```
KAB - 3.
                                      (24/3/25)
sample Linear Regression
import number as up
import pardos as po
import motplotlib. Pyplot as pile
del estimate coef (x,y):
  n = np. szecz)
                                           By of a soderiouse (dolo)
 m-x = np. meon (x)
 m-y-np many ((x-m-x)*(y-m-y)) + 2010 = 3
85-xx=np.sum ((x-m-x) = 2)-) = 1012012. 10101.
  b-1=85-xy/85-xx
                       Y = of holock (Corp ones (CX. shape To ), 1)), K)
 1-0= m-y-b-1 +m-x
 return (b-0, b-1) y y dago for 10.0 + XOT, X) evice point of son?
del plot (2, y, b):
                                      (3+ 2 (pod - 6-6)) nooverdu - 25 me
  plt. scotter (21 y, color = 'm')
                                 sot non when (forth wiscould) and
  pit. plot (x, y-prod, wolor=9) (e) mooning - but p) musta mon for
  4- pred = b[o] + b[i] x x
                                                 400-404 / 404-400= 82
  PIt. xlobel ('z')
  pit. y lohel ('y')
                                                      prist ("output")
  pl. 3 how ()
 & The - path = input ("Enter path:")
                                                              pripar
 of = pd. need_crv(file-path) (osto $188, one of downstood labored
                                                     bbst.g. : +400 catel
2 = dj. iloc[:, o], voluer
                                                    Men squared Error 5
 y=dj.iloct:, J. volues
                                                 Eppored sume: 0993
 b = estimate (x,y)
 plot (x, y, b)
Enter path: / content/trimorketing.csv
Estimated coefficients:
6-0 = 7.032
 b-1 = 0.047
```

```
multiple Lihoor Regression
        "realine 1": [1,2,34,5,6,7,8,9,60],
       data = 3
       "Feebure?":[2,3,5,7,4,13,17,19,23,29],
       "Fedures": [5, 6, 9, 12, 15, 18, 21, 24, 27, 30],
       "Torget": [5,9,15,22,51,41,53,66,80,96]
      de = pd. Dotofrome (date)
     X = dy. drop (cowmis=["Torget"]). values
     y = df ["Torget"]. volues. seshope (-1,1)
     X = M. hstack (Cmp.ones ((X-shape to J, 1)), x))
    hera = np lindg. solve(x, T@x + 0.01 , np identity (x, shape [i])
    y-pred=x@beta
   tot_vor=np-sum (ly-np.meon(y)) = 42)
   exp=vor= np.sum ((y-prod -np.meen (y)) + 42)
   72 = eap -ver / tot-ver
   print ("output:")
 output:
 model Coefficients: [0.040, 3313, 0.120] (atop of of other tra
Intercept: -3.1599
Mean squared Error: 5.362
R-8 guared 9 core: 0.993
                                     content from orkering
                                                    chedo Hoa
```

```
Logistic Ragression
   def sigmod (z):
      grehim 1/ (1+np.exp(-i))
  def compute (x, g, theta):
     m = lency)
     h = sigmaid (Y@mera)
     cost = (-1/m) * np. sum (y np. log(h) + (1-4) enp. log(1-h))
    sichm cost
 def grad-descent (X, y, mora, alpho, iterations)
      m = len (y)
     cost-harry - []
     for - in some (iterations):
         gradient = (1/m) + x, T@ (sigmoid (x@ meta) -y)
         theta - = alpho u gradion
     grehim theto, cost-history
 del predict (x, medo):
     returns (sigmoid (x@ melo) 720.5). ashype (int)
acceracy = np. mean (y-pred==y)
print ("Accuracy: 9 occuracy: 2/4 )
out it:
Transay:
```