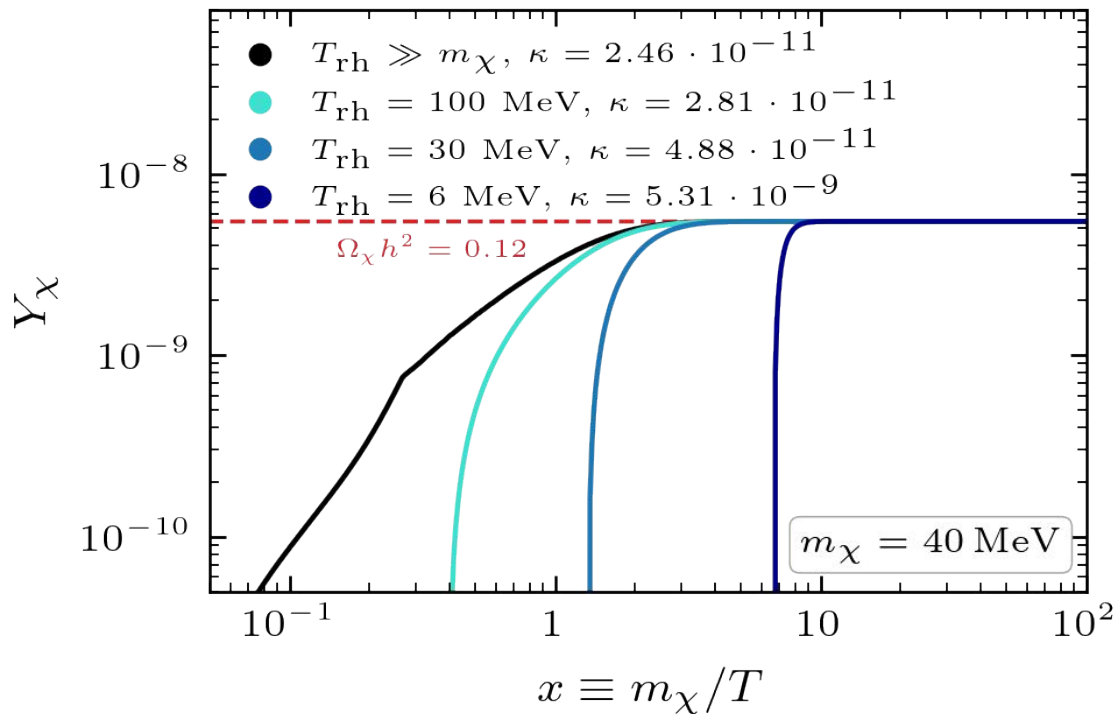
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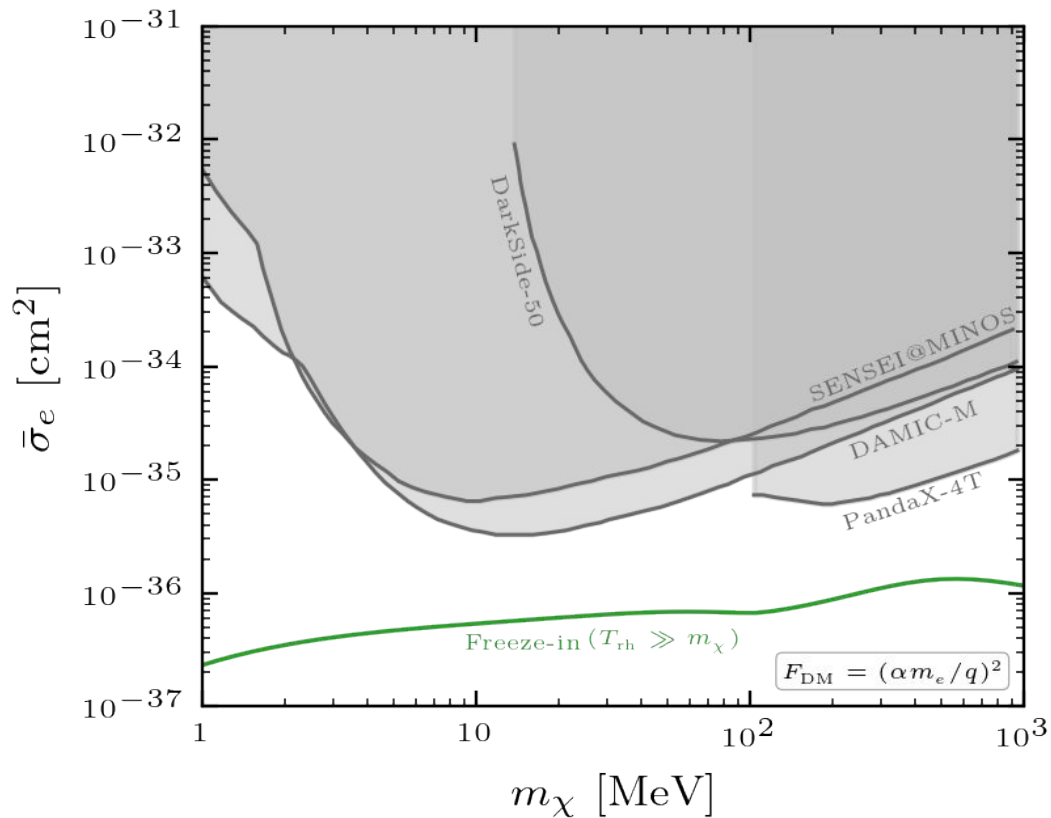


For $T_{\text{rh}} \ll m_\chi$:
final DM abundance
becomes very sensitive
to T_{rh}

$$\frac{\kappa(T_{\text{rh}} \ll m_\chi)}{\kappa(T_{\text{rh}} \gg m_\chi)} \sim \sqrt{x_{\text{rh}}} e^{x_{\text{rh}}}$$

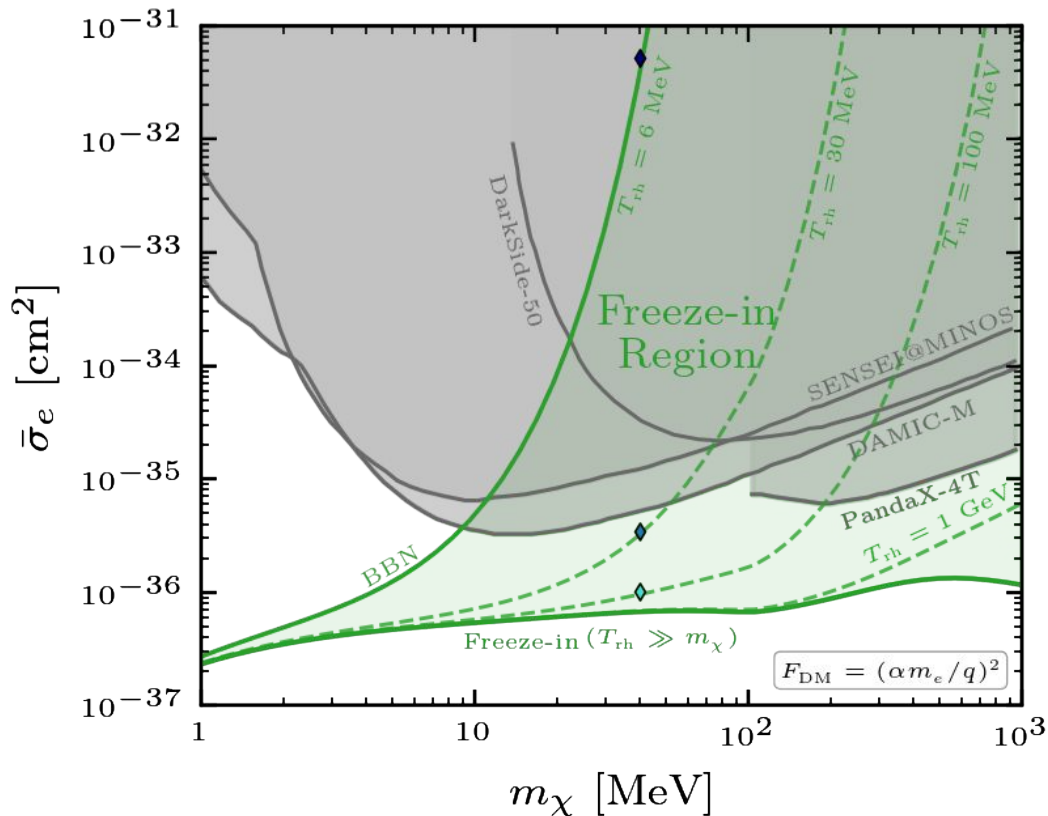
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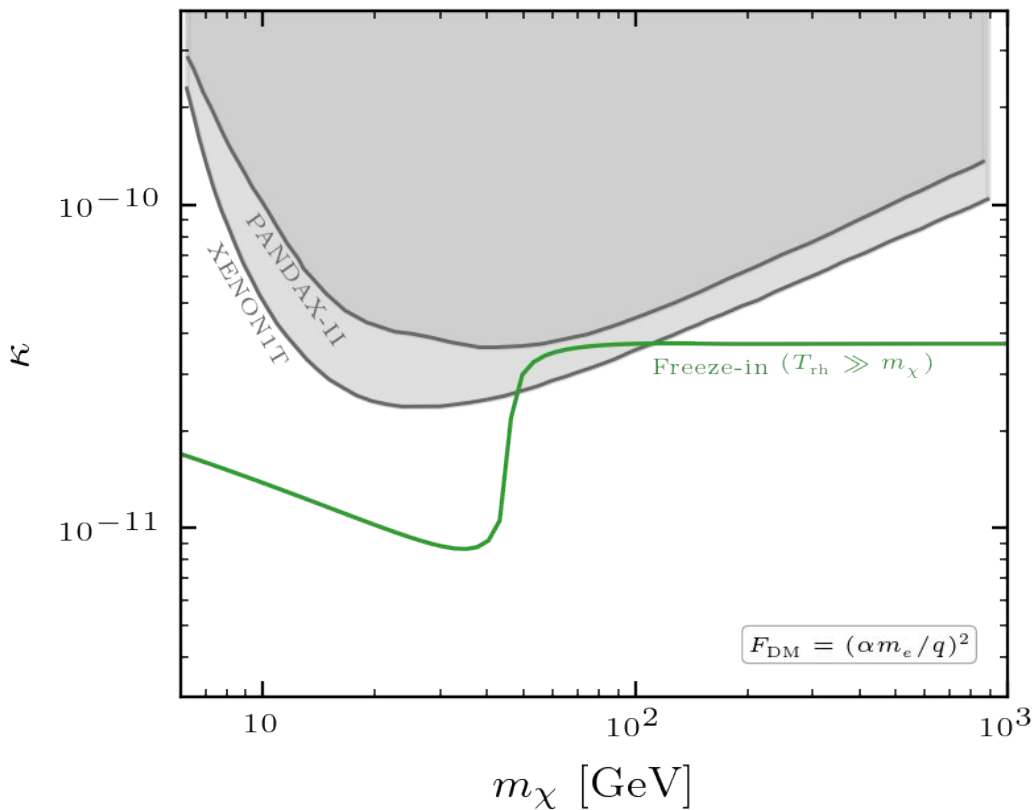


$$\frac{\kappa(T_{rh} \ll m_\chi)}{\kappa(T_{rh} \gg m_\chi)} \sim \sqrt{x_{rh}} e^{x_{rh}}$$

- The freeze-in benchmark should be regarded as an **extended region** defined by the reheating temperature, rather than a single curve.
- A large portion of parameter space is currently being **probed by direct detection!**

Benchmark Freeze-in Model

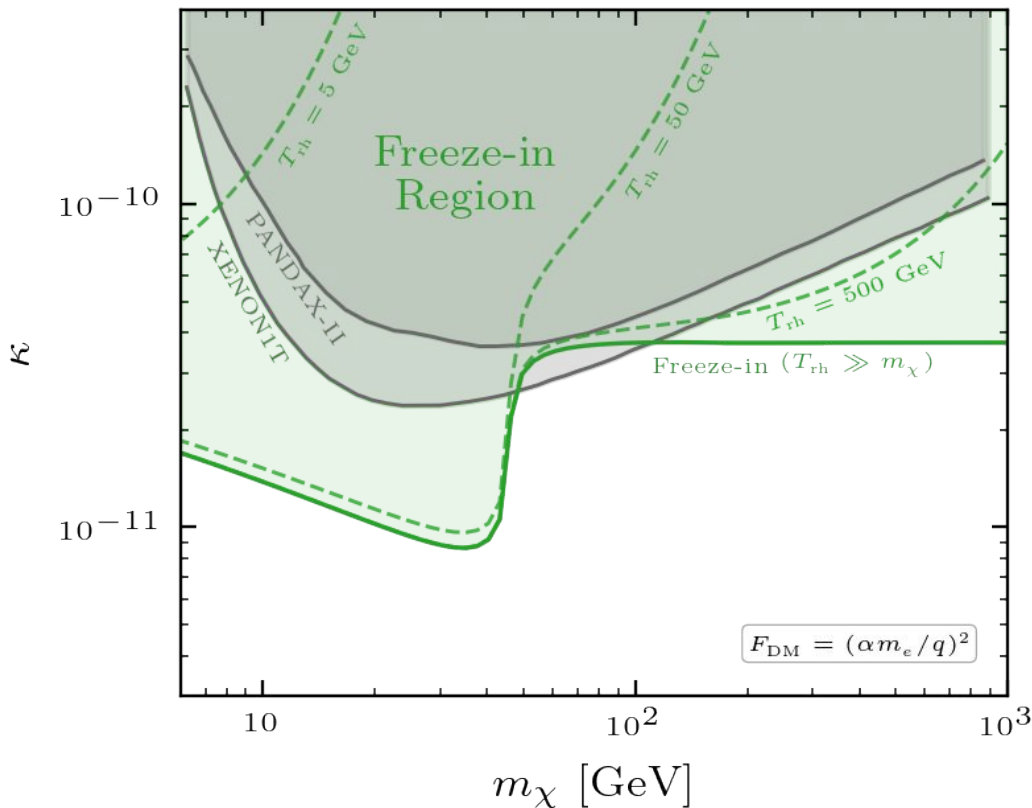
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Benchmark Freeze-in Model

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$$\frac{\kappa(T_{\text{rh}} \ll m_\chi)}{\kappa(T_{\text{rh}} \gg m_\chi)} \sim \sqrt{x_{\text{rh}}} e^{x_{\text{rh}}}$$

The same story holds for
 $m_\chi > 1 \text{ GeV}$

→ A large portion of parameter space is currently being probed by direct detection!

Aside: Max vs Reheat Temperature

- Our work assumes that the **maximum** temperature of the thermal bath is **equal** to the **reheating** temperature
 - Always valid in the instantaneous reheating approximation!
 - Many examples also in the case of **finite** reheating (●, ●)

- Inflaton decays to radiation directly

Chung, Kolb, Riotto, 1998; Giudice, Kolb, Riotto, 2000; Kolb, Notari, Riotto, 2003

- Inflaton decays to an unstable particle which then decays to radiation

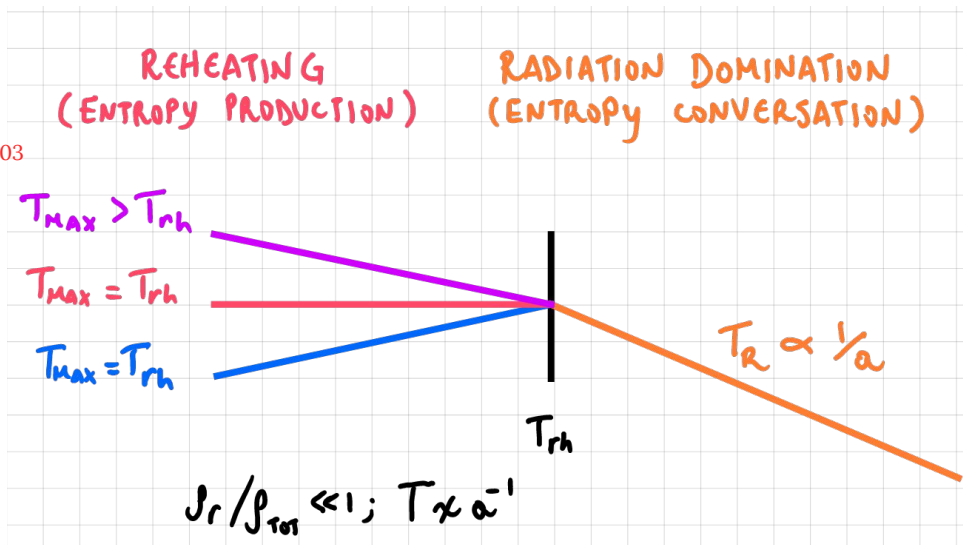
Cosme, Costa, Lebedev, 2024

- Inflaton has generic dissipation rate dependent on temperature and scale factor

Co, Gonzalez, Harigaya, 2021

- Resonant reheating: s-channel inflaton annihilation

Barman, Bernal, Xu, 2024



Conclusions

- We cannot neglect the impact of the reheating temperature on the benchmark freeze-in model
- For $T_{\text{rh}} \ll m_\chi$, DM production rate is exponentially suppressed, so that to achieve the observed relic abundance we need:
a larger portal coupling \rightarrow a larger DM-electron scattering cross section
- The freeze-in benchmark target is a **region** defined by reheating temperature rather than a single curve.
 - A large portion of parameter space is currently being **tested by direct detection!**
 - A potential future detection that lies between the current observational upper limits and the traditional freeze-in benchmark would **directly probe** the reheating temperature and **the conditions of the universe in its earliest moments**

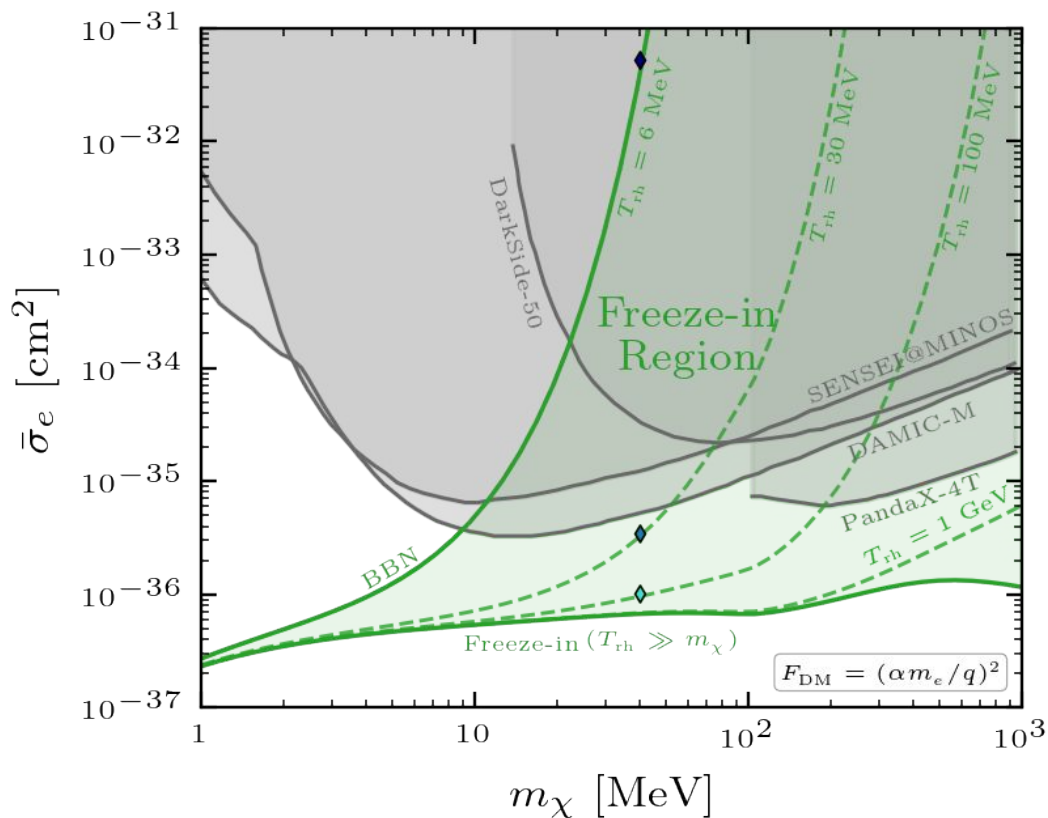
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