

CNU Beamer Theme

Author

University of Science and Technology of China

2020.08

Outline



Data for machine learning

■ Age of big data

machine learning becoming a hit
require a large amount of data from real world

■ Privacy data

like human face and fingerprint...
sensitive and individual but of high practical value
a tradeoff between data diversity and data utilization



Generative model for privacy protection

■ Generative model

adding noise to real data without exposing the original figure
little significance if only copy input to output

■ Related work

DP-SGD[?]

effective in generating high-dimensional sanitized data
difficult implement

PATE

only train generators with DP guarantees
high privacy costs

Fed-Avg GAN

provide user-level DP guarantees merely works on
decentralized data



Introduction of GAN

■ Generator

create fake data from random sample

sample $Z = (z_1, z_2, \dots, z_n)$

$$\tilde{Z} = G(Z)$$

■ Discriminator

discriminate between fake and real data

$$D(X, G(Z)) = \begin{cases} 0, & \text{if input} \in G(Z) \\ 1, & \text{if input} \in X \end{cases}$$

■ Task of two part

Generator $G(Z)$ closer to X , the better

Discriminator distinguish $G(Z)$ and X more, the better

$$\min_G \max_D V(G, D)$$



- Most privacy-preserving training algorithms for neural network models is **manipulating** the gradient information generated during backpropagation.
- **Methods**
 - Clipping the gradients** (to bound sensitivity)
 - Adding calibrated random noise** (to introduce stochasticity)
- **Problem:** limited in shallow networks and fail to sufficiently capture the sample quality of the original data.

■ Neighboring dataset

D, D' : differed with only a piece of data

■ (Differential Privacy)

$$Pr[M(D) \in O] \leq e^\epsilon Pr[M(D') \in O] + \delta$$

M : a random algorithm

O : output set

ϵ : privacy budget

smaller ϵ , $M(D)$ and $M(D')$ closer

δ : disturbance



Suppose $\mathcal{M} : \mathbb{R}^n \rightarrow X$, X is called mapping Space and \mathcal{M} is called map from origin space into mapping space. For two dataset x and x' , they only has one-item difference. We call \mathcal{M} satisfies (ϵ, δ) -privacy if following statement is true

$$Pr[\mathcal{M}(x) \in S] \leq e^\epsilon Pr(\mathcal{M}(x') \in S) + \delta \quad (1)$$

What is \mathcal{M} , input space and mapping space in this scenario?

According to the definition of [?], \mathcal{M} is the generative model. Its input space is consisted with training data and its mapping space is consisted with its output. Take Conditional-VAE for an example. Suppose training data takes with following formular

$$(X, y) = (x_i, y_i)_{i=1}^n \quad (2)$$

it is consisted with n data samples and $x_i \in \mathbb{R}^n, y_i \in \mathbb{R}, x_i$ is the data (such as an image) and y_i is the label of the image. \mathcal{M} is a model which generate new data from existing data and label.

privacy define

Possibility is hard to quantify for NN model. So we take several ways to verify our model satisfy (ϵ, δ) privacy



From Attackers

One of the goal of the attacker is to varify whether a data is from or not from the dataset.If the privacy dataset \mathcal{D} is revealed.We can build the attacker from \mathcal{D}

- sample k data $x \in \mathcal{D}$ and sample k noise from \mathbb{R}^n but $\notin \mathcal{D}$. Denoted as $X = x_1, x_2, \dots, x_k$ and $Y = y_1, y_2, \dots, y_k$
- X is true data,we attack label *True* to all its data and Y is fake data which randomly sample from \mathbb{R}^n ,so we attach *False* label into Y ,mixture X, Y and its labels T together
- build a classifier \mathcal{C} , which takes true/fake image as input and output the Possibility of whether the input pattern is belonged to True/Generated Data.Train the model with supervised learning method

In this term,privacy true image \mathcal{X} is not provided for training of \mathcal{C} .We provided generative training data $\hat{\mathcal{X}}$ which is generated from privacy dataset \mathcal{D} .



For Attackers

suppose P is the Possibility attacker could correctly varify the real data through generative data. We define privacy loss

$$\text{privacy loss} = \frac{P - 0.5}{0.5} \quad (3)$$



use generative data for image classifier task. We train the downstream image classifier model with Training data T_{train} and validate the training accuracy with testing data T_{test} . There are four condition for utility measurement.

accuracy	test data		
	train data	privacy data	generative data
privacy data		p_1	p_2
generative data		p_3	p_4

We call $p_1 - p_2$ accuracy loss from the generative process

Thank you!

