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Design and Analysis of Algorithms

Experiment 1.2

23CSP-301

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Aim:

To implement the power function efficiently using **Divide and Conquer** (exponentiation by squaring).

Algorithm(Pseudocode):

```
function power(x, y):  
    if y == 0:  
        return 1  
  
    temp = power(x, y/2)  
  
    if y % 2 == 0:  
        return temp * temp  
    else:  
        if y > 0:  
            return x * temp * temp  
        else:  
            return (temp * temp) / x // handles negative powers
```

Code:

```
#include <iostream>  
using namespace std;  
  
// Function to calculate power in O(log n)  
double power(double x, int y) {  
    if (y == 0)  
        return 1;  
  
    double temp = power(x, y / 2);  
  
    if (y % 2 == 0) {  
        return temp * temp;  
    } else {  
        if (y > 0)  
            return x * temp * temp;  
        else  
            return (temp * temp) / x;  
    }  
}  
  
int main() {  
    double x;  
    int y;  
  
    cout << "Enter base (x): ";  
    cin >> x;
```



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```
cout << "Enter power (y): ";

cin >> y;
cout << x << "^" << y << " = " << power(x, y) << endl;
return 0;
}
```

Output 1:

```
Enter base (x): 2
Enter power (y): 10
2^10 = 1024

Enter base (x): 2
Enter power (y): -3
2^-3 = 0.125

Enter base (x): 5
Enter power (y): 0
5^0 = 1
```

Time Complexity Analysis

- Each recursive call divides y by 2, so the number of steps is $\log_2(y)$.
- Hence, Time Complexity = $O(\log n)$.
- Space Complexity (due to recursion) = $O(\log n)$.

Conclusion:

The power function was successfully implemented in $O(\log n)$ time using the divide and conquer approach (exponentiation by squaring). The program handles zero, negative, even, and odd powers effectively.