

## Drafted Notes

The goal of this document is to begin our investigation of understanding wtf the Jordan Curve Theorem ( JCT ) is even talking about!

### First Definitions

To establish context, we will define the following:

- Separation
- Connectedness
- Components
- JCT

### Sets

Sets are things that exist lol.

### Ordered Pair

Ordered pair  $(a,b)$  is  $\{a,\{a,b\}\}$

### Zahlen

Zahlen is subsequent subsets of null set.  $\{\}$  equals 0  $\{\{\}\}$  1  $\{\{\{\}\}\}$  -1  $\{\{\{\{\}\}\}\}$  2

### Quotients

Quotients are ordered pairs of integers (Top, Bottom) with equivalence relation making equivalent fractions equal  $(2,4)$  is equal to  $(-1,-2)$

### Reals

A cut  $r$  is defined to be the set of all quotients that are less than quotient  $(r,1)$ .  
Let  $R$  be the set of all dedekind cuts of quotients.

### Topology

Set of open sets. (do we need open balls?)

## Topological Space

$(R, O)$   $R$  is underlying set,  $O$  is topology

## Cartesian Product

Set of all possible ordered pairs for two different sets.

## Function

Subset of cartesian product such that its a function.

## Continuity

Go backwards through the function and you get an open ball.

## Separated

Let  $X$  be a topological space. A **separation** of  $X$  is a pair  $U, V$  of disjoint nonempty subsets of  $X$  whose union is  $X$ .

## Connected

The space  $X$  is said to be **connected** if there does not exist a separation of  $X$ .

## Component

Given  $X$ , define an equivalence relation on  $X$  by setting  $x \sim y$  if there is a connected subspace of  $X$  containing both  $x$  and  $y$ . The equivalence classes are called the **components** ( or the “connected components”) of  $X$ .

## JCT

## X

<https://mathworld.wolfram.com/JordanCurveTheorem.html>