```
> INT := proc(f::algebraic, x::name) local c, u, v, n, i;
     if diff(f,x) = 0 then
        return f*x;
     elif type(f, name) then
        if f=x then
             return (1/2) *x^2;
        else
            return f*x;
        fi;
     elif op(0, f) = * then
         c := 1;
         for i from 1 to nops(f) do
             if diff(op(i,f), x) \iff 0 then
                u := op(i, f);
                v := subsop(i=1, f);
                break;
             fi
         od;
         for i from 1 to nops(v) do
             if type(op(i,v), numeric)then
                c := op(i, v);
                v := subsop(i=1, v);
                break;
             fi
         od;
         if u = x and v = exp(x) then
             return c*(u*v - v)
         elif op (0, u) = ^^  and v = exp(x) then
            n := op(2, u);
            v := op(2,f);
             return c*(u*v - n * INT(x^{(n-1)*v}, x));
         return c*(INT(u, x)*v - INT(INT(u, x)*diff(v, x), x)
 );
         else
            return c* v * INT(u, x);
         fi;
     elif op(0, f) = + then
         return INT(op(1,f), x) + INT(f-op(1,f), x);
     then
         c := op(2,f);
         if c = -1 then
            return ln(op(1,f));
         else
            return 1/(c+1)*x^(c+1);
         fi;
     elif op(0, f) = \exp then
         u := op(1,f);
         if u = x then
            return exp(x);
```

```
elif type(op(1,u), numeric) then
                   return \exp(x)*(1/op(1, u));
              fi;
        elif op(0, f) = ln and diff(op(1,f), x) \Leftrightarrow 0 then
             u := op(1,f);
             c := lcoeff(u);
             return (1/c)*op(1,f)*(ln(op(1,f)) - 1);
        else return 'INT'(f, x);
        fi;
   end:
> INT( x^2 + 2x + 1, x );
                                    \frac{1}{3}x^3 + x^2 + x
                                                                                         (1)
   INT( x^{-1}) + 2*x^{-2}) + 3*x^{-1/2}, x);
                                      \frac{1}{\sqrt{x}}, 1
                                  \ln(x) - \frac{2}{x} + 6\sqrt{x}
                                                                                         (2)
> INT( exp(x) + ln(x) + sin(x), x);
                           e^{x} + x (\ln(x) - 1) + INT(\sin(x), x)
                                                                                         (3)
> INT( 2*f(x) + 3*y*x/2 + 3*ln(2), x);
                          2INT(f(x), x) + \frac{3yx^2}{4} + 3x\ln(2)
                                                                                         (4)
 > INT(x^2*exp(x) + 2*x*exp(x), x); 
> INT( 2*exp(-x) + ln(2*x+1), x);

-2e^{x} + \frac{(2x+1)(\ln(2x+1)-1)}{2}
                                                                                         (5)
                                                                                         (6)
\rightarrow INT( 4*x^3*ln(x) + 3*x^2*ln(x), x);
                            x^4 \ln(x) - \frac{x^4}{4} + x^3 \ln(x) - \frac{x^3}{3}
                                                                                         (7)
```