

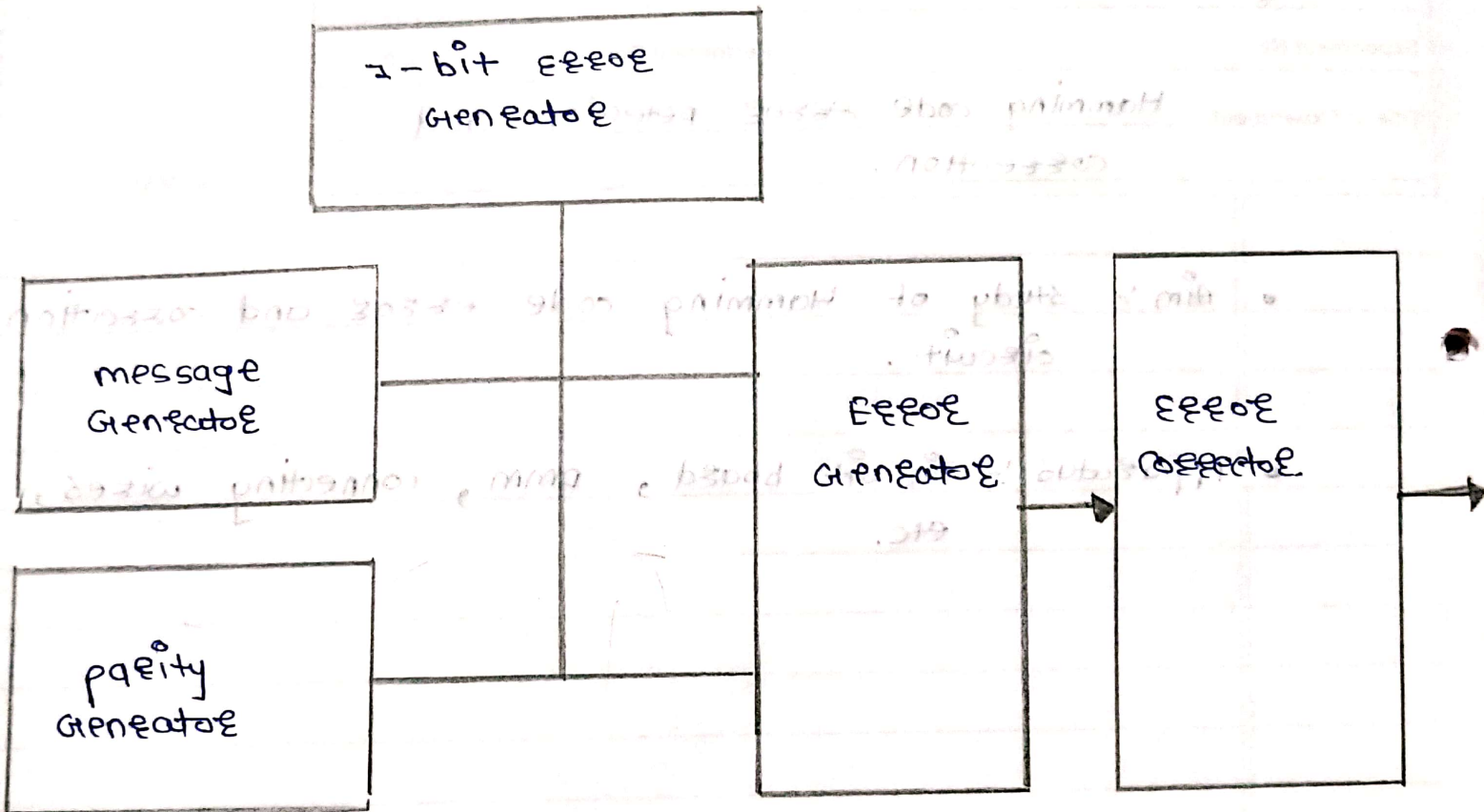
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Class : Sybcs		Roll No. :	Batch :
Experiment No. :		Performed Date : / /20	
Title of Experiment : Hamming code error detection and correction.			

- Aim :- study of Hamming code error and correction circuit.
- Apparatus :- circuit board, dmm, connecting wires, etc.

ciemt diagram :-





\* procedure :-

1. take any 4 bit binary number information bits.
2. Find out the Hamming code for that 4 bit no. for either even parity or odd parity.
3. show that Hamming code (H.C) to the examinee / teacher.
4. construct the H.C as input to the circuit by using switches provided on Hamming code generator block.
5. set parity even or odd.
6. note down 7-bit Hamming code.
7. apply the current H.C as input to the circuit by using switches provided on error detector block.
8. set the parity even or odd.
9. set the o/p of error detector and error corrector notes down the o/p in observation table.
10. generate 1-bit error in 7-bit hamming code by switches
11. the error generate in this is found on the o/p of error detector in binary code.
12. the o/p of error detector is given as i/p of decoder in binary code.
13. see the o/p of correction ckt. note these reading in observation table.
14. again take new 4 bit information signal for odd parity and repeat the step 3 to 10.

• note :-

The onboard arrangement can detect and correct the one bit error in 4 bit information in even/odd parity Hamming code.



theory :-

When digital code are transferred from one point to another point, within a digital systems errors can occur. These errors due to component malfunction or electrical noise can result in 1 changing to 0 or zero changing to 1.

Although the probability of even a single bit error occurrence in digital system is very small a parity bit may be the means of single bit error

detection a parity bit is attached to the group of information bits (word) to make the total no. of '1s' always odd the parity bit cannot detect error at more than one bit position.

Hamming code not only provides for detection of a bit error but also identifies which bit is in error so that it can be corrected. This code uses a number of parity bits (depends on the no of information bits) located at certain positions in the group. Error detection and correction are provided for all bits.



Sr. No.	set 4-bit input	set Parity	set fault Hamming code	7-bit hamming code of 1-bit	detect binary code	corrected op.
	P <sub>1</sub> P <sub>2</sub> P <sub>3</sub> P <sub>4</sub>		1 2 3 4 5 6 7	1 2 3 4 5 6 7	1 0 2 0 3	1 2 3 4 5 6 7
1]	1 0 1 1	Even	0 1 1 0 0 1 1 0	1 1 0 0 1 0 1	1 1 0 1 1 0 0 1	1 1 0 0 1 1
2]	1 0 1 1	odd	1 0 1 1 0 1 1 1	1 1 0 0 1 1 0	1 0 1 0 1 1 0 1	1 1 0 1 1 0 1
3]	1 1 0 1	Even	1 0 1 0 1 0 1 0	1 0 1 0 1 0 1	1 0 1 0 1 0 1 0	1 0 1 0 1 0 1
4]	1 1 0 1	odd	0 1 1 1 0 1 0 1	1 1 0 1 0 1 1	1 0 1 0 1 0 1 1	1 1 0 1 1 0 1
5]	0 1 0 1	Even	0 1 0 0 1 0 1 0	1 1 0 1 0 1 1	1 0 1 0 1 0 1 1	1 0 1 0 1 0 1
6]	0 1 0 1	odd	1 0 0 1 1 0 1 1	1 0 0 1 0 1 1	1 0 1 0 1 0 1 1	1 0 1 0 1 0 1

observation table :-

• calculation :-

① message code = 1011

→  $2^n \geq m+p+1$

$2^1 \geq 4+1+1 \therefore$  Hamming Rule not satisfied

$2^2 \geq 4+2+1 \therefore$  Hamming Rule not satisfied

$2^3 \geq 4+3+1$

$8 \geq 8 \therefore$  Hamming Rule satisfied

$\therefore L = m+p$

$= 4+3$

$= 7$

We need length of Hamming code is 7.

	1	2	3	4	5	6	7
	$P_1$	$P_2$	$m_1$	$P_3$	$m_2$	$m_3$	$m_4$
even →	0	1	1	0	0	1	1
odd →	1	0	1	1	0	1	1

$P_1 = 1 \ 3 \ 5 \ 7$  even = 0  
 $0 \ 1 \ 0 \ 1$  odd = 1  
 $1 \ 1 \ 0 \ 1$

$P_2 = 2 \ 3 \ 5 \ 7$   $P_3 = 4 \ 5 \ 6 \ 7$   
 even 1 1 1 1 even 0 0 1 1  
 odd 0 1 1 1 odd 1 0 1 1

② 1 1 0 1

	$P_1$	$P_2$	$m_1$	$P_3$	$m_2$	$m_3$	$m_4$
	1	2	3	4	5	6	7
even →	1	0	1	0	1	0	1
odd →	0	1	1	1	1	0	1



$P_1 = 1 \ 3 \ 5 \ 7$        $P_2 = 2 \ 3 \ 6 \ 7$   
 even = 1 1 1 1      even = 0 1 0 1  
 odd = 0 1 1 1      odd = 1 1 0 1

$P_3 = 4 \ 5 \ 6 \ 7$   
 even = 0 1 0 1  
 odd = 1 1 0 1

③ 0 1 0 1

→  $P_1 \ P_2 \ m_1 \ P_3 \ m_2 \ m_3 \ m_4$   
 even = 0 1 0 0 1 0 1  
 odd = 1 0 0 1 0 0 0

$P_3 = 4 \ 5 \ 6 \ 7$   
 even = 0 1 0 1  
 odd = 1 1 0 1

Result :-

① data = 1 0 1 1

Hamming code

	$P_1$	$P_2$	$m_1$	$P_3$	$m_2$	$m_3$	$m_4$
Even =	0	1	1	0	0	1	1
odd =	1	0	0	1	0	1	1

② data = 1 1 0 1

Hamming code

	$P_1$	$P_2$	$m_1$	$P_3$	$m_2$	$m_3$	$m_4$
even =	1	0	1	0	1	0	1
odd =	1	1	1	1	1	0	1

③ data = 0 1 0 1

	$P_1$	$P_2$	$m_1$	$P_3$	$m_2$	$m_3$	$m_4$
even =	0	1	0	0	1	0	1
odd =	1	0	0	1	1	0	1

conclusion :-

- 1] we have studied Hamming code for detection and correction code.
- 2] It is one of the most common detection and correction code.
- 3] Hamming code can be use for detection and correction by adding extra parity bit.
- 4] The no. of parity bits are dependent on length of data information.
- 5] no. of parity bits are given by formula are :-
 
$$2^n \geq m + p + 1$$

$$2^3 \geq 4 + 3 + 1$$

$$\therefore 8 \geq 8$$

$$L = m + p$$

$$= 4 + 3$$

$$= 7$$