

2. (7, I); (8, G)

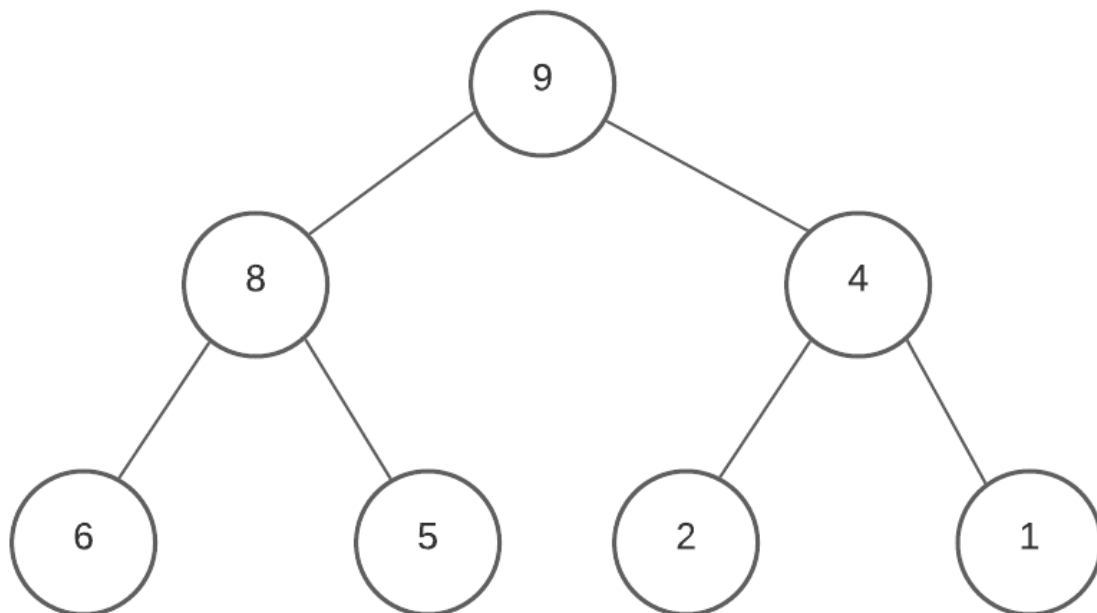
3. Deve-se usar a fila de prioridades por ser um simulador. Portanto o voo será retirado com o menor time-stamp e assim consecutivamente.

4. Pode estar armazenada na raiz da árvore.

~~5. Sim, pois para uma árvore ser um heap, ela deve ser uma árvore binária completa. Então a árvore T deve ser considerada um heap por ser completa.~~

~~6. Não se considera pois, sem criar o filho da esquerda antes, não será possível ter o filho da direita.~~

~~7.~~



Prefixado: 9, 8, 6, 5, 4, 2, 1

Interfixado: 6, 8, 5, 9, 2, 4, 1

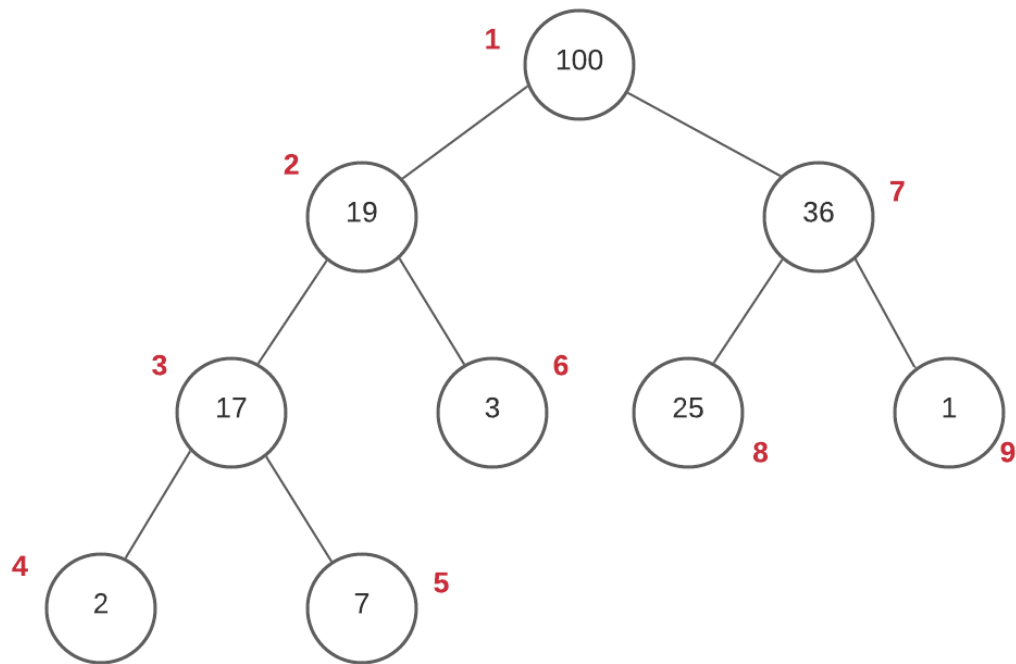
Pós-fixado: 6, 5, 8, 2, 4, 1, 9

~~8. Prefixado: 1, 2, 4, 8, 9, 5, 10, 11, 3, 6, 12, 13, 7, 14, 15~~

~~Interfixado: 8, 4, 9, 2, 10, 5, 11, 1, 12, 6, 13, 3, 14, 7, 15~~

~~Pós fixado: 8, 9, 4, 10, 11, 5, 2, 12, 13, 6, 14, 15, 7, 3, 1~~

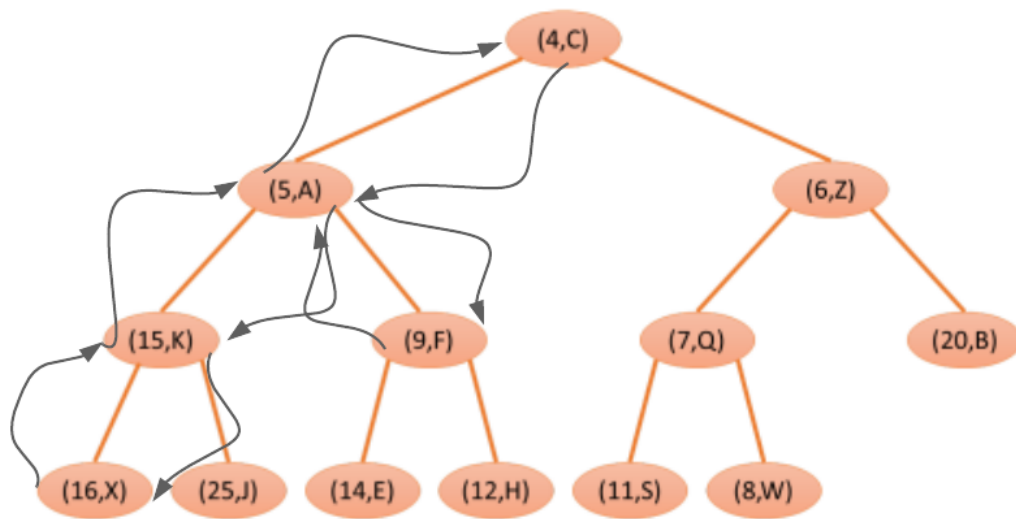
9.



100 -> 19 -> 17-> 2-> 7 -> 3 -> 36 -> 25 -> 1

~~10. Um exemplo de heap que prova que ela está errada é o CompleteBinaryTree. O heap que foi fornecido para provar como errado é a imagem do heap que é representado pela lista de [x, 1,5,2,8,9,1,6]. esta pilha não irá produzir chaves em ordem crescente quando um caminhamento pós fixado é usado.~~

~~11.~~



~~12.~~

~~13.~~

~~14. O hashing duplo consegue tolerar um fator de carga superior a 1 e o que não consegue tolerar o fator de carga é o endereçamento aberto.~~

~~15. Se usarmos a soma dos componentes, a função hash seria $x_0 + x_1 + x_2 + x_3 + x_4 \bmod N$.~~

~~16.~~

~~11 entry hash table: $h(i) = (3i+5) \bmod 11$~~

~~empty hash table:~~

~~$\square, \square, \square, \square, \square, \square, \square, \square, \square, \square$~~

~~hash key 12:~~

~~$\square, \square, \square, \square, \square, \square, \square, \square, [12], \square, \square$~~

~~hash key 44~~

~~[, , , , , [44], , , [12], ,]~~

~~hash key 13~~

~~[13], , , , , [44], , , [12], ,]~~

~~hash key 88~~

~~[13], , , , , [[44, 88]], , , [12], ,]~~

~~hash key 23~~

~~[13], , , , , [[44, 88]], , , [12, 23], ,]~~

~~hash key 94~~

~~[13], [94], , , , [[44, 88]], , , [[12, 23]], ,]~~

~~hash key 11~~

~~[13], [94], , , , [[44, 88, 11]], , , [[12, 23]], ,]~~

~~hash key 39~~

~~[13], [[94, 39]], , , , [[44, 88, 11]], , , [[12, 23]], ,]~~

~~hash key 20~~

~~[13], [[94, 39]], , , , [[44, 88, 11]], , , [[12, 23]], , [20]~~

~~hash key 16~~

~~[13], [[94, 39]], , , , [[44, 88, 11]], , , [[12, 23]], [16], [20]~~

~~hash key 5~~

~~[13], [[94, 39]], , , , [[44, 88, 11]], , , [[12, 23]], [[16, 5]], [20]~~

~~17.~~

~~11 entry hash table: $h(i) = (3i+5) \bmod 11$~~

~~empty hash table:~~

~~[], [], [], [], [], [], [], [], [], []~~

~~hash key 12:~~

~~[], [], [], [], [], [], [], [], [12], [], []~~

~~hash key 44~~

~~[], [], [], [], [], [44], [], [], [12], [], []~~

~~hash key 13~~

~~[13], [], [], [], [], [44], [], [], [12], [], []~~

~~hash key 88~~

~~[13], [], [], [], [], [44], [88], [], [12], [], []~~

~~hash key 23~~

~~[13], [], [], [], [], [44], [88], [], [12], [23], []~~

~~hash key 94~~

~~[13], [94], [], [], [], [44], [88], [], [12], [23], []~~

~~hash key 11~~

~~[13], [94], [], [], [], [44], [88], [11], [12], [23], []~~

~~hash key 39~~

~~[13], [94], [39], [], [], [44], [88], [11], [12], [23], []~~

~~hash key 20~~

~~[13], [94], [39], [], [], [44], [88], [11], [12], [23], [20]~~

~~hash key 16~~

~~[13], [94], [39], [16], [], [44], [88], [11], [12], [23], [20]~~

~~hash key 5~~

~~[13], [94], [39], [16], [5], [44], [88], [11], [12], [23], [20]~~

~~18.~~

~~11-entry hash table: $h(i) = (3i+5) \bmod 11$~~

~~Quadratic Probing: $h(i) = (3i+5) + j^2 \bmod 11$ for $j = 0, 1, 2, \dots$~~

~~empty hash table:~~

~~$\square, \square, \square, \square, \square, \square, \square, \square, \square, \square$~~

~~hash key 12 ($j = 0$)~~

~~$\square, \square, \square, \square, \square, \square, \square, \square, [12], \square, \square$~~

~~hash key 44 ($j = 0$)~~

~~$\square, \square, \square, \square, \square, [44], \square, \square, [12], \square, \square$~~

~~hash key 13 ($j = 0$)~~

~~$[13], \square, \square, \square, \square, [44], \square, \square, [12], \square, \square$~~

~~hash key 88 ($j = 1$)~~

~~$[13], \square, \square, \square, \square, [44], [88], \square, [12], \square, \square$~~

~~hash key 23 ($j = 1$)~~

~~$[13], \square, \square, \square, \square, [44], [88], \square, [12], [23], \square$~~

~~hash key 94 ($j = 0$)~~

~~$[13], [94], \square, \square, \square, [44], [88], \square, [12], [23], \square$~~

~~hash key 11 ($j = 3$)~~

~~$[13], [94], \square, [11], \square, [44], [88], \square, [12], [23], \square$~~

~~hash key 39 ($j = 1$)~~

~~$[13], [94], [39], [11], \square, [44], [88], \square, [12], [23], \square$~~

~~hash key 20 (j = 0)~~

~~[13], [94], [39], [11], [], [44], [88], [], [12], [23], [20]~~

~~hash key 16 (j = 3)~~

~~[13], [94], [39], [11], [], [44], [88], [16], [12], [23], [20]~~

~~hash key 5 (j = ?)~~

~~all attempts for j = 1 to 10, mod 11 does not equal the empty bucket number 4.~~

~~19.~~

~~11 entry hash table: $h(i) = [(3i+5) + j \times [7 - (k \bmod 7)]] \bmod 11$, for j = 0,1,2...~~

~~empty hash table:~~

~~[], [], [], [], [], [], [], [], [], [], []~~

~~hash key 12:~~

~~[], [], [], [], [], [], [], [], [12], [], []~~

~~hash key 44~~

~~[], [], [], [], [], [44], [], [], [12], [], []~~

~~hash key 13~~

~~[13], [], [], [], [], [44], [], [], [12], [], []~~

~~hash key 88~~

~~$h(i) = [(3i+5) + (j \times [7 - (k \bmod 7)])] \bmod 11$, for j = 3~~

~~$h(88) = [(3(88)+5) + (3 \times [7 - (88 \bmod 7)])] \bmod 11$~~

~~$h(88) = [269 + (3 \times [7 - (88 \bmod 7)])] \bmod 11$~~

~~$h(88) = [269 + (3 \times [7 - 4])] \bmod 11$~~

~~$h(88) = [269 + 9] \bmod 11$~~

~~$h(88) = 278 \bmod 11 = 3$~~

~~[13], [], [], [88], [], [44], [], [], [12], [], []~~

~~hash key 23~~

~~$$h(i) = [(3i+5) + (j \times [7 - (k \bmod 7)])] \bmod 11, \text{ for } j = 1$$

$$h(23) = [(3(23) + 5) + (1 \times [7 - (23 \bmod 7)])] \bmod 11$$

$$h(23) = [74 + (1 \times [7 - (23 \bmod 7)])] \bmod 11$$

$$h(23) = [74 + (1 \times [7 - 2])] \bmod 11$$

$$h(23) = [74 + 5] \bmod 11$$

$$h(23) = 79 \bmod 11 = 2$$~~

~~[13], [], [23], [88], [], [44], [], [], [12], [], []~~

~~hash key 94~~

~~[13], [94], [23], [88], [], [44], [], [], [12], [], []~~

~~hash key 11~~

~~$$h(i) = [(3i+5) + (j \times [7 - (k \bmod 7)])] \bmod 11, \text{ for } j = 4$$

$$h(11) = [(3(11) + 5) + (4 \times [7 - (11 \bmod 7)])] \bmod 11$$

$$h(11) = [38 + (4 \times [7 - (11 \bmod 7)])] \bmod 11$$

$$h(11) = [38 + (4 \times [7 - 4])] \bmod 11$$

$$h(11) = [38 + (4 \times 3)] \bmod 11$$

$$h(11) = 50 \bmod 11 = 6$$~~

~~[13], [94], [23], [88], [], [44], [11], [], [12], [], []~~

~~hash key 39~~

~~$$h(i) = [(3i+5) + (j \times [7 - (k \bmod 7)])] \bmod 11, \text{ for } j = 1$$

$$h(39) = [(3(39) + 5) + (1 \times [7 - (39 \bmod 7)])] \bmod 11$$

$$h(39) = [122 + (1 \times [7 - (39 \bmod 7)])] \bmod 11$$

$$h(39) = [122 + (1 \times [7 - 4])] \bmod 11$$

$$h(39) = [122 + (1 \times 3)] \bmod 11$$

$$h(39) = 125 \bmod 11 = 4$$~~

~~[13], [94], [23], [88], [39], [44], [11], [], [12], [], []~~

~~hash key 20~~

~~[13], [94], [23], [88], [39], [44], [11], [], [12], [], [20]~~

~~hash key 16~~

~~[13], [94], [23], [88], [39], [44], [11], [], [12], [16], [20]~~

~~hash key 5~~

~~$$h(i) = [(3i+5) + (j \times [7 - (k \bmod 7)])] \bmod 11, \text{ for } j = 10$$

$$h(i) = [(3(5) + 5) + (10 \times [7 - (5 \bmod 7)])] \bmod 11$$~~

$$h(i) = [20 + (10 \times [7 - (5 \bmod 7)])] \bmod 11$$

$$h(i) = [20 + (10 \times [7 - 5])] \bmod 11$$

$$h(i) = [20 + (10 \times 2)] \bmod 11$$

$$h(i) = 40 \bmod 11 = 7$$

[13], [94], [23], [88], [39], [44], [11], [5], [12], [16], [20]

20.

21. A principal diferença entre os dois é que o TAD mapa deve ter chaves únicas, já o dicionário pode ter múltiplas entradas com a mesma chave.

22.

23.