

September 11th 2024

**Physics Concerto Seminar Series**

Supported by the Weinberg Institute for Theoretical Physics,  
Department of Physics, University of Texas

# What every Physicist should know about the Cosmic Microwave Background

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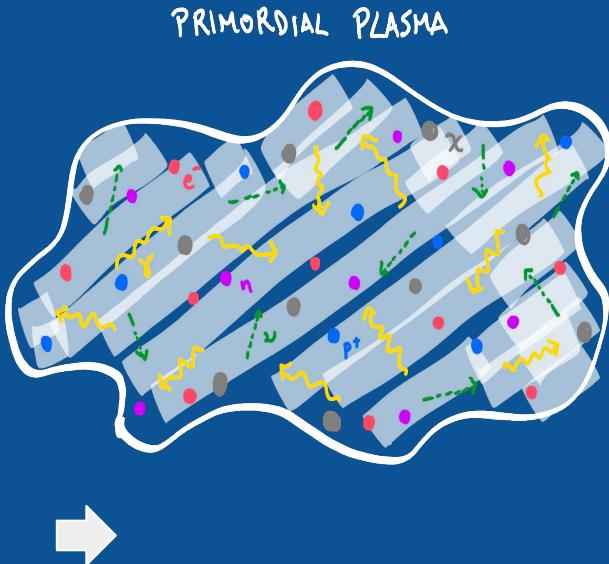
**Gabriele Montefalcone**

Weinberg Institute for Theoretical Physics, University of Texas at Austin

**PHYSICS CONCERTO**  
BRIDGING PHYSICS SPECIALTIES THROUGH PEER TO PEER SEMINARS

# The Big Picture

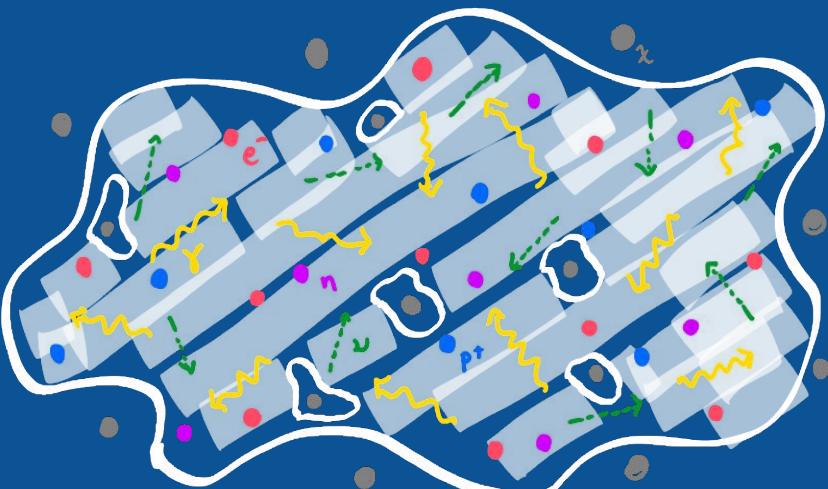
## The Hot Big Bang



All SM particles species\* are in thermal equilibrium at a temperature  $T$

\*possibly even dark matter

# The Big Picture



EXPANSION

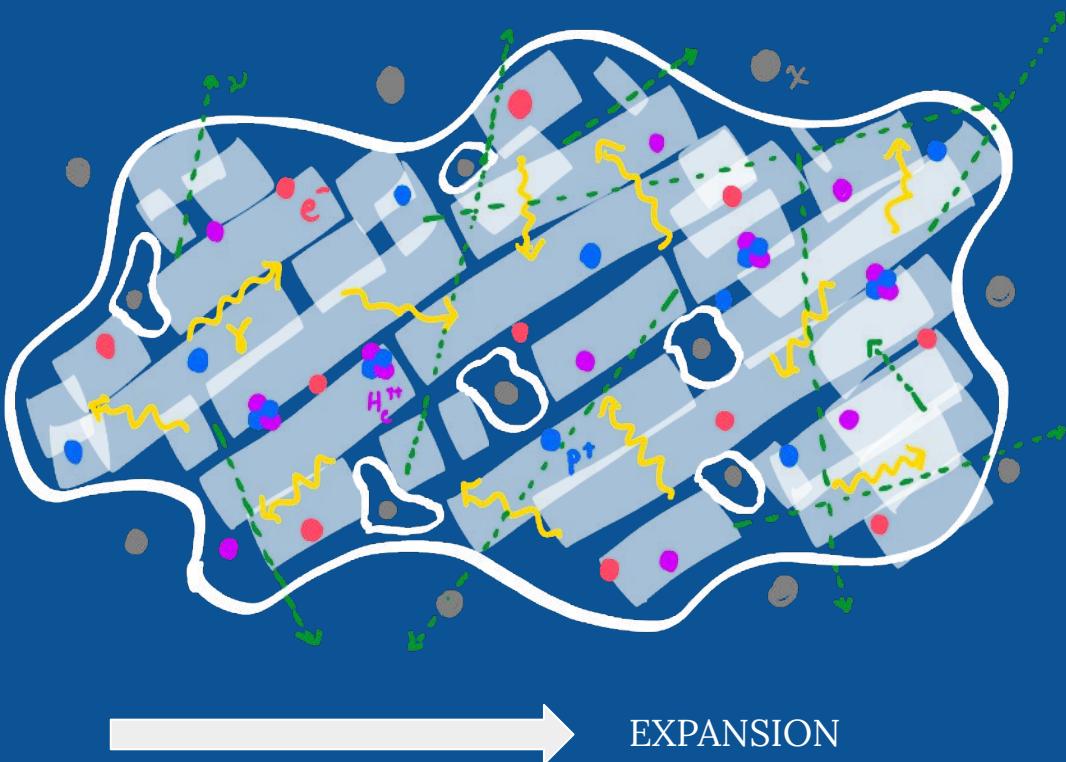
$$(T_{\text{dec}}) \approx H(T_{\text{dec}})$$

interaction rate      expansion rate

As the Universe expands, it **cools** and different species **decouple** from the primordial plasma

- The first one to go is dark matter

# The Big Picture



$$(T_{\text{dec}}) \approx H(T_{\text{dec}})$$

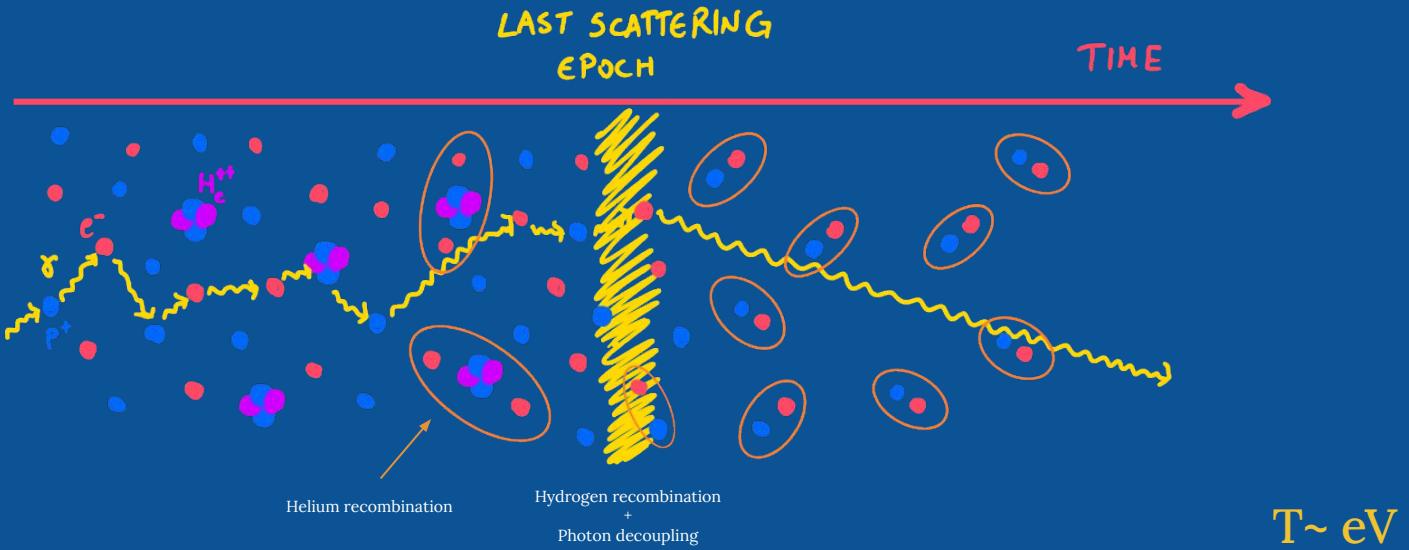
interaction rate      expansion rate

Then neutrinos decouple, and shortly after nuclei form in the process known as Big Bang Nucleosynthesis

- Mainly  ${}^4\text{He}$
- Also  ${}^3\text{He}$ ,  ${}^2\text{H}$ ,  ${}^7\text{Li}$

**T~ MeV**

# The Big Picture



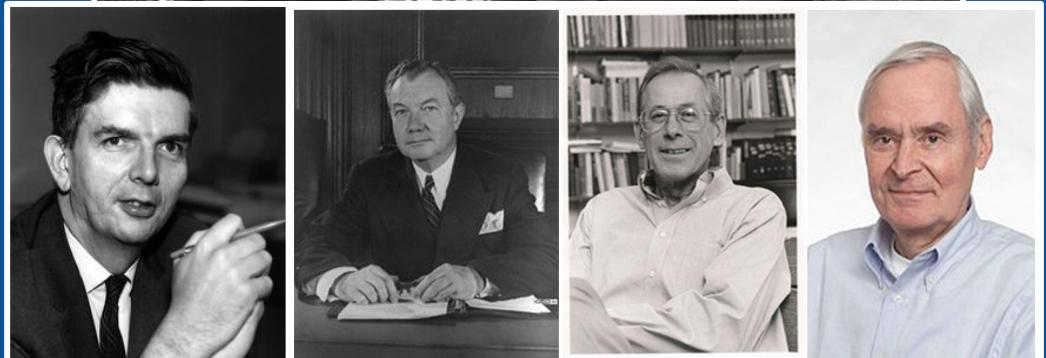
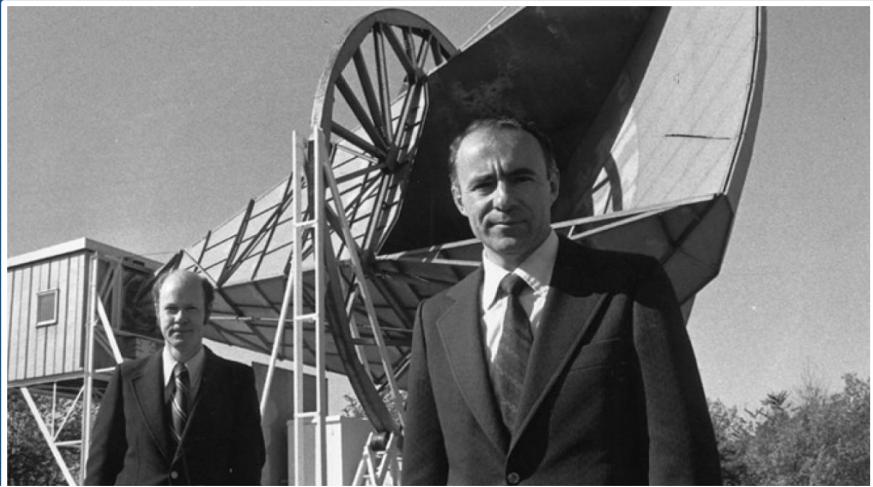
Once the universe is cool enough for neutral Hydrogen to form, photons are finally free to travel across the universe, reaching us today

If the **Big Bang picture** is correct, we expect the universe  
to be filled by a **Cosmic Background** of photons,  
all roughly at the **same temperature**.

# The Discovery of the Cosmic Microwave background (CMB)

## 1965

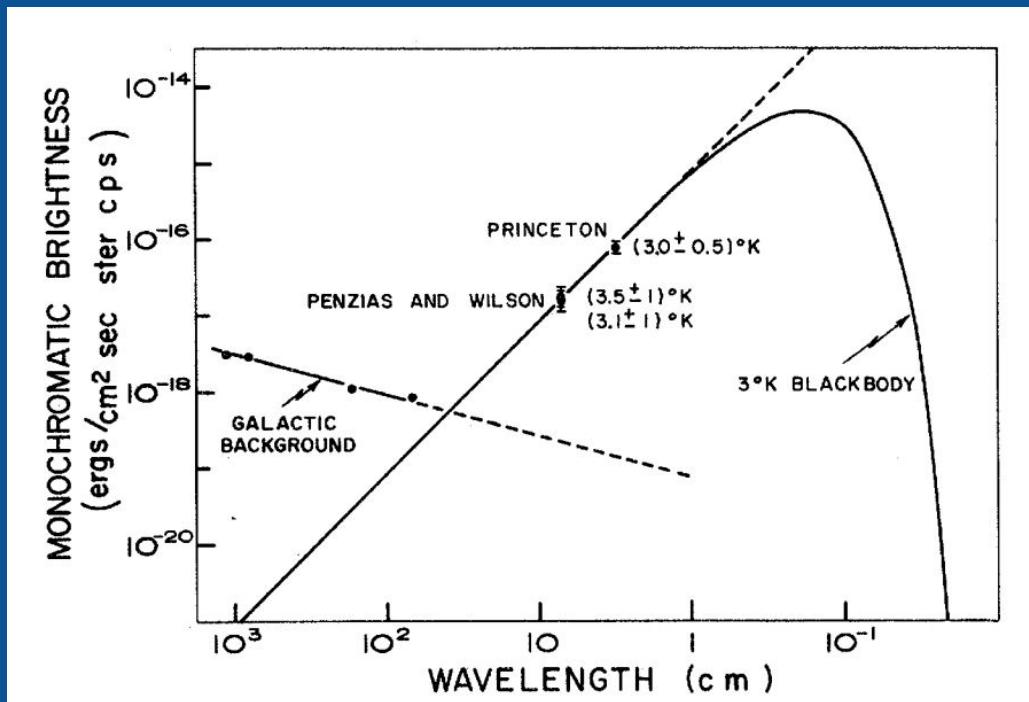
- Penzias & Wilson detect *excess radiation* in their radio antenna at  $\nu = 4$  GHz, corresponding to a  $T \approx 3$  K **radiation**
- Dicke, Peebles, Roll & Wilkinson interpret this signal as the Cosmic Microwave Background (CMB)



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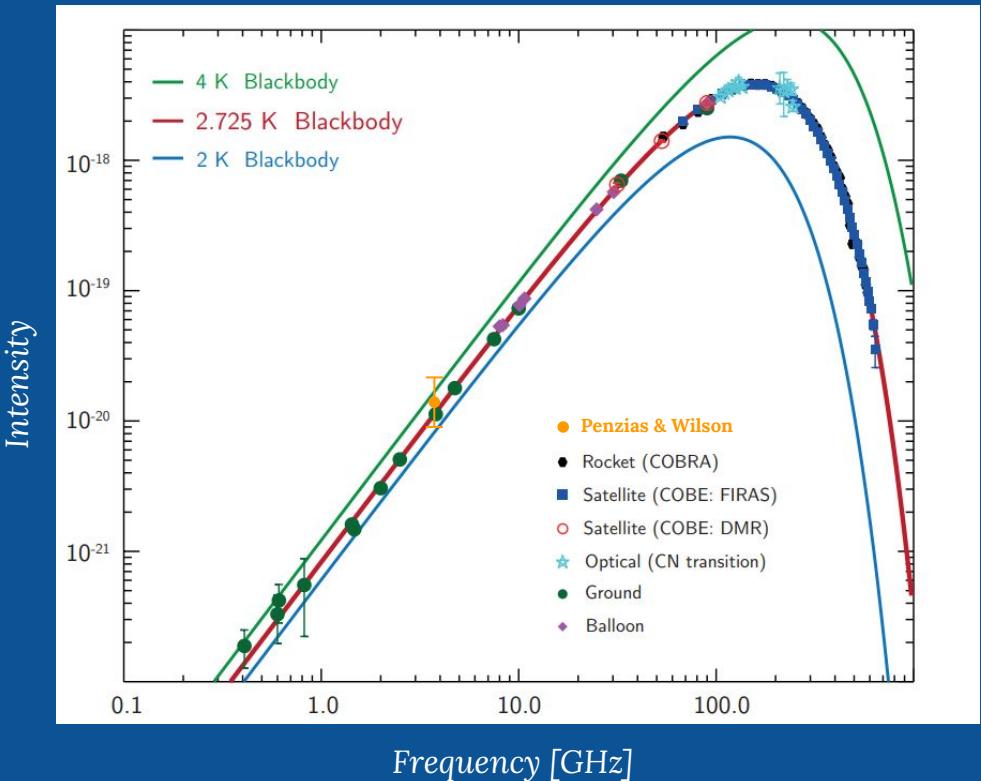
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# The CMB Frequency Spectrum

The CMB is consistent with a **black-body** spectrum at a temperature of **2.7255 K**

- First measurement by the **COBE FIRAS** instrument (1990)

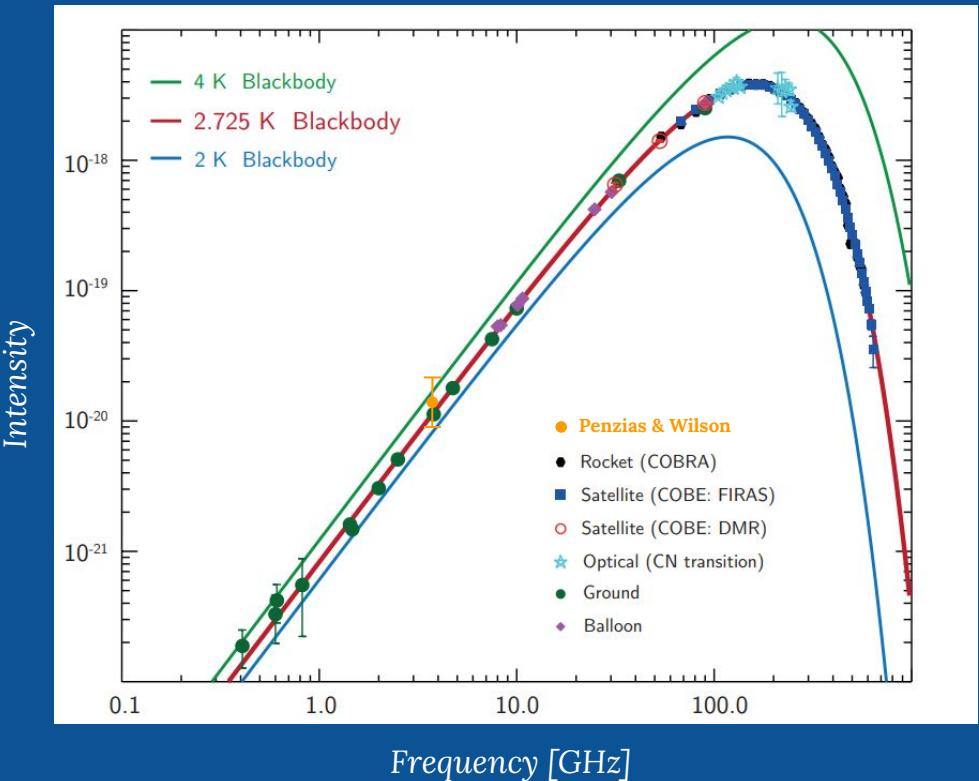


# The CMB Frequency Spectrum

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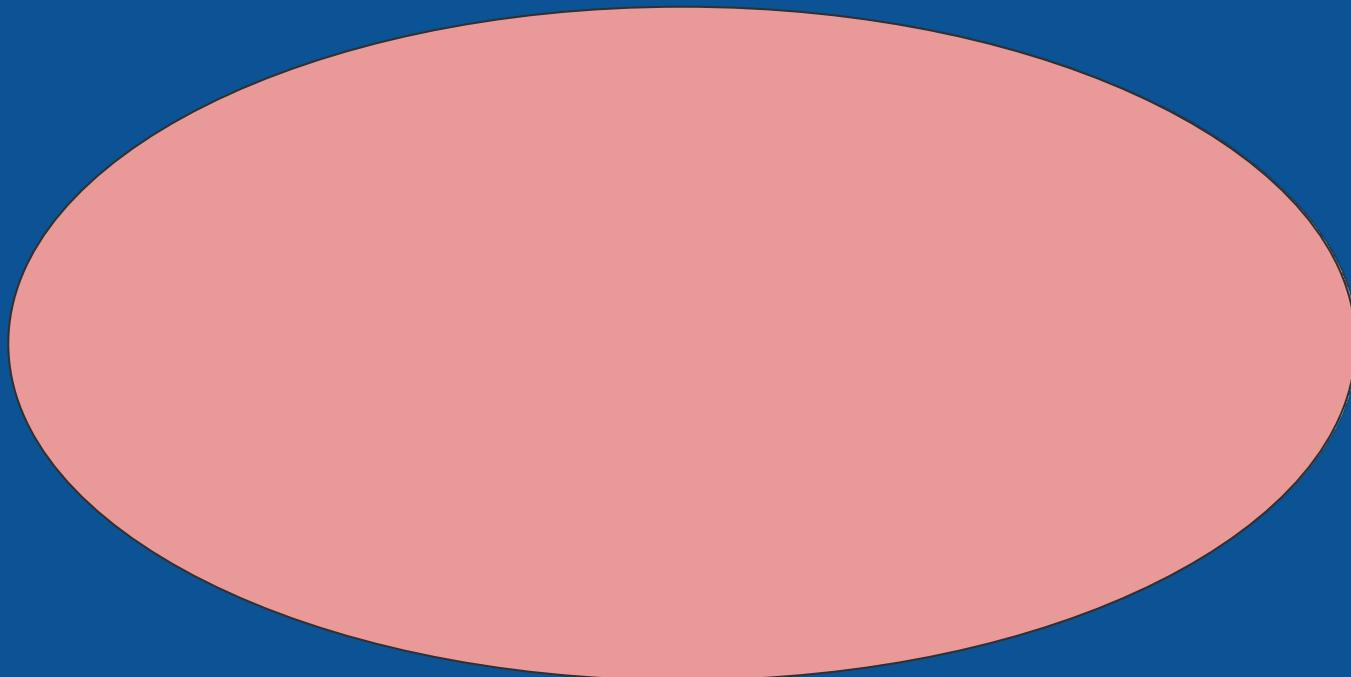
- First measurement by the **COBE FIRAS** instrument (1990)

This precise measurement is a pillar of the Big Bang model, proving the early universe was in near-perfect thermal equilibrium



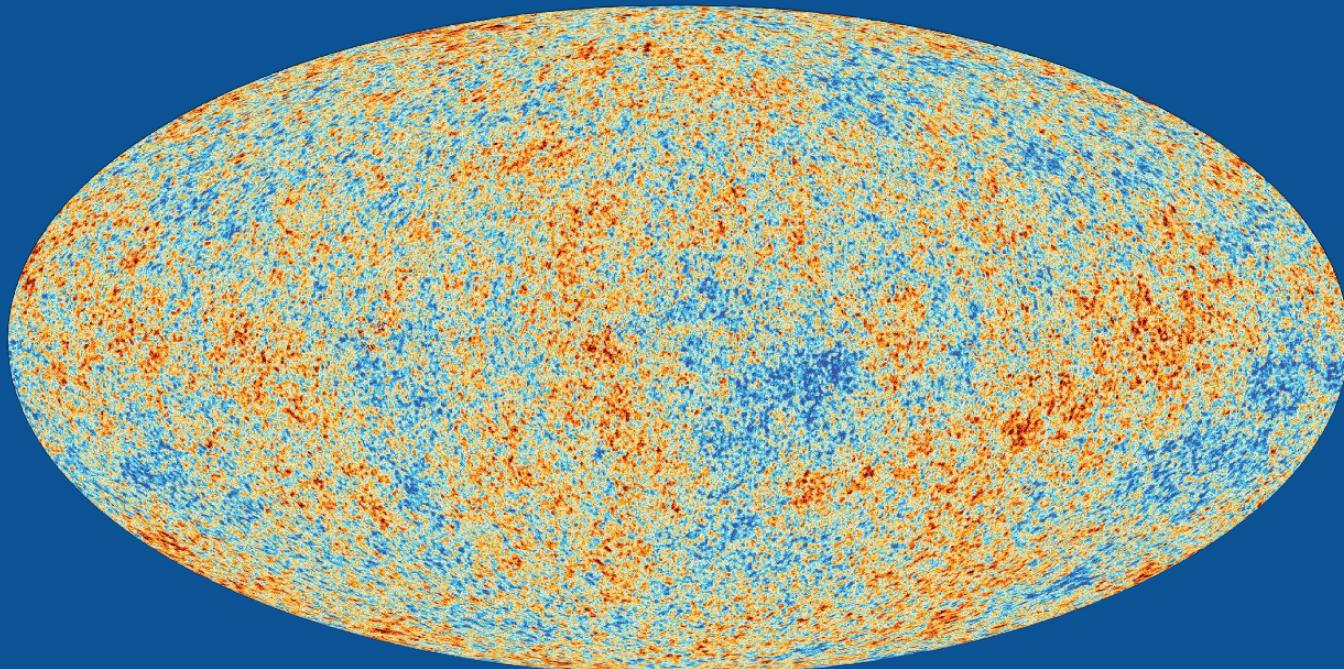
# CMB anisotropies

An almost perfect black-body spectrum at a temperature of  $T_0 = 2.7255$  K today



# CMB anisotropies

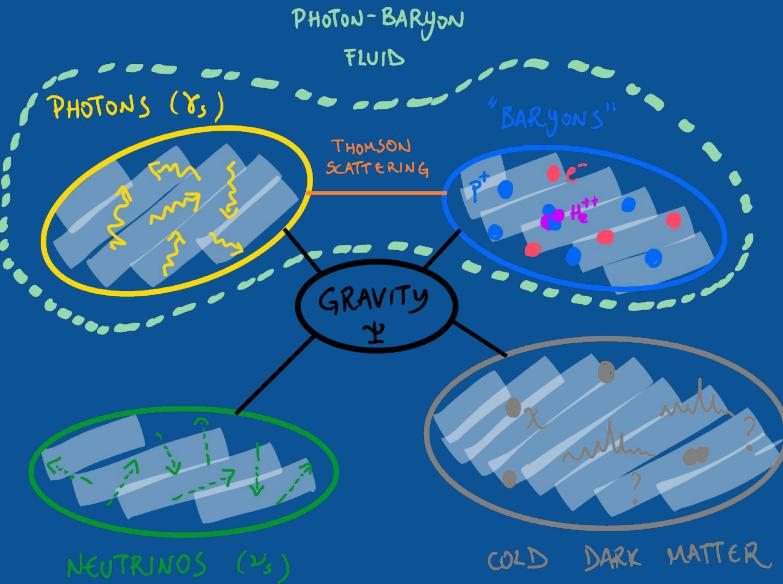
Small temperature **anisotropies** in the order of  $\Delta T/T \sim 10^{-5}$



# Cosmic Sound Waves

- Photons and baryons are strongly coupled  
Ideal fluid: {
  - Photons → pressure
  - Baryons → containment
- Initial fluctuations excited sound waves in the primordial plasma
- Gravity sources the fluctuations in the photon-baryon fluid

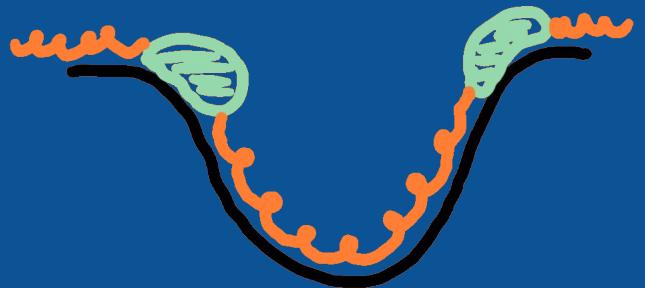
$$\ddot{\delta}_\gamma - c_\gamma^2 \underbrace{\nabla^2 \delta_\gamma}_{\text{Photon Pressure}} = \underbrace{\nabla^2 \Phi_+}_{\text{Gravity}}$$



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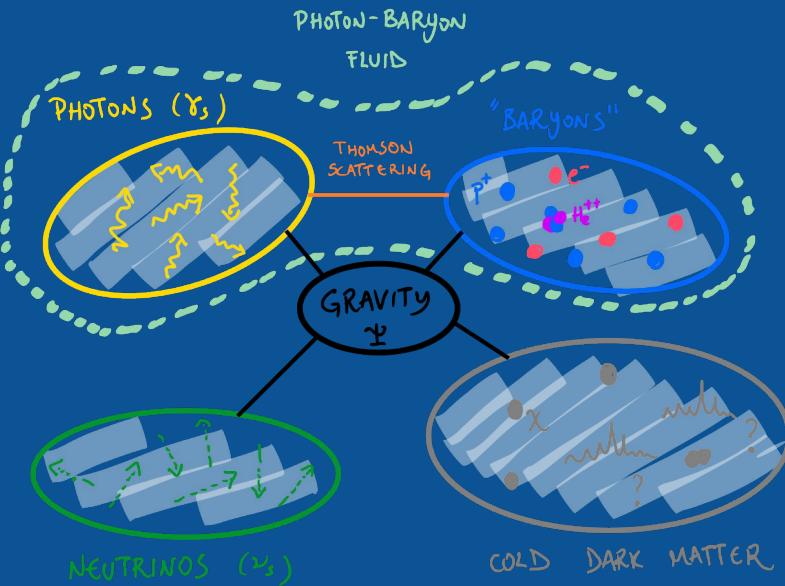
Photon Pressure      Gravity



$$\delta_\gamma \sim \underbrace{A_{\vec{k}}}_{\text{Initial condition (inflation)}} \cos(c_s k \tau),$$

$$c_s^2 \sim \frac{c}{3(1 + R_b)}$$

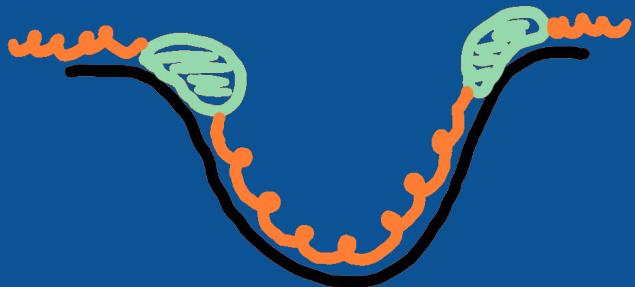
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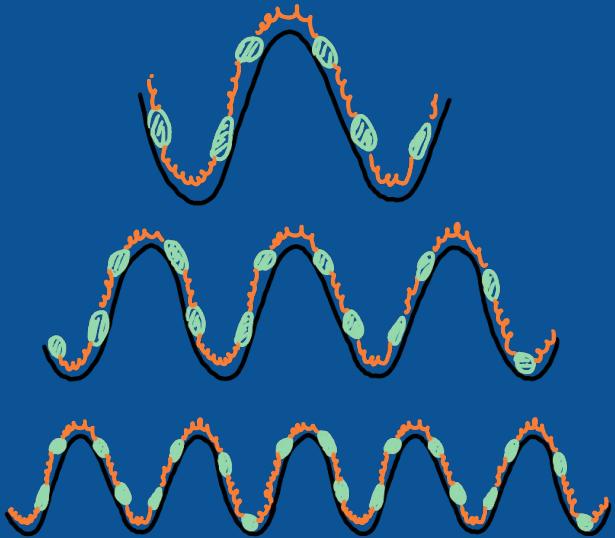


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Initial fluctuations generate curvature perturbations at all scales!



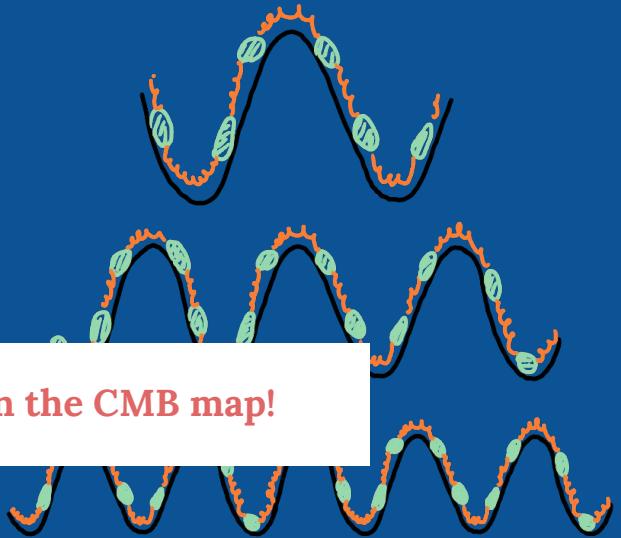
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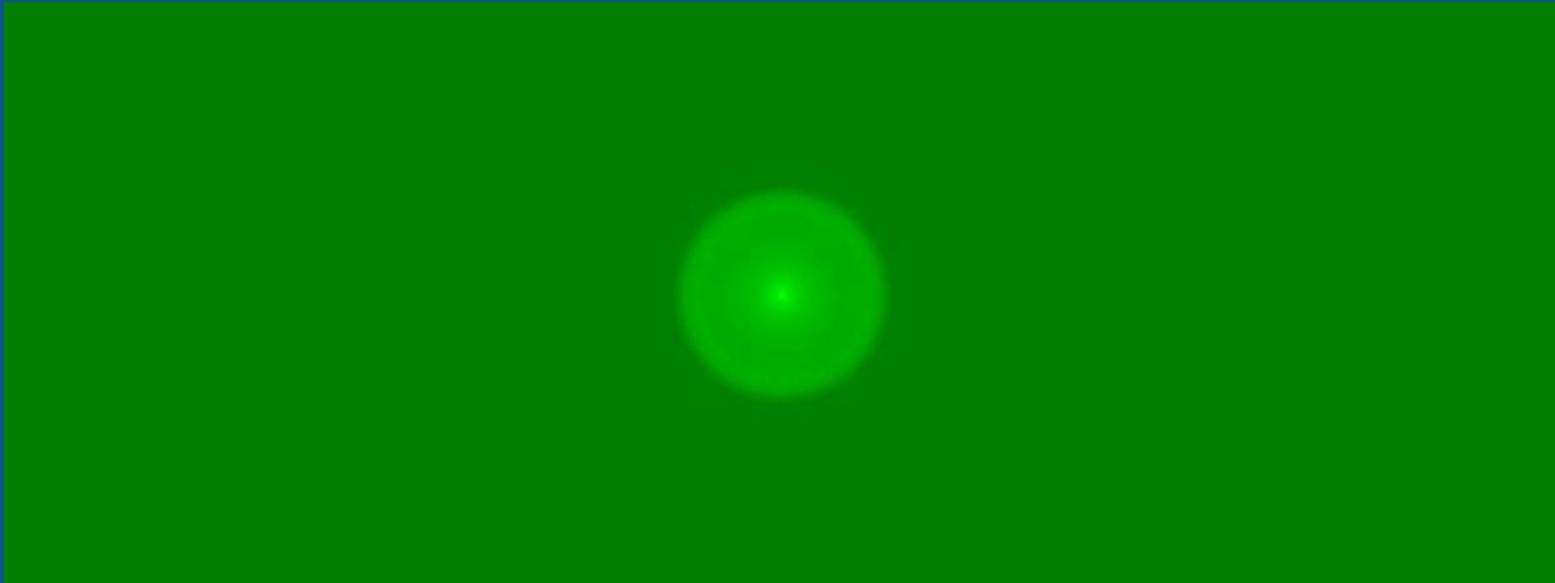
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$$R_b \equiv 3\bar{\rho}_b / (4\bar{\rho}_\gamma)$$

# Cosmic Sound Waves

The CMB is the final snapshot of the **superposition of many incoherent sound waves**, that have been oscillating for ~400,000 years



The state of these oscillations is **frozen** at recombination when the baryons release the photons.

# The CMB Power Spectrum

The CMB angular power spectrum represents the variance of temperature fluctuations as a function of angular scale

A spherical harmonic expansion of the temperature field

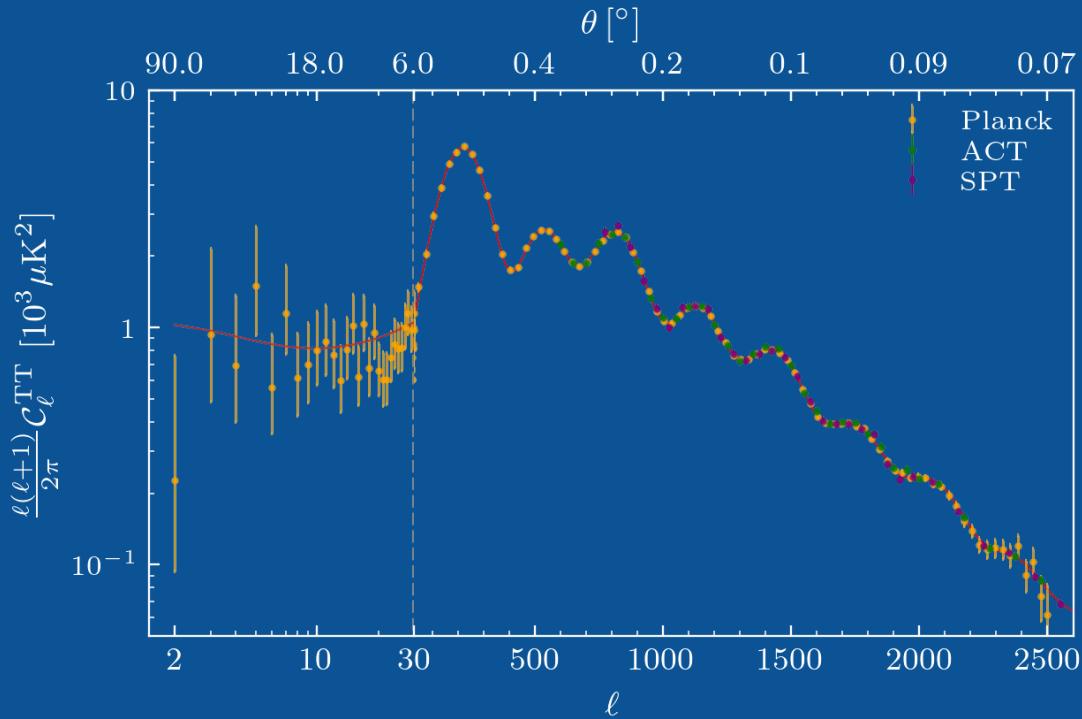
$$\Theta(\hat{\mathbf{n}}) \equiv \frac{\Delta T(\hat{\mathbf{n}})}{\bar{T}} = \sum_{\ell m} \Theta_{\ell m} Y_{\ell m}(\hat{\mathbf{n}})$$

$$\mathcal{C}_\ell \equiv \frac{1}{2\ell + 1} \sum_{m=-\ell}^{\ell} |\Theta_{\ell m}|^2$$

This compresses  $10^7$  pixels of the CMB map into  $10^3$  multipole moments

# The CMB Power Spectrum

The CMB angular power spectrum represents the variance of temperature fluctuations as a function of angular scale

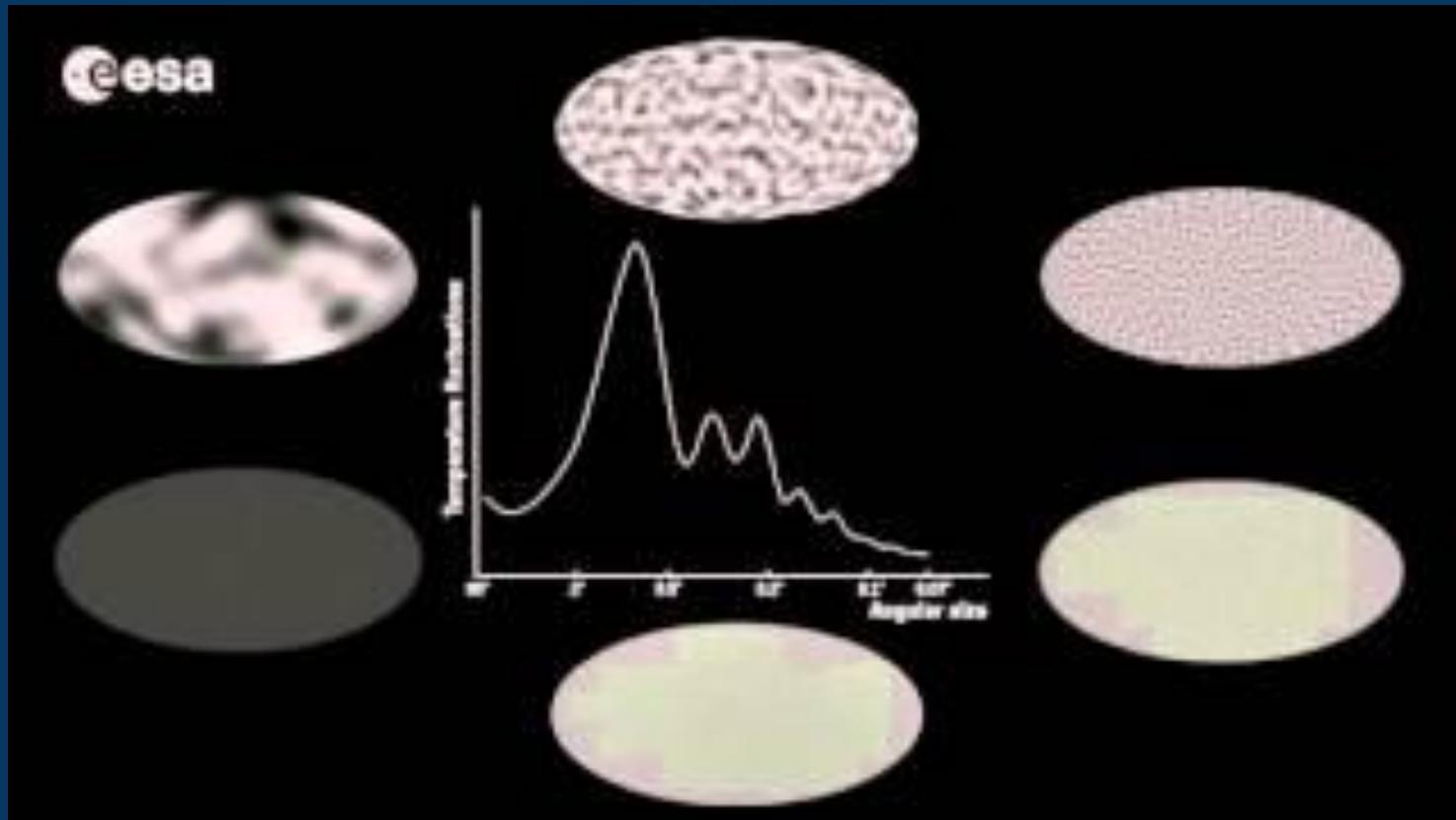


$$\delta_\gamma \sim A_{\vec{k}} \cos(c_s k \tau),$$

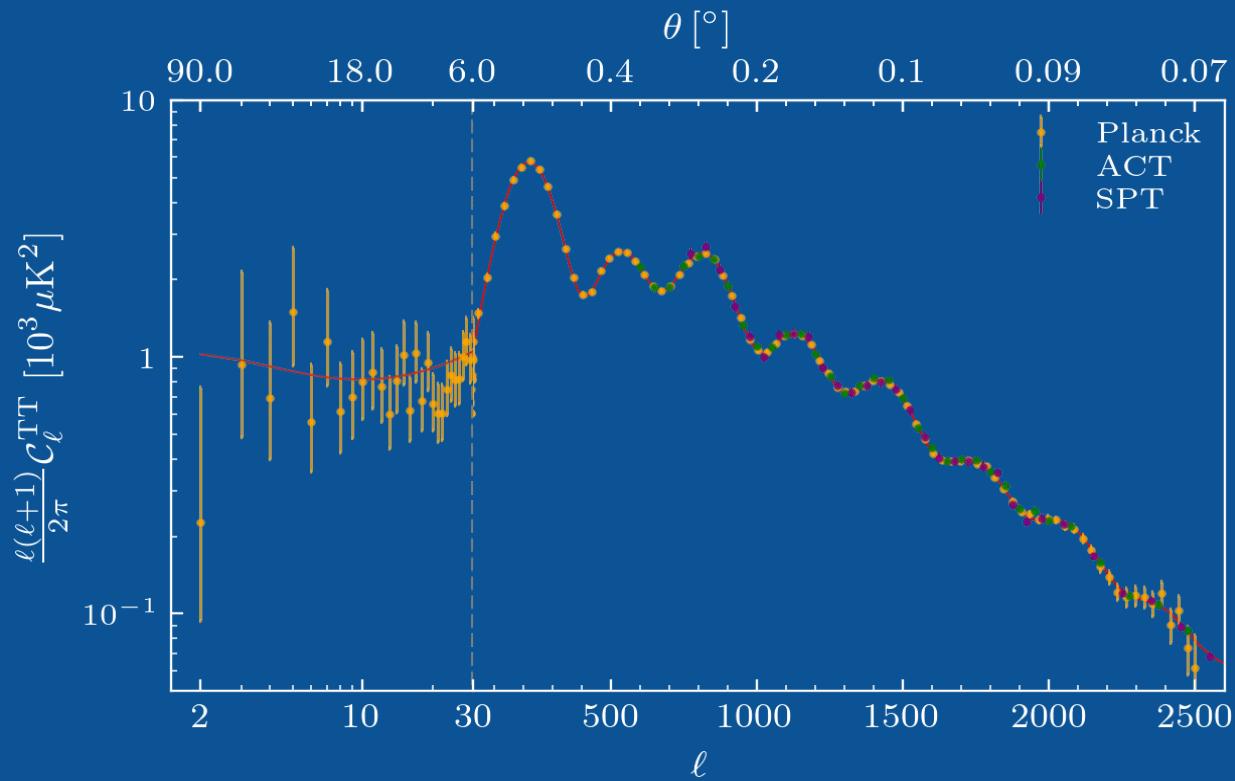
↓

$$C_\ell^{\text{TT}} \propto \cos^2(\theta_s \ell)$$

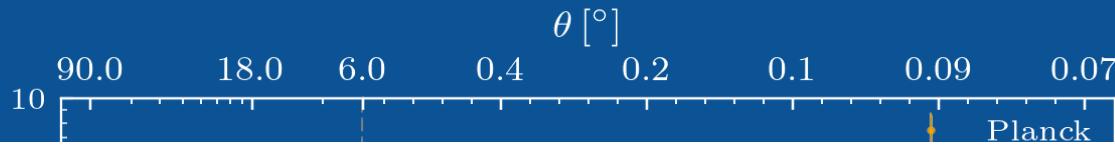
# CMB Power Spectrum



# What can we learn from the CMB Power Spectrum?



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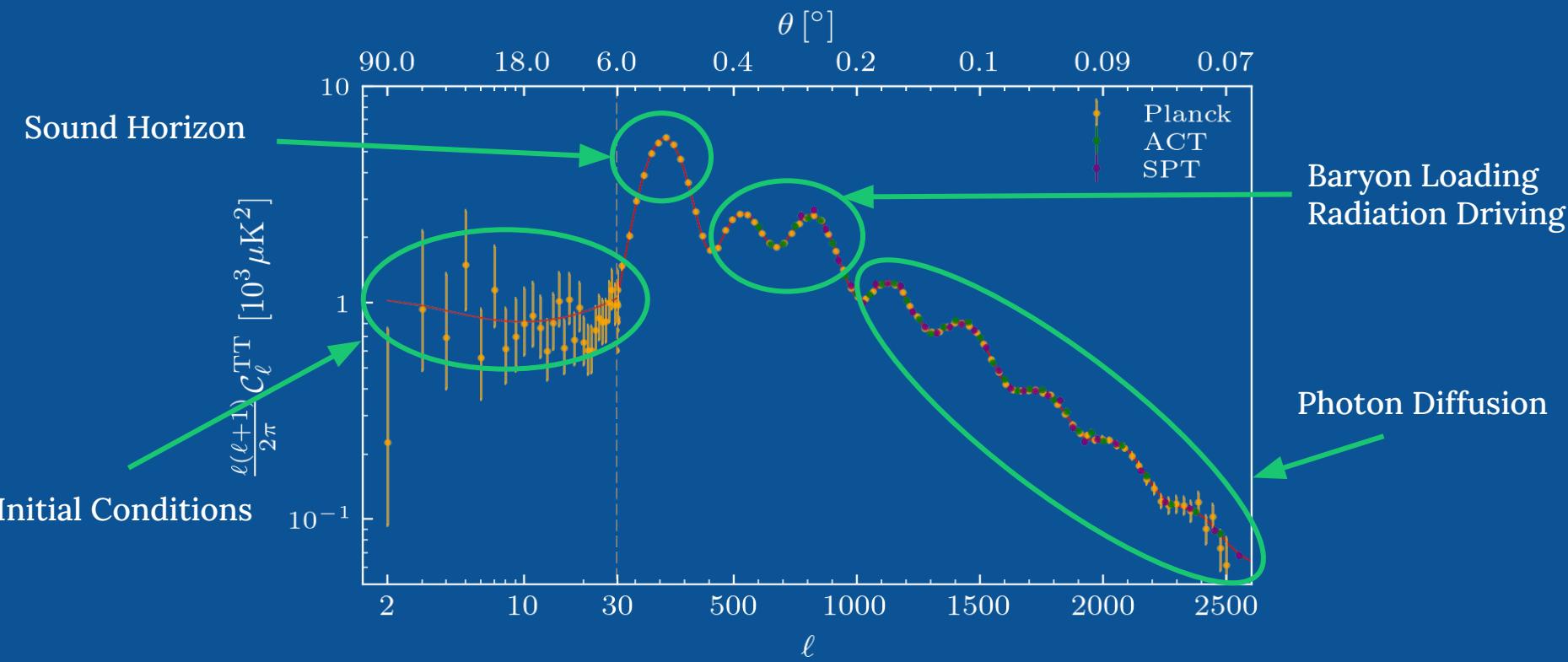


A LOT!

Recall: the temperature spectrum traces density perturbations

revealing the universe's composition, geometry, and its primordial spectrum of fluctuations

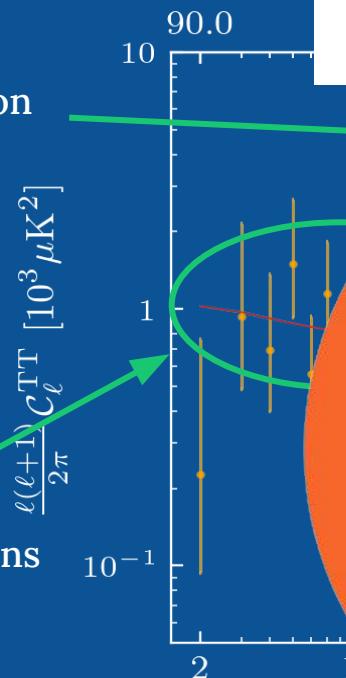
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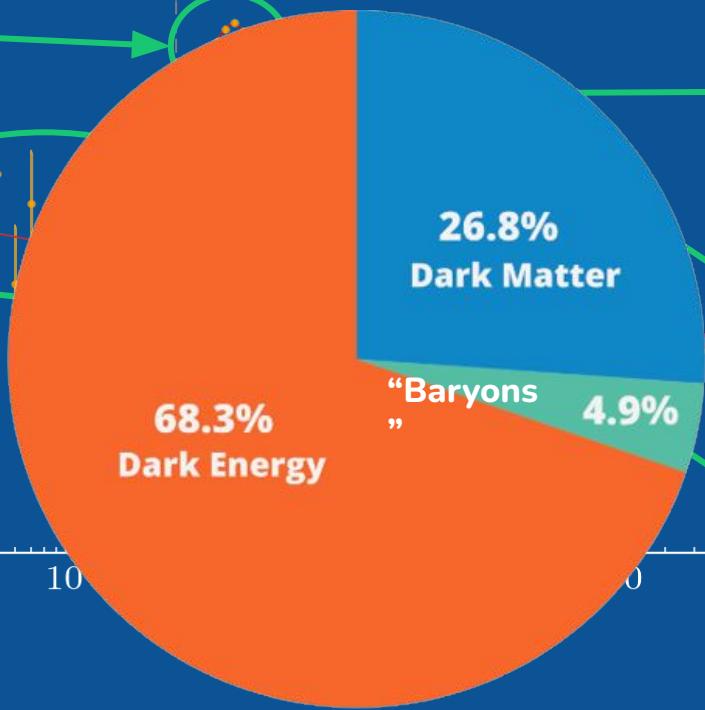
# What can we learn from the CMB Power Spectrum?

## The Flat $\Lambda$ CDM Model

Sound Horizon



Initial Conditions



Baryon Loading  
Radiation Driving

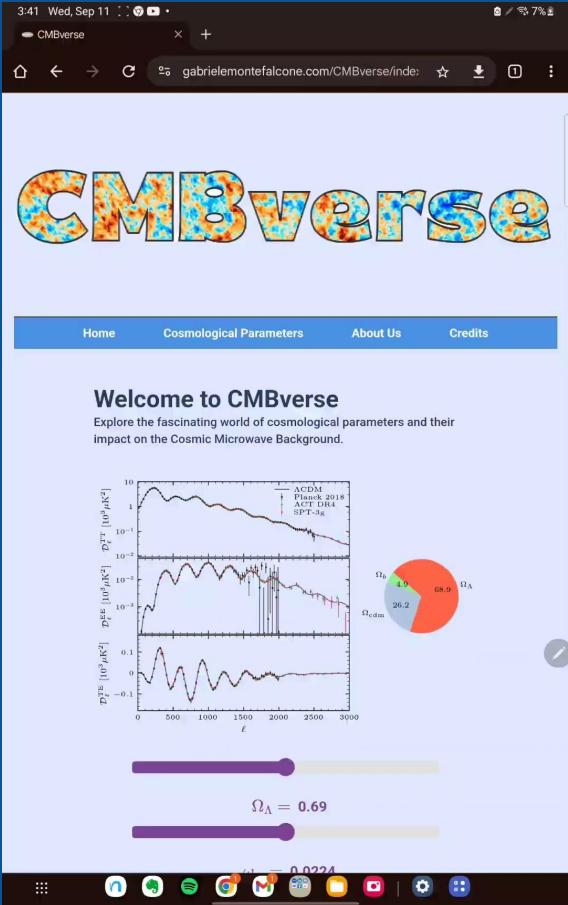
Photon Diffusion

# What Else?

- The CMB is **polarized**
  - Generated by a non-vanishing **quadrupole** of the temperature anisotropy
  - Less power than temperature spectrum but a clear probe of the physics at the very last scattering surface.
- The CMB is **lensed**
  - **Gravitational lensing** by large-scale structures distorts the CMB, slightly altering its path on its way to us
  - Provides a unique way to map the matter distribution and trace the growth of structure over time

C  
M  
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V  
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E

# A New Website to Learn about the CMB



## Preliminary



Jack



Sofia



Chase

# Main Takeaways

- The CMB is the **relic radiation associated with the formation of the first hydrogen atoms** and the consequent decoupling of photons from the plasma.
- The CMB is consistent with a **black-body spectrum** at a temperature of **2.7255 K**, providing strong evidence that the early universe was in **near-perfect thermal equilibrium**, thereby confirming the Big Bang Theory.
- The **patterns in the spectrum of the fluctuations in the CMB** encode information about the physical processes in the early universe and its subsequent expansion, revealing the **Universe's composition, geometry, and the growth of cosmic structures**.