

MARKING SCHEME
BSJE JOINT EXAMINAT-2024 -

Kenya Certificate of Secondary Education

121/2

Mathematics Alt. A

Paper 2

July, 2024 TIME: 2½ Hrs

Name: Index No:

School: Signature:

Instructions to candidates

121/2 - Mathematics
 Tuesday, 16TH July, 2024
 Morning
 8.00am-10.30am

- (a) Write your name and index number in the spaces provided above
- (b) Sign and write the date of examination in the spaces provided above
- (c) This paper consists of TWO sections: Section I and only five questions form Section II
- (d) Answer ALL the questions in Section I and only five questions from Section II
- (e) All answers and workings must be written on the question paper in the spaces provided below each question.

Show all the steps in your calculations, giving your answers at each stage in the spaces below each question.

- (f) Marks may be given for correct working even if the answer is wrong
- (g) Non-programmable silent electronic calculators and KNEC Mathematical tables may be used, except where stated otherwise.
- (h) This paper consists of 18 printed pages
- (i) Candidates should check the question paper to ascertain that all the pages are printed as indicated and that no questions are missing.

For Examiner's use only

Section I

1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16	Total

Section II

17	19	19	20	21	22	23	24	Total

Grand

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Total

SECTION I (50 marks)

1. Use logarithms to evaluate

(4marks)

$$\sqrt{\left(\frac{\log 9 \times 0.954}{0.301 \times 4.3}\right)^2} = \sqrt{\frac{0.301 \times 4.3}{\log 9 \times 0.954}}^2 = \frac{0.301 \times 4.3}{\log 9 \times 0.954} \quad | M_1 | \text{Correct logarithms}$$

NO	Std	Log
0.301	3.01×10	1.4786
4.3	4.3×10	0.6335
		0.1121
Log 9 (0.9542)	9.542	1.9796
0.954	9.54	1.9795
		1.9591

$$\begin{aligned}
 & 0.1121 \\
 & - 1.9591 \\
 \hline
 & 0.0530 \\
 & 10^0 \times 1.422 \\
 \Rightarrow & \cancel{1.422} \\
 \Rightarrow & 1.422
 \end{aligned}$$

 M_1 - Correct Addition & Subtraction M_1 - Antilogarithm A_1 - C.A.O

2. AB is the diameter of the circle. Given that A(2, -3) and B(4, -7). Find the equation of the circle in the form
- $x^2 + y^2 - 2ax + 2by + c = 0$
- (3 marks)

$$\begin{aligned}
 \text{Centre} &= \left(\frac{2+4}{2}, -\frac{-3+(-7)}{2}\right) \\
 &= (3, -5)
 \end{aligned}$$

$$x^2 - 6x + 9 + y^2 + 10y + 25 = 0$$

 M_1 - For both Centre & radius

$$\begin{aligned}
 \text{Radius} &= \sqrt{(1)^2 + (-2)^2} \\
 &= \sqrt{5}
 \end{aligned}$$

$$x^2 + y^2 - 6x + 10y + 29 = 0$$

 M_1 - Expression $(x-a)^2 + (y-b)^2 = r^2$

$$(x-3)^2 + (y+5)^2 = (\sqrt{5})^2$$

 A_1 / 03

3. A quantity P varies partly as the cube of Q and partly varies inversely as the square of Q. When Q = 2, P = 108 and when Q = 3, P = 259. find the value of P when Q = 6 (4 marks)

$$P \propto Q^3 + \frac{1}{Q^2}$$

$$211a = 1899$$

$$P = aQ^3 + \frac{b}{Q^2}$$

$$a = 9$$

$$108 = 8a + b$$

$$432 = 288 + b$$

$$259 = 27a + \frac{b}{9}$$

$$b = 144$$

$$432 = 32a + b \dots \text{(i)}$$

$$P = 9Q^3 + \frac{144}{Q^2}$$

$$2331 = 243a + b \dots \text{(ii)}$$

$$P = 9 \times 216 + \frac{144}{36}$$

$$P = 1948$$

 M_1 - Equation (i) & (ii) M_1 - Expression for value of b M_1 - Expression for P A_1 / 04

4. (a) expand $(a-b)^5$

$$\begin{array}{ccccccc} 1 & 5 & 10 & 10 & 5 & 1 \\ a^5 & a^4 & a^3 & a^2 & a^1 & a^0 \\ -b^5 & -b^4 & -b^3 & -b^2 & -b^1 & -b^0 \end{array}$$

$$a^5 - 5a^4b + 10a^3b^2 - 10a^2b^3 + 5ab^4 - b^5$$

(2 marks)

B1

B1

(b) Use the first three terms of the expansion in (a) the above to find the value of 1.97^5 to two decimal place

$$a^5 - 5a^4b + 10a^3b^2$$

$$(2-0.03)^5 = (a-b)^5$$

$$a=2$$

$$b=0.03$$

$$2^5 - (5 \times 2^4 \times 0.03) + 10(2^3 \times 0.03^2)$$

$$32 - 2.4 + 0.0072$$

5. Simplify without using tables or calculator

$$\Rightarrow 29.672$$

(2 marks)

$$\approx 29.67$$

M1

Substitute
for values
 $a=2$
 $b=0.03$

A1

C.A.D

$$\log_7 49 \times \log_3 27$$

$$\log_7 7^2 \times \log_3 3^3$$

$$2 \log_7 7 \times 3 \log_3 3$$

$$2 \times 3$$

$$\Rightarrow 6$$

(2 marks)

M1 - Simplified
Expression
for $\log 49$
& $\log 27$

A1

02

6. Water flows from a tap. At the rate 27cm^3 per second, into a rectangular container of length 60cm , breath 30 cm and height 40 cm . If at 6.00 p.m. the container was half full, what will be the height of water at 6.04 pm?

$$4 \times 60 = 240 \text{ sec}$$

height of water = $20+3.6$ (3 marks)

$$\text{Vol}_3 = \underline{27 \times 240}$$

$$= 6480 \text{ cm}^3$$

M1 Expression
for Vol.
 6480cm^3

$$= 6480 \text{ cm}^3$$

$$\approx 23.6 \text{ cm.}$$

M1 Expression
for H

$$V = 60 \times 30 \times h = 6480$$

$$h = 3.6 \text{ cm}$$

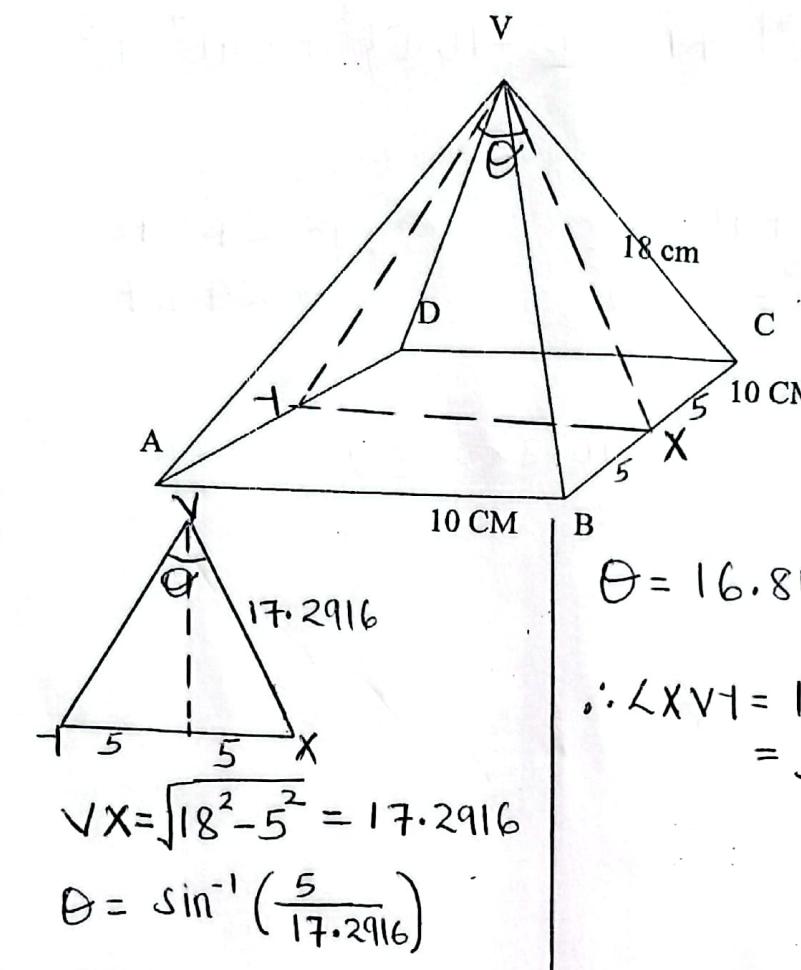
A1 C.A.

03

7.) Figure below shows a square based pyramid ABCD .AV=BV=CV=DV=18 cm.

AB = 10 cm. Calculate the angle between the plane BVC and AVD.

(3 marks)



M1 Expression for VX

M1 Expression for θ

A1 C.A.O

03

8. The roots of a quadratic equation are -3 and $\frac{1}{2}$. Form the quadratic equation in the form

$ax^2 + bx + c = 0$ Where a, b, and c are constants

(3 marks)

$$(x+3)(2x-1) = 0$$

$$2x^2 - x + 6x - 3 = 0$$

$$2x^2 + 5x - 3 = 0$$

$$\text{Accept: } x^2 + 2.5x - 1.5 = 0$$

B1 - For the roots in the form $(x+3) \cdot (2x-1)$

M1 - Expression

A1

9. Triangle ABC is mapped onto triangle A'B'C' by a transformation given by the matrix $N = \begin{pmatrix} 3 & 1 \\ -1 & 1 \end{pmatrix}$. If A'B' = 4 cm, find AB

(3 marks)

$$A \cdot S \cdot F = \text{Det} = \frac{3 - (-1)}{4} = \frac{4}{4} = 1$$

$$L \cdot S \cdot F = \sqrt{4} = 2$$

$$\frac{A'B'}{AB} = \frac{2}{1}$$

$$\frac{4}{AB} = \frac{2}{1}$$

$$AB = 2 \text{ cm}$$

 M_1 M_1 A_1

03

Determinant

Expression for L.S.F

10. Using $\log 2 = 0.3010$ and $\log 3 = 0.4771$, Evaluate $\log 45$

(3 marks)

$$\begin{aligned} \log 45 &= \log\left(\frac{45}{10}\right) + \log\left(\frac{9}{2}\right) \\ &\equiv \log\left(\frac{3^2}{2}\right) \\ &= 2\log 3 - \log 2 \\ &\Rightarrow 2(0.4771) - 0.3010 \\ &\Rightarrow 0.6532 \end{aligned}$$

11. The position of two towns A and B on the earth's surface are (36°N, 49°E) and (36°N, 131°W) respectively.

(a) Find the local time at A if the time at B is 12.35pm on Sunday.

(1mk)

$$\frac{180 \times 4}{60} = 12 \text{ hrs} \quad : + \begin{array}{r} 1235 \\ 1200 \\ \hline 2435 \end{array} \quad \text{Monday ; 12:35 a.m}$$

 B_1

(b) Using 6370km as the radius of the earth, calculate the shortest distance between town A and B

(2mks)

$$\begin{aligned} \theta &= 180 - (2 \times 36) \\ &= 108^\circ \end{aligned}$$

$$D = \frac{108}{360} \times 2 \times \frac{\pi}{7} \times 6370$$

$$\Rightarrow 12,012 \text{ km}$$

 M_1 A_1

Expression for Distance

12. The first, the third and the seventh terms of an increasing arithmetic progression are three consecutive terms of a geometric progression. If the first term of the arithmetic progression is 10, find the common difference of the arithmetic progression. (3Mrks)

$$\frac{a+6d}{a+2d} = \frac{a+2d}{a}$$

$$\frac{10+6d}{10+2d} = \frac{10+2d}{10}$$

$$100 + 20d + 20d + 4d^2 = 100 + 60d$$

$$4d^2 = 20d$$

$$d = 5$$

M1	Expression
	$\frac{10+6d}{10+2d} = \frac{10+2d}{10}$
M1	Simplified Expression
	$4d^2 = 20d$
A1	value of d

13. A two digit number is made by combining any of two digits 1,2,3,4, and 5 at random. Find the probability that the number formed is even (2marks)

X	1	2	3	4	5
1	X	1,2	1,3	1,4	1,5
2	2,1	X	2,3	2,4	2,5
3	3,1	3,2	X	3,4	3,5
4	4,1	4,2	4,3	X	4,5
5	5,1	5,2	5,3	5,4	X

$$P = \frac{8}{20}$$

$$\Rightarrow \frac{2}{5} \text{ or } 0.4$$

14. The deviation d from the mean X of the set of data x are given below;

X	15	18	M	23	M+6	28	30
d	-8	-5	Y	0	-y	5	7
a) d	8	5	3	0	3	5	7

(2 marks)

b) Find the value of m and y

$$m-y = 23$$

$$m+6+y = 23$$

$$m+y = 17$$

$$m-y = 23$$

$$m+y = 17$$

$$2m = 40$$

$$m = 20$$

$$20-y = 23$$

$$y = -3$$

(2 marks)

A1 - Expression for m

B1 - value for y
O2

c) Calculate the mean absolute deviation of the data

(2 marks)

$$\frac{\sum |d|}{N} = \frac{31}{7}$$

$$= 4.4286$$

$$\approx 4.429$$

M1 - $\frac{\sum |d|}{N}$ A1 - C.A
Accept 4.429

15. Make y the subject of the formula

(3 marks)

$$(q)^2 = (m)^2 \sqrt{\frac{r^2 - y^2}{y^2 - 3}}$$

$$q^2 = m^2 \left(\frac{r^2 - y^2}{y^2 - 3} \right)$$

$$\frac{q^2}{m^2} = \frac{r^2 - y^2}{y^2 - 3}$$

$$q^2 y^2 - 3q^2 = m^2 r^2 - m^2 y^2$$

$$q^2 y^2 + m^2 y^2 = m^2 r^2 + 3q^2$$

$$y^2 = \frac{m^2 r^2 + 3q^2}{q^2 + m^2}$$

$$y = \pm \sqrt{\frac{m^2 r^2 + 3q^2}{q^2 + m^2}}$$

M1 Squares.
 M1 Expression for
 Value of y^2
 A1 Value of y
 O3

16. Solve the equation: $3 \cos X = 2 \sin^2 X$ where $0 \leq X \leq 360$

(3 marks)

$$3 \cos X = 2(1 - \cos^2 X)$$

$$3 \cos X = 2 - 2 \cos^2 X$$

$$2 \cos^2 X + 3 \cos X - 2 = 0$$

let $\cos X$ be y

$$2y^2 + 3y - 2 = 0$$

$$2y^2 + 4y - y - 2 = 0$$

$$2y(y+2) - 1(y+2) = 0$$

$$(2y-1)(y+2) = 0$$

$$y = 0.5 \text{ or } -2$$

$$\cos X = 0.5$$

$$X = 60^\circ, 300^\circ$$

M1 Expression
 $2y^2 + 3y - 2 = 0$

M1 Values of y A1 Values of $X = 60^\circ, 300^\circ$

O3

Section II (50 marks) . Answer only five questions in this section in the spaces provided

17. The table below shows the analysis of examination marks scored by 160 candidates

Marks (%)	1-10	11-20	21-30	31-40	41-50	51-60	61-70	71-80	81-90	91-100
No of candidates	2	6	15	22	36	34	20	15	6	4

a) Using an assumed mean of 45.5, calculate

I. The mean

(3 marks)

Mark	x	f	$d = x - A$	fd	fd^2	Cf
1-10	5.5	2	-40	-80	3200	2
11-20	15.5	6	-30	-180	5400	8
21-30	25.5	15	-20	-300	6000	23
31-40	35.5	22	-10	-220	2200	45
41-50	45.5	36	0	0	0	81
51-60	55.5	34	10	340	3400	115
61-70	65.5	10	20	200	400	135
71-80	75.5	15	30	450	13500	150
81-90	85.5	6	40	240	9600	156
91-100	95.5	4	50	200	10000	160
		$\sum f = 160$		$\sum fd = -850$	$\sum fd^2 = 61300$	

$$\bar{X} = A + \frac{\sum fd}{\sum f}$$

$$= 45.5 + \frac{850}{160}$$

$$\Rightarrow 50.8125$$

(4 marks)

ii) Standard deviation;

$$\sqrt{\frac{\sum fd^2}{\sum f} - \left(\frac{\sum fd}{\sum f}\right)^2}$$

$$\sqrt{\frac{61300}{160} - \left(\frac{850}{160}\right)^2}$$

$$\Rightarrow 18.8389$$

b) Calculate the minimum mark for grade A if 40 student got grade A (3 marks)

$$60.5 + \left(\frac{120 - 115}{20} \right) 10$$

$\Rightarrow 63$ marks

18 .A and B are two points on latitude 40° .The two points lie on the longitude 80°W and 100°E respectively.(taking $\pi = \frac{22}{7}$ and $R = 6370 \text{ KM}$) .

(a) Calculate;

(i) The distance from A to B along the parallel of latitude

$$\frac{180}{360} \times 2 \times \frac{22}{7} \times 6370 \cos 40$$

$$= 15,336.21 \text{ km.}$$

(3mks)

M1

A1

03

Expression
including
longitudinal
difference.

(ii) The distance from A to B along the great circle

$$\theta = 180 - (2 \times 40) = 100^{\circ}$$

$$\frac{100}{360} \times 2 \times \frac{22}{7} \times 6370$$

$$\Rightarrow 1122 \frac{2}{9} \text{ km} \approx 1122.22 \text{ km}$$

(4mks)

M1

A1

02

(b) Two planes P and Q left A for B at 400 knots and 600 knots respectively. If P flew along the great circle and Q along the parallel of latitude ,which one arrived earlier and by how much?

Give your answer to the nearest minute.

AB in Great circle

$$(100 \times 60) = 6000 \text{ nm}$$

Time Taken by P

$$\Rightarrow \frac{6000}{400} \Rightarrow 15 \text{ hours.}$$

Distance in small circle; Q

$$60 \times 180 \cos 40 \\ \Rightarrow 8273.28 \text{ nm}$$

$$\text{Time by Q} = \frac{8273.28}{600}$$

$$= 13.79 \text{ hrs}$$

$$\approx 13 \text{ hr } 47 \text{ min}$$

Q arrived earlier by;

$$1.21 \text{ hours}$$

$$\text{or } 1 \text{ hr } 13 \text{ min } //$$

$$73 \text{ mins.}$$

Accept: 1 hr 12 min 36 sec

(3mks)

M1

M1

M1

M1

A1

05 mathematics

19. a) Complete the table below by filling in the blank spaces for the functions

$$y = \sin(x + 30^\circ) \text{ and } y = \cos \frac{1}{2}x$$

(2 marks)

X	0	30	60	90	120	150	180	210
$Y = \sin(x + 30^\circ)$	0.5	0.87	1	0.87	0.5	0.00	-0.5	-0.87
$Y = \cos \frac{1}{2}x$	1.00	0.97	0.87	0.71	0.5	0.26	0.00	-0.26

b.) Using the scale, x-axis 1cm = 30, y-axis 1cm = 0.5 units, draw their graphs of the functions on the same axes
(5marks)

c) Use your graph to solve

i. $\sin(x + 30^\circ) - \cos \frac{1}{2}x = 0$ (1 mark)

$$X = 120^\circ \pm 6^\circ$$

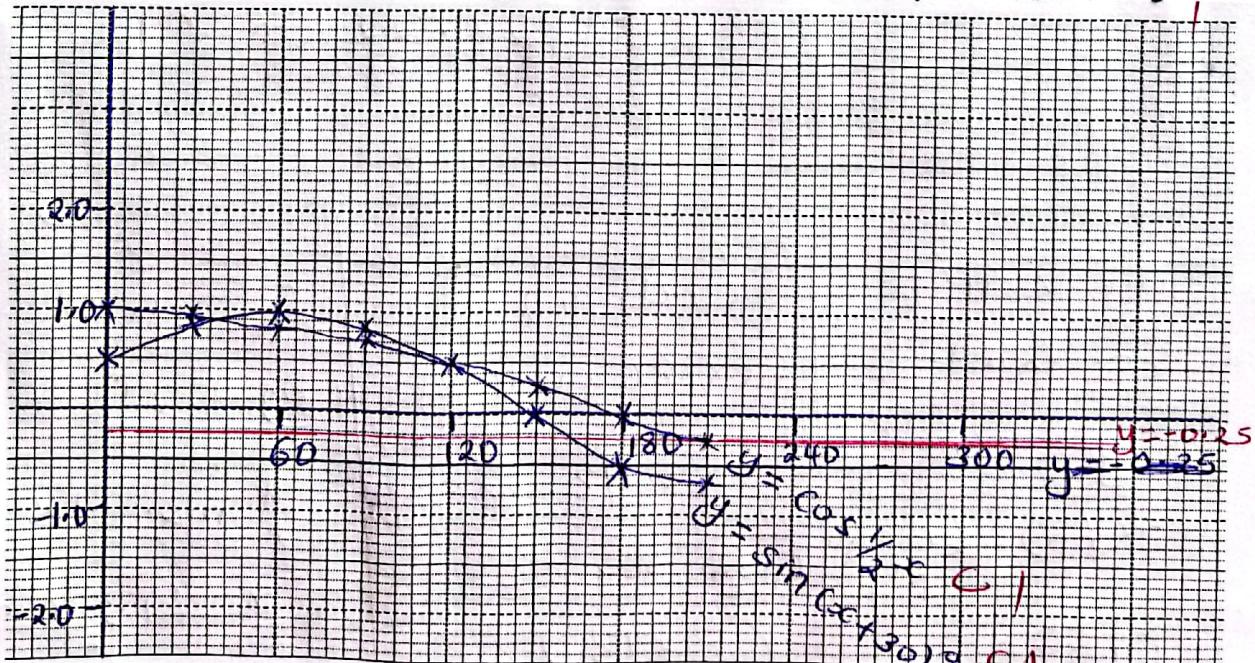
$$X = 36^\circ$$

ii. $\sin(x + 30^\circ) = 0$ (1 mark)

$$X = 156^\circ \pm 6^\circ$$

iii) $\cos \frac{1}{2}x = -0.25$ (1 mark)

$$X = 210^\circ \pm 6^\circ$$



S₁
P₁
P₁

10

20. The equation of a curve is $y=3x^2-4x+1$

a) Find the gradient function of the curve when $x=2$

$$\begin{aligned}\frac{dy}{dx} &= 6x - 4 \\ \Rightarrow & 6x - 4 \\ &= 6(2) - 4 \\ &= 8\end{aligned}$$

(2 marks)
M ₁
A ₁
O ₂

b) Determine

i) The equation of the tangent of the curve at the point (2, 5)

$$G = 6(2) - 4 = 8$$

$$\frac{y-5}{x-2} = 8$$

$$y = 8x - 16$$

(2marks)

M ₁
A ₁

ii) The angle which the tangent to the curves at the point (2,5) makes with the horizontal line

$$y = 8x - 11$$

$$\text{Gradient} = 8$$

$$\tan \theta = 8$$

$$\theta = 82.87^\circ$$

(2mks)

M ₁
A ₁
O ₂

iii) The equation of the line through the point (2, 5) which is perpendicular to the tangent in (b) i above

$$M_2 = -\frac{1}{8}$$

$$\frac{y-5}{x-2} = -\frac{1}{8}$$

$$8y - 40 = -x + 2$$

$$8y = -x + 42$$

$$x + 8y - 42 = 0$$

OR

$$y = -\frac{1}{8}x + \frac{21}{4}$$

(4marks)

B ₁	- M ₂
M ₁	Expression
	$\frac{y-5}{x-2} = -\frac{1}{8}$
M ₁	$8y - 40 = -x + 2$
A ₁	Equation in any form.
O ₄	

21. The table shows income tax rates for the year 2023

Monthly income in Kenya shillings	Tax Rate in each shilling
0 – 10164	10%
10165 – 19740	15%
19741 – 29316	20%
29317 – 38892	25%
38893 and above	30%

In a certain month of that year an employee's taxable income in the fourth band was K£ 334.2

Tax relief of Ksh 1162 pm. Was allowed.

a) Calculate

i) The employees total taxable income in that month

$$29316 + (334.2 \times 20)$$

$$\Rightarrow \text{Ksh. } 36,000$$

(3 marks)

M1

A1

ii) The P.A.Y.E. in that month

$$1^{\text{st}} \text{ band} = \frac{10}{100} \times 10164 = \text{Ksh. } 1016.40$$

$$2^{\text{nd}} \text{ band} = \frac{15}{100} \times 9576 = \text{Ksh. } 1436.40$$

$$3^{\text{rd}} \text{ band} = \frac{20}{100} \times 9576 = \text{Ksh. } 1915.20$$

$$4^{\text{th}} \text{ band} = \frac{25}{100} \times 6684 = \text{Ksh. } 1671$$

$$\text{G.T} = \text{Ksh. } 6039$$

Less Tax Relief;

$$- \frac{6039}{1162}$$

$$\text{Ksh. } 4877$$

(5 marks)

M1

M1

M1

M1

A1

05

b) The employees income included taxable allowances amounting to Kshs. 14000. The employees contributed 6% of the basic salary to a co-operative society. Calculate the employee net income for that month.

(3 marks)

$$\text{Basic Salary} = 36,000 - 14000$$

$$= \text{Ksh. } 22,000$$

$$\text{Co-operative} = \frac{6}{100} \times 22,000 \Rightarrow \text{Ksh. } 1320$$

$$\text{Total deduction} \Rightarrow 1320 + 4877$$

$$\Rightarrow \text{Ksh. } 6197$$

$$\text{Net Income} = 36,000 - 6197$$

$$= \text{Ksh. } 29,803$$

M1

M1

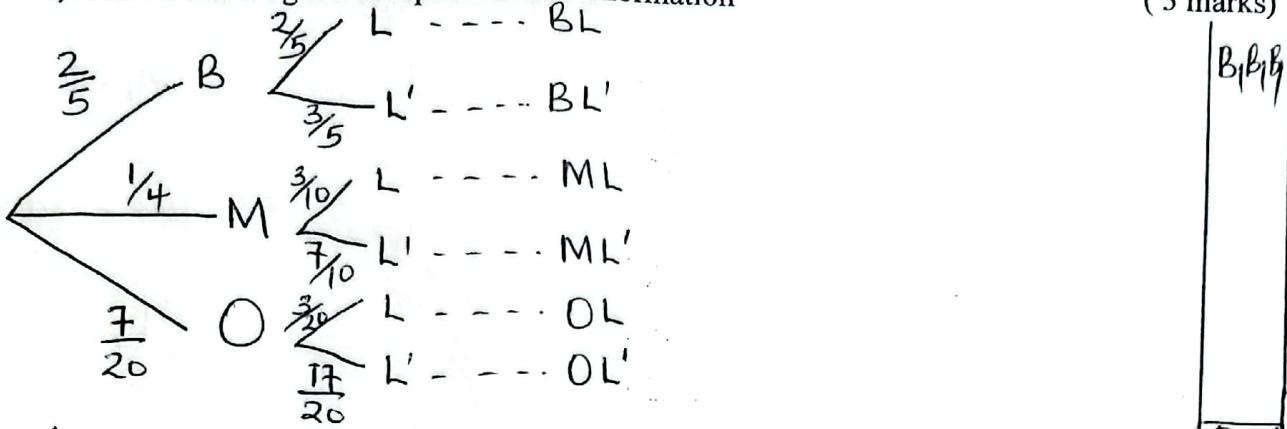
A1

03

22. The probability that Zora goes to school by boda boda is $\frac{2}{5}$ and by a matatu is $\frac{1}{4}$. If she uses a boda boda, the probability that she will be late is $\frac{2}{5}$ and $\frac{3}{10}$ if she uses a matatu. If she uses other means of transport the probability of being late is $\frac{3}{20}$

a) Draw a tree diagram to represent this information

(3 marks)



b) Find the probability that she will be late for school

$$P(BL \text{ or } ML \text{ or } OL)$$

(2 marks)

$$\left(\frac{2}{5} \times \frac{2}{5}\right) + \left(\frac{1}{4} \times \frac{3}{10}\right) + \left(\frac{7}{20} \times \frac{3}{20}\right)$$

$$\frac{4}{25} + \frac{3}{40} + \frac{21}{400}$$

$$\Rightarrow \frac{115}{400} \text{ or } \frac{23}{80}$$

M1

A1

02

c) Find the probability that she will be late for school if she does not use a matatu

(3 marks)

$$P(BL \text{ or Other Mean})$$

$$= \left(\frac{2}{5} \times \frac{2}{5}\right) + \left(\frac{7}{20} \times \frac{3}{20}\right)$$

$$\Rightarrow \frac{85}{400} \text{ or } \frac{17}{80} \quad \text{not}$$

M1

M1

A1

03

d) Find the probability that she will be late for school

(2 marks)

$$\left(\frac{2}{5} \times \frac{3}{5}\right) + \left(\frac{1}{4} \times \frac{7}{10}\right) + \left(\frac{7}{20} \times \frac{17}{20}\right)$$

$$\Rightarrow \frac{6}{25} + \frac{7}{40} + \frac{119}{400} \Rightarrow \frac{285}{400} \text{ or } \frac{57}{80}$$

OR

$$1 - \frac{23}{80}$$

$$= \frac{57}{80}$$

M1

A1

02

23. The acceleration of a particle after passing a fixed point P is given by $a = 3t - 3$. Given that the velocity of the particle when $t = 2$ seconds is 5 m/s, find:

a). Its velocity:

i). In terms of t

$$V = \int (3t - 3) dt$$

$$V = \frac{3t^2}{2} - 3t + C$$

$$5 = \frac{3}{2}(2)^2 - 3(2) + C$$

$$C = 5$$

$$V = \frac{3}{2}t^2 - 3t + 5$$

ii). When $t = 4$

$$V = \frac{3}{2}(4)^2 - 3(4) + 5$$

$$\Rightarrow 17 \text{ m/s}$$

b). The maximum velocity attained by the particle.

at max; Velocity ; $a=0$

$$3t - 3 = 0$$

$$t = 1$$

$$V = \frac{3}{2}(1)^2 - 3(1) + 5$$

$$= 3.5 \text{ m/s.} \approx 3\frac{1}{2} \text{ m/s.}$$

c). Its displacement during the third second.

$$S = \int_2^3 \left(\frac{3}{2}t^2 - 3t + 5 \right) dt$$

$$S = \left[\frac{3t^3}{6} - \frac{3t^2}{2} + 5t \right]_2^3$$

$$S = \left[\left(\frac{3(3)^3}{6} - \frac{3(3)^2}{2} + 5(3) \right) \right] - \left[\left(\frac{3(2)^3}{6} - \frac{3(2)^2}{2} + 5(2) \right) \right]$$

$$\begin{aligned} S &= 15 - 8 \\ &\Rightarrow \underline{\underline{8 \text{ m}}} \end{aligned}$$

(3 marks)	
M ₁	Integral
M ₁	Expression with C
A ₁	velocity function
03	

(2 marks)	
M ₁	substitution
A	C.A.O
02	

(2 marks)	
M ₁	substitution for t=1
A ₁	C.A.O
02	

(3 marks)	
M ₁	Integral to give S
M ₁	substitution for t=3 & 2
A ₁	C.A.O (8m)
03	mathematics

24. A triangle ABC with vertices A(2,0), B(4,-2) and C(4,4) is mapped onto its image $A^1B^1C^1$ under a transformation represented by the matrix $\begin{pmatrix} 1 & 1/2 \\ 0 & 1 \end{pmatrix}$

a)i) State the coordinates of $A^1B^1C^1$

$$\begin{pmatrix} 1 & 1/2 \\ 0 & 1 \end{pmatrix} \begin{pmatrix} A & B & C \\ 2 & 4 & 4 \\ 0 & -2 & 4 \end{pmatrix} = \begin{pmatrix} A^1 & B^1 & C^1 \\ 2 & 3 & 6 \\ 0 & -2 & 4 \end{pmatrix} \Rightarrow A^1(2,0) \quad C^1(6,4) \quad (2 \text{ Marks})$$

ii) On the grid provided plot triangle ABC and triangle $A^1B^1C^1$ $B^1(3,-2)$ (2 marks)

