

Deployment of unsupervised learning in the search for new physics at the LHC with the ATLAS detector

by

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THESIS

for the degree of

MASTER OF SCIENCE



Faculty of Mathematics and Natural Sciences
University of Oslo

Autumn 2022

Deployment of unsupervised learning in the search for new physics at the LHC with the ATLAS detector

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Printed: Reprosentralen, University of Oslo

Abstract

Acknowledgments

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Introduction

Outline of the Thesis

Chapter 1

Machine learning

Anomaly detection

Anomaly detection is a tool with a wide range of uses, from time series data, fraud detection or anomalous sensor data. Its main purpose is to detect data which does not conform to some predetermined standard for normal behavior. The predetermined standard varies from situation to situation, both from the context it self and what is expected as an anomaly. Anomalies are typically classified in three categories [1]:

1. Point anomalies
2. Contextual anomalies
3. Collective anomalies

Point anomalies are singular or few outliers from a larger context or group. These anomalies can occur in many situations, are indeed quite important to detect. One such example is Michael Phelps. Phelps is famous for being one of the best swimmers of all time. Along with extensive training, planning and dedication, he has another tool that has helped him, he does not produce much lactic acid. In fact, his body produces so little that he can swim continuously and much more intensive than most other top swimmers. This ability is not common, infact it is very rare amongst humans, and can be considered a point anomaly. It is important to understand that point anomalies does not have to be singular occurrences. Rather they are extremely rare events that deviate alot from the expected behavior.

Contextual anomalies are another kind of anomalies, and are defined based on the context of the anomaly and data, rather than as a whole. Suppose you have have data on continuous stream of gas in a pipe. The extraction of this gas is day dependent, to the point where the delivery on Saturdays might oscillate between half and 3/4 of that of Monday through Friday, due to shorter work day. Should there one Saturday suddenly flow the same amount as Friday, an analyst think nothing of this, but due to this being a Saturday, the context of this behavior dictates that this be categorized as a contextual anomaly.

The last type of anomaly described by Chandola, Banerjee and Kumar [1] are the collective anomalies. The collective anomalies are anomalies that as a group deviate from the expected behavior of the dataset. In particle physics these anomalies are the only type that are of interest. This is because there are so many sources for anomalous behavior in an experiment that only collective one are worth investigating.

Neural Networks

There are several categories of statistical algorithms for data analysis within machine learning. Amongst them are neural networks, which have for the last decade exponentially been used within industry and academia for a number of usecases. From image analysis to weather prediction, these models are used extensively.

Neural networks, or feed forward neural networks (FFNN), are based on a few principles. First, the data is feeded forward through the network. The end output is evaluated in some fashion, and corrections are then

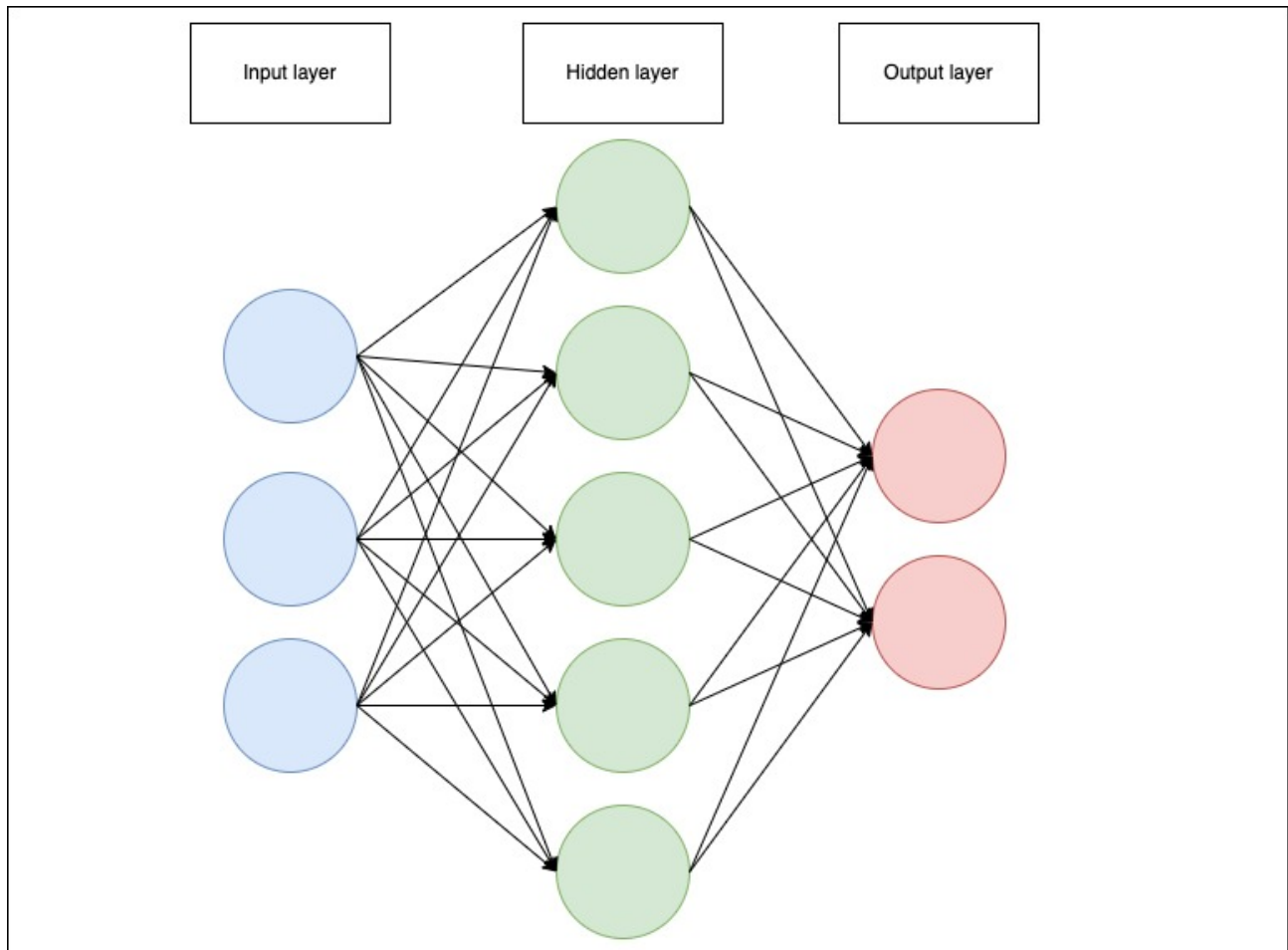


Figure 1.1: Simple neural network diagram drawm using Draw.io. Here the blue dots are the input layer, the green dots are a hidden layer, and the red dots are the output layer. The arrows shows the connections between each node.

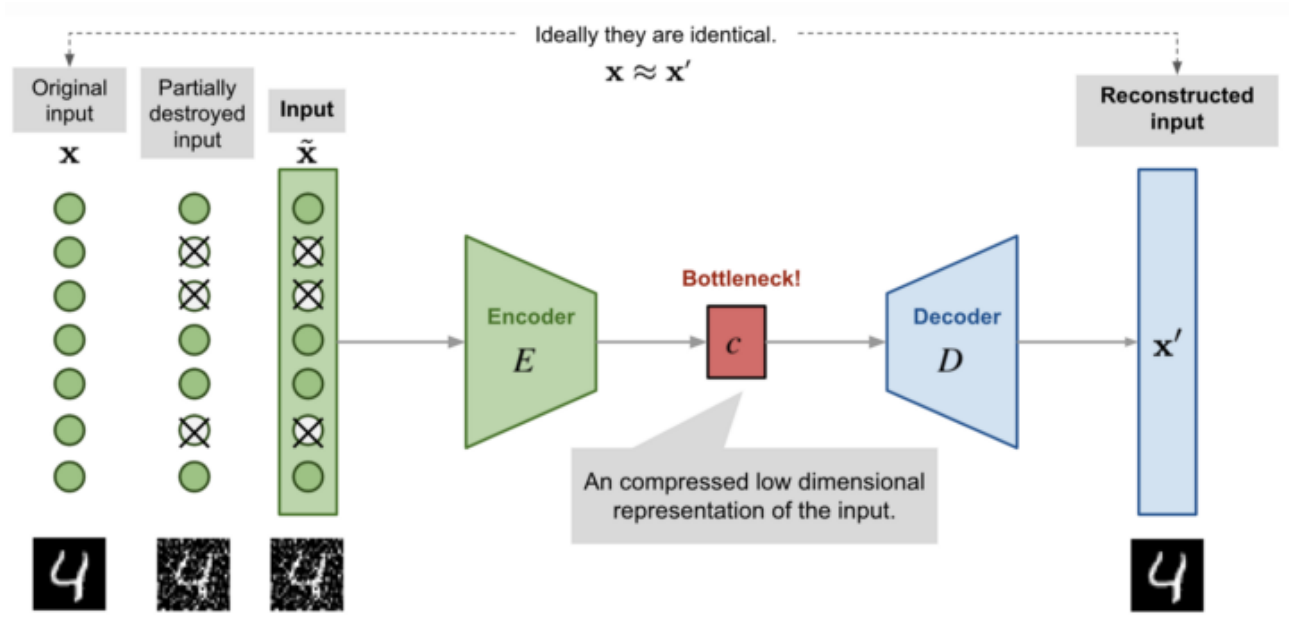


Figure 1.2: Figure depicting a model for an image denoising autoencoder. Here the input \mathbf{x} is the original image, $\tilde{\mathbf{x}}$ is a noised version of \mathbf{x} , E is the encoder, D is the decoder, and c is the latent space. Found 27.09.22 [here](#).

back propagated through the network, updating the weights and biases. This "training" is done until a sufficient threshold is met. A general layout of a neural network is displayed in figure 1.1.

The input layer has the same shape of the dataset one uses to train or predict on, with one node for each feature in the dataset. The next layer is the hidden layers. For a given network, the amount of hidden layers can be tuned, as well as the number of nodes per layer. Finally, the last hidden layer is connected to the output layer, which is determined by the aim of the problem. In the case of figure 1.1, this neural network would represent a binary classification problem, in other words, two categories. The nodes in the network interacts through so called weights w and biases b . These are known as tunable parameters, which needs to be trained on the dataset before any prediction can be made.

Backpropagation

Feed forwarding

Autoencoders

Autoencoders are a subset of neural networks. Whereas a general neural network in principle can take any shape, autoencoders are more restrictive. This restrictiveness can in its most general sense be condensed into the following points:

- Same number of output categories as input categories
- A latent space with smaller dimensionality than the input/output layer

What we end up with two funnel shaped parts linked together. The two funnels are called the encoder (left funnel) and decoder (right funnel) respectively. This architecture is not accidental, but rather designed with a very specific solution of problems in mind, reconstruction. A good example to illustrate this is image denoising, illustrated in figure 1.2. Suppose you have a noised image, and want to denoise it. By feeding the encoder a noised image, and comparing the decoder output to the actual image, the autoencoder can tune itself to denoise images.

Mathematically this is represented as follows. Using the annotations of each component in figure 1.2 we have that the decoded information is defined as follows

$$\mathbf{c} = \mathbf{E}_{\phi}(\mathbf{x}),$$

and the reconstruction given as

$$\mathbf{x}' = \mathbf{D}_\theta(\mathbf{E}_\phi(\mathbf{x})).$$

The parameters (ϕ, θ) are the tuneable parameters adjusted according to the loss function. In our case, the goal is reconstruction without copying, thus we can simply use mean squared error, given as

$$L_{AE}(\phi, \theta) = \frac{1}{N} \sum_{i=0}^{N-1} (\mathbf{x}^i - \mathbf{D}_\theta(\mathbf{E}_\phi(\mathbf{x}^i)))^2 \quad (1.1)$$

Chapter 2

Standard model phenomenology

Structure and composition of the Standard Model

Limitations

All though the standard model have had great success comparing with experiments, there are still several problems not addressed by it. First and foremost, the standard model as described above, does not and cannot explain gravity in a quantized way. There are models that try to address this problem, but they supplement the standard model, and does not derivate it from it.

Proposal model

Chapter 3

Implementation

ROOT

It is a lot.

The dataset features

RMM matrix

Most of the features in the analysis are elements in the so called Rapidity-Mass (RMM) matrix inspired by the work of Chekanov [2].

!! Motivation for using such a matrix in machine learning -> hint to highly uncorrelated feats!!

Its composition is determined as a square matrix of $1 + \sum_{i=1}^T N_i$ columns and rows, where T is the total number of objects (i.e jets, electrons etc.), and N_i is the multiplicity of a given object. In the case of the same number of a given object for all objects, we can denote the RMM matrix as a $TmNn$ matrix, where m is the multiplicity of T, and n is the number of particle per type. Thus there is already room for evaluation, as the combination of number of objects and the number of each object type highly affects the analysis as well as computational resources. Each cell in the matrix contains information about either single or two particle properties. An example is shown in matrix 3.1.

$$\begin{pmatrix} \mathbf{e}_T^{\text{miss}} & m_T(j_1) & m_T(j_2) & m_T(e_1) & m_T(e_2) \\ h_L(j_1) & \mathbf{e}_T(\mathbf{j}_1) & m(j_1, j_2) & m(j_1, e_1) & m(j_1, e_2) \\ h_L(j_2) & h(j_2, j_1) & \delta \mathbf{e}_T(\mathbf{j}_2) & m(j_2, e_1) & m(j_2, e_2) \\ h_L(e_1) & h(e_1, j_1) & h(e_1, j_2) & \mathbf{e}_T(\mathbf{e}_1) & m(e_1, e_2) \\ h_L(e_2) & h(e_2, j_1) & h(e_2, j_2) & h(e_2, e_1) & \delta \mathbf{e}_T(\mathbf{j}_2) \end{pmatrix} \quad (3.1)$$

In matrix 3.1 we have the RMM matrix for a T2N2 system, in other words we have two types of particles, jets and electrons, where each type has two particles. The matrix itself is partitioned into three parts. The diagonal represents energy properties, the upper triangular represents mass properties, and the lower triangular represents longitudinal properties. The diagonal has three different properties, $\mathbf{e}_T^{\text{miss}}$, \mathbf{e}_T and $\delta \mathbf{e}_T$. $\mathbf{e}_T^{\text{miss}}$ is placed in the (0,0) in the matrix. It accounts for the missing energy for the system, which is of high interest for this analysis due to the search for heavy neutrinos. \mathbf{e}_T is the transverse energy defined as

$$\mathbf{e}_T = \sqrt{\mathbf{m}^2 + \mathbf{p}_T^2}$$

but for light particles such as electrons, this can be approximated to $\mathbf{e}_T \approx \mathbf{p}_T$. $\delta \mathbf{e}_T$ is the transverse energy imbalance. It is defined as

$$\delta \mathbf{e}_T = \frac{\mathbf{E}_T(\mathbf{i}_n - 1) - \mathbf{E}_T(\mathbf{i}_n)}{\mathbf{E}_T(\mathbf{i}_n - 1) + \mathbf{E}_T(\mathbf{i}_n)}, \quad \mathbf{n} = 2, \dots, N$$

Code implementation

Chapter 4

Results

Chapter 5

Discussion

Conclusion

Future work, more work

Appendices

Appendix A

Appendix B

Appendix C

Appendix D

Bibliography

- [1] V. Chandola, A. Banerjee and V. Kumar, *Anomaly detection: A survey*, *ACM Comput. Surv.* **41** (07, 2009) .
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