CSL7670 : Fundamentals of Machine Learning

Lab Report



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Chapter 1

Lab-4

1.1 Objective

Objective of this assignment is to gain familiarity with neural networks (multi-layer perception).

1.2 Problem-1

(Simple MLP) Please go through this blog on developing your first neural network: [Blog] and understand the code.

- 1. (A) Draw the model architecture by showing each perceptron, input/output/hidden layers.
- 2. (B) Change the code to use only 60%, 70%, and 80% data as training, and report test-set performance for all these three training data set sizes.
- 3. (C) Compare BCE loss with MSE loss.
- 4. (D) Change the number of hidden layers from 2 to 4 and compare the performance.

Solution 1:

```
# -*- coding: utf-8 -*-
  """Untitled5.ipynb
3
  Automatically generated by Colaboratory.
  Original file is located at
       https://colab.research.google.com/drive/1
          \hookrightarrow RPbrLSJqkq9r1bPcAGKDAHRcbmkq8kU0
   11 11 11
  from google.colab import files
10
  files = files.upload()
  #sir code
13
  import numpy as np
14
  import torch
  import torch.nn as nn
  {\tt import\ torch.optim\ as\ optim}
  # load the dataset, split into input (X) and output (y) variables
19
  dataset = np.loadtxt('pima-indians-diabetes.csv', delimiter=',')
```

```
X = dataset[:,0:8]
21
  y = dataset[:,8]
22
  X = torch.tensor(X, dtype=torch.float32)
24
  y = torch.tensor(y, dtype=torch.float32).reshape(-1, 1)
  # define the model
27
  class PimaClassifier(nn.Module):
28
       def __init__(self):
           super().__init__()
30
           self.hidden1 = nn.Linear(8, 12)
            self.act1 = nn.ReLU()
32
           self.hidden2 = nn.Linear(12, 8)
           self.act2 = nn.ReLU()
34
            self.output = nn.Linear(8, 1)
           self.act_output = nn.Sigmoid()
36
       def forward(self, x):
38
           x = self.act1(self.hidden1(x))
39
           x = self.act2(self.hidden2(x))
40
           x = self.act_output(self.output(x))
41
           return x
42
  model = PimaClassifier()
44
  print(model)
45
  # train the model
47
  loss_fn
            = nn.BCELoss()
                               # binary cross entropy
  optimizer = optim.Adam(model.parameters(), lr=0.001)
50
  n_{epochs} = 100
  batch_size = 10
  for epoch in range(n_epochs):
       for i in range(0, len(X), batch_size):
           Xbatch = X[i:i+batch_size]
56
           y_pred = model(Xbatch)
           ybatch = y[i:i+batch_size]
           loss = loss_fn(y_pred, ybatch)
59
           optimizer.zero_grad()
           loss.backward()
61
           optimizer.step()
62
  # compute accuracy
64
  y_pred = model(X)
  accuracy = (y_pred.round() == y).float().mean()
  print(f"Accuracy \( {accuracy}")
67
68
  \# make class predictions with the model
  predictions = (model(X) > 0.5).int()
70
  for i in range(5):
71
       print('%s_{\sqcup} = _{\sqcup} %d_{\sqcup} (expected_{\sqcup} %d)' % (X[i].tolist(), predictions[i], y[i])
          \hookrightarrow )
73
```

1.2. PROBLEM-1

```
74
   #q1 b
   import numpy as np
   import torch
   import torch.nn as nn
   import torch.optim as optim
   # Load the dataset, split into input (X) and output (y) variables
80
   dataset = np.loadtxt('pima-indians-diabetes.csv', delimiter=',')
   X = dataset[:, 0:8]
   y = dataset[:, 8]
83
   X = torch.tensor(X, dtype=torch.float32)
85
   y = torch.tensor(y, dtype=torch.float32).reshape(-1, 1)
86
87
   # Iterate over different percentages (60%, 70%, and 80%)
88
   for num in [0.6, 0.7, 0.8]:
89
       full_data = len(X)
       train_size = int(num* full_data)
91
92
       X_train = X[:train_size]
93
       y_train = y[:train_size]
94
       X_test = X[train_size:]
95
       y_test = y[train_size:]
97
       # Define the model
98
       class PimaClassifier(nn.Module):
           def __init__(self):
             super().__init__()
             self.hidden1 = nn.Linear(8, 12)
             self.act1 = nn.ReLU()
             self.hidden2 = nn.Linear(12, 8)
             self.act2 = nn.ReLU()
             self.output = nn.Linear(8, 1)
106
             self.act_output = nn.Sigmoid()
108
           def forward(self, x):
             x = self.act1(self.hidden1(x))
             x = self.act2(self.hidden2(x))
111
             x = self.act_output(self.output(x))
             return x
113
       model = PimaClassifier()
       #print(model)
116
117
       # Train the model
118
       loss_fn = nn.BCELoss()
                               # Binary Cross-Entropy
       optimizer = optim.Adam(model.parameters(), lr=0.001)
       n_{epochs} = 100
       batch_size = 10
124
       for epoch in range(n_epochs):
           for i in range(0, train_size, batch_size):
126
                Xbatch = X_train[i:i+batch_size]
127
```

```
y_pred = model(Xbatch)
128
                ybatch = y_train[i:i+batch_size]
129
                loss = loss_fn(y_pred, ybatch)
                optimizer.zero_grad()
                loss.backward()
                optimizer.step()
134
       # Compute accuracy on the test set
       y_pred_test = model(X_test)
136
       accuracy = (y_pred_test.round() == y_test).float().mean()
       print(f"Accuracy_1for_{1}\{int(num*100)\}_{1}^{N} \cap f_1the_1dataset_1as_1Test_1Data_1is:
138
          → □{accuracy}")
139
   #q1 c
140
   from google.colab import files
141
   files = files.upload()
   import numpy as np
   import torch
144
   import torch.nn as nn
145
   import torch.optim as optim
147
   dataset = np.loadtxt('pima-indians-diabetes.csv', delimiter=',')
148
   X = dataset[:, 0:8]
   y = dataset[:, 8]
   X = torch.tensor(X, dtype=torch.float32)
   y = torch.tensor(y, dtype=torch.float32).reshape(-1, 1)
   class PimaClassifier(nn.Module):
       def __init__(self):
            super().__init__()
           self.hidden1 = nn.Linear(8, 12)
158
           self.act1 = nn.ReLU()
           self.hidden2 = nn.Linear(12, 8)
            self.act2 = nn.ReLU()
           self.output = nn.Linear(8, 1)
           self.act_output = nn.Sigmoid()
       def forward(self, x):
165
           x = self.act1(self.hidden1(x))
           x = self.act2(self.hidden2(x))
167
           x = self.act_output(self.output(x))
168
           return x
169
   model = PimaClassifier()
   print(model)
   # Step 1: Train the model with BCE loss with learning rate 0.001
174
   bce_loss_function = nn.BCELoss()
   bce_optimizer = optim.Adam(model.parameters(), lr=0.001)
176
   #Step 2: Train the model with MSE loss with learning rate 0.001
   mse_loss_function = nn.MSELoss()
mse_optimizer = optim.Adam(model.parameters(), lr=0.001)
```

1.3. PROBLEM-2

```
181
   n_{epochs} = 100
182
   batch_size = 10
184
   for epoch in range(n_epochs):
185
        for i in range(0, len(X), batch_size):
            Xbatch = X[i:i+batch_size]
187
            ybatch = y[i:i+batch_size]
188
189
            # Train with BCE loss
190
            bce_optimizer.zero_grad()
            y_pred_bce = model(Xbatch)
            bce_loss = bce_loss_function(y_pred_bce, ybatch)
            bce_loss.backward()
            bce_optimizer.step()
195
196
            # Train with MSE loss
            mse_optimizer.zero_grad()
198
            y_pred_mse = model(Xbatch)
199
            mse_loss = mse_loss_function(y_pred_mse, ybatch)
            mse_loss.backward()
201
            mse_optimizer.step()
202
   # Compute accuracy with BCE loss
204
   y_pred_bce = model(X)
205
   accuracy_bce = ((y_pred_bce.round() == y).float().mean()).item()
   print(f"Accuracy with BCE Loss: [accuracy_bce]")
207
208
   # Compute accuracy with MSE loss
   accuracy_mse = ((y_pred_mse.round() == ybatch).float().mean()).item()
210
   print(f"Accuracy with MSE Loss: {accuracy_mse}")
211
   # Print final BCE and MSE losses
213
   print(f"Final_BCE_Loss:_{\left\( \)} \text{bce_loss.item()}")
   print(f"Final \( MSE \) Loss: \( \) {mse_loss.item()}")
```

1.3 Problem-2

Develop a neural network that works for MNIST handwritten digit classi- fication.

- 1. (A) Draw the model architecture.
- 2. (B) Compare its performance with KNN classification.

Solution 2:

```
# -*- coding: utf-8 -*-
"""Assignment4.ipynb

Automatically generated by Colaboratory.

Driginal file is located at 
https://colab.research.google.com/drive/1
\hookrightarrow aCwkbEDKi_fAOJzMVyK9X27sOTtsRH-3
```

```
11 11 11
9
  import tensorflow as tf
  from tensorflow.keras import layers, models
  from tensorflow.keras.datasets import mnist
12
  # Load and preprocess the MNIST dataset
14
  (train_images, train_labels), (test_images, test_labels) = mnist.load_data
     \hookrightarrow ()
16
  # Normalize pixel values to be in the range [0, 1]
17
  train_images, test_images = train_images / 255.0, test_images / 255.0
18
19
  # Define the neural network model
20
  model = models.Sequential()
21
  # Input layer: Flatten the 28x28 images into a vector
  model.add(layers.Flatten(input_shape=(28, 28)))
24
25
  # Hidden layers
26
  model.add(layers.Dense(128, activation='relu')) # 128 neurons, ReLU
27
     \hookrightarrow activation
  model.add(layers.Dropout(0.2)) # Dropout for regularization
  model.add(layers.Dense(64, activation='relu')) # 64 neurons, ReLU
     \rightarrow activation
30
  # Output layer: 10 neurons for 10 classes (digits 0-9) with softmax
31
     \hookrightarrow activation
  model.add(layers.Dense(10, activation='softmax'))
33
  # Compile the model
34
  model.compile(optimizer='adam',
                 loss='sparse_categorical_crossentropy',
36
                 metrics=['accuracy'])
37
  # Train the model
39
  model.fit(train_images, train_labels, epochs=5, batch_size=64,
40
     → validation_split=0.2)
41
  # Evaluate the model on the test data
42
  test_loss, test_acc = model.evaluate(test_images, test_labels)
  print(f"Test accuracy: [test_accu*100:.2f}%")
44
45
  import numpy as np
46
  import matplotlib.pyplot as plt
47
  # Select three random test images
49
num_samples = test_images.shape[0]
  random_indices = np.random.choice(num_samples, 3, replace=False)
  selected_images = test_images[random_indices]
  selected_labels = test_labels[random_indices]
53
  # Make predictions on the selected test images
56 | predictions = model.predict(selected_images)
```

1.3. PROBLEM-2

```
57
   # Display the images and model predictions
58
   for i in range(3):
       plt.figure(figsize=(3, 3))
60
       plt.imshow(selected_images[i], cmap='gray')
       plt.title(f"True_Label:_{selected_labels[i]}\nPredicted_Label:_{np.
           → argmax(predictions[i])}")
        plt.axis('off')
       plt.show()
64
65
66
67
   """Diagram of the model architecture for the neural network
68
69
   Input (28x28)
70
71
   Flatten
73
       /--- Dense (128, ReLU)
74
            /--- Dropout (0.2)
76
      /--- Dense (64, ReLU)
79
       /--- Dense (10, Softmax)
80
81
82
   In this diagram:
83
   Input (28x28)" represents the input layer with 28x28 pixels for each image
85
   Flatten" is used to flatten the 2D image into a 1D vector.
   Dense (128, ReLU)" represents the first hidden layer with 128 neurons and
87
      \hookrightarrow ReLU activation.
   Dropout (0.2)" is a dropout layer with a dropout rate of 0.2 for
      \hookrightarrow regularization.
   Dense (64, ReLU)" is the second hidden layer with 64 neurons and ReLU
89
      \hookrightarrow activation.
   Dense (10, Softmax)" is the output layer with 10 neurons for classifying
90
      \hookrightarrow digits 0-9 using softmax activation.
92
93
94
   """B) Comparing Neural Network Performance with K-Nearest Neighbors (KNN):
95
   To compare the performance of the neural network with K-Nearest Neighbors
97
      \hookrightarrow (KNN) classification on the MNIST handwritten digit classification
      \hookrightarrow task, we need to consider various parameters and settings for both
      \hookrightarrow approaches.
   Neural Network (NN) Parameters and Settings:
101 | Architecture: The neural network architecture consists of an input layer
```

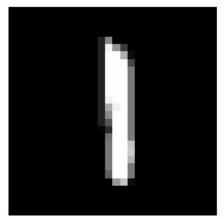
```
\hookrightarrow (784 neurons), two hidden layers (128 neurons with ReLU activation
      \hookrightarrow and 64 neurons with ReLU activation), and an output layer (10
      \hookrightarrow neurons with softmax activation).
   Training: The model was trained with the following settings:
   Loss Function: Sparse Categorical Cross-Entropy
105
   Optimizer: Adam
   Number of Epochs: 5
   Batch Size: 64
108
   Validation Split: 20% of the training data
   Regularization: Dropout with a rate of 0.2 was applied to the second
      \hookrightarrow hidden layer for regularization.
111
112 K-Nearest Neighbors (KNN) Parameters and Settings:
114 Number of Neighbors (k): This is a critical hyperparameter for KNN. We
      \hookrightarrow would need to experiment with different values of k to find the
      \hookrightarrow optimal one.
115
116 Distance Metric: The choice of distance metric, such as Euclidean distance
      \hookrightarrow or Manhattan distance, can affect KNN's performance.
   Data Preprocessing: It's essential to preprocess the data similarly to the
118
      \hookrightarrow neural network approach. We normalized the pixel values to be in
      \hookrightarrow the range [0, 1], which is a common preprocessing step for both
      \hookrightarrow methods.
119
   Inference Time: KNN doesn't require training, so it's faster at inference.
      → However, the inference time can vary depending on the size of the
      \hookrightarrow dataset and the chosen k value.
  Memory Consumption: KNN stores the entire training dataset, which can be
122
      \hookrightarrow memory-intensive for large datasets.
   \label{eq:accuracy:the} \textit{Accuracy: The accuracy of KNN can vary significantly based on the choice}
124
      \hookrightarrow of hyperparameters and data preprocessing.
   Scalability: KNN's scalability can be an issue for large datasets, as it
126
      \hookrightarrow requires computing distances to all training examples.
   Comparing the performance of NN and KNN would involve training the KNN
128
      \hookrightarrow model with various values of k and comparing their accuracy on the
      \hookrightarrow same MNIST test dataset. Typically, a well-tuned neural network
      \hookrightarrow would achieve higher accuracy on MNIST than KNN, but KNN can serve
      \hookrightarrow as a baseline or be suitable for simpler classification tasks.
   11 11 11
129
 Downloading data from https://storage.googleapis.com/tensorflow/tf-keras-
      → datasets/mnist.npz
 3 Epoch 1/5
```

5 Epoch 2/5

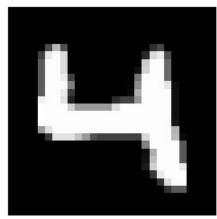
1.3. PROBLEM-2

```
\rightarrow accuracy: 0.9512 - val_loss: 0.1243 - val_accuracy: 0.9619
7 Epoch 3/5
 → accuracy: 0.9630 - val_loss: 0.1042 - val_accuracy: 0.9689
 Epoch 4/5
 10
  \hookrightarrow accuracy: 0.9694 - val_loss: 0.0905 - val_accuracy: 0.9723
 Epoch 5/5
11
 12
  \hookrightarrow accuracy: 0.9735 - val_loss: 0.0888 - val_accuracy: 0.9726
 13
  → accuracy: 0.9722
14 Test accuracy: 97.22%
```

True Label: 1 Predicted Label: 1



True Label: 4 Predicted Label: 4



True Label: 2 Predicted Label: 2

