AREAS

If 2 awwes intersects at near \$ x=6 then area formed

6) If 2 curves y = f(x), y = g(x) are intersects at x = c then the area

6 Acrea formed by the wwe 1=g(y), y-axes & the lines

y= h y=c is gleen by A = fg(y)dy

formulal:

D Area of parallelogram

a,2+ b,9+c,=0,

2x+ by + 9 =0,

时气明节 图

1) Acrea formed by the lines ax + by + (=0 11 2c2

formed by the wower yof(a), yog(a), x-axis & ordinates xoa, xob

 $A = \int_{\alpha} [f(x) - g(x)] dx + \int_{\alpha}^{b} [g(x) - f(x)] dx$

formed by the lines

(G-d) (G-d2)

a, 62 - a2 61

azz+ bz y +d, =0

021+ by + d2 20

 $A = \int_{0}^{\infty} (f(x) - g(x)) dx$

Allea formed by the ciones y = f(x), y=g(x) ?

 $A = \int_{a}^{b} \left[f(x) - g(x) \right] dx$

Opens formed by the wive

yofa, x-aus & ordenates A = J.banda

x=a, x2b

(2) y = f(n) intersect x - axis if ordinates a > a, is a > b $A = \int_{C} f(n) dn + \int_{C} f(n) dn = \int_{C} f(n) dn - \int_{C} f(n) dn$

3 Alua formed by the wive year that Eyo is (1) h 10 b-4ac I then formed by the name $x=ay+by+c \in x=0$ is $(\Delta)^{3b}$

5) Asser bounded by the curves $y=ax^2+bx+(\xi y=mx+k)$ is $(A)^{3k}$ $\Delta t^{2k} = ax^2+(b-m)^2+(-k-0)$ D the as2+(b-m)2+(-k=0 6a2

12 ay + by+(-k=0 6a2

1 the ay2+ b-m)y+(-k=0 6a2

1 the ay2+ b-m)y+(-k=0 6a2

Therea of ble formed by test & normal to come y 2 f(2) at P(2, 4) f 2-axis is $\frac{y_1^2}{2} |m+1|m\rangle$, where $m = \left(\frac{dy}{dx}\right) p^{-1}$ D' Asses of Die found by tot & normal to acure y= f(2) at P(2,141) & y-ards is

 $\frac{x_1}{2} |m+1/m|. \qquad \Rightarrow \text{area formed by } xy=c^+ \notin its asymptotic.$ 9 Area bounded by the curve 2 + +9 = 1 is Trab. (1) Aska bounded by the currence 22+y = at is Trat 1) The asiea blu the avenues y = 4a(x+a) & y = 4b(b-x)

is Tab (ath) 1) Accord by the wever y = 401 & y=m2 $\frac{3m^3}{3m^3}$ (3) y2 4ax , 22 = 4 by

A = 16ab (15) 52+19 0 50 A 0 0% (A) 4= 40x & LR (y= tinax & 2-axis in [0, ntl) y 2 600 ax & x-axis in [0, 1971] $A = \frac{2n}{a}$

A = 20/a